Comparison of hadron shower data in the PAMELA experiment with Geant 4 simulations

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> > **ICPPA-2015**

## PamVMC

#### Software:

Program	Version			
Geant 4	4.10.01 patch 2 (august 2015)			
CLHEP	2.2.0.4			
Root	5.34.23			
VGM	4.2			
Geant 4 VMC	3.1			

## Names of physical models of Geant 4

[Hadronic, high energies] \_ [Hadronic, low energies] \_ [Neutrons, increased precision] \_ [Electromagnetic]

- FTF or lists based on a modeling using the FTF model for high energy hadronic interactions of protons, neutrons, pions, and Kaons; FTF is FRITIOF like string model
- QGS quark-gluon string model
  - P Precompound model used for nuclear de-excitation
  - C CHiral Invariant Phase Space (CHIPS)

## Names of physical models of Geant 4

- BERT Bertini intranuclear cascade model
- ► BIC Binary Intranuclear Cascade model
- ► INCLXX Liege Intranuclear Cascade model
- HP High Precision

Without option — standard electromagnetic package. Electromagnetic computations of higher precision:

- EMY created for ATLAS
- EMZ created for CMS
- LIV Livermore
- PEN PENELOPE (PENetration and Energy LOss of Positrons and Electrons)

### Used models

Energies: 1, 1.5, 2, 3, 4, 5 GeV.

FTFP_BERT_H	P	FTF_BIC		FTFP	INCLXX	HP	
FTFP BERT H	P EMY	FTF BIC	EMY	FTFP	INCLXX	HP	EMY
FTFP BERT H	PEMZ	FTF BIC	EMZ	FTFP	INCLXX	HP	EMZ
FTFP_BERT_H	PLIV	FTF BIC	LIV	FTFP	INCLXX	HP	LIV
FTFP_BERT_H	P_PEN	FTF BIC	PEN	FTFP	INCLXX	HP	PEN



### Used models

Energies: 7.5, 10, 12.5, 15 GeV.

FTFP_BERT_HP	FTFP_INCLXX_HP
FTFP_BERT_HP_EMY	FTFP_INCLXX_HP_EMY
FTFP_BERT_HP_EMZ	FTFP_INCLXX_HP_EMZ
FTFP_BERT_HP_LIV	FTFP_INCLXX_HP_LIV
FTFP_BERT_HP_PEN	FTFP_INCLXX_HP_PEN
QGSP_BERT_HP	QGSP_INCLXX_HP
QGSP_BERT_HP_EMY	QGSP_INCLXX_HP_EMY
QGSP_BERT_HP_EMZ	QGSP_INCLXX_HP_EMZ
QGSP_BERT_HP_LIV	QGSP_INCLXX_HP_LIV
QGSP_BERT_HP_PEN	QGSP_INCLXX_HP_PEN

### Used models

Energies: 25, 35, 50 GeV.



### Selection criteria

Simulation and experiment:

- CARD = 0 & CAT = 0
- ▶  $S11 \le 1 \& S12 \le 1 \& S11 + S12 < 0 \& S21 \le 1 \& S22 \le 1 \& S21 + S22 > 0 \& S31 + S32 > 0$
- ► Found only 1 standard track: Nx ≥ 5 & Ny ≥ 4 & Nstep < 100 & isinsideAcceptance</p>
- Number of singlets:  $Nclsx \leq 2 \& Nclsy \leq 1$
- Trajectory from tracking system goes through calorimeter strip with nonzero energy release.
- Quality of track checking is  $\chi^2(\frac{dE}{dx})$ .  $\frac{dE}{dx}$  is mean energy loss in tracking system.
- Tracks checking using refitted trajectories.
- Selection of particles by multiple measurements of <u>dE</u> in tracking system.
- ► Limitation of energy release in detectors S1 and S2 of ToF system.

Experiment:

- ▶  $|Rig| > 1.1R_c \& lifetime < 4000$ , where  $R_c$  is geomagnetic cutoff rigidity
- $\blacktriangleright \ \beta > 0.1, \ \beta \neq 100$
- $\frac{dE}{dx}(t)$  ionization energy losses in tracking and time-of-flight systems depending on time t.

The response of the PAMELA calorimeter to hadronic showers investigated including shower radius, longitudinal and transverse shower profiles etc.

As an example we show results for the following characteristics:

- $Q_{total}$  the total energy release in calorimeter
- ▶ *Q<sub>max</sub>* the maximum energy detected in a strip
- $Q_{pre}$  the measured energy deposited in a cylinder of radius 8 strips around the shower axis

# $Q_{total}, R = 10$

The size of sampling is N = 7500 particles and threshold for Kolmogorov-Smirnov test is I = 0.0222.



# $Q_{total}, R = 50$

#### *N* = 1300, *I* = 0.0533.

Q\_TOTAL



## **Q**total

The following graphs show the value of  $max(|CDF[R] - CDF_{exp}[R]|)$  for each R.





#### *N* = 7500, *I* = 0.0222.





#### N = 1300, I = 0.0533.

Q\_HAX



**Q**<sub>max</sub>



## $Q_{pre}, R = 10$

#### *N* = 7500, *I* = 0.0222.

Q\_998



 $Q_{pre}, R = 50$ 

#### *N* = 1300, *I* = 0.0533.



 $Q_{pre}$ 



### Spectrum correction

The corrected on energy resolution of tracking system distribution is the following:

$$\widetilde{g}(Q_{total}, R_0) = g(Q_{total}, R_0) \cdot \widetilde{\delta}(Q_{total}, R_0)$$

Ratio (admixture) of other energies in distribution of  $Q_{total}$ :

$$\widetilde{\delta}(Q_{total}, R_0) = \int_{-\infty}^{\infty} g(Q_{total}, R_x) \delta(R_x, R_0) dR_x - \int_{R_0 - dR}^{R_0 + dR} g(Q_{total}, R_x) \delta(R_x, R_0) dR_x,$$

where

$$\delta(R_x, R_0) = \int_{R_0 - dR}^{R_0 + dR} \rho(R_x, R) dR$$

### Conclusion

- Using Geant 4.10.0.1 and Geant 4 VMC 3.2 lets us achieve better fit in description of hadron interaction than for Geant 4.9.\* and Geant 4 VMC 2.\*, for which difference was more than 10-15%.
- We were unable to choose one model which can give good results for both high and low energies
- Depending on energy and characteristic of interaction it is recommended to choose separate model for each feature.
- ▶ Perform the same analysis for energies higher than 50 GeV