

ALICE

# Forward-backward correlations in Pb–Pb collisions at $\sqrt{s_{NN}}=2.76$ and 5.02 TeV with ALICE

Igor Altsybeev  
St.Petersburg State University  
for the ALICE Collaboration

This work is supported by the Russian Science Foundation, grant 17-72-20045.

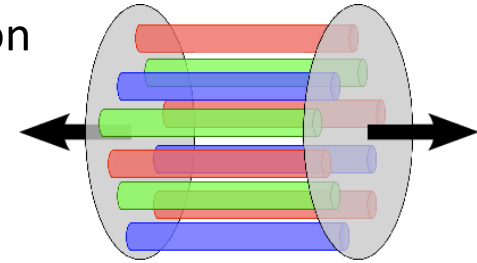
ICPPA-2017  
September 19, 2017

# What are the sources of long-range correlations?

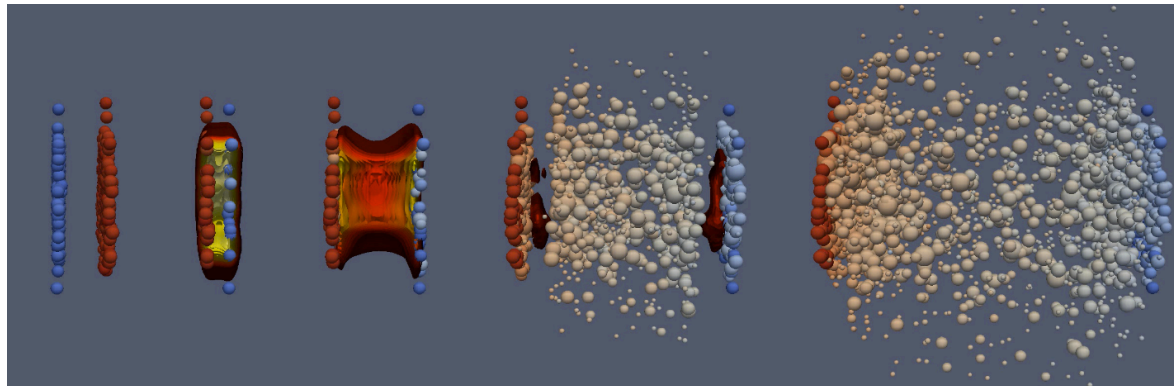
**Long-range correlations (LRC)** – can be explored with correlations between particles separated by pseudorapidity gap.

Typically:  $|\Delta\eta| > 1.0 \rightarrow$  suppress contribution from resonances and (mini) jets

- LRC can be created predominantly at early stages of the collision
  - geometry, interactions between strings
- can be modified by medium and final state interactions
  - hydrodynamic expansion
  - energy loss in medium
  - conservation laws



Pb-Pb, p-Pb and pp collisions are under investigation at the LHC.



# ALICE experiment



## Inner Tracking System (ITS)

tracking + triggering

## Time Projection Chamber (TPC)

tracking

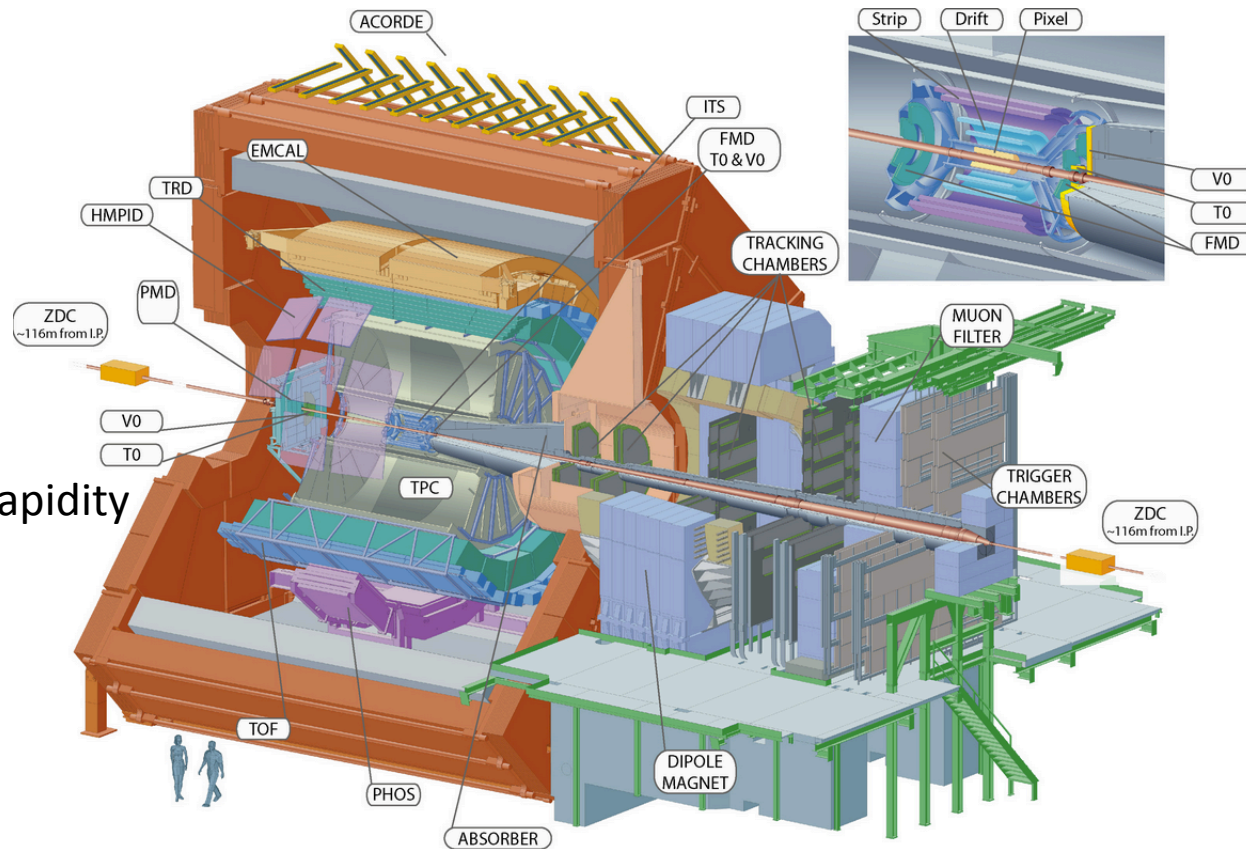
## V0 detector

Two forward scintillator arrays  
( $-3.7 < \eta < -1.7$ ,  $2.8 < \eta < 5.1$ )

centrality: particles at forward rapidity

## Zero-Degree Calorimeters

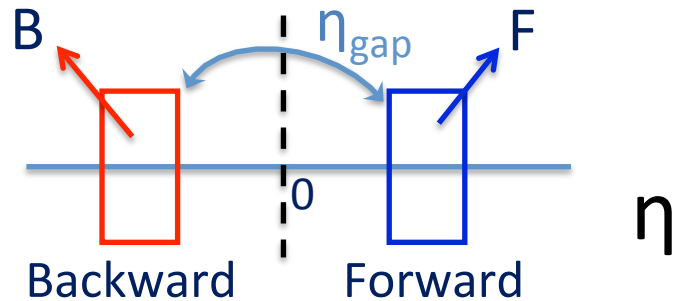
centrality: spectators



- *Number of min. bias Pb-Pb events:*  $\approx 11 \times 10^6$  @ 2.76 TeV,  $\approx 50 \times 10^6$  @ 5.02 TeV
- *Tracks:*  $-0.8 < \eta < 0.8$ ,  $0.2 < p_T < 2.0$  GeV/c
- *Centrality estimators:* V0, ZDC

