

# W-Ai measurements

*with low  $\langle m_{\nu} \rangle$  data*



Daniil Ponomarenko

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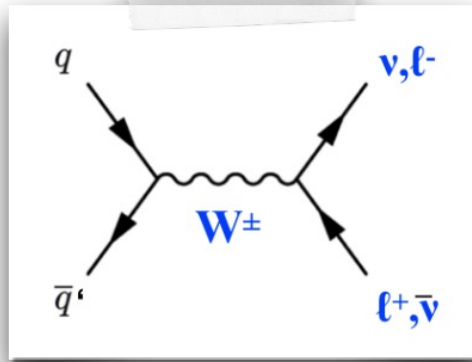
MEPhi@ATLAS group meeting, 19-January-2022



Radboud  
Universiteit  
Nijmegen



## What are angular coefficients?



$$\frac{d\sigma}{dpdq} = \frac{d^3\sigma^{U+L}}{dp_T dy dm} \left( 1 + \cos^2\theta + \sum_{i=0}^7 A_i(y, p_T, m) P_i(\cos\theta, \phi) \right)$$

$P_0(\cos\theta, \phi)$	$= \frac{1}{2}(1 - 3\cos^2\theta)$
$P_1(\cos\theta, \phi)$	$= \sin 2\theta \cos\phi$
$P_2(\cos\theta, \phi)$	$= \frac{1}{2}\sin^2\theta \cos 2\phi$
$P_3(\cos\theta, \phi)$	$= \sin\theta \cos\phi$
$P_4(\cos\theta, \phi)$	$= \cos\theta$
$P_5(\cos\theta, \phi)$	$= \sin^2\theta \sin 2\phi$
$P_6(\cos\theta, \phi)$	$= \sin 2\theta \sin\phi$
$P_7(\cos\theta, \phi)$	$= \sin\theta \sin\phi$

The Drell-Yan differential cross-section can be split into 8 helicity dependent cross-sections.

The ratios of these helicity dependent cross-sections over the unpolarized cross-section are denoted by  $A_i$  and are known as the **Drell-Yan Angular Coefficients**.

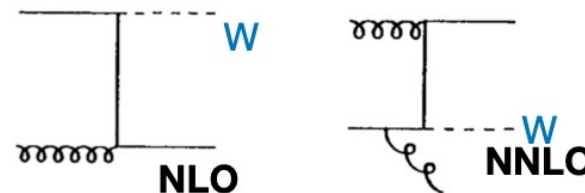
Coefficients are coupled to polynomials  $P_i$ , which are related to spherical harmonics.

### Angular distributions:

- enable precise measurements of DY production dynamics
- spin-correlations between initial partons and final state leptons (born-level)
- DY cross section: decompose into:
  - 9 harmonic polynomials  $P_i(\cos\theta, \phi)$
  - + angular coefficients  $A_i(p_T, y, m)$
  - + unpolarized cross-section  $\sigma^{U+L}(p_T, y, m)$

### Angular coefficients $A_i$ :

- for 2→2 (LO): angular dependence fully analytical!
- higher orders:  $A_i$  encode hadronic dynamics from production mechanism



**Analysis Goal: Determine  $A_i$  from  $\cos\theta$  and  $\phi$  distributions of leptons from charged DY production!**

## Why measure $A_i$ in W events?

**First (and foremost): The  $A_i$  have never been measured before for the W!**

- also an important input to W mass measurement:

$$m_W (\text{ATLAS @7TeV}) = 80370 \pm 6.8 (\text{stat}) \pm 10.6 (\text{exp. sys}) \pm 13.6 (\text{mod. sys}) \text{ MeV}$$

- total uncertainty on ATLAS W mass measurement  $\sim 19\text{MeV}$  still larger than  $8\text{MeV}$  from electroweak fit
- Bottleneck: Physics modelling uncertainties

### W- $A_i$ analysis (+ x-section):

→  $A_i$ : Stringent test of QCD & physics modelling!

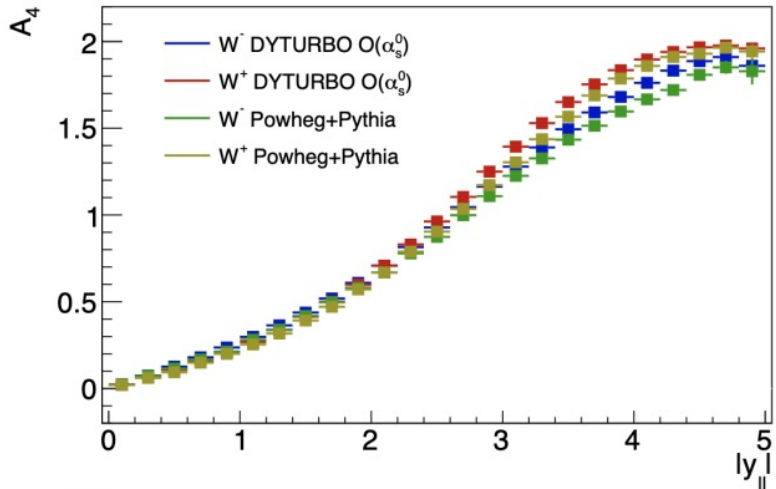
→ Charge asymmetry measurement: Input for PDF fits

#### physics modelling

Data sample	7 TeV, $\mu \sim 9$	
Luminosity	$4.5 \text{ fb}^{-1}$	Improved
Nb. of candidates	$\sim 15 \times 10^6$	
Most sensitive dist.	$p_T^\ell$	
Physics Modelling Unc.		
EW	5 → latest MC gen.	2
QCD ( $p_T^W$ )	6 → WpT meas.	< 3
QCD ( $A_i$ )	6 → data input	< 3
PDFs	9 → PDF profiling	6

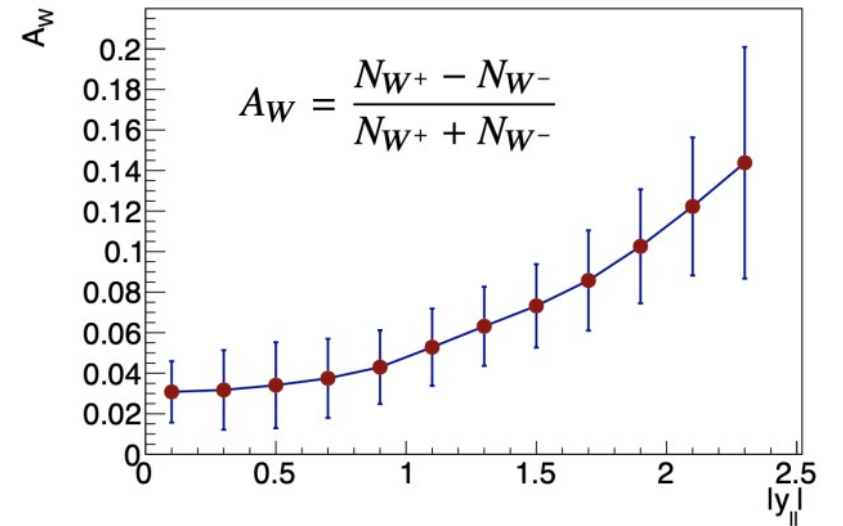
# Analysis goals

from Ruth Jacobs @ [status report](#)



## i) $A_4$

- $A_4$ : forward-backward asymmetry for W
- direct measurement of W longitudinal polarization
- polarization: important source of uncertainty for the W-mass extraction from lepton  $p_T$  - spectrum

