

A NUON based particle zoo

heresy?, joke?,

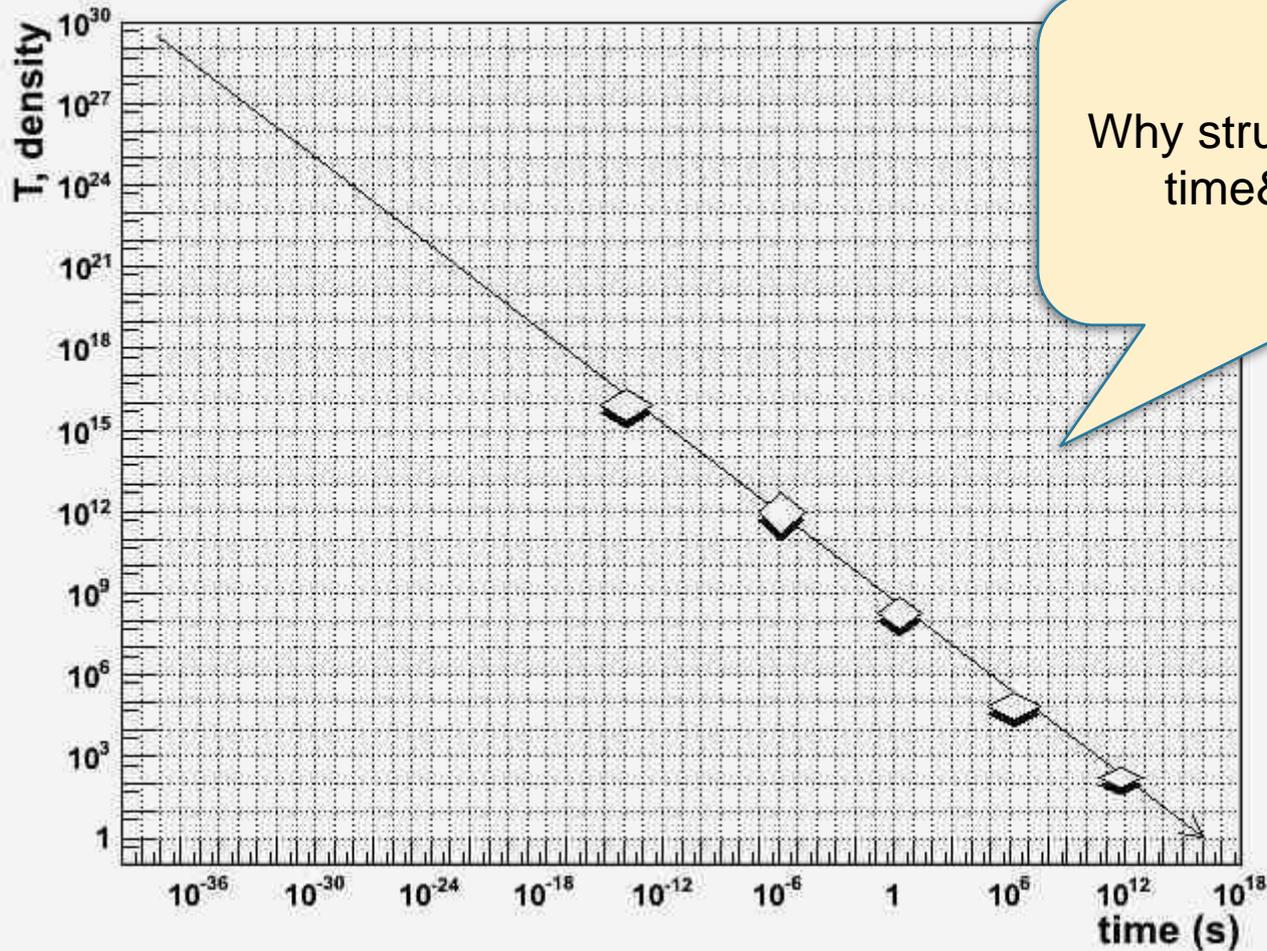
ATLAS meeting 27 January 2012

René Brun

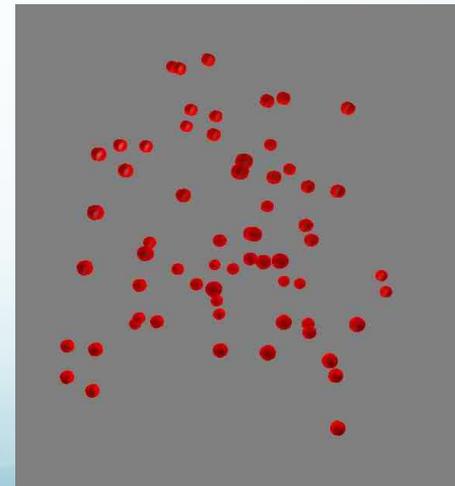
Context

- I am just about to retire (in fact already done).
- After 39 years in the computing scene, I am now investigating some crazy ideas that flourished in my head in the past decade, and somehow a continuation of the work I did for my thesis in 1973.
- I have been the witness of the development and success of the standard Model during my contributions to R602,NA4,OPAL,ALICE and applications of GEANT to about 100 experiments.
- I have been working on the plumbing services with my work on HBOOK, PAW, GEANT, ROOT.

Structures with time and T



Why structures appear at time&T intervals ?

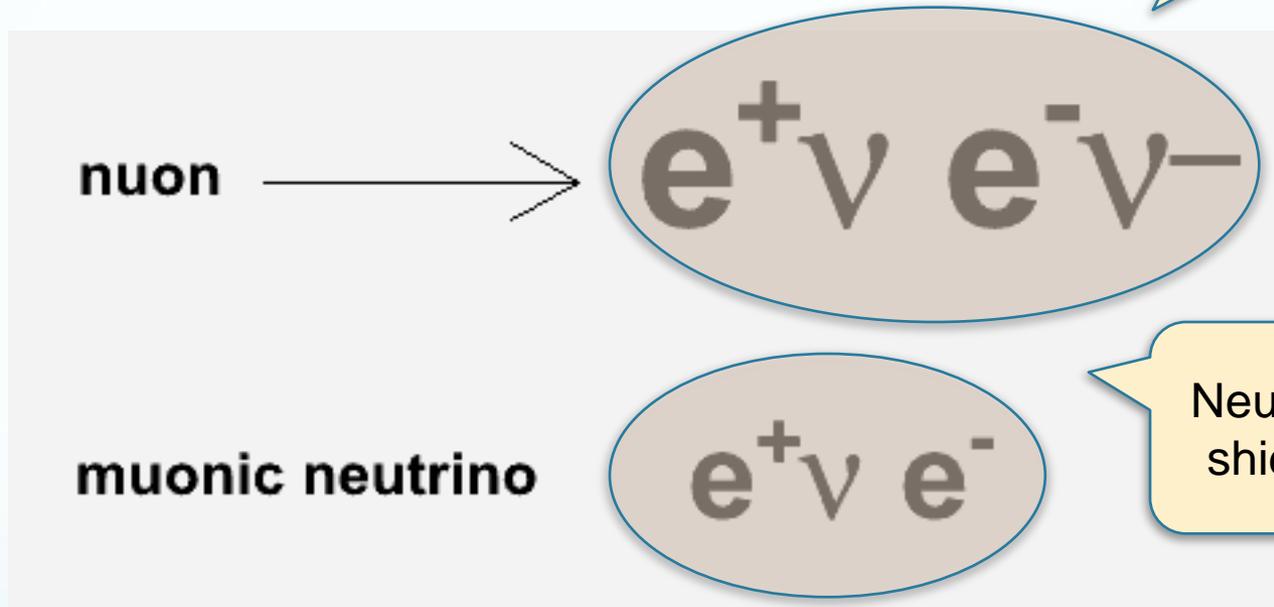


Starting point

- All particles decay at the end into electrons, positrons, neutrinos, antineutrinos + (photon) + (proton).
- Imagine a model where all particles are built out of the 4 main basic particles or a bound state of these particles (a nuon).
- Imagine a process explaining how a set of N nuons distributed randomly in a cube can converge to a stable or nearly stable situation.

the Nuon

For the time being
assume this to be
a solid bound state



Neutrinos act as a
shielding system

Decays

μ^- DECAY MODES	Fraction (Γ_j/Γ)	Co
$e^- \bar{\nu}_e \nu_\mu$	$\approx 100\%$	
$e^- \nu_e \nu_\mu \gamma$	[d] $(1.4 \pm 0.4) \%$	
$e^- \bar{\nu}_e \nu_\mu e^+ e^-$	[e] $(3.4 \pm 0.4) \times 10^{-5}$	

π^+ DECAY MODES	Fraction (Γ_j/Γ)	Confidence
$\mu^+ \nu_\mu$	[b] $(99.98770 \pm 0.00004) \%$	
$\mu^+ \nu_\mu \gamma$	[c] $(2.00 \pm 0.25) \times 10^{-4}$	
$e^+ \nu_e$	[b] $(1.230 \pm 0.004) \times 10^{-4}$	
$e^+ \nu_e \gamma$	[c] $(1.61 \pm 0.23) \times 10^{-7}$	
$e^+ \nu_e \pi^0$	$(1.036 \pm 0.006) \times 10^{-8}$	
$e^+ \nu_e e^+ e^-$	$(3.2 \pm 0.5) \times 10^{-9}$	
$e^+ \nu_e \nu \bar{\nu}$	$< 5 \times 10^{-6}$	
γ positronium	$(1.82 \pm 0.29) \times 10^{-9}$	
$e^+ e^+ e^- e^-$	$(3.14 \pm 0.30) \times 10^{-5}$	
$e^+ e^-$	$(6.2 \pm 0.5) \times 10^{-8}$	
4γ	$< 2 \times 10^{-8}$	CL=90%
$\nu \bar{\nu}$	[e] $< 2.7 \times 10^{-7}$	CL=90%
$\nu_e \bar{\nu}_e$	$< 1.7 \times 10^{-6}$	CL=90%
$\nu_\mu \bar{\nu}_\mu$	$< 1.6 \times 10^{-6}$	CL=90%
$\nu_\tau \bar{\nu}_\tau$	$< 2.1 \times 10^{-6}$	CL=90%
$\gamma \nu \bar{\nu}$	$< 6 \times 10^{-4}$	CL=90%