# Forward-Backward correlations: **the observables**

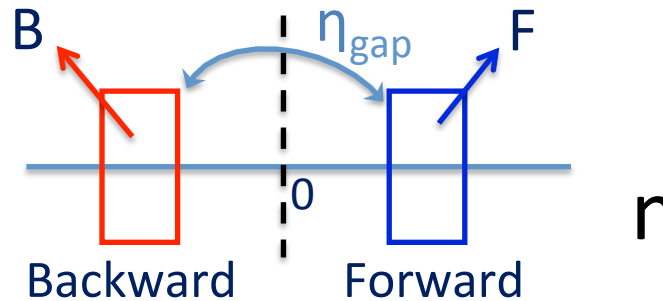
*Event-by-event calculation:* choose some **F** and **B** quantities from separated  $\eta$  windows and assess correlation strength:



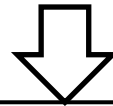
Correlation coefficient: 
$$b_{\text{corr}} = \frac{\langle FB \rangle - \langle F \rangle \langle B \rangle}{\langle F^2 \rangle - \langle F \rangle^2}$$

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$n_B - n_F$  – between multiplicities in F and B

$\bar{p}_{tB} - \bar{p}_{tF}$  – between event-mean transverse momenta in F and B

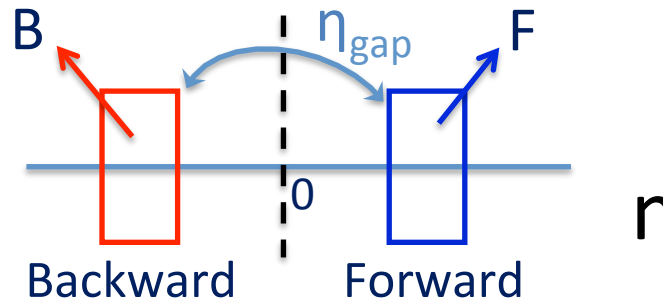
$\bar{p}_{tB} - n_F$  – between event-mean transverse momentum in B and multiplicity in F

a “classical” measurement,  
done in many experiments

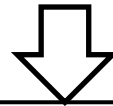
Phys.Rev.Lett.103:172301, JHEP 1505 (2015) 097

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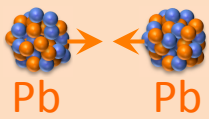
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← **this talk**

$\bar{p}_{tB} - n_F$  – between event-mean transverse momentum in B and multiplicity in F

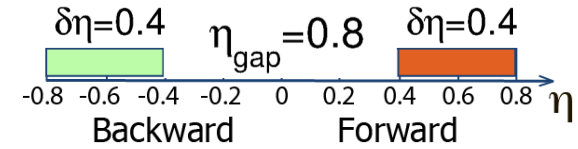


# FB multiplicity correlations in Pb-Pb: centrality dependence

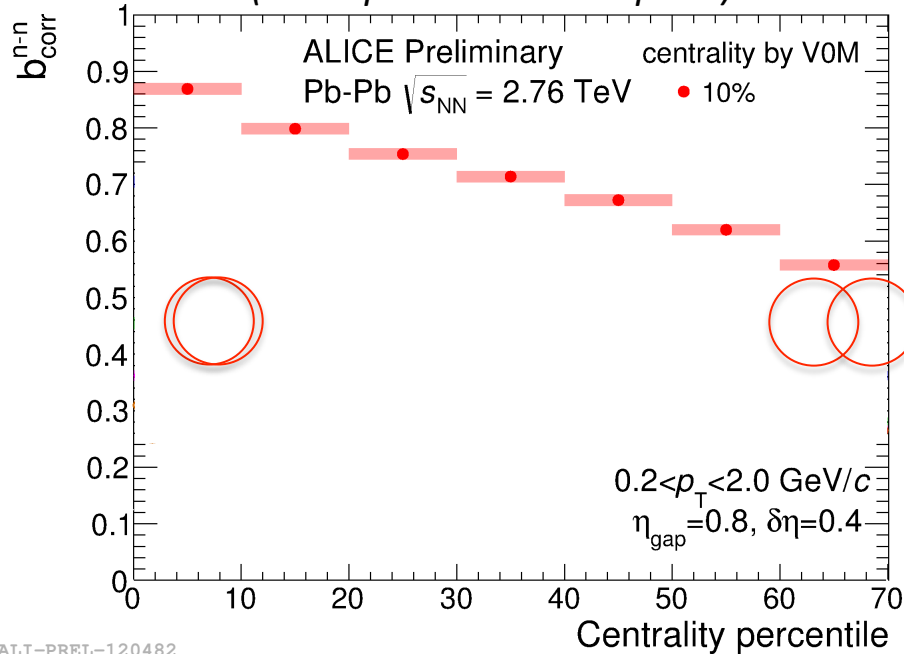


- Predictions for Pb-Pb from CGC, DPM, ...

Nucl.Phys.A781:201-208  
Phys.Rept. 236 (1994) 225-329

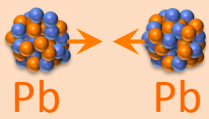


Centrality classes by **V0** detector:  
( $-3.7 < \eta < -1.7$  and  $2.8 < \eta < 5.1$ )



$$b_{\text{corr}} = \frac{\langle n_B n_F \rangle - \langle n_B \rangle \langle n_F \rangle}{\langle n_F^2 \rangle - \langle n_F \rangle^2}$$

ALI-PREL-120482

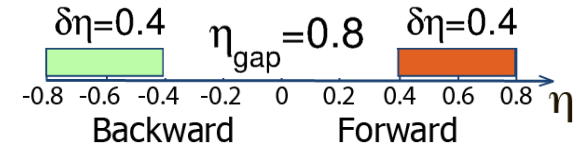


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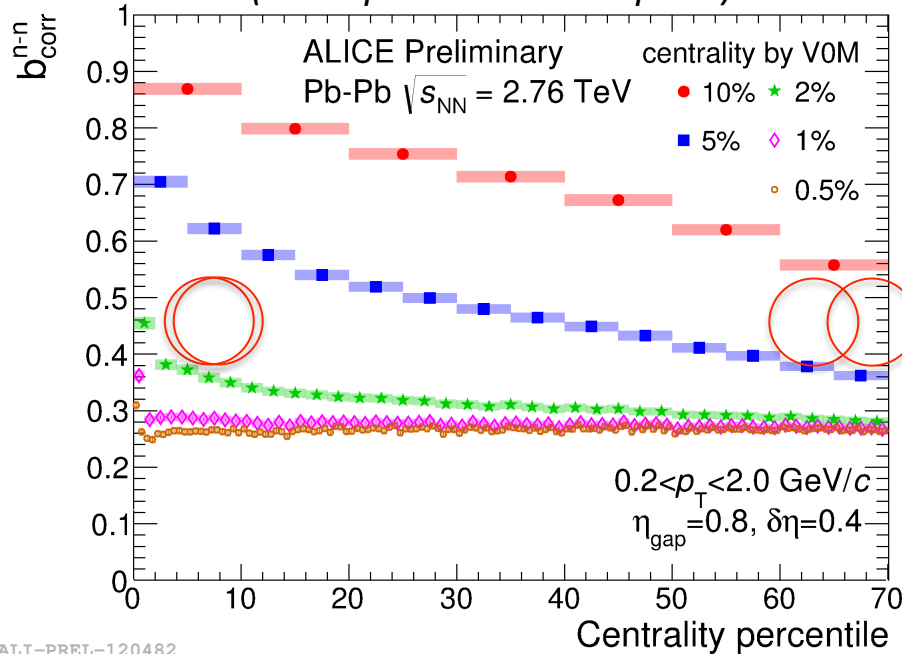


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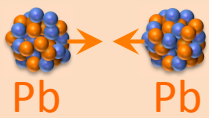


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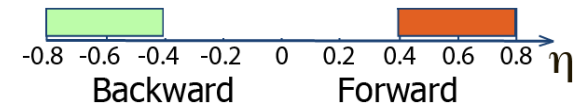
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- Strong dependence on centrality class width (volume fluctuations)