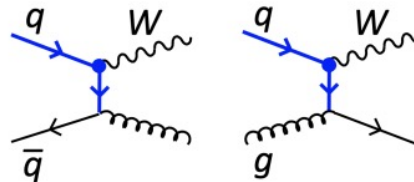
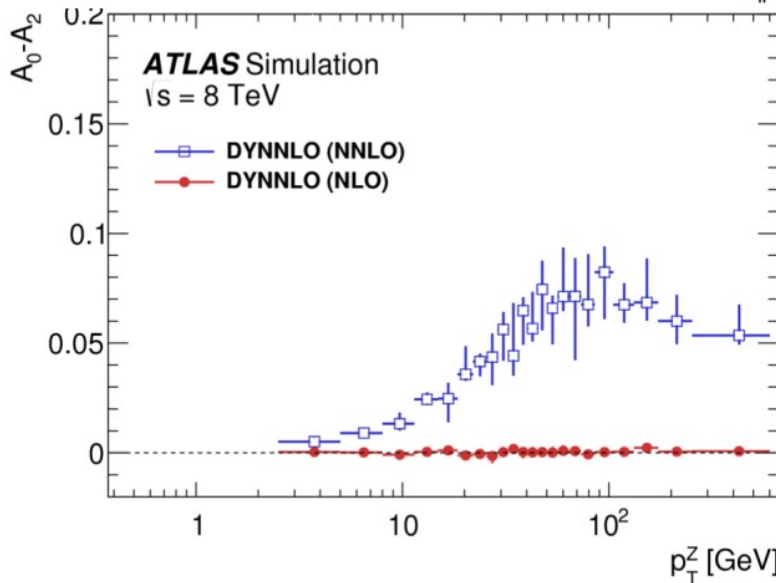


## ii) Lam-Tung relation ( $A_0-A_2$ )

- prediction Lam-Tung:  $A_0-A_2=0$  (because of gluon spin-1)
- holds at  $O(\alpha_s)$ , can be violated at  $O(\alpha_s^2)$
- Z-boson-events: observe violation of Lam-Tung at  $O(\alpha_s^2)$  (factor  $\sim 2$  larger than predicted)  
→ also observed in W events?

## iii) Charge Asymmetry

- measure as function of boson rapidity: add more information than in measurement as function of lepton  $p_T$
- $A_i$  Framework: extract cross-section in full phase-space



All of these are new measurements, never been done before in W events!

## Same as for Z A<sub>i</sub>

### 1.) Theoretical predictions (Reference A<sub>i</sub>)

- A<sub>i</sub> enter MC prediction implicitly
- orthogonality of polynomials P<sub>i</sub>(cosθ,φ)
- average of P<sub>i</sub> relates to A<sub>i</sub>

### 2.) Templates of angular distributions

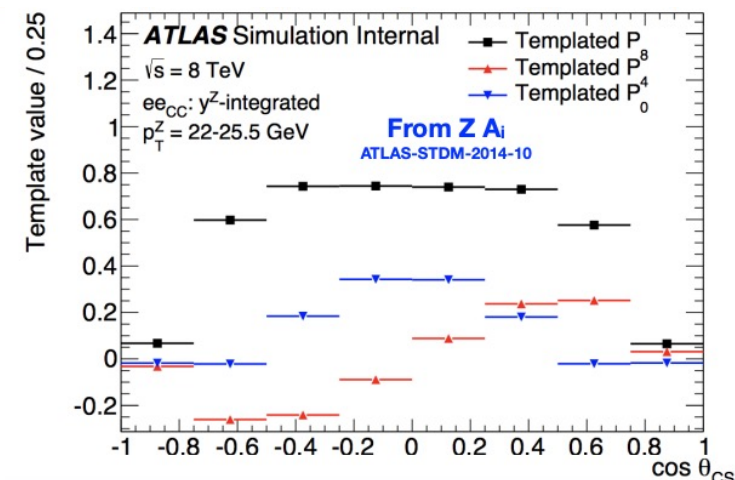
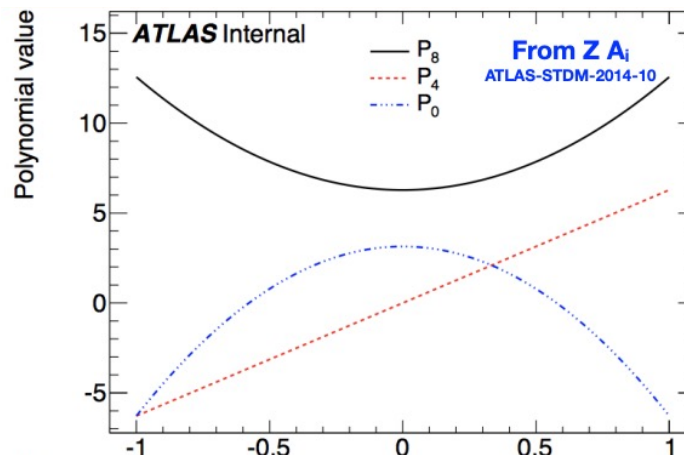
- after selections on final state leptons, angular distributions are sculpted
- can no longer describe by 9 polynomials!
- “fold” P<sub>i</sub> to reco space using MC to model acceptance, efficiency

### 3.) Template fit to angular distributions in data:

- fit folded P<sub>i</sub> templates to data, extract A<sub>i</sub> in full phase space
- include background templates

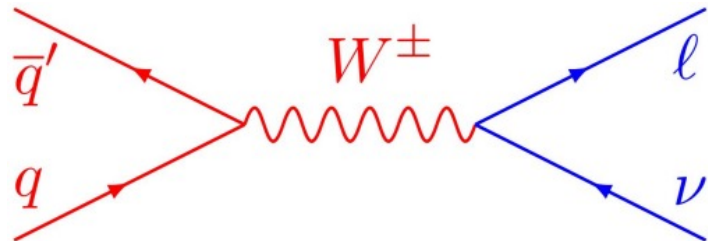
$$\begin{aligned} \langle \frac{1}{2}(1 - 3 \cos^2 \theta) \rangle &= \frac{3}{20}(A_0 - \frac{2}{3}); & \langle \sin 2\theta \cos \phi \rangle &= \frac{1}{5}A_1; & \langle \sin^2 \theta \cos 2\phi \rangle &= \frac{1}{10}A_2; \\ \langle \sin \theta \cos \phi \rangle &= \frac{1}{4}A_3; & \langle \cos \theta \rangle &= \frac{1}{4}A_4; & \langle \sin^2 \theta \sin 2\phi \rangle &= \frac{1}{5}A_5; \\ \langle \sin 2\theta \sin \phi \rangle &= \frac{1}{5}A_6; & \langle \sin \theta \sin \phi \rangle &= \frac{1}{4}A_7. \end{aligned}$$

$$\langle P(\cos \theta, \phi) \rangle = \frac{\int P(\cos \theta, \phi) d\sigma(\cos \theta, \phi) d \cos \theta d\phi}{\int d\sigma(\cos \theta, \phi) d \cos \theta d\phi}.$$



# Measurement Strategy

from Alexander Bachiu @ [WAI report](#)



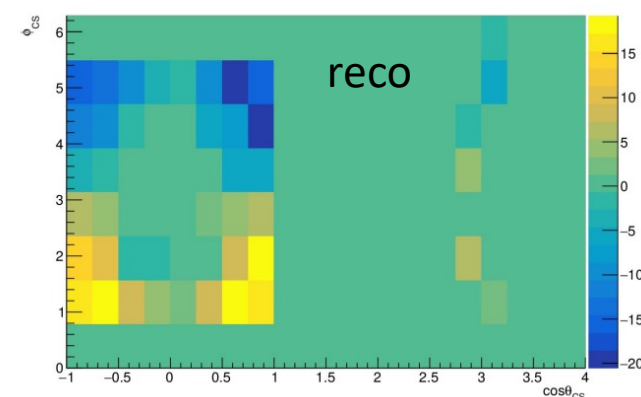
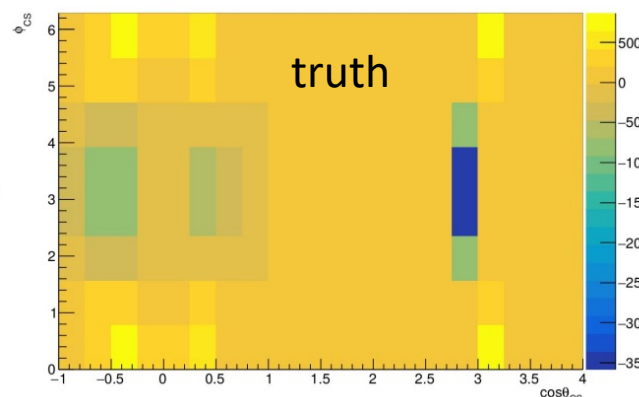
$$\frac{d\sigma}{dp_T^W dy^W dm^W d\cos\theta d\varphi} = \frac{3}{16\pi} \frac{d\sigma^{U+L}}{dp_T^W dy^W dm^W} \left\{ (1 + \cos^2\theta) + \sum_{i=0}^7 A_i(p_T^W, y^W, m^W) P_i(\cos\theta, \varphi) \right\}$$