π^0 DECAY MODES	Fraction (Γ_j/Γ)	Confidence level
2γ	$(98.798 \pm 0.032) \%$	S=1.1
$e^+ e^- \gamma$	$(1.198 \pm 0.032) \%$	S=1.1
γ positronium	$(1.82 \pm 0.29) \times 10^{-9}$	
$e^+ e^+ e^- e^-$	$(3.14 \pm 0.30) \times 10^{-5}$	
$e^+ e^-$	$(6.2 \pm 0.5) \times 10^{-8}$	
4γ	$< 2 \times 10^{-8}$	CL=90%
$\nu \bar{\nu}$	[e] $< 2.7 \times 10^{-7}$	CL=90%
$\nu_e \bar{\nu}_e$	$< 1.7 \times 10^{-6}$	CL=90%
$\nu_\mu \bar{\nu}_\mu$	$< 1.6 \times 10^{-6}$	CL=90%
$\nu_\tau \bar{\nu}_\tau$	$< 2.1 \times 10^{-6}$	CL=90%
$\gamma \nu \bar{\nu}$	$< 6 \times 10^{-4}$	CL=90%

Confidence level	(m_{ν}/c)
2) %	S=1.1 67
2) %	S=1.1 67
	67
	67
	67
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	67
	67

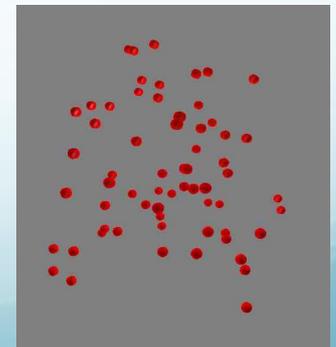
Charged and neutral particles

- For a given particle type (say pion) how to explain the very interesting mass difference between the charged and neutral case?
- My solution:
 - Charged particles have a positron/electron at the center.
 - Neutral particles have a muonic neutrino instead.
- Simple solution to the neutron decay system

$$p e^{-} \bar{\nu}_e$$

Minimization procedure

- Assuming N nuons at $x(i), y(i), z(i)$
- Assuming ONLY Coulomb forces, compute the sum of all forces (matrix) between them, ie FC .
- Force a spherical object FS (will move to an ellipsoid).
- Call MINUIT to minimize the function $FC^2 + FS^2$ at the center of the object.



Computing the particle mass

taken from Wikipedia

Scalar moment of inertia for many bodies

[edit]

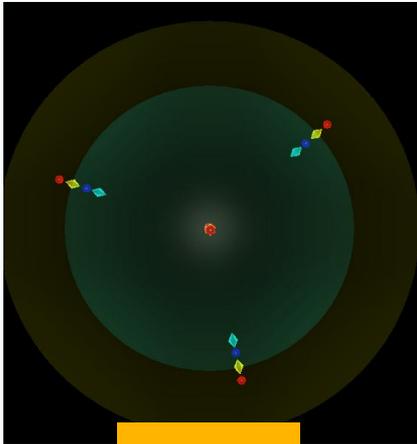
Consider a **rigid body** rotating with **angular velocity** ω around a certain axis. The body consists of N point masses m_i whose distances to the **axis of rotation** are denoted r_i . Each point mass will have the speed $v_i = \omega r_i$, so that the total **kinetic energy** T of the body can be calculated as

$$T = \sum_{i=1}^N \frac{1}{2} m_i v_i^2 = \sum_{i=1}^N \frac{1}{2} m_i (\omega r_i)^2 = \frac{1}{2} \omega^2 \left(\sum_{i=1}^N m_i r_i^2 \right).$$

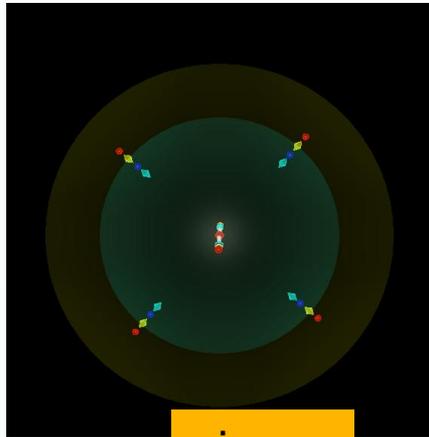
In this expression the quantity in parentheses is called the **moment of inertia** of the body (with respect to the specified axis of rotation). It is a purely geometric characteristic of the object, as it depends only on its shape and the position of the rotation axis. The moment of inertia is usually denoted with the capital letter I :