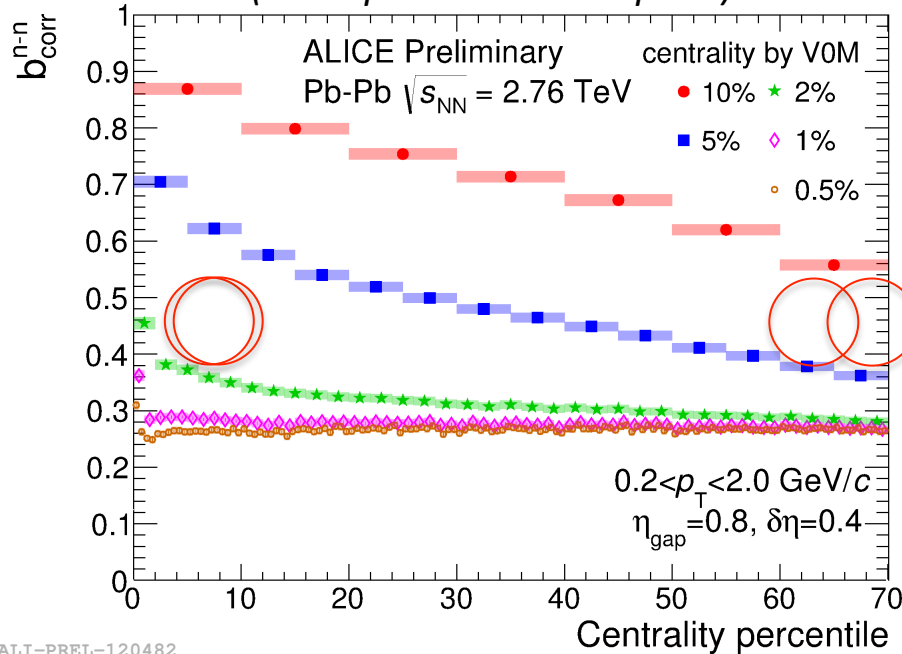




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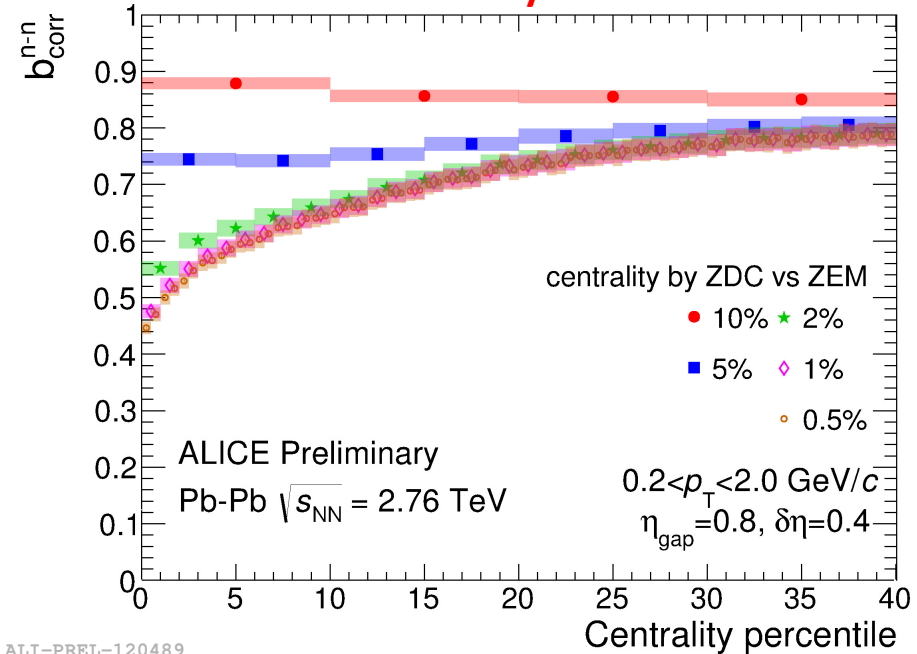


Centrality classes by **V0** detector:  
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ALI-PREL-120482

... but if by ZDC:



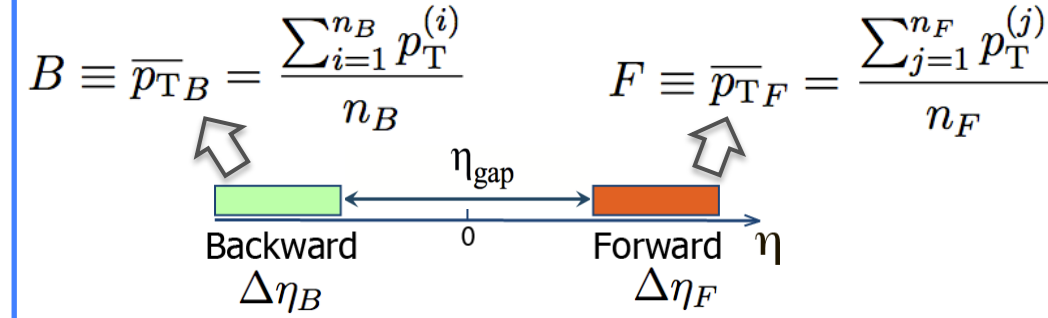
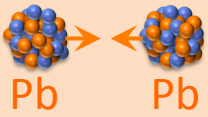
ALI-PREL-120489

- Strong dependence on centrality class width (**volume fluctuations**)
- Dramatic dependence on centrality estimator (**acceptance and resolution**)

Details of centrality selection are crucial for FB **multiplicity** correlation studies in A-A.

- STAR claims “growth with centrality” – this should be taken with care.  
*Phys.Rev.Lett.103:172301, 2009*

# FB correlations between intensive observables: take event-mean transverse momentum



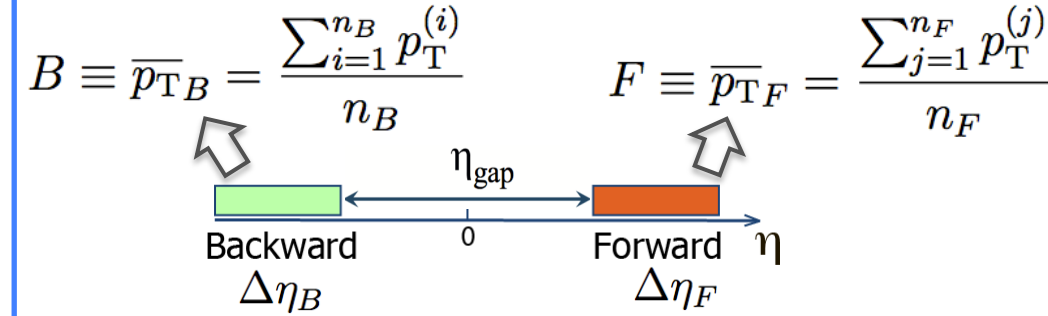
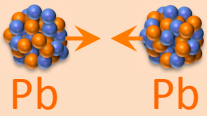
$$B \equiv \overline{p_{TB}} = \frac{\sum_{i=1}^{n_B} p_T^{(i)}}{n_B}$$

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Correlation coefficient:

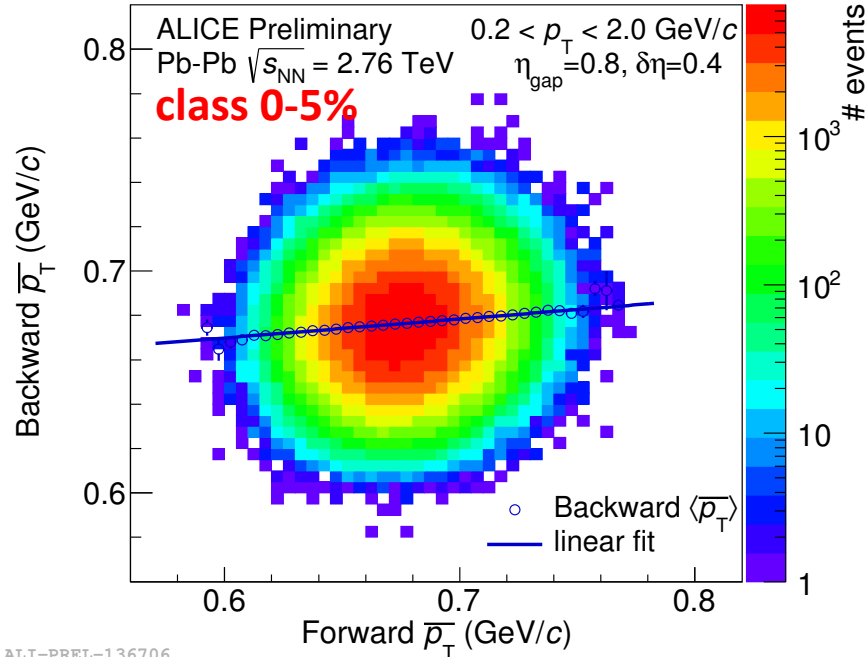
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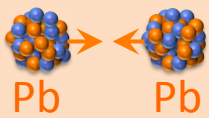
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→ Traditional  $b_{\text{corr}}$  is related to slope of the linear fit.