Reference coefficients are created by taking the moment using truth MC.

$$\langle P_i(\theta, \varphi) \rangle = \frac{\int d\sigma(p_T, y, \theta, \varphi) P_i(\theta, \varphi) d\cos\theta d\varphi}{\int d\sigma(p_T, y, \theta, \varphi) d\cos\theta d\varphi} \quad \langle \sin\theta \cos\varphi \rangle = \frac{1}{4} A_3$$

Templates of the polynomial distributions are created in the truth and reco phase.

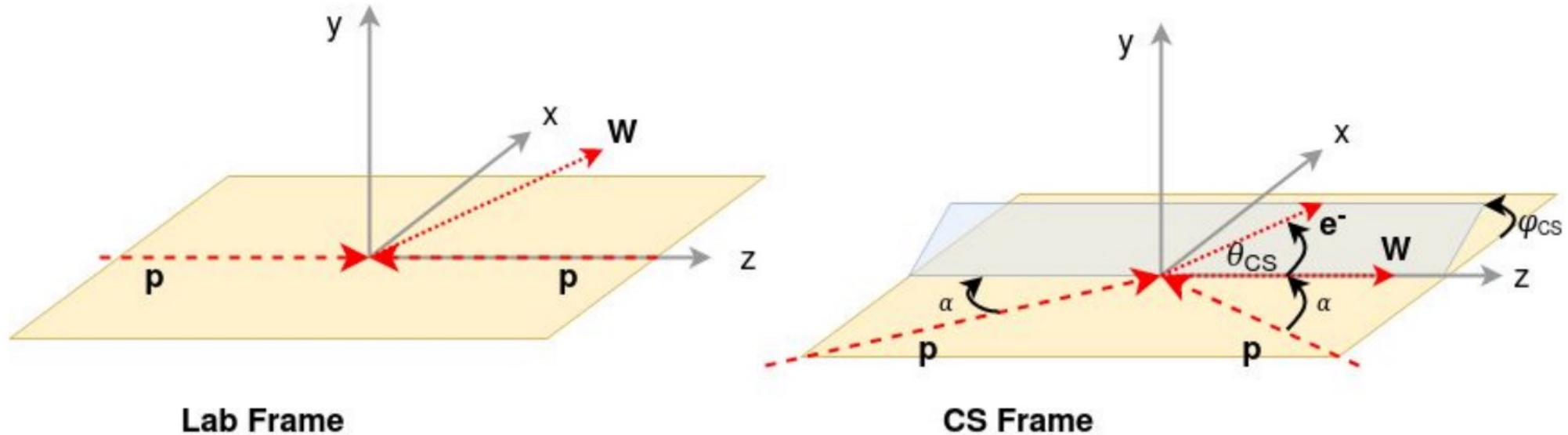
$$T_{ij} = \sum_{event \in \Delta_j} \frac{P_i(\cos\theta_{CS}^{Reco}, \varphi_{CS}^{Reco}) w_{event}(r, t)}{\left\{ P_8(\cos\theta_{CS}^{Truth}, \varphi_{CS}^{Truth}) + \sum_{i=0}^7 A_{ij}^{ref} P_i(\cos\theta_{CS}^{Truth}, \varphi_{CS}^{Truth}) \right\}}$$



Truth phase space templates are folded into the reco phase space in likelihood fit.

$$\mathcal{L}(A_{ij}, \mu_j | N) = \prod_{events} \left\{ \sum_{j=1}^{N_{p_T}^{bins}} \mu_j \left[ T_{8,j} + \sum_{i=0}^7 A_{ij} \times T_{ij} \right] + \sum_B^{bkgds} T_B + T_{Fakes} \right\}$$

# The Colins-Soper Rest Frame



## Angular variables $\theta$ and $\phi$ defined in Colins-Soper (CS) rest frame:

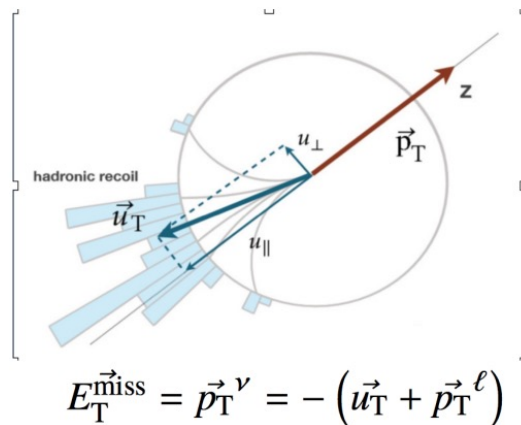
- boost into the  $W$ -boson rest frame
- rotation into special CS frame
- CS frame: incoming partons lie in plane spanned by  $x$ - and  $z$ -axis
- angles  $\theta$  and  $\phi$  defined as angles between negative lepton (or neutrino) and  $xz$  plane
- choice of rest frame is arbitrary, CS has been conventional choice

# Neutrino Pz reconstruction

from Ruth Jacobs @ [status report](#)

## Neutrino reconstruction: Hadronic recoil

- vectorial sum of all transverse momenta of ISR objects
- ATLAS: use PFlow objects (neutral & charged (+ complications e.g. to make insensitive to e,μ channel))



## Solving for the Neutrino Pz:

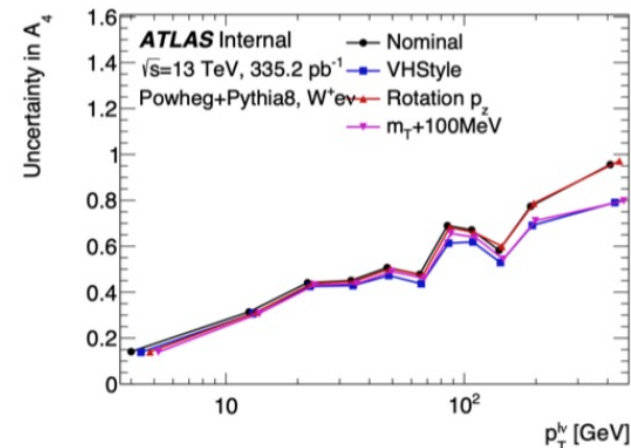
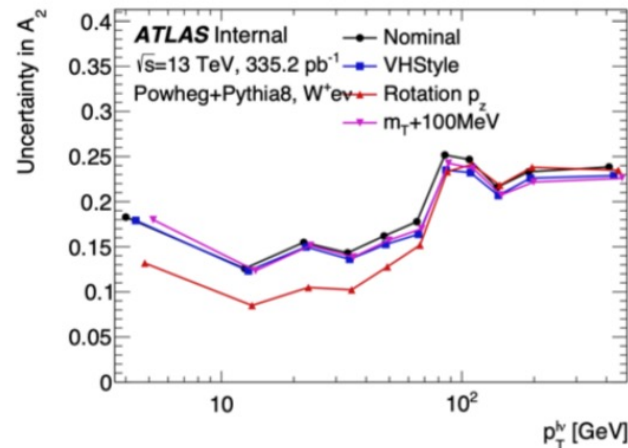
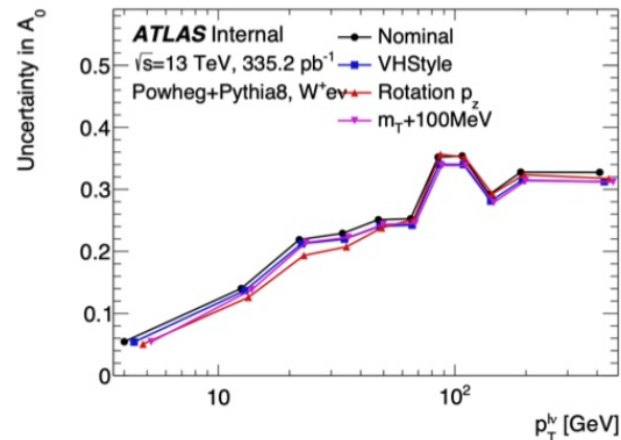
- W mass constraint: quadratic equation

$$(p^\mu + q^\mu)^2 = m_W^2 \Rightarrow q_z(1,2) = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