$$I = \sum_{i=1}^N m_i r_i^2 .$$

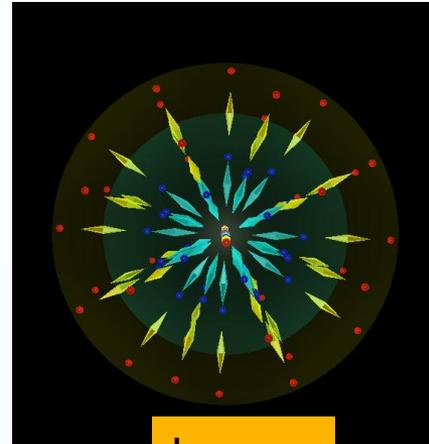
some particles



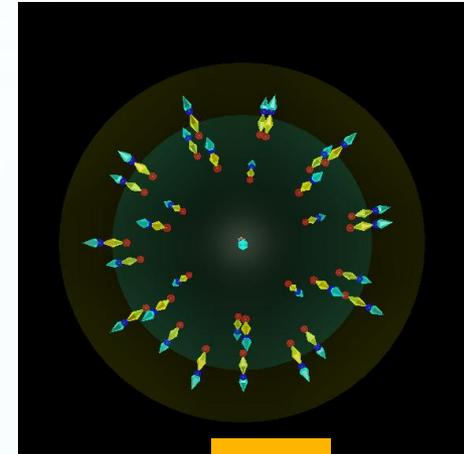
muon



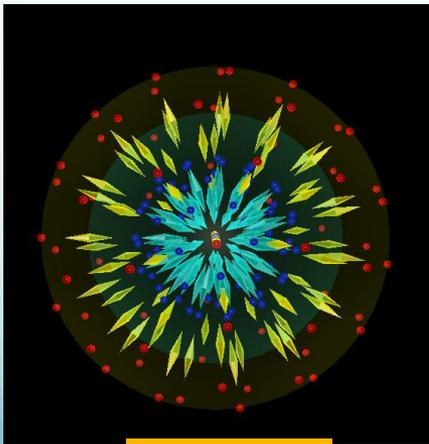
pion



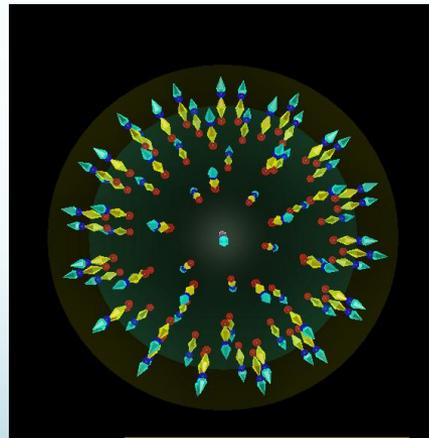
kaon



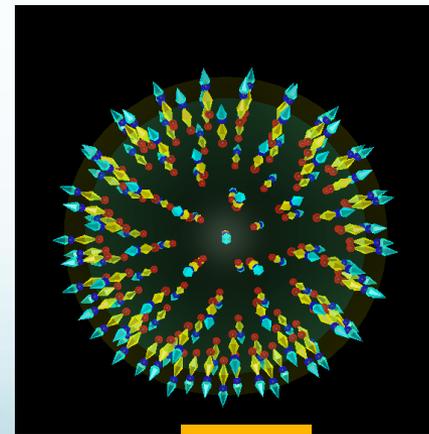
K0



proton



Lambda



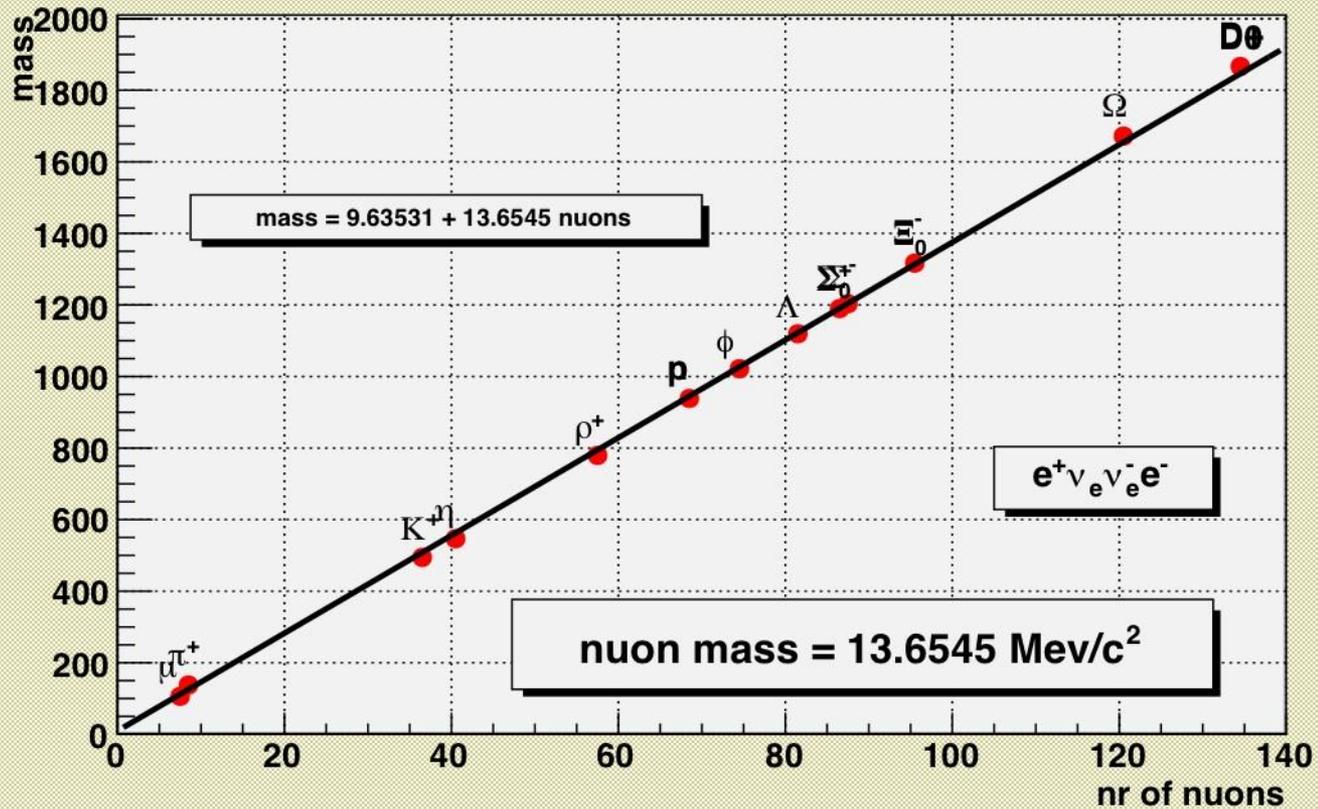
D0

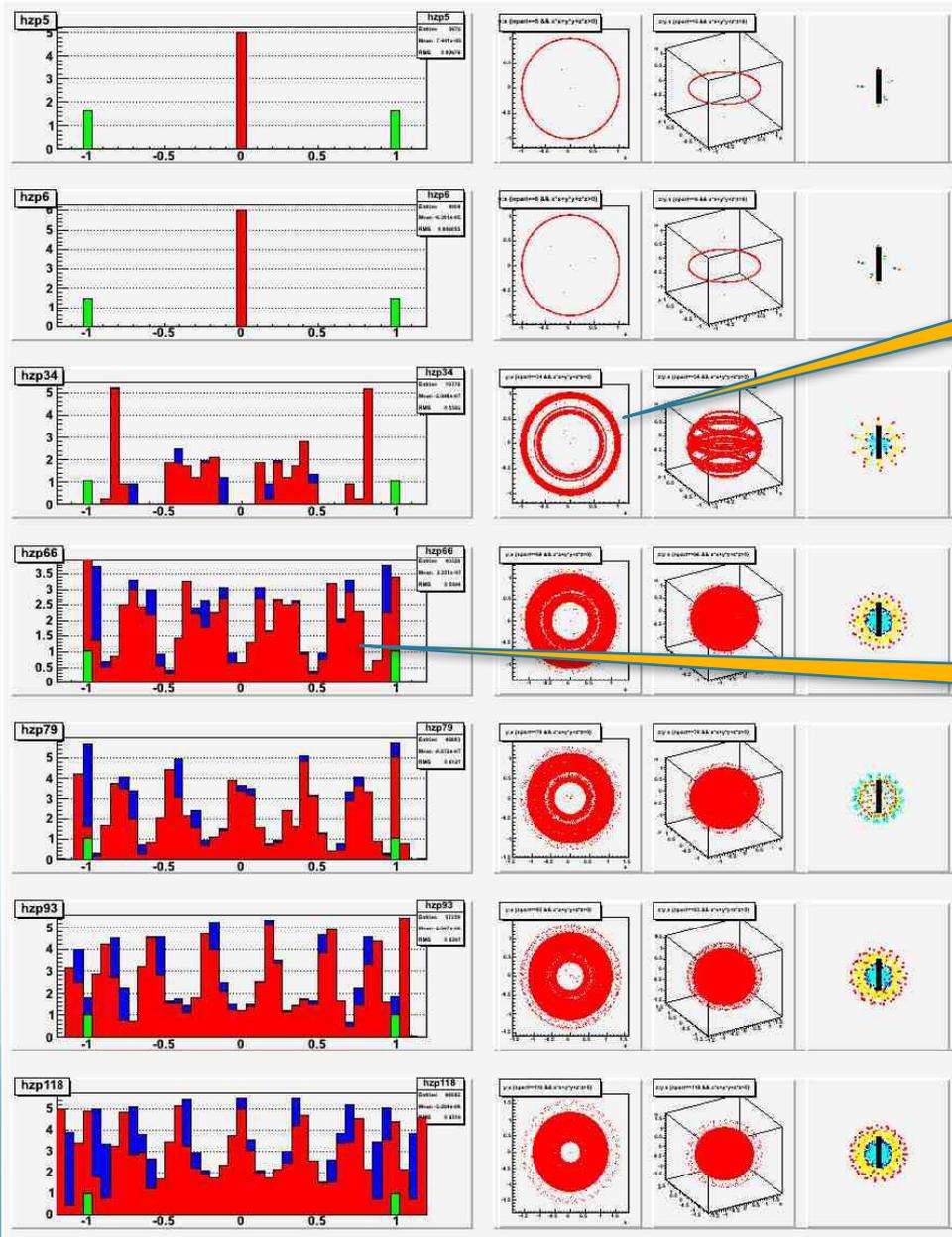
nuons	PDG	me	rel diff	life time
m 3	105.7	106.105 +- 1.14867	0.00383151 (49638)	2.2e-06
p ⁺ 4	139.57	140.653 +- 1.10739	0.00775967 (99126)	2.6e-08
p ₀ 4	134.976	135.015 +- 0.546546	0.000291878 (99362)	8.4e-17
K ⁺ 32	493.677	493.331 +- 6.83121	-0.000700061 (49347)	1.24e-08
K ₀ 32	497.677	495.511 +- 3.41828	-0.0043529 (49532)	5.11e-08
h 36	547.5	546.709 +- 9.26051	-0.00144432 (4946)	3.5e-08
r ⁺ 53	775.4	778.061 +- 1.84235	0.00343231 (4974)	4.5e-24
r ₀ 53	775.49	781.006 +- 2.56131	0.00711248 (4930)	4.5e-24
p 64	938.272	937.143 +- 3.35986	-0.00120358 (9971)	1e+40
n 64	939.565	940.211 +- 4.57472	0.000687472 (9886)	885.7
f 70	1019.45	1021.9 +- 2.16417	0.00241077 (2494)	1.55e-22
L 77	1115.7	1119.43 +- 2.08756	0.00333921 (2551)	2.63e-10
S ⁺ 82	1189.37	1189.51 +- 0.888493	0.000119654 (1512)	8.02e-11
S ₀ 82	1192.64	1190.22 +- 2.3951	-0.00202729 (1542)	7.4e-20
S ⁻ 83	1197.45	1203.4 +- 0.996729	0.00496571 (1446)	1.48e-10
X ⁻ 91	1321.3	1317.21 +- 1.4983	-0.00309202 (978)	1.64e-10
X ₀ 91	1314.8	1316.23 +- 2.6538	0.00108399 (969)	2.9e-10
W 116	1672	1671.9 +- 0.584524	-5.8363e-05 (504)	8.21e-11
D ⁺ 130	1869.3	1871.56 +- 1.81497	0.00121141 (518)	1.04e-18
D ₀ 130	1864	1861.02 +- 3.36684	-0.00159798 (490)	4.1e-17