# FB correlations between intensive observables: take event-mean transverse momentum



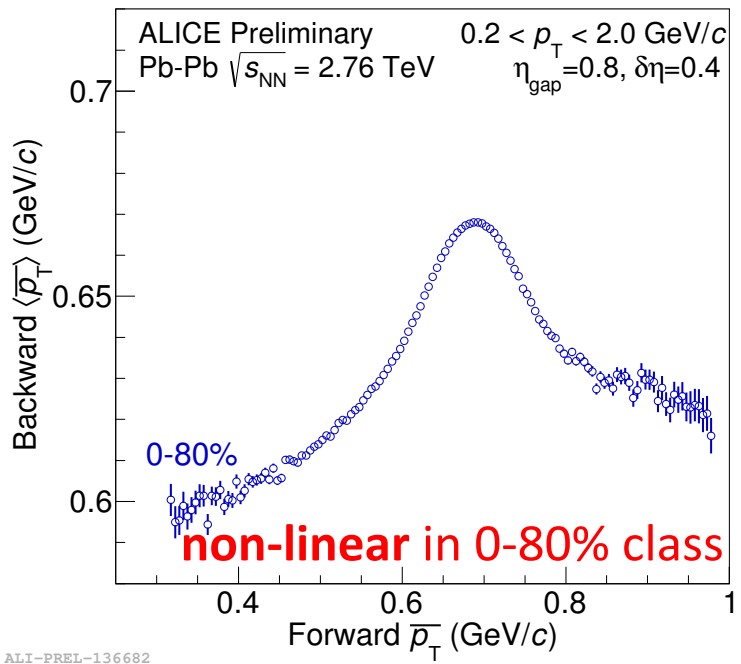
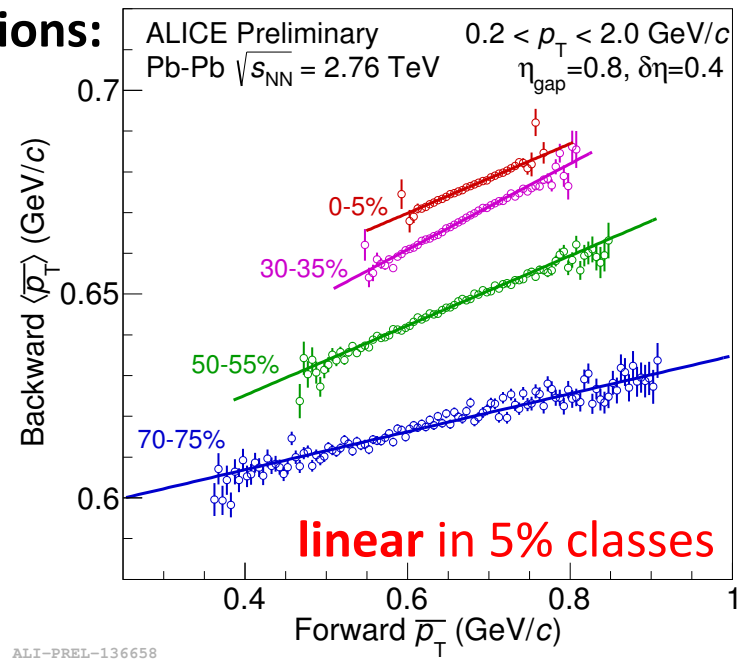
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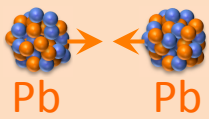
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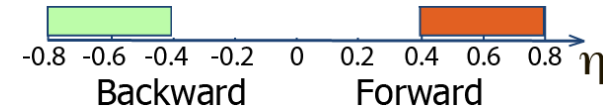
Correlation functions:



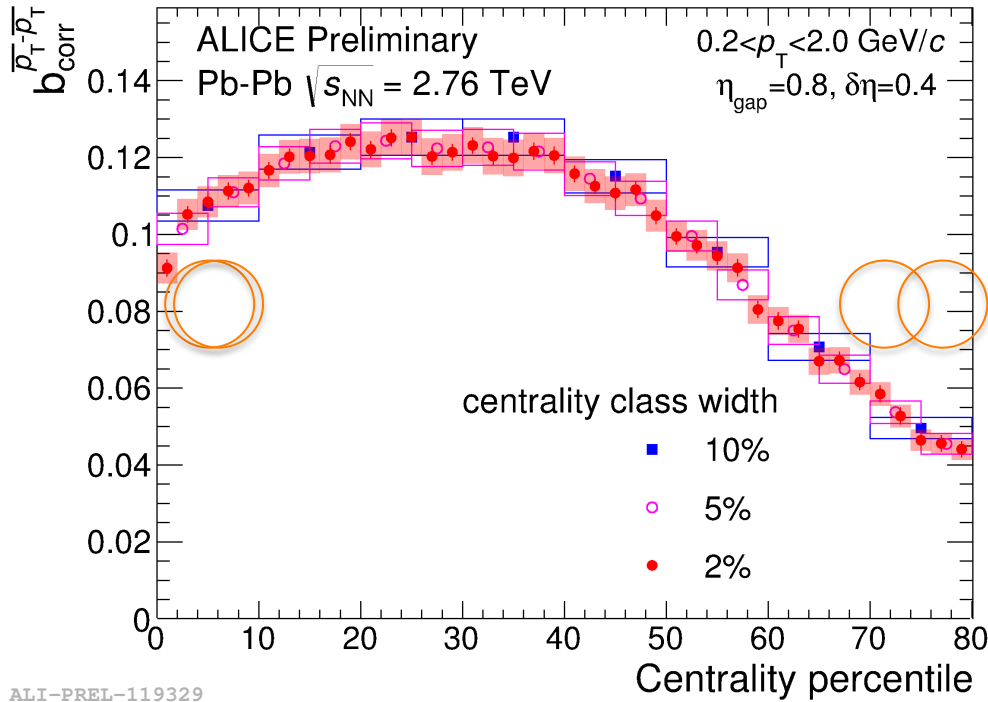
- Traditional  $b_{\text{corr}}$  is related to slope of the linear fit.
- Always important to look at *correlation functions themselves*.



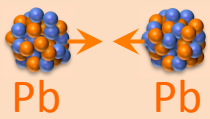
# FB mean- $p_T$ correlations vs centrality