- two real solutions ( $m_T \leq m_W$ ): ambiguity in  $\cos\theta$  solve statistically → pick one at random!
- complex solution → set to default  $\cos\theta$  → **We optimized procedure when there is no solution!** (can still exploit  $\phi$  information!)

## Which solution style gives us the best statistical gain?

- Nominal: Only real solutions chosen randomly, when no solution given default  $\cos\theta_{CS}$  value and  $\phi_{CS}$  calculated
- VHStyle: When  $\Delta < 0$ , take the real part,  $p_z = -b/2a$
- Rotation p<sub>z</sub> : When  $\Delta < 0$ , rotate the MET by the minimum amount needed for a solution\*  $M_T$
- +100MeV: When  $M_T > M_{W,PDG}$ , replace  $M_W \rightarrow M_T + 100\text{MeV}$

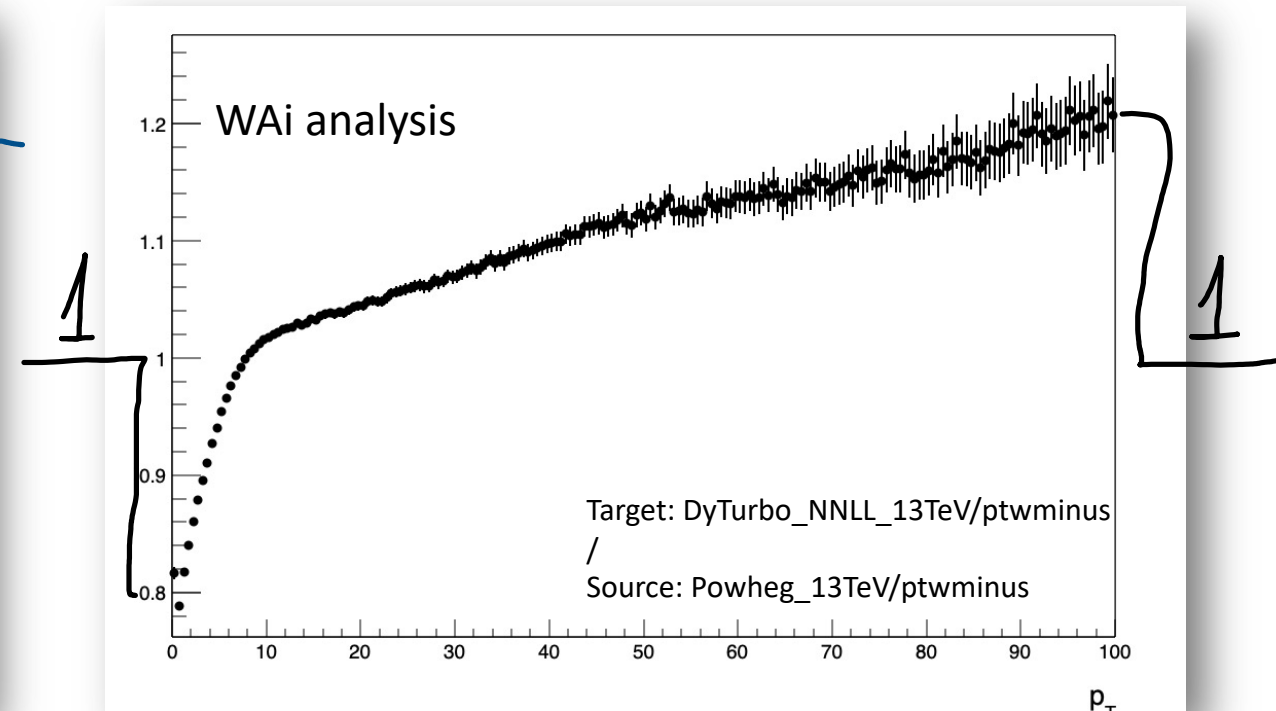
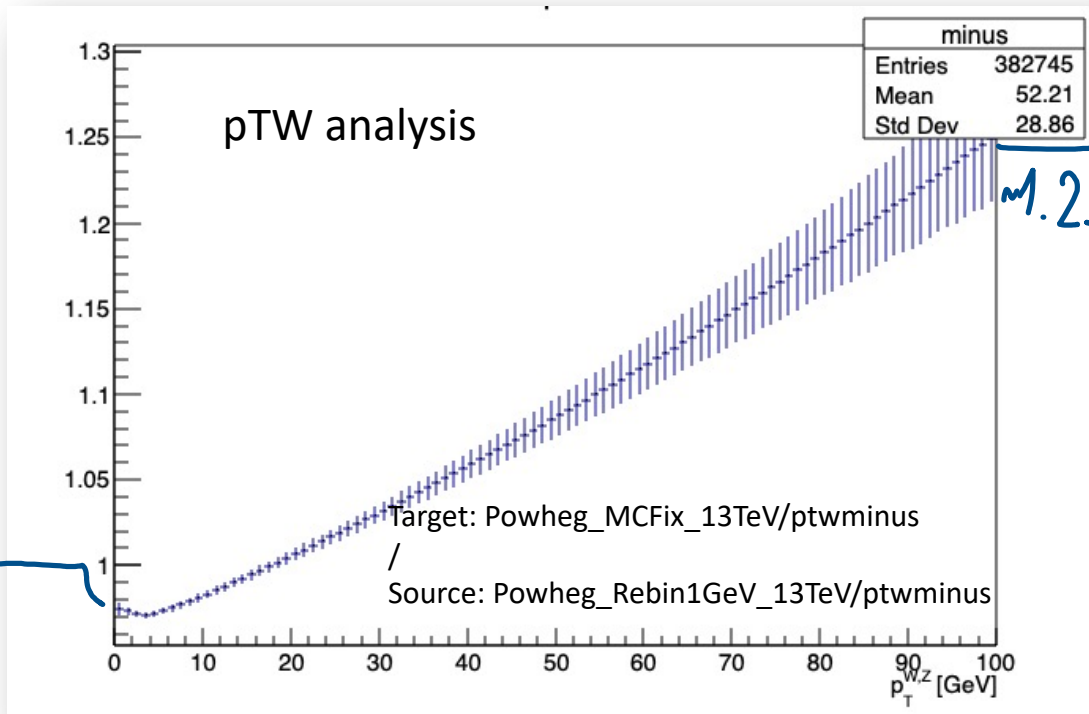


**Final solution choice: Rotation Pz**

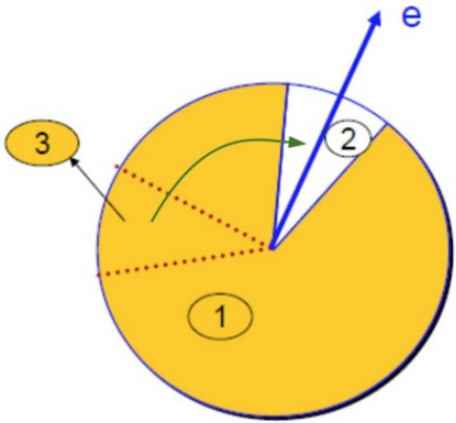


# PtYMReweightingTool corrections

- Aim to use well-known DYTURBO prediction
- pTW corrections range is from 0 to 100 GeV
  - Overflow/Underflow pTW entry defines  $weight\_truth = 1$
  - pTW tail's bins would be renormalized during final fit
- pTW analysis uses a bit different approach:
  - use 1D reweighting, that best fit to reco-level data, this is designed to measure the pT spectrum with a small unfolding bias.
  - Eventually, e.g for mW, best model will be a tune to pT measurement, and once have it group can 2D (or 1D, y-sliced) reweight to that tune.