Massses are computed at the per mille level

I	II	Transition Metals										III	IV	V	VI	VII	0	
H ¹																	He ²	
Li ³	Be ⁴												B ⁵	C ⁶	N ⁷	O ⁸	F ⁹	Ne ¹⁰
Na ¹¹	Mg ¹²	III B	IV B	V B	VI B	VII B	VIII B	VIII B	IX	X		Al ¹³	Si ¹⁴	P ¹⁵	S ¹⁶	Cl ¹⁷	Ar ¹⁸	
K ¹⁹	Ca ²⁰	Sc ²¹	Ti ²²	V ²³	Cr ²⁴	Mn ²⁵	Fe ²⁶	Co ²⁷	Ni ²⁸	Cu ²⁹	Zn ³⁰	Ga ³¹	Ge ³²	As ³³	Se ³⁴	Br ³⁵	Kr ³⁶	
Rb ³⁷	Sr ³⁸	Y ³⁹	Zr ⁴⁰	Nb ⁴¹	Mo ⁴²	Tc ⁴³	Ru ⁴⁴	Rh ⁴⁵	Pd ⁴⁶	Ag ⁴⁷	Cd ⁴⁸	In ⁴⁹	Sn ⁵⁰	Sb ⁵¹	Te ⁵²	I ⁵³	Xe ⁵⁴	
Cs ⁵⁵	Ba ⁵⁶		Hf ⁷²	Ta ⁷³	W ⁷⁴	Re ⁷⁵	Os ⁷⁶	Ir ⁷⁷	Pt ⁷⁸	Au ⁷⁹	Hg ⁸⁰	Tl ⁸¹	Pb ⁸²	Bi ⁸³	Po ⁸⁴	At ⁸⁵	Rn ⁸⁶	
Fr ⁸⁷	Ra ⁸⁸		Rf ¹⁰⁴	Ha ¹⁰⁵														
Lanthanides		La ⁵⁷	Ce ⁵⁸	Pr ⁵⁹	Nd ⁶⁰	Pm ⁶¹	Sm ⁶²	Eu ⁶³	Gd ⁶⁴	Tb ⁶⁵	Dy ⁶⁶	Ho ⁶⁷	Er ⁶⁸	Tm ⁶⁹	Yb ⁷⁰	Lu ⁷¹		
Actinides		Ac ⁸⁹	Th ⁹⁰	Pa ⁹¹	U ⁹²	Np ⁹³	Pu ⁹⁴	Am ⁹⁵	Cm ⁹⁶	Bk ⁹⁷	Cf ⁹⁸	Es ⁹⁹	Fm ¹⁰⁰	Md ¹⁰¹	No ¹⁰²	Lr ¹⁰³		

mass vs number of nuons





R(x,y) distribution of nuons in kaon

Z distribution of nuons in proton

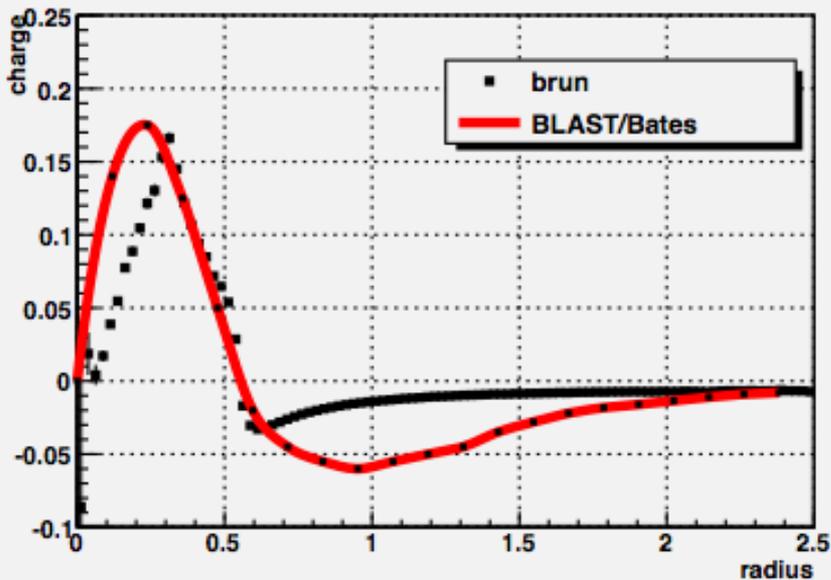
nuons	name	S2	S4	S8	S16	S32	S64	Tri Car Pen Hex
3	m							T
4	p							C
5								P
6								H
8								PT
9								HT
10								P2
12								H2
16								C4
18								H3
20								P4
24								H4
30								P6
32	K							C8,C2H4
36	h							H6,C3H4
40								P8
48								H8
50								P10
52								C13
53	r							PH8,P10T
60								C15,P12,H10
64	p							C16,C1P12,C1H10
70	f							C16H1,P14
72								C18,H1
76								C19,C1H12
77	L							C18P1
82	S							C18P2
91	X							C22T
96								C24
116	W							C29
128								C32
130	D							P26

Just started
investigaing life
times, binding
energy

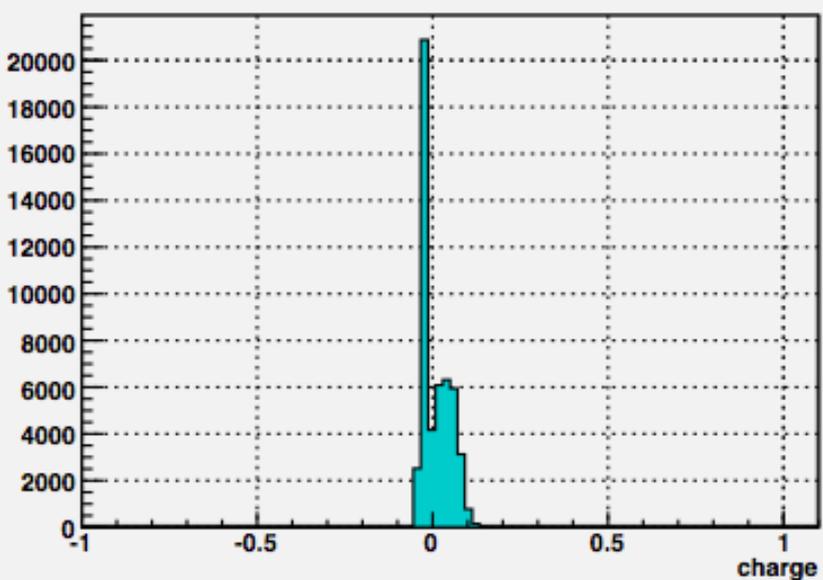
Charge density in proton and neutron

- I computed the charge density in the proton and neutron by sending electrons through them.
- In the case of the neutron, I compared with the interesting results from JLAB and Blast/Bates experiments