Centrality classes by  $V_0$ : class widths **10%, 5%, 2%**



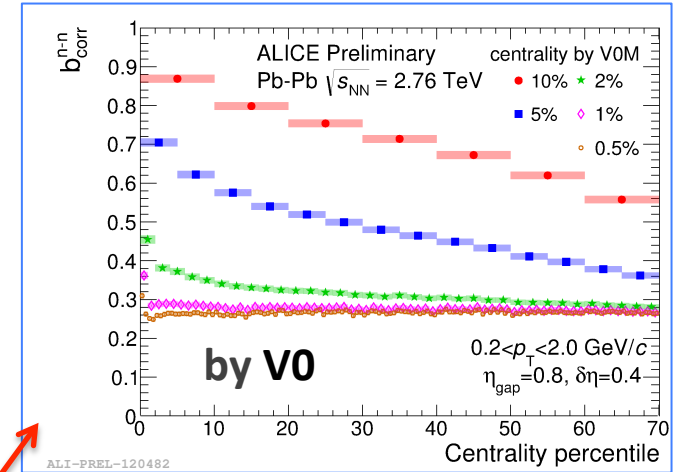
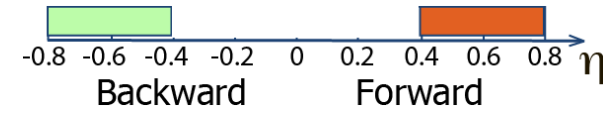
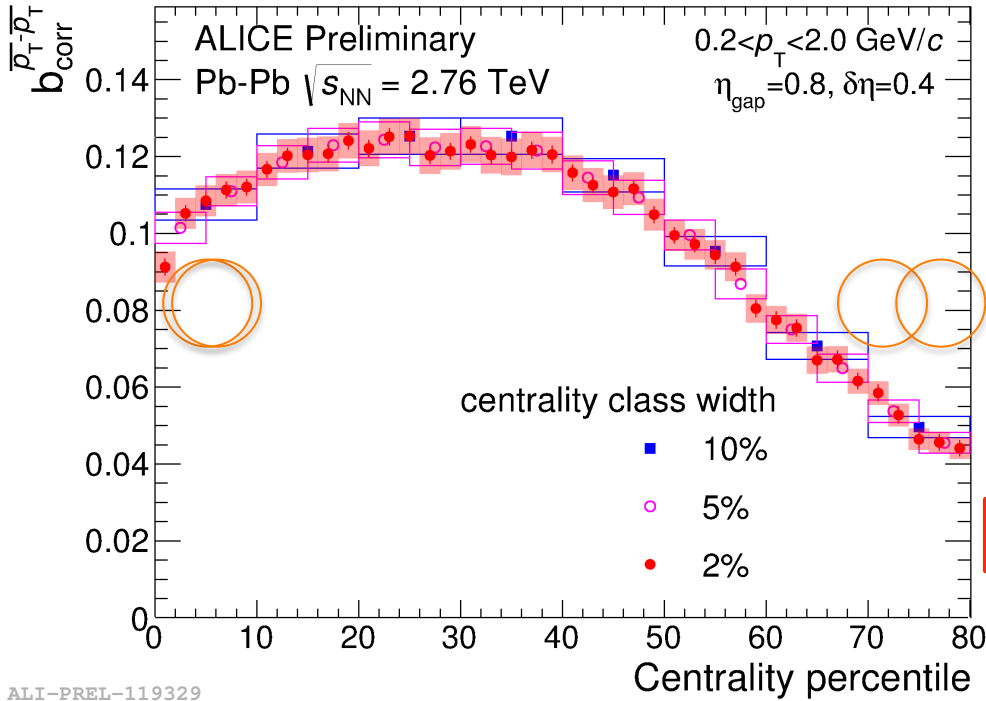
- Mean- $p_T$  is an *intensive* observable  
→ **robust against volume fluctuations**



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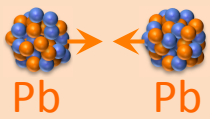


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Compare with FB **multiplicity** correlations

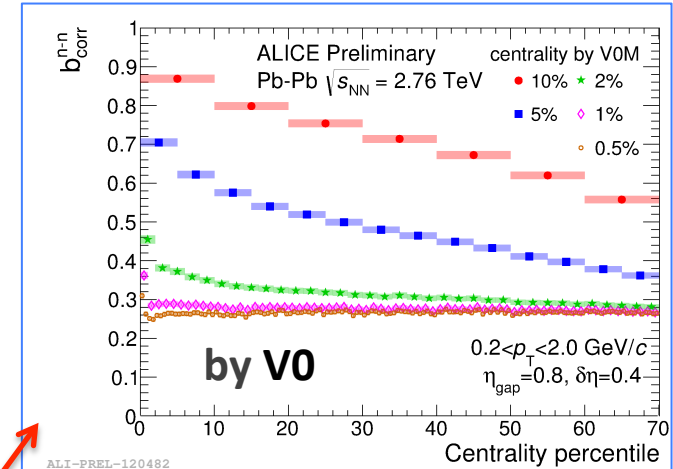
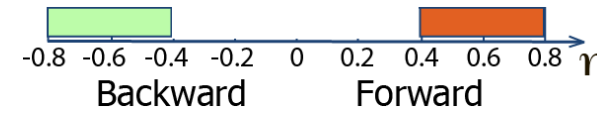
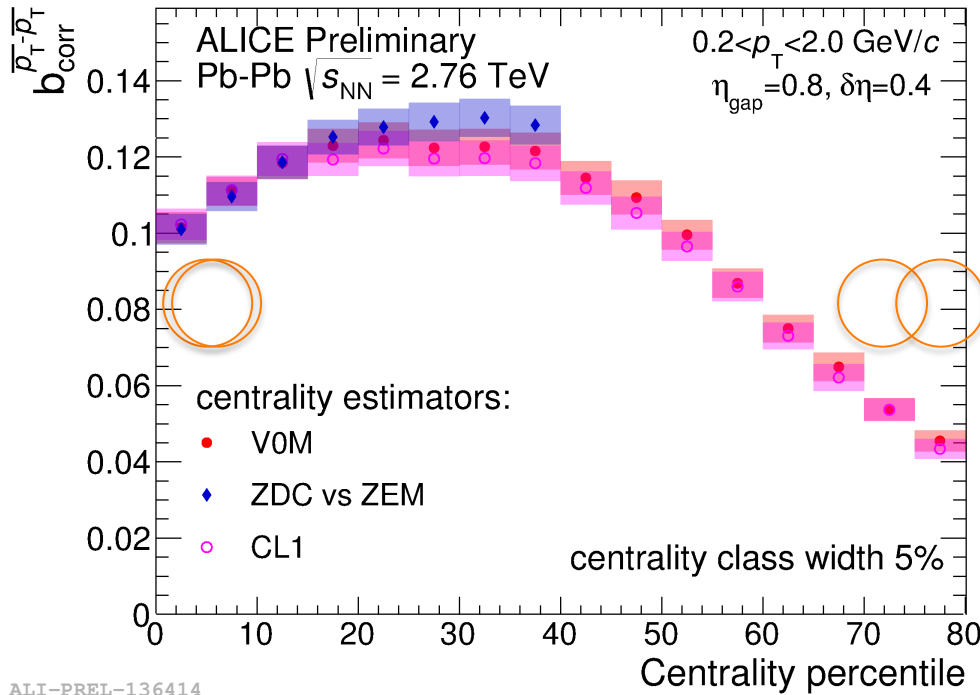
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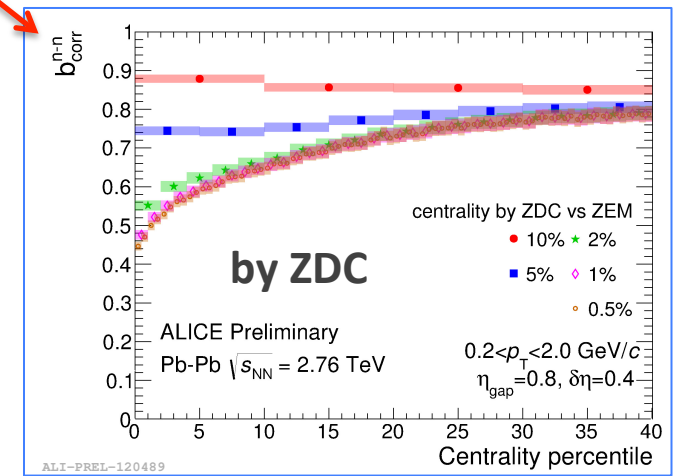
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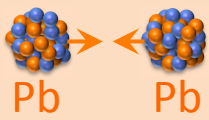
Centrality classes by **V0, ZDC and CL1 estimators:**