# Recoil correction



## Improved recoil calculation:

- recoil calculated from all Pflow objects in event
- cone of  $\Delta R=0.2$  around lepton excluded to prevent double-counting
- replace by random  $\Delta R=0.2$  cone in the event away from leptons or jets
- this is ok for isolated leptons...

...BUT...

- in MJ events leptons are mostly close to jets
- above method fails

## Solution:

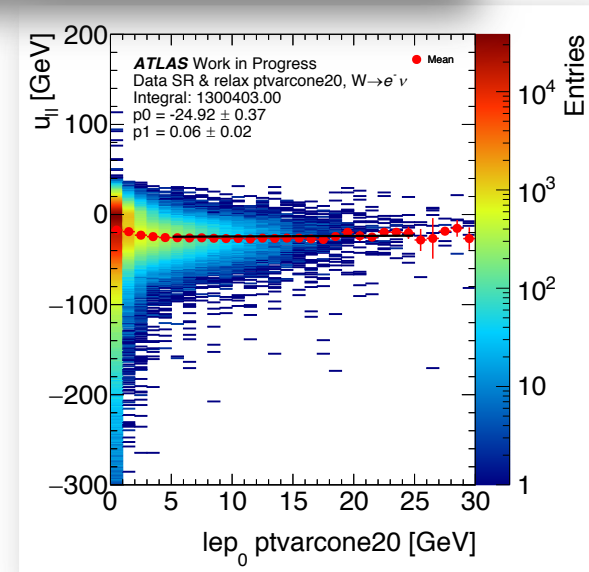
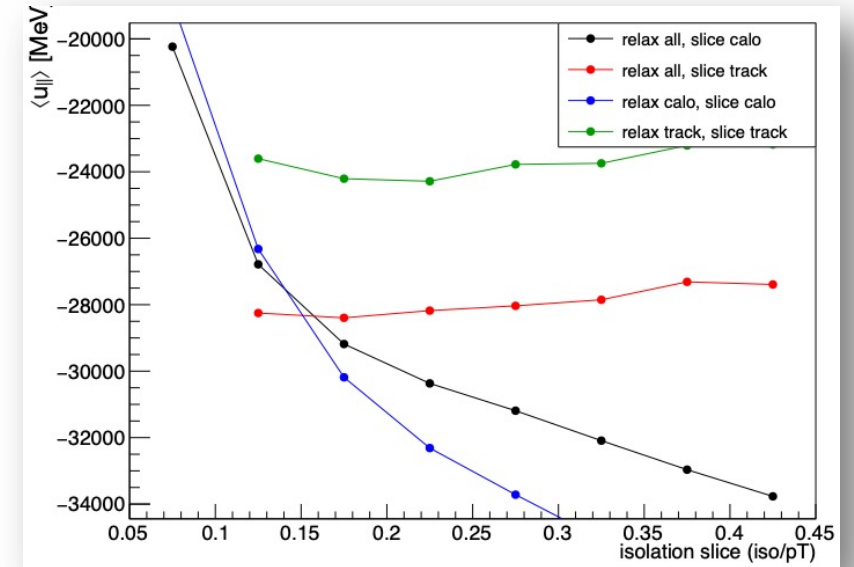
- instead of underlying-event-type cone, use isolation:

$$\vec{u}^{\text{corr}} = \vec{u}^{\text{baseline}} + \vec{u}^{\text{iso}}, \text{ where}$$

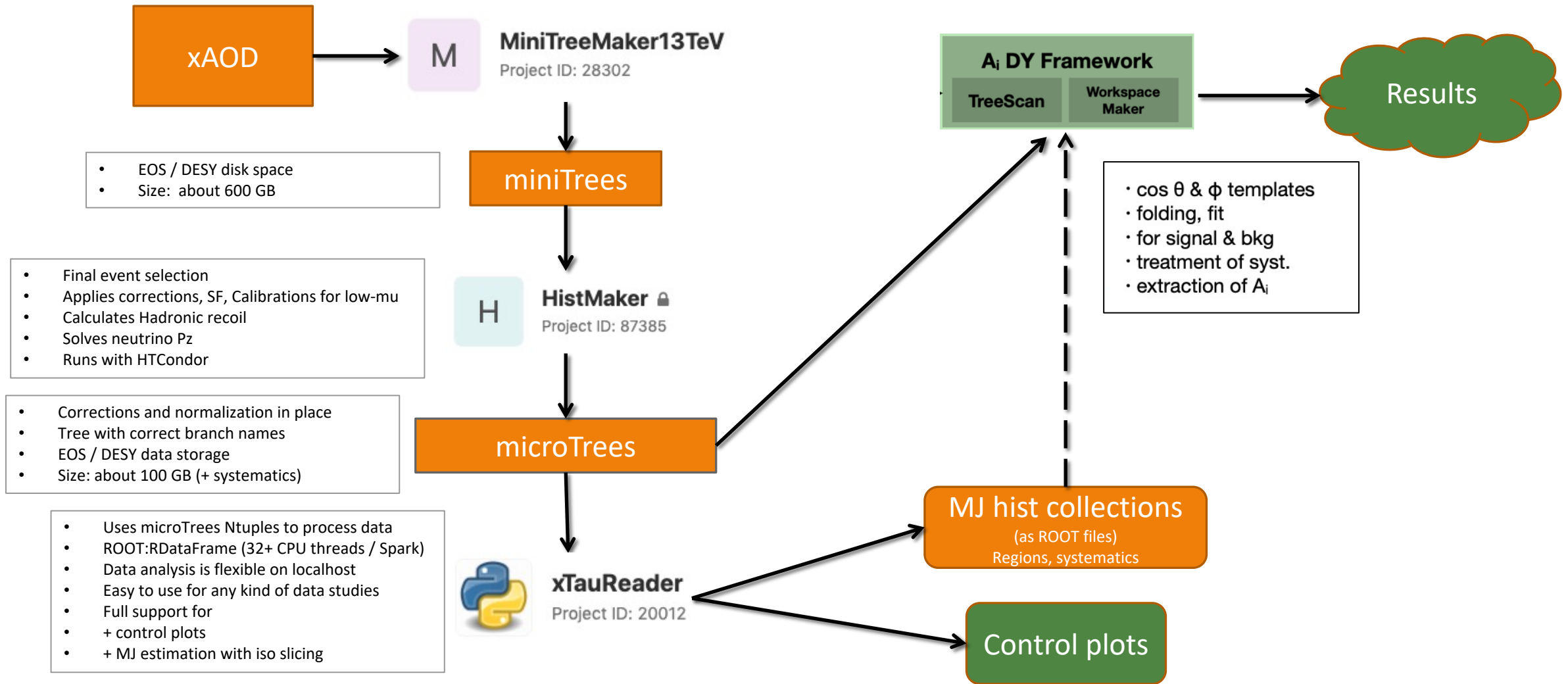
$$\vec{u}^{\text{iso}} \equiv \text{ptcone20} \cdot \vec{n}_\ell$$

## ○ Cross-check:

- define  $u_{||}$ : projection of recoil on lepton axis
- if the recoil isolation correction works, average of  $u_{||}$  is independent of iso slice