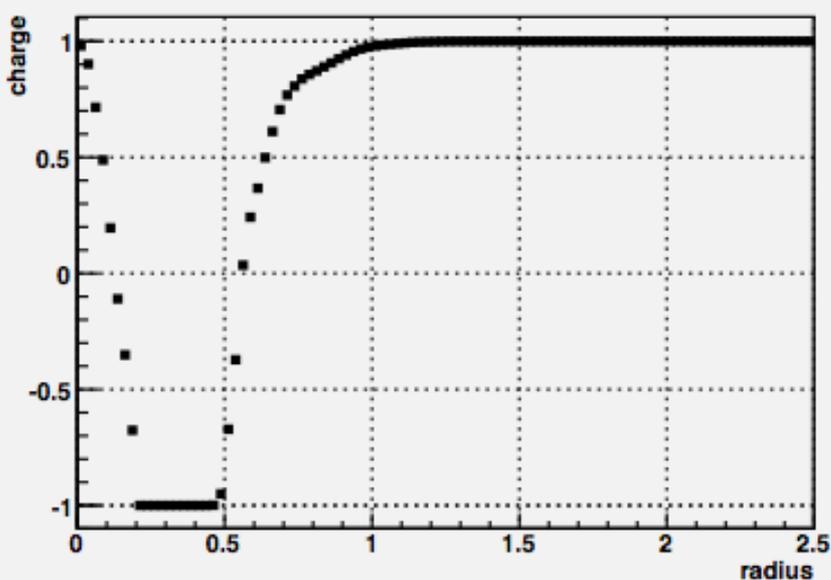
charge vs r neutron



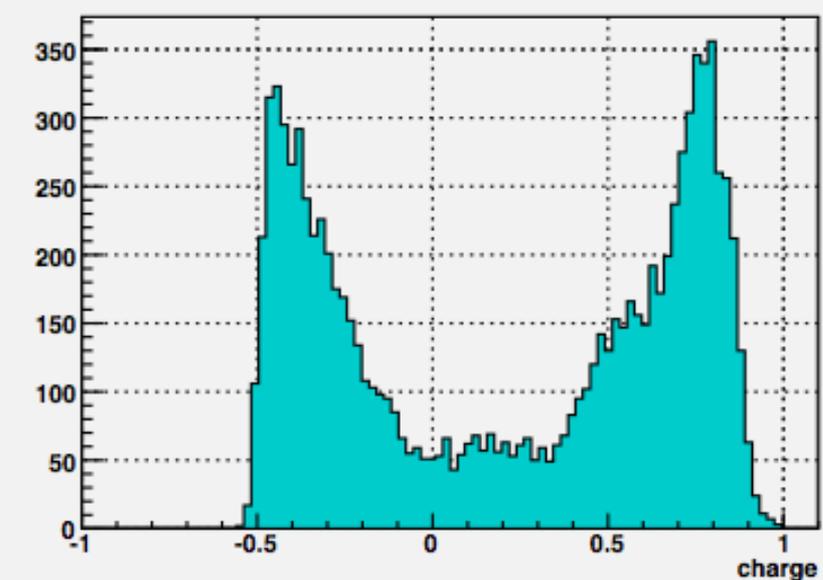
charge seen in neutron



charge vs r proton



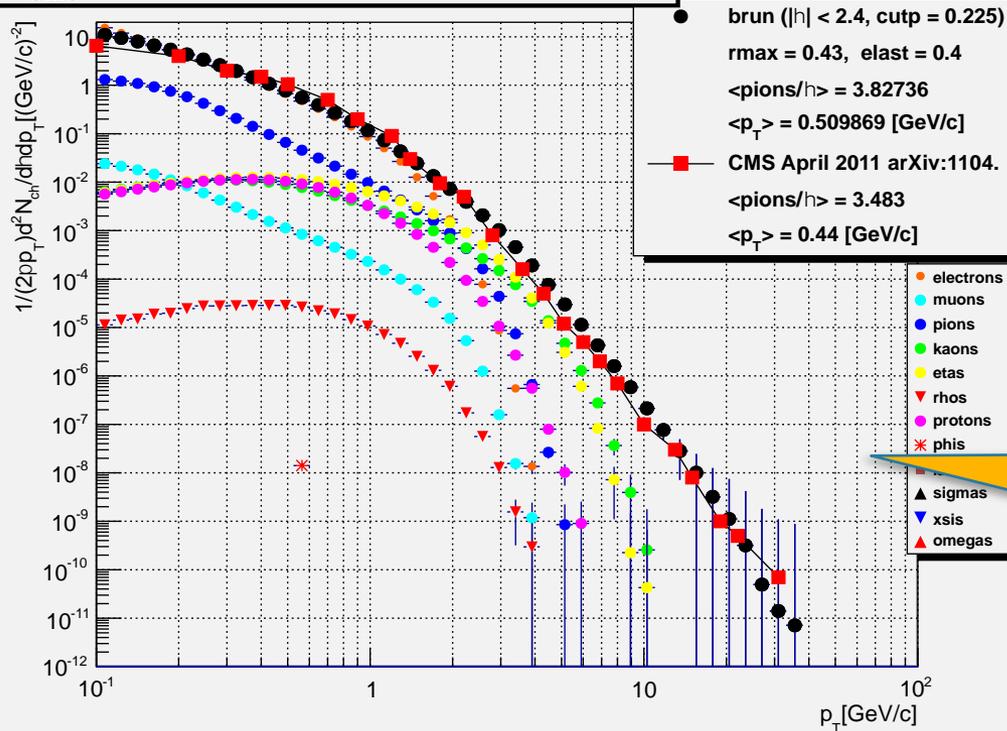
charge seen in proton



Colliding particles

- I implemented a particle collision system to investigate the corresponding particle multiplicity, Pt distribution and ratios of the generated particle types.
- I had to implement my « own Pythia » with a simple hadronization model.
- I compared the results with the 2010/2011 results from Alice, Atlas and CMS.

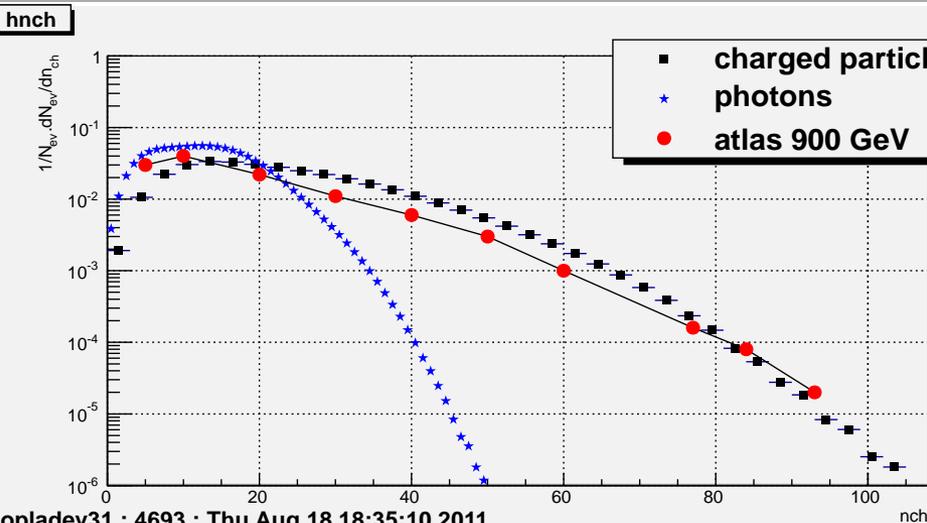
$E_{\text{CMS}} = 900 \text{ GeV}/c^2 : 53340024 \text{ events}$



900 GeV

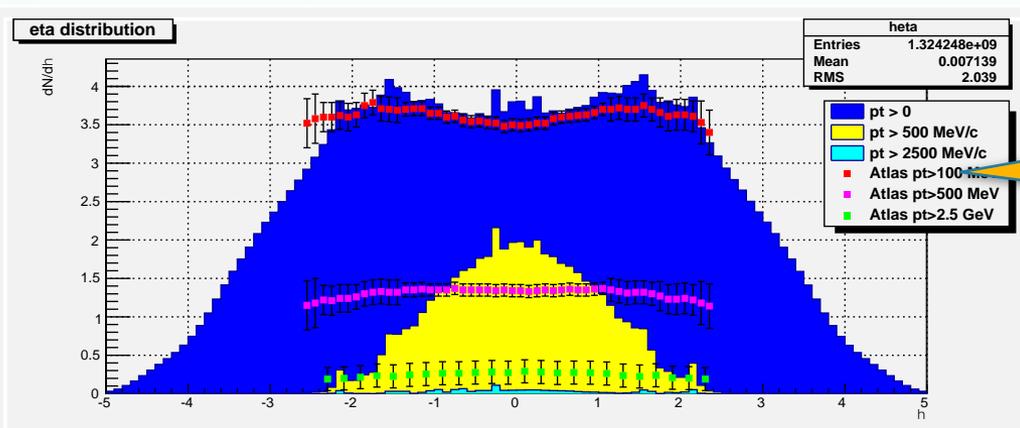
The P_t distribution is in excellent agreement with LHC results over 12 orders of magnitude