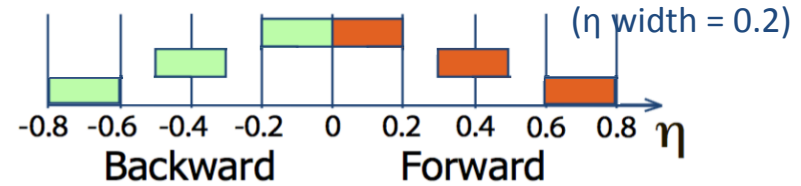
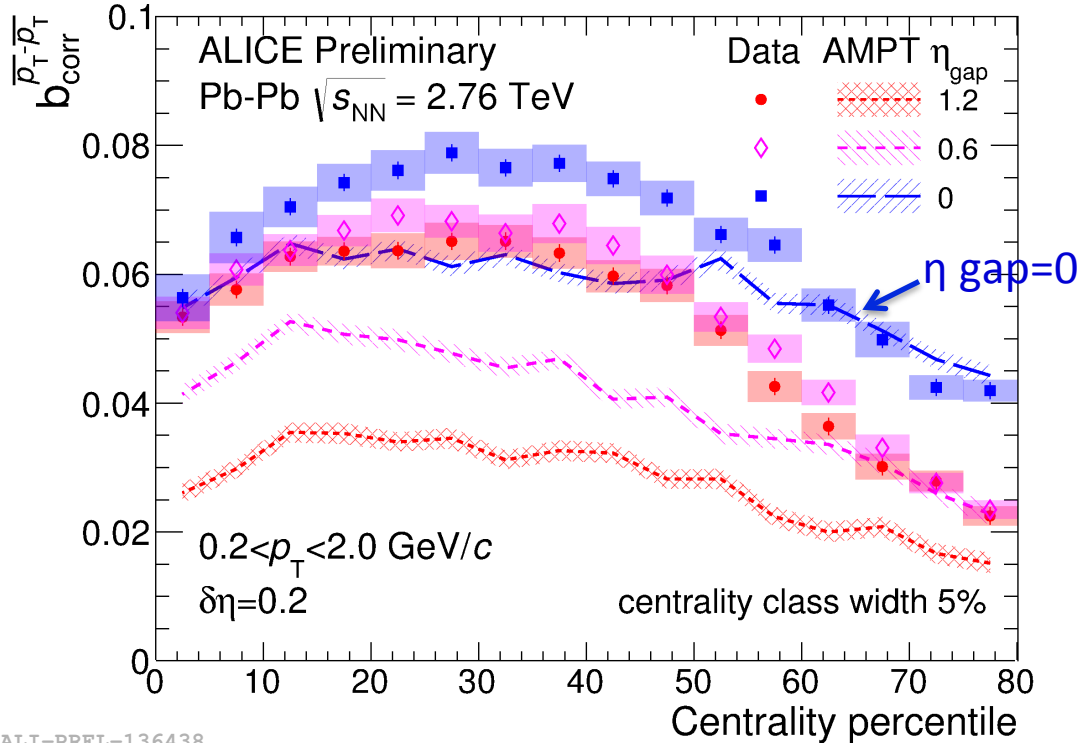
Compare with FB **multiplicity** correlations



- Mean- $p_T$  is an *intensive* observable
- **robust against volume fluctuations**
- ... and thus the **centrality determination methods**



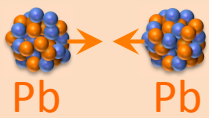
# FB mean- $p_T$ correlations for several $\eta$ -gaps



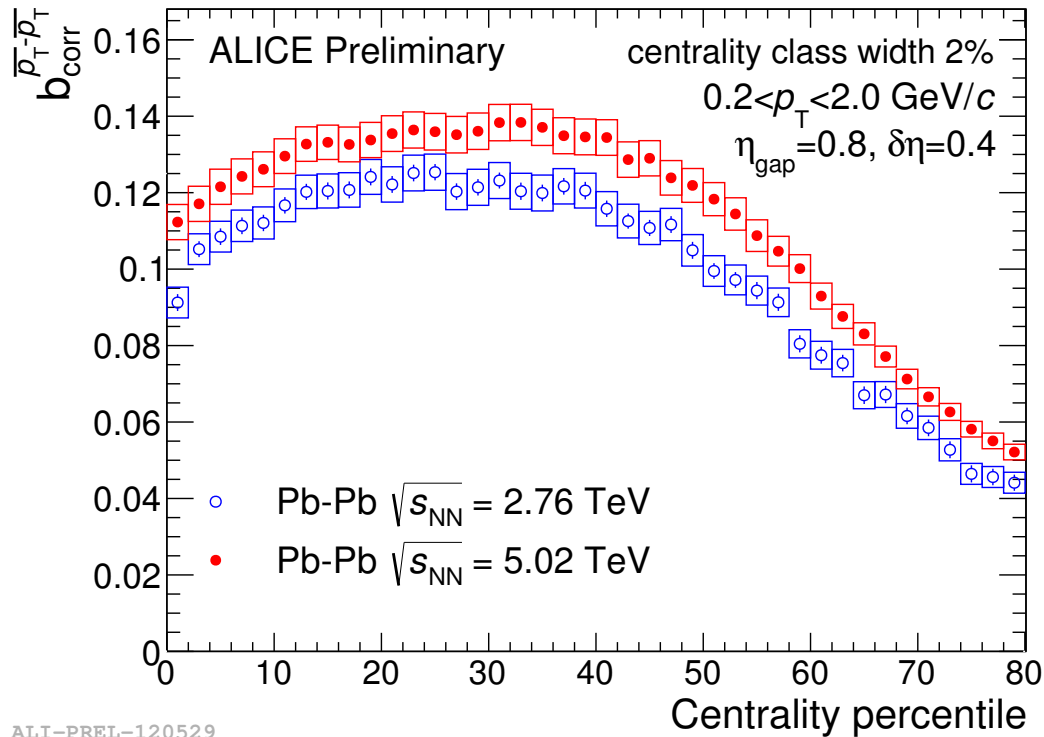
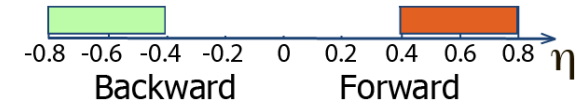
- at all  $\eta$  gaps, same shape of the centrality dependence
- higher values at  $\eta_{gap} = 0$  due to short-range contributions

ALI-PREL-136438



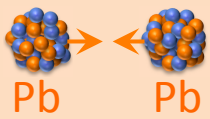


# FB mean- $p_T$ correlations at 2.76 and 5.02 TeV

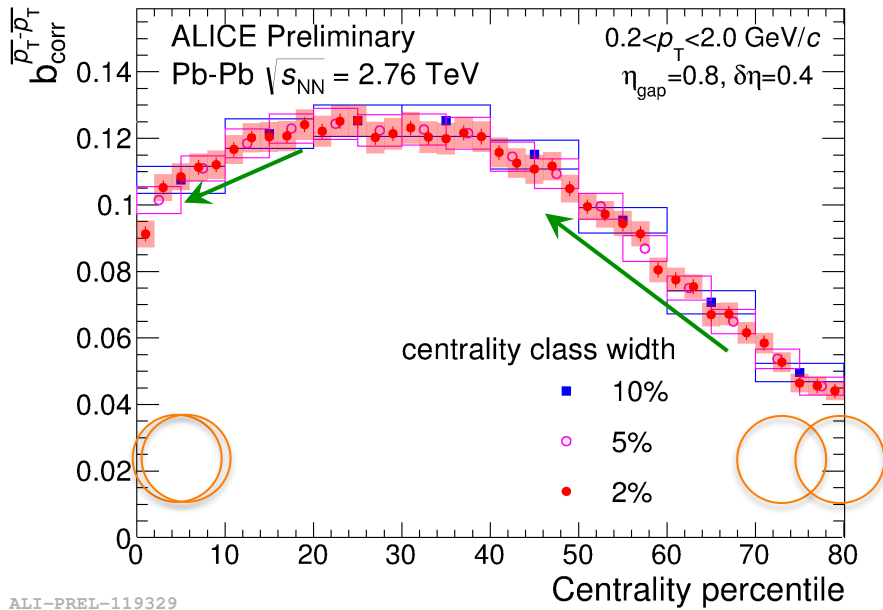


ALI-PREL-120529

- Similar behavior with centrality at both energies
- Higher  $b_{\text{corr}}$  values at 5.02 TeV (by 10-20%)



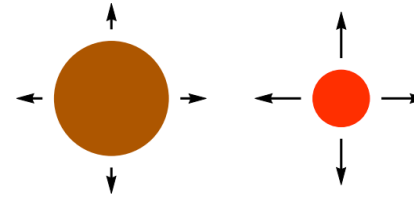
# FB mean- $p_T$ correlations: interpretations



What can cause mean- $p_T$  FB correlations?