# Software organization



# Event Selection

## Reco: Loose preselection

Electrons	Muons
Loose LH	Medium muons
$p_T > 20 \text{ GeV}$	$p_T > 18 \text{ GeV}$
$ \eta  < 2.47$ , w/o crack from 1.37-1.52	$ \eta  < 2.4$
No isolation	No isolation
$ d_0\text{significance}  < 5$	$ d_0\text{significance}  < 3$
$\Delta Z * \sin\Theta < 0.5$	$\Delta Z * \sin\Theta < 0.5$

## Reco: Final Selection Signal Region

Electrons	Muons
Tight LH	Medium muons
$p_T > 25 \text{ GeV}$	$p_T > 25 \text{ GeV}$
$ptvarcone20/pt < 0.1$	$ptvarcone20/pt < 0.1$
$topoetcone20/pt < 0.05$	$topoetcone20/pt < 0.05$

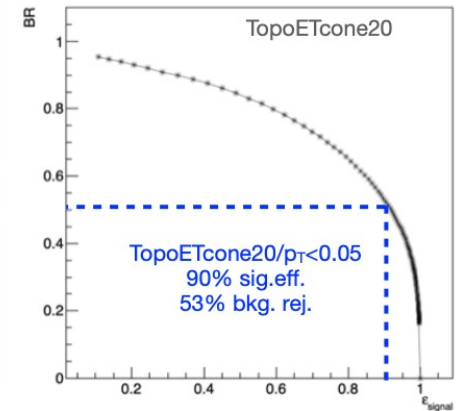
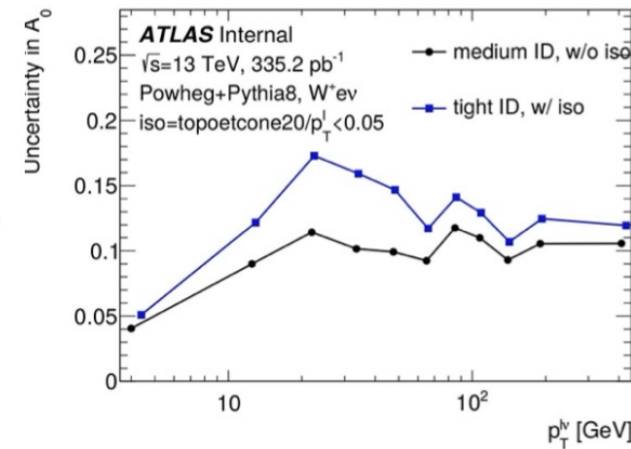
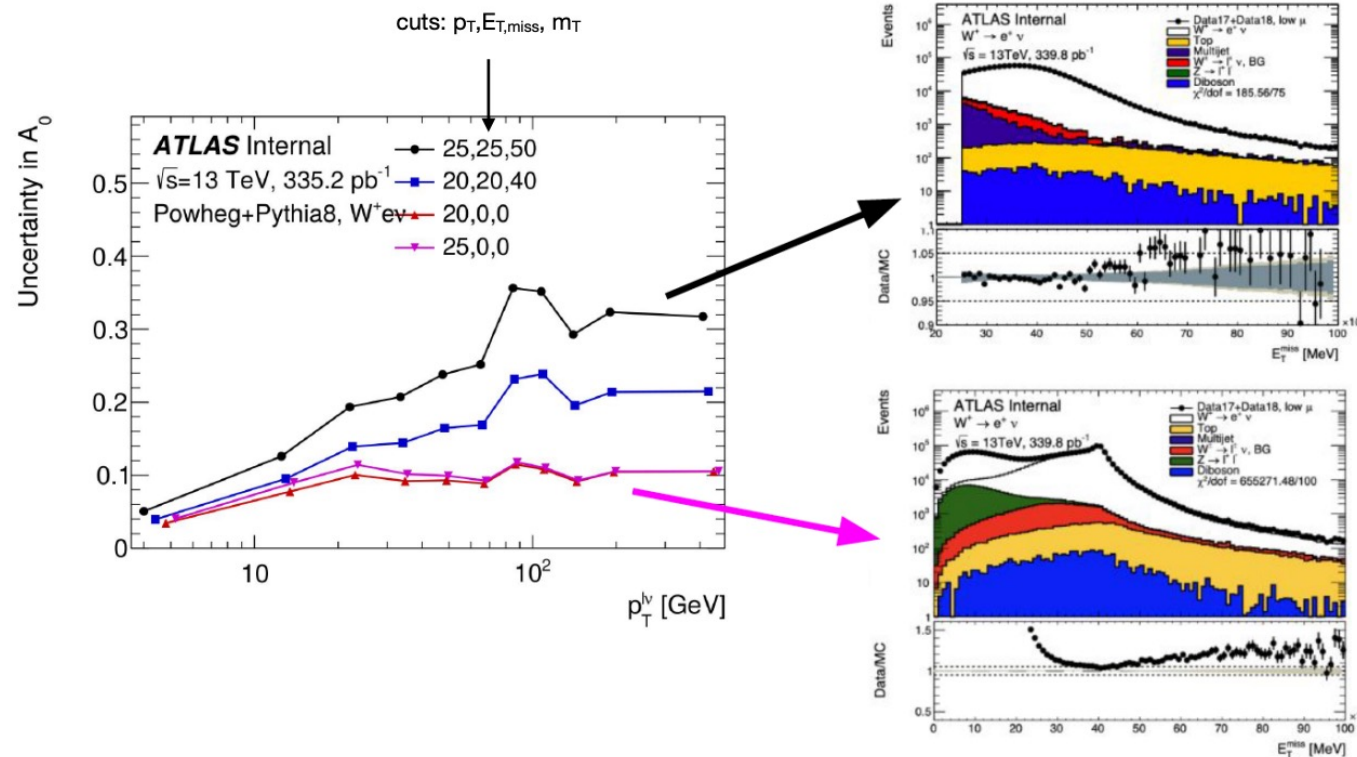
**No cuts on MET and mT !**

### TRUTH: Fiducial Region

- no cuts applied\*, keep all truth events
- folding of templates before fit takes migrations into account
- aim: measure  $A_i$  in full phase space

# Sensitivity Studies: Event Selection

[link on slides](#)