Multiplicity distribution as well

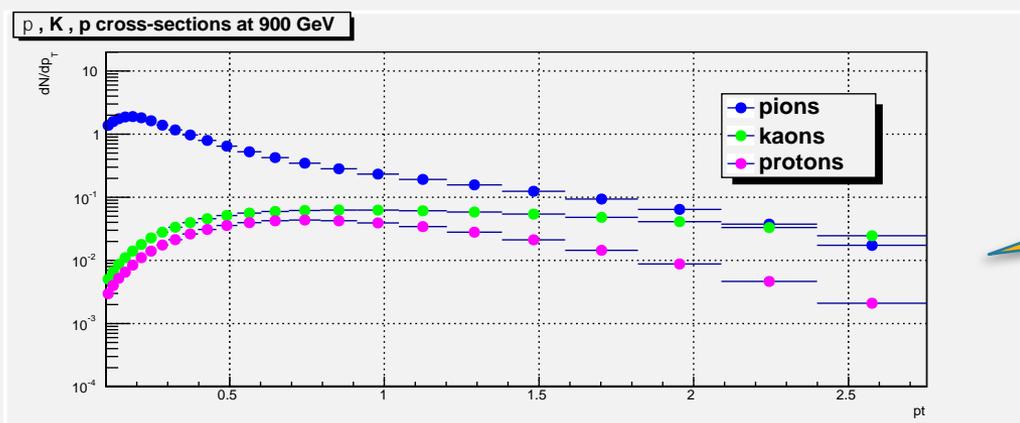


opladev31 : 4693 : Thu Aug 18 18:35:10 2011

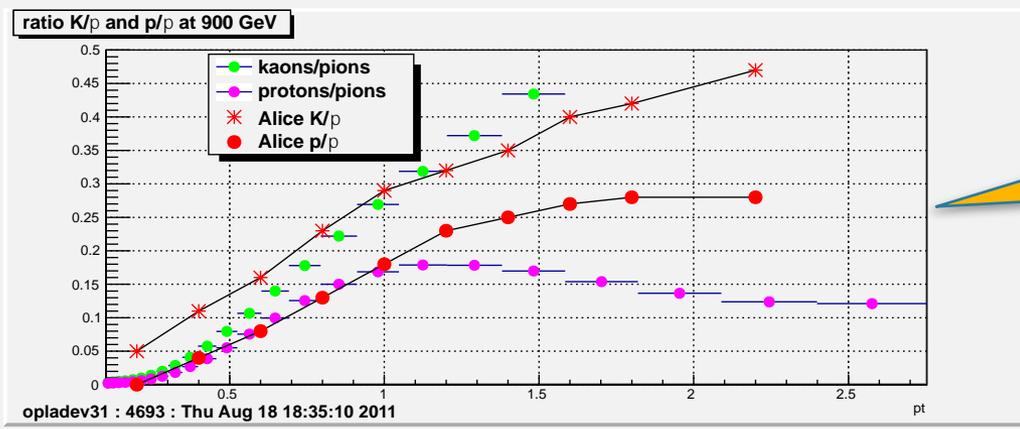
LPCC workshop Rene Brun



Pseudo rapidity
Compared to Atlas
results

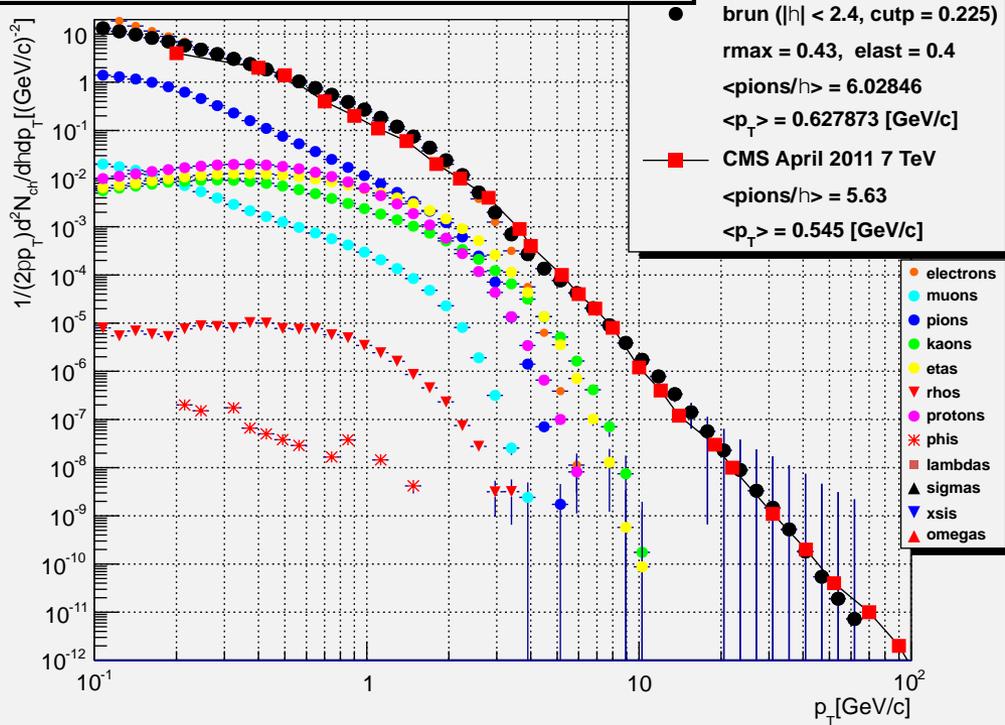


Pions, kaons,
protons spectra
compared with Alice



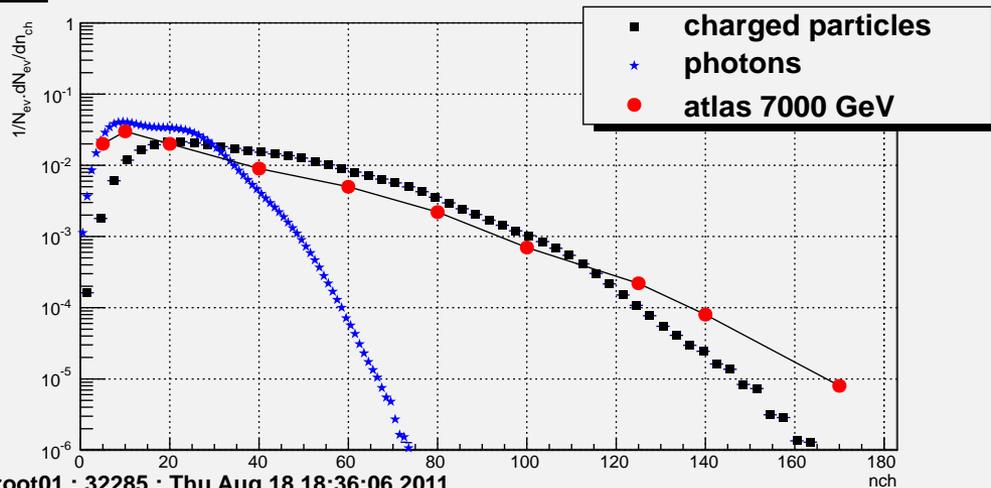
Ratio kaons/pions
and protons/pions
compared with Alice

$E_{\text{CMS}} = 7000 \text{ GeV}/c^2 : 26140008 \text{ events}$

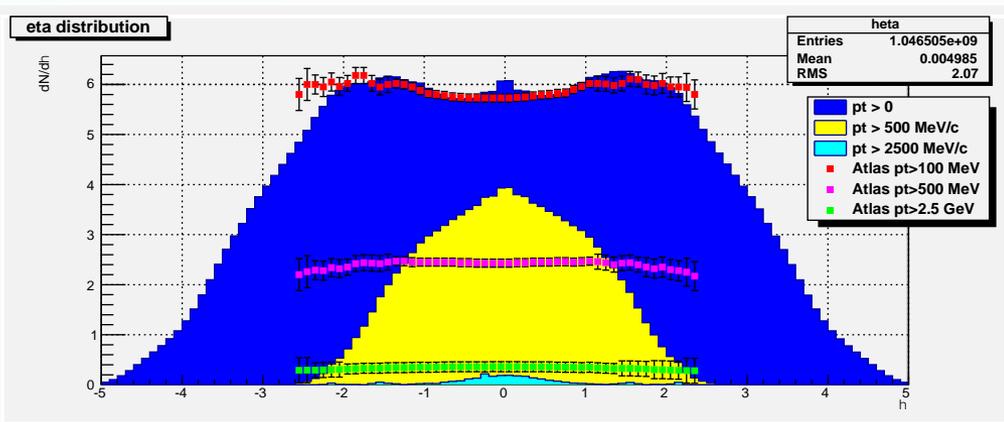


Same at 7000 GeV

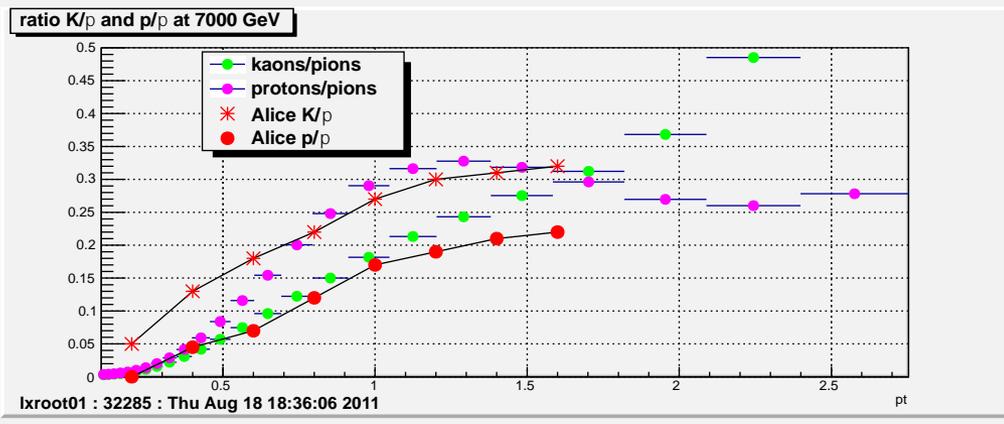
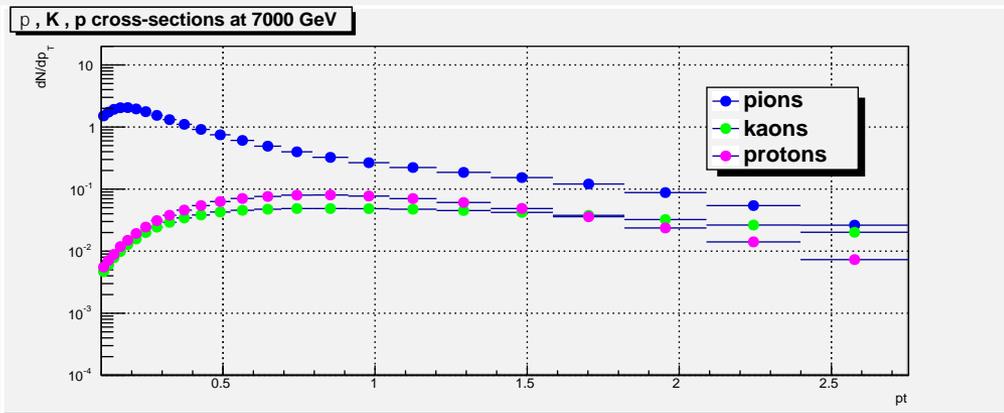
hnch