Size fluctuations  $\leftrightarrow$   $p_T$  fluctuations

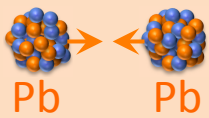
Phys. Rev. C 96, 014904 (2017)



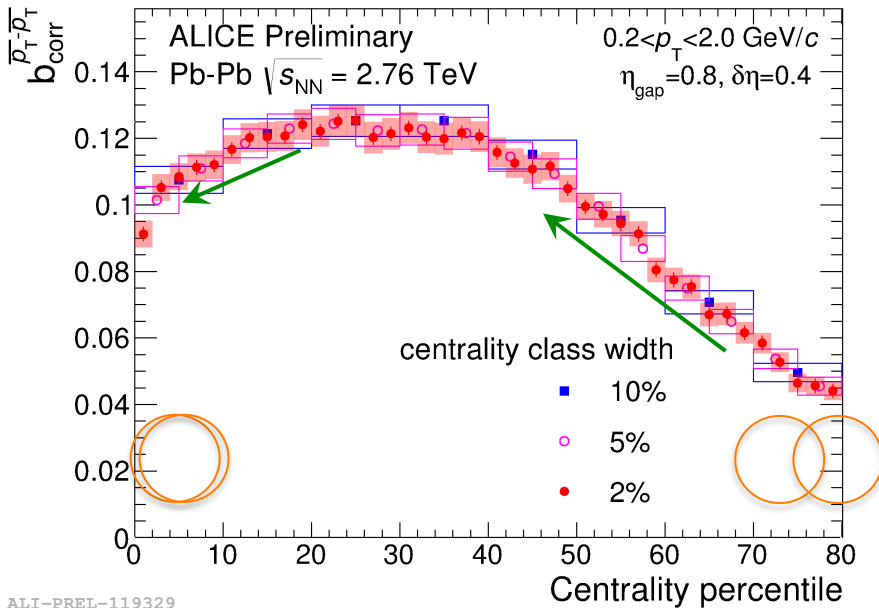
– pressure gradients in the fireball reflect the fluctuations of the density in the fireball.

*Correlation strength:*

- rises from peripheral to mid-central
- **drops towards central collisions.**



# FB mean- $p_T$ correlations: interpretations



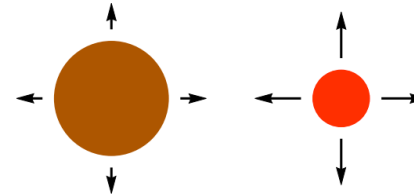
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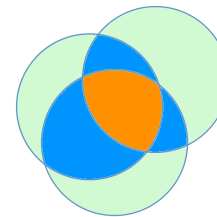
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– pressure gradients in the fireball reflect the fluctuations of the density in the fireball.

String fusion model

Nucl. Phys. B 390 542–558 (1993)



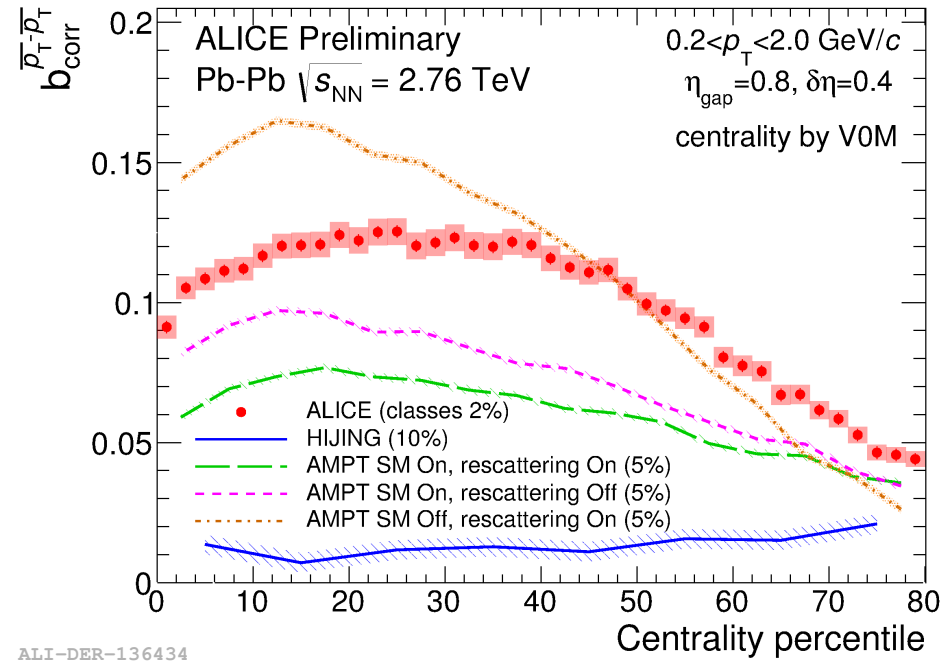
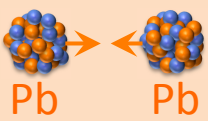
strings overlap  
 $\rightarrow$  modification of string tension  
 $\rightarrow$  increased  $p_T$  of particles from the fused strings

MC realization: arXiv:1308.6618

What is important for models to capture:  
**pattern of mean- $p_T$  correlations vs centrality.**

# FB mean- $p_T$ correlations:

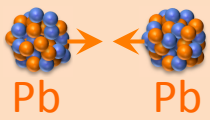
what can we learn from comparison with models?



ALI-DER-136434

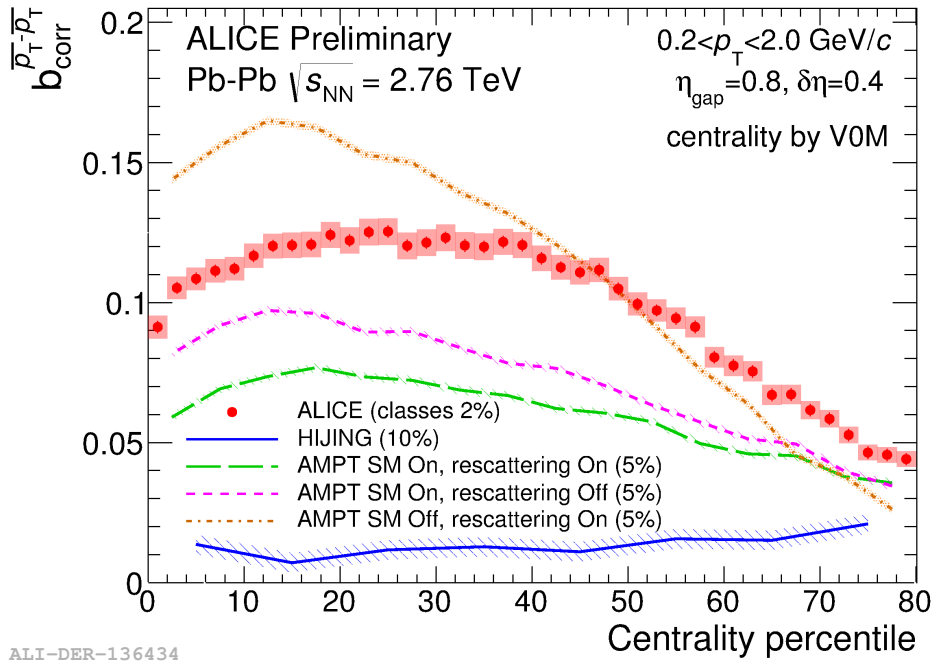
- **HIJING:** weak correlations, no dependence on centrality
- **AMPT:** generally reproduces the shapes, not the magnitude in detail
  - Rescattering *off*  $\rightarrow$  rise of  $b_{corr}$
  - String melting *off*  $\rightarrow$  large “jump” of  $b_{corr}$

Role of quark coalescence?..



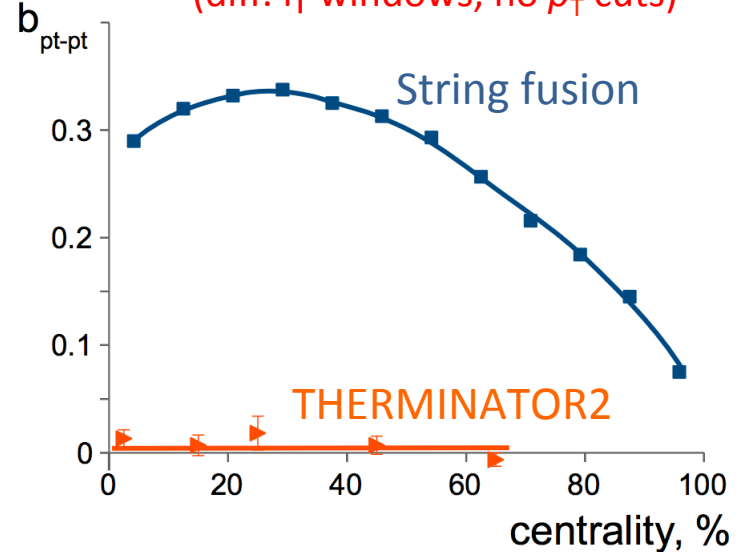
# FB mean- $p_T$ correlations:

what can we learn from comparison with models?



## Compare to other MC generators:

(diff.  $\eta$ -windows, no  $p_T$  cuts)



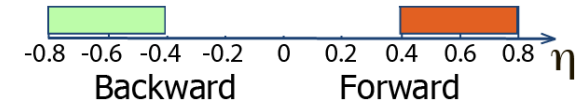
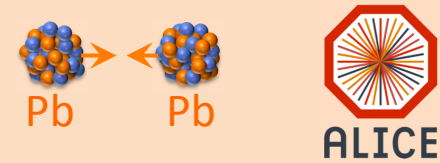
V. Kovalenko, V. Vechernin, J. Phys. Conf. Ser. 798, 012053 (2017)  
arXiv:1611.07274

- **HIJING:** weak correlations, no dependence on centrality
- **AMPT:** generally reproduces the shapes, not the magnitude in detail

- **THERMINATOR:** freeze-out hypersurface, Cooper-Frye + decays  
→ no mean- $p_T$  correlations due to absence of e-by-e fluctuations
- **String fusion** → qualitatively describes behaviour with centrality

**Mean- $p_T$  correlations** provide higher sensitivity to the properties of the initial state and evolution of the medium created in A-A collisions.

# Summary



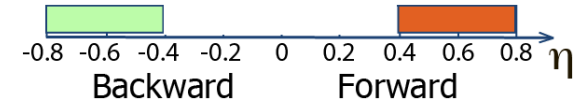
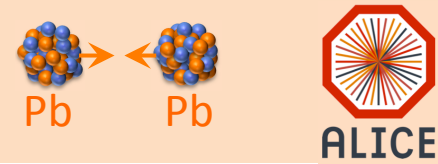
## Forward-backward **multiplicity** correlations:

- ✧ Correlation strength heavily depends on centrality selection (type of estimator, class width)  
→ any physical conclusions should be made very carefully.

## Forward-backward **mean- $p_T$** correlations:

- ✧ Measured for the first time in ALICE in Pb-Pb collisions at  $\sqrt{s_{NN}}=2.76$  and 5.02 TeV.
- ✧ Evolution with centrality: described by some models qualitatively, but not quantitatively.
- ✧ Robust against volume fluctuations and thus the centrality determination methods  
→ **higher sensitivity to the properties of the initial state and medium evolution.**

# Summary



## Forward-backward **multiplicity** correlations:

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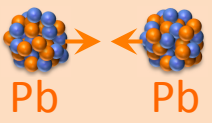
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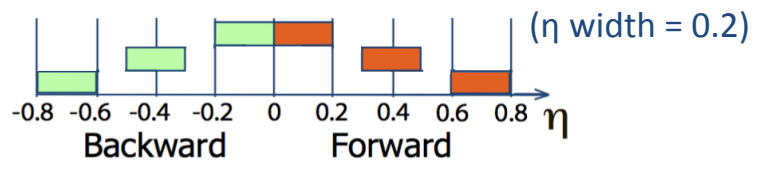
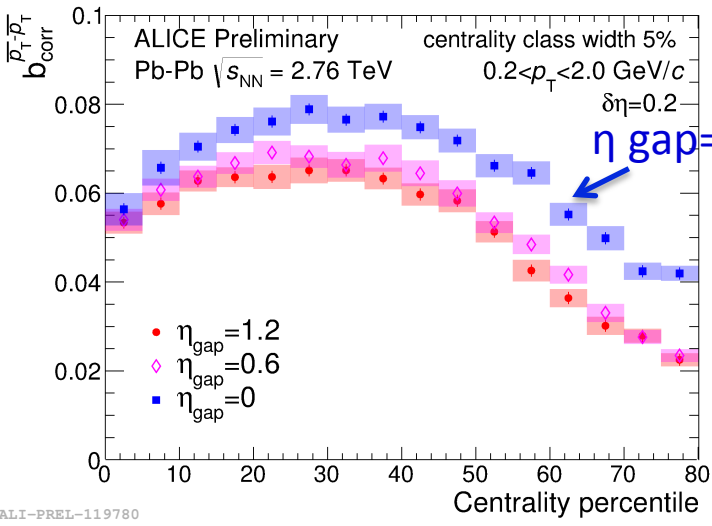
*Thank you for your attention!*

# Backup

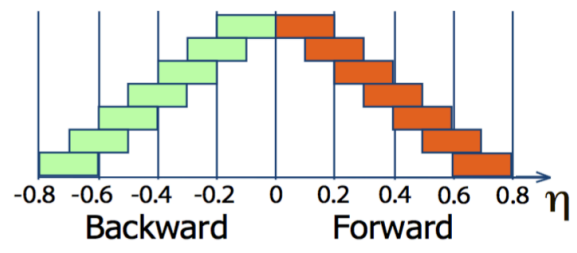
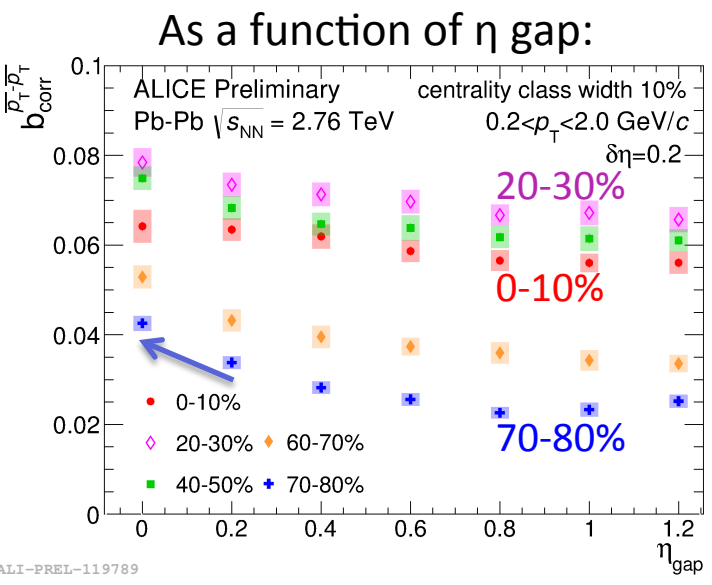




# FB mean- $p_T$ correlations for several $\eta$ -gaps

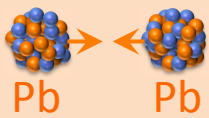


- at all  $\eta$  gaps, same shape of the centrality dependence
- higher values at  $\eta_{gap} = 0$  due to SR contributions



- Peripheral events: steeper rise for smaller  $\eta$  gaps

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# FB mean- $p_T$ correlations vs $N_{ch}$ density: compare with AMPT