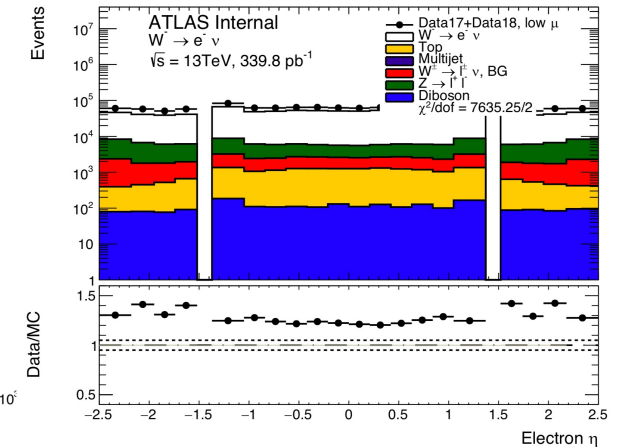
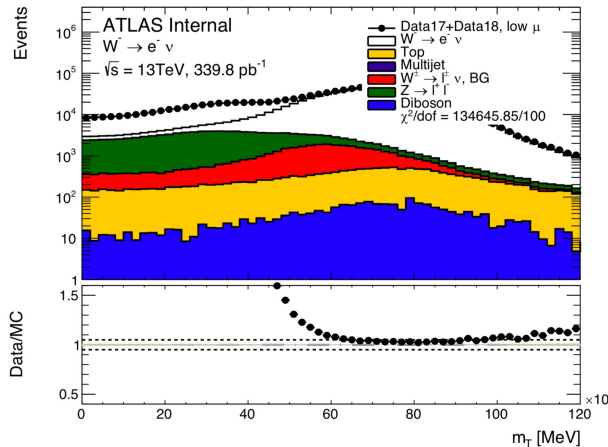
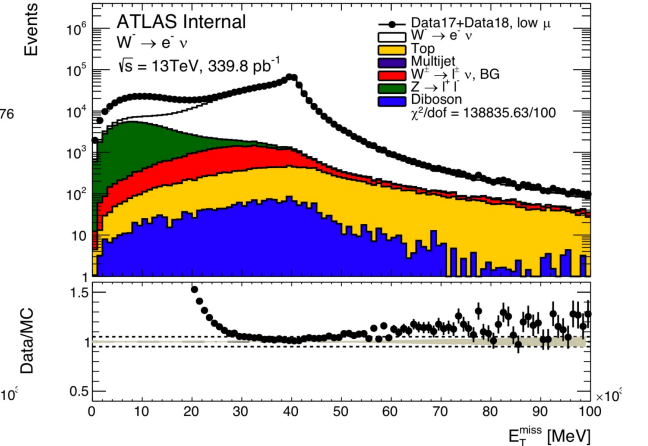
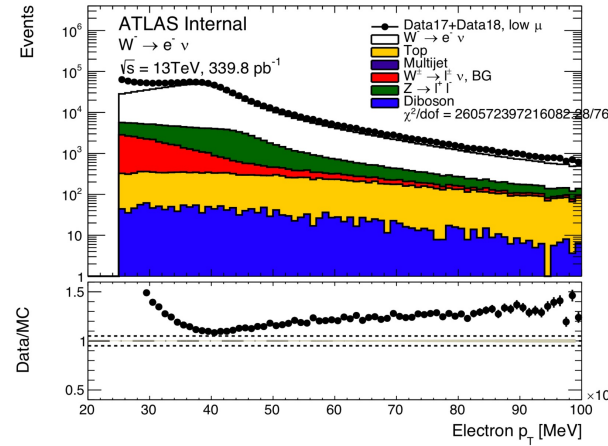
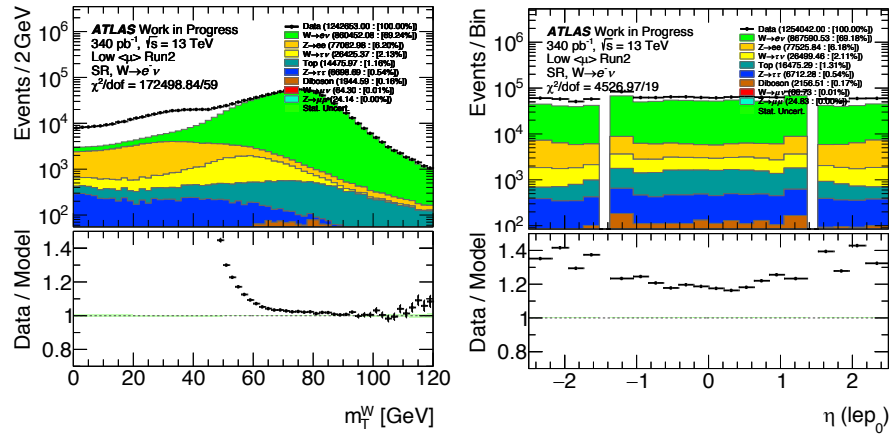
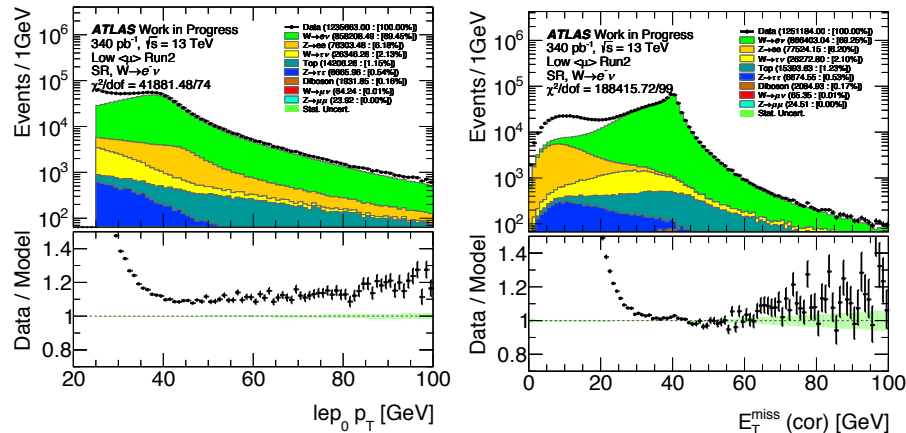
- statistical uncertainty only (expected to be dominant)
- gained a lot of  $A_i$  sensitivity by relaxing cuts on MET and  $m_{T,W}$  in our signal region
- but also a lot of background...

$W^+ \rightarrow e^+ + \nu_e$					
Cut	No. of Data Events	No. of Signal Events	No. of EW Bkg Events	No. of MJ Events	Signal/Data
lepPt > 25 GeV	2452868	1314812	170669	967387	0.54
lepPt > 25 GeV Electron Tight iD	1965857 (0.8)	1214360 (0.92)	155216 (0.91)	596281 (0.62)	0.62 (+15%)
lepPt > 25 GeV Electron Tight iD topoetcone20/lepPt < 0.05	1525477 (0.62)	1099013 (0.84)	140191 (0.82)	286273 (0.3)	0.72 (+33%)

We now cut on two isolation variables (track- & calo-based) and use tight Electron ID  
 → reject 70% (65%) of MJ background in e ( $\mu$ ) channel !