lxroot01 : 32285 : Thu Aug 18 18:36:06 2011

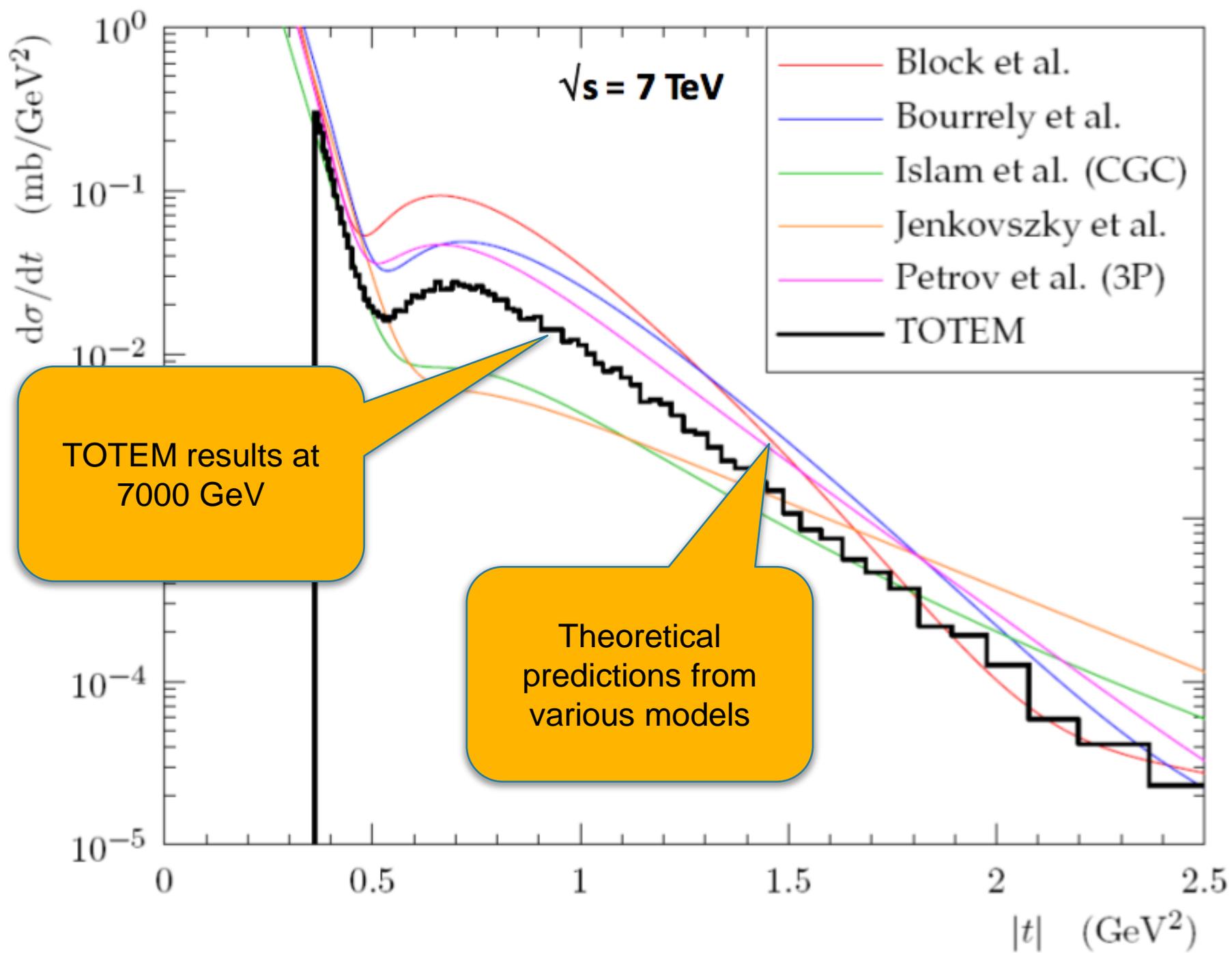


Same at 7000 GeV

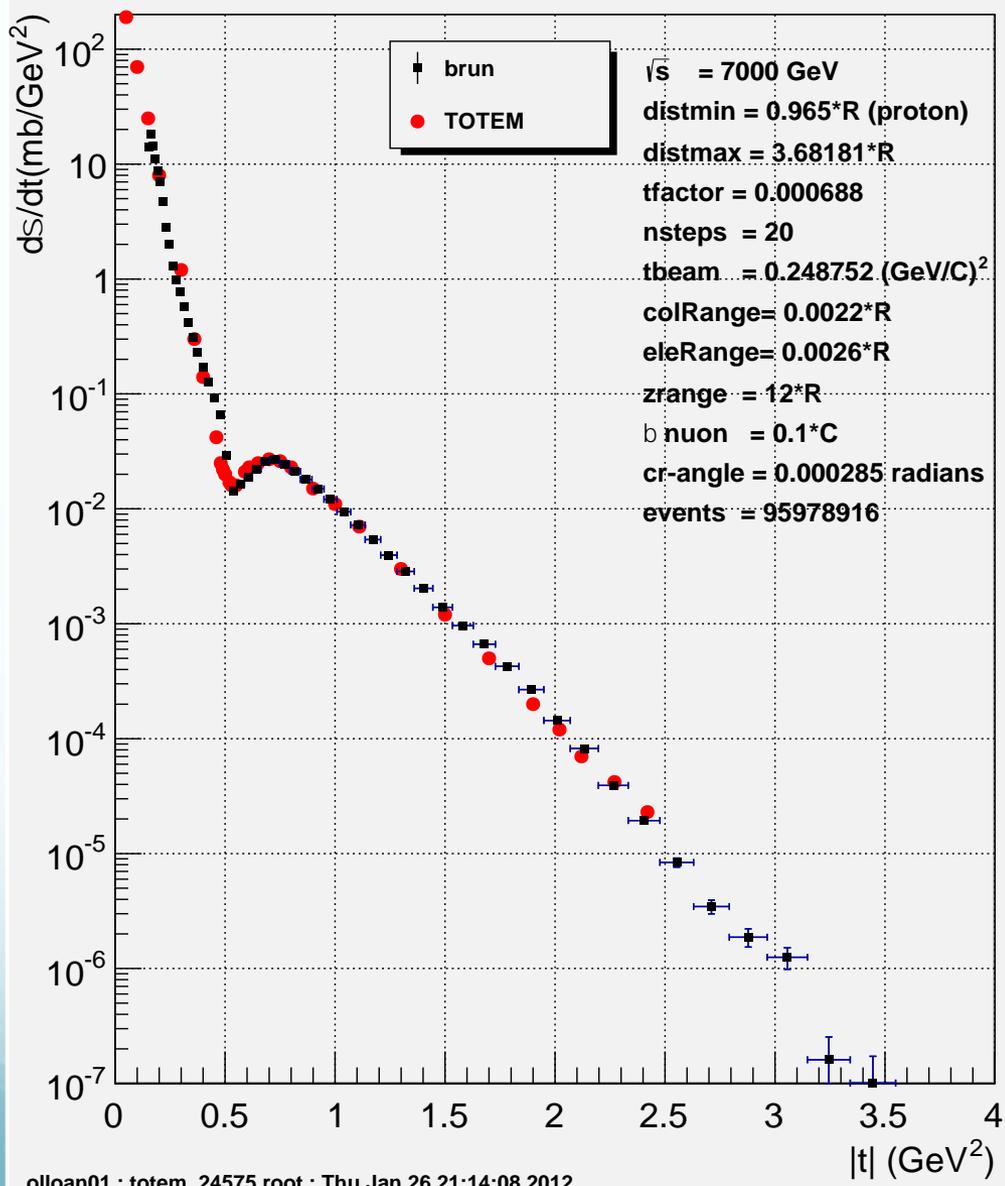


Proton-proton elastic scattering

- Elastic scattering is a fantastic system to test the proton shape.
- I implemented a system « colliding » protons taken randomly from my proton data base.
- I computed the momentum transfer distribution and compared my results with TOTEM and ISR results (still on going)