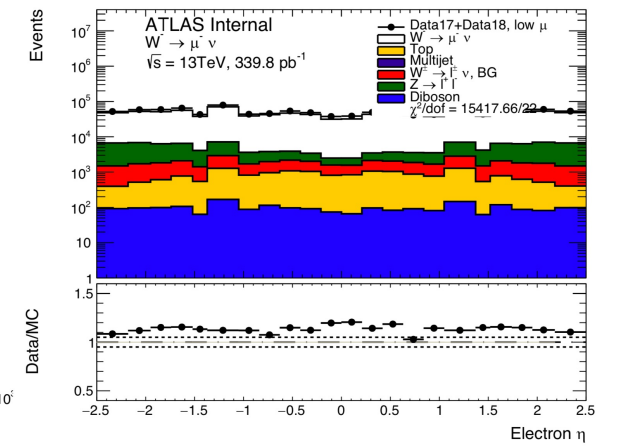
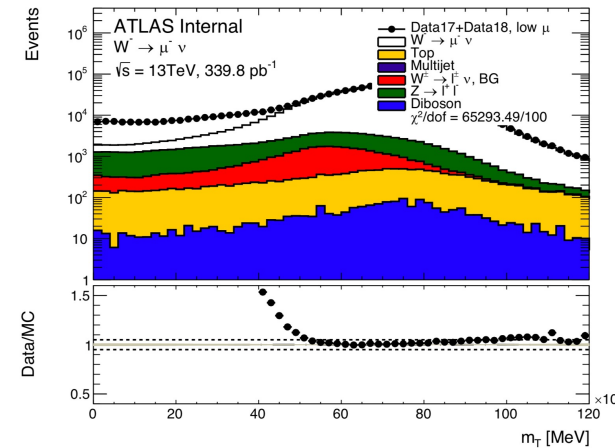
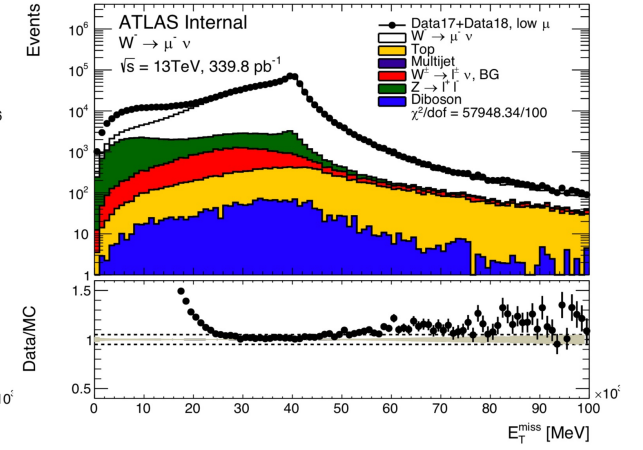
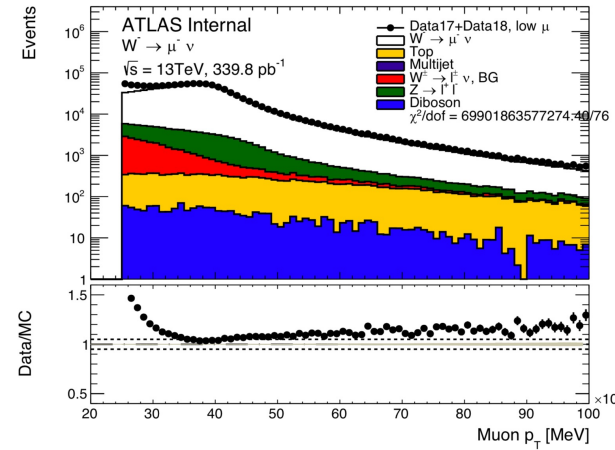
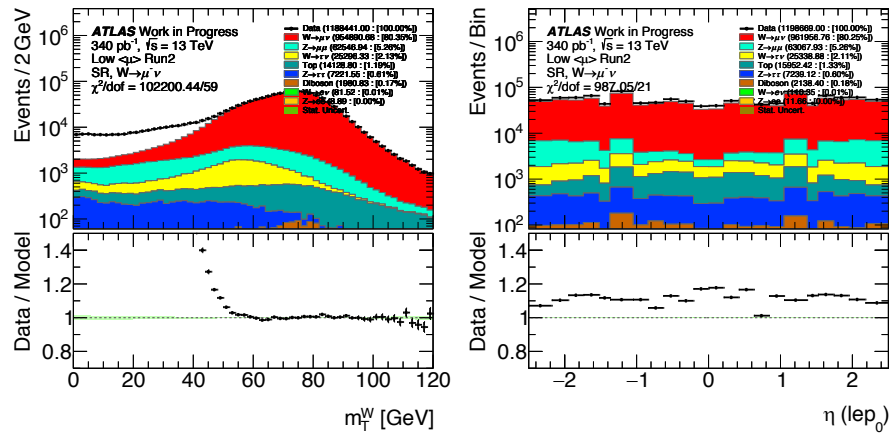
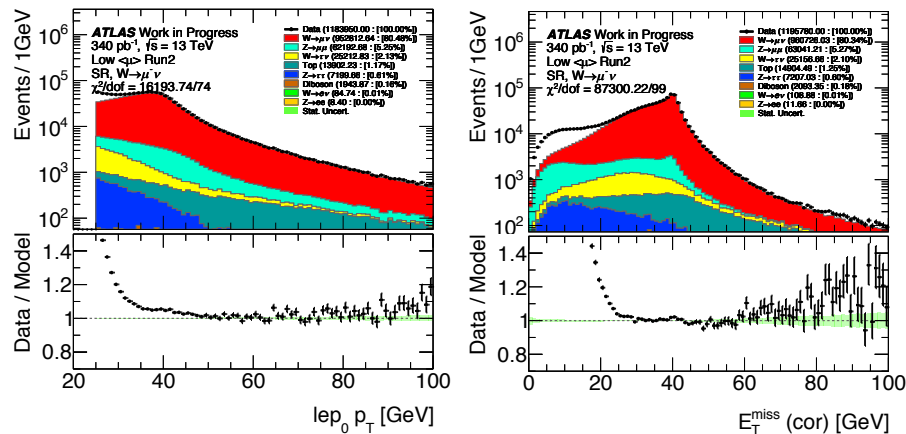
New selection had required new SF: [slides](#)

# Validation using Craig's plots ( $W \rightarrow e^- \nu$ )



- Able to reproduce Craig's plots using xTR.
- No pt reweighting applied

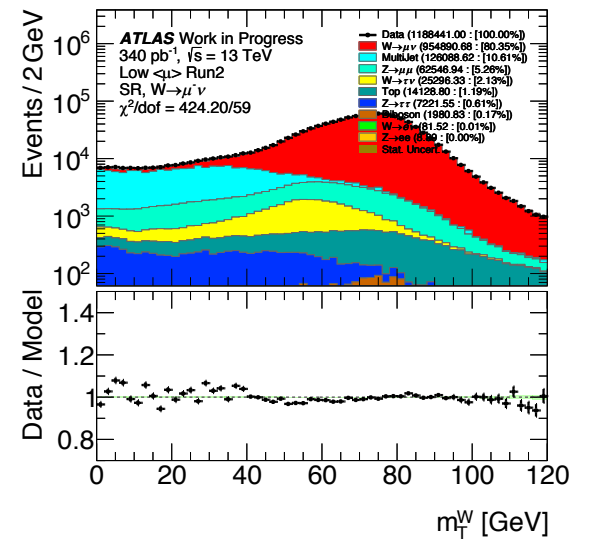
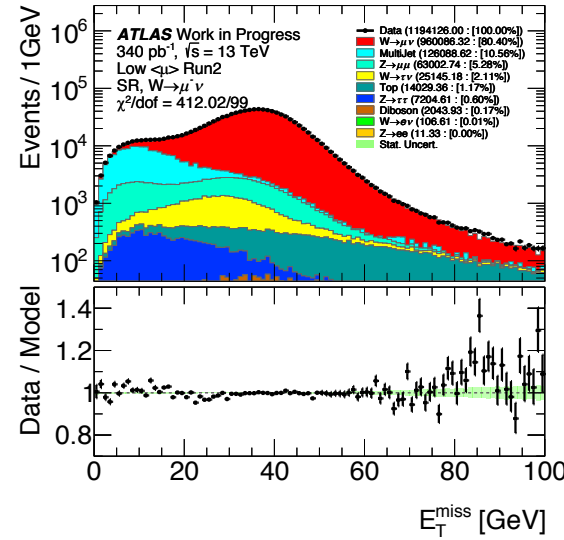
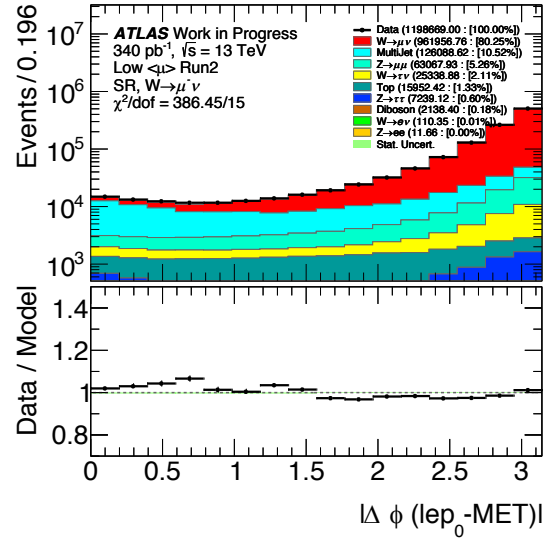
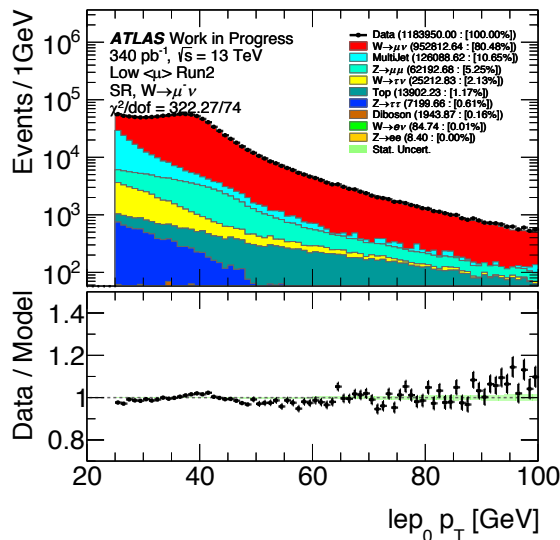