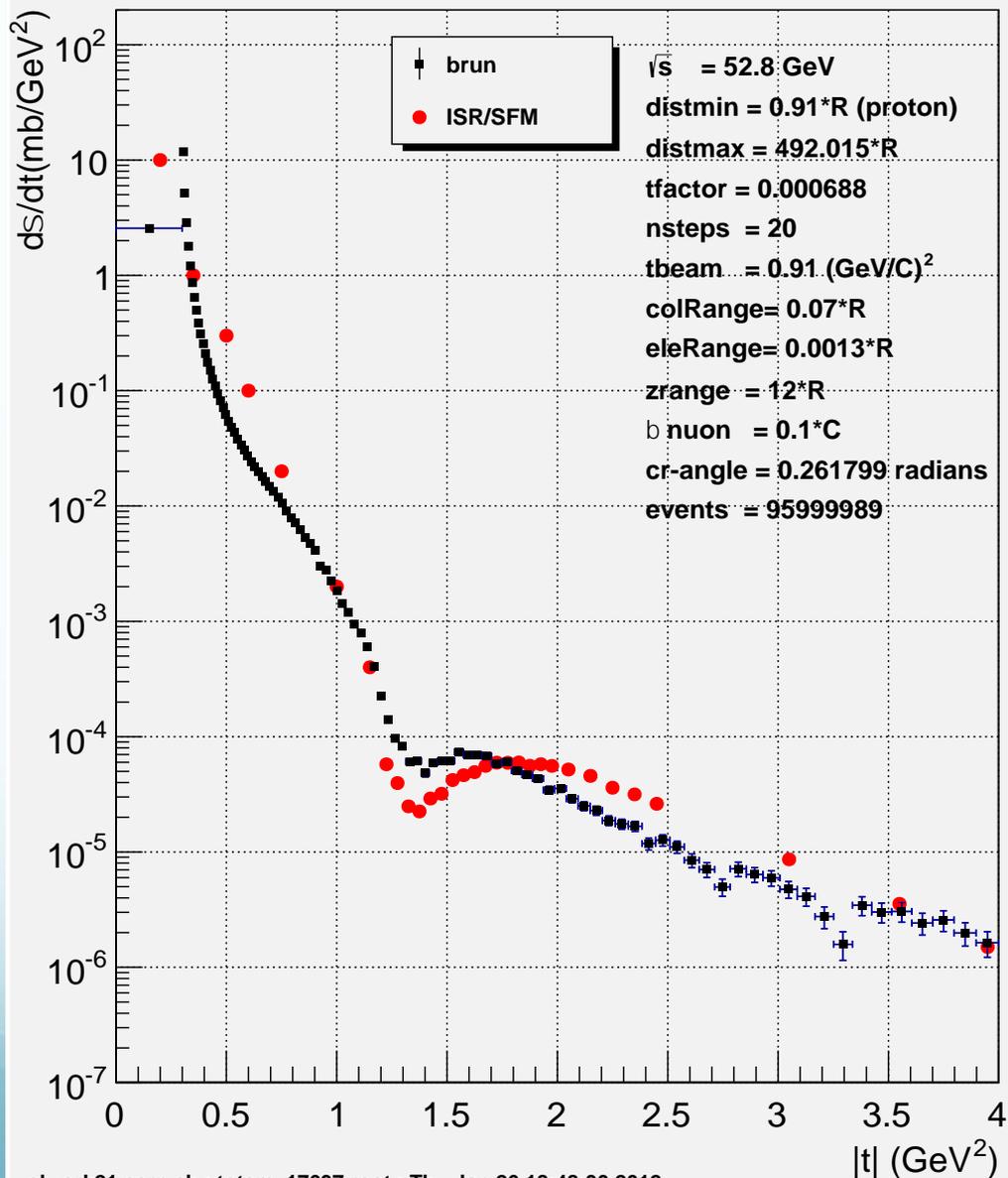
proton-proton elastic scattering



olloan01 : totem_24575.root : Thu Jan 26 21:14:08 2012

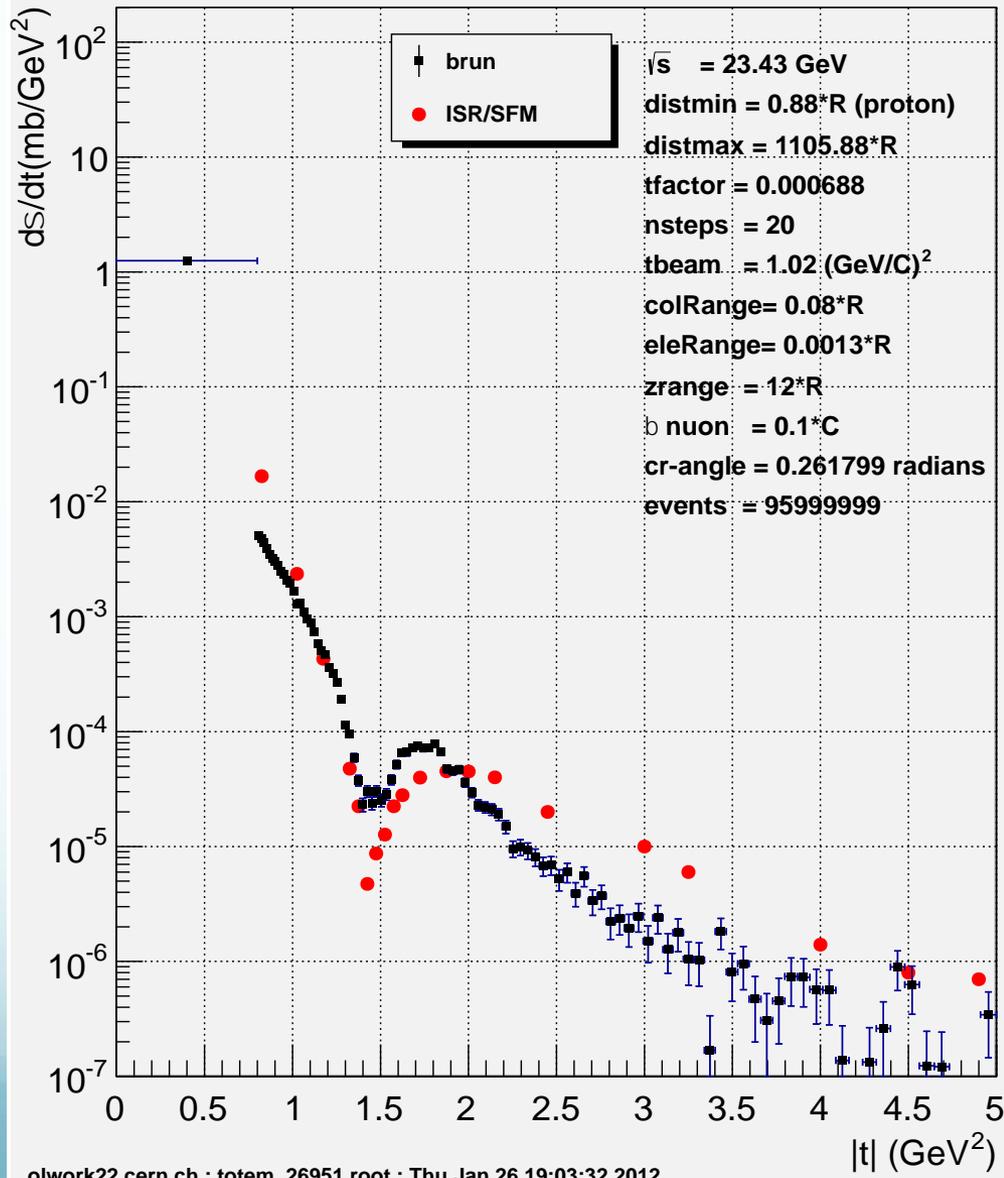
My results at 7000 GeV compared to TOTEM

proton-proton elastic scattering



My results at 52.8 GeV compared to ISR/SFM

proton-proton elastic scattering



My results at 23.4 GeV compared to ISR/SFM

Matter/antimatter asymmetry

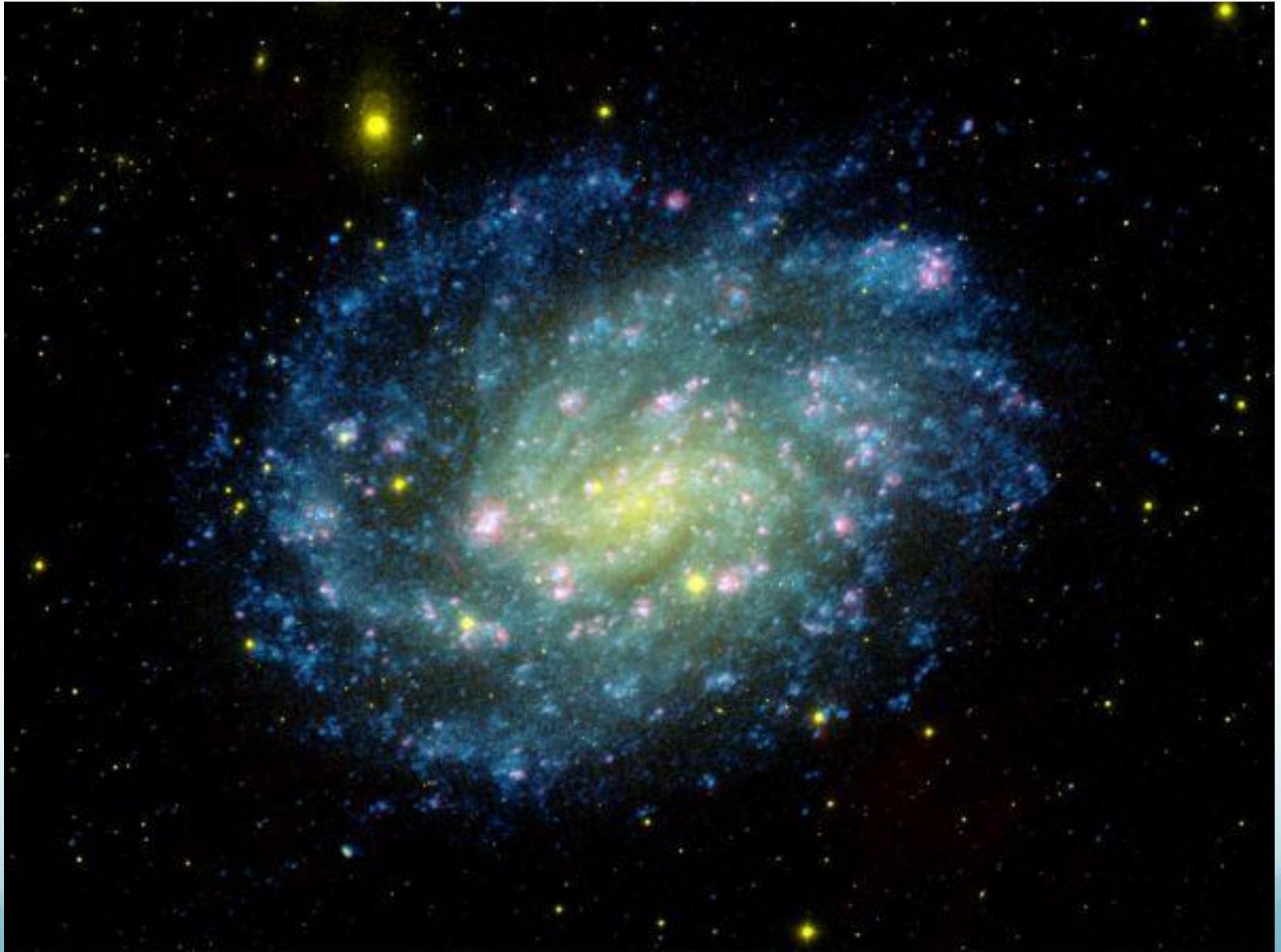
- In my model a nuon is « charge, etc » symmetric.
- A proton and antiproton differ only by the central positron or electron.
- An hydrogen atom is fully symmetric
- So, the problem disappears :☺

Neutrino oscillations ?

- In my model this problem is seen in a different way.
- An electronic neutrino coming from the sun can interact with the 150 million kms of dust and capture an e^+e^- (from an other nuon) and become a muonic neutrino.
- Vice-versa a muonic neutrino coming from CERN can interact with the 750 km of earth to Gran Sasso and lose its e^+e^- , becoming an electronic neutrino.
- Like muonic neutrinos, tau neutrinos can be though as muonic neutrinos with a few more electrons/neutrinos around.

Dark matter, energy

- My model is a possible solution to the question of missing matter and univers expansion.
- Particles interactions in stars produce a huge amount of invisible nuons that behave like neutrinos. These nuons escape the galaxy, but contribute to its mass.
- These same nuons are at the fore front of the univers expansion attracting everything else, explaining the acceleration of the expansion.



Open questions

- Of course I have considered only a tiny aspect of the particle zoo and particle interactions problems.
- I am currently thinking about the next steps, how to adapt the model to be consistent with the observations of the heavier quarks or jets without having quarks and gluons.
- Investigating this takes time and energy. Contributors are welcome!!
- And, of course, comments are welcome !!!!!!!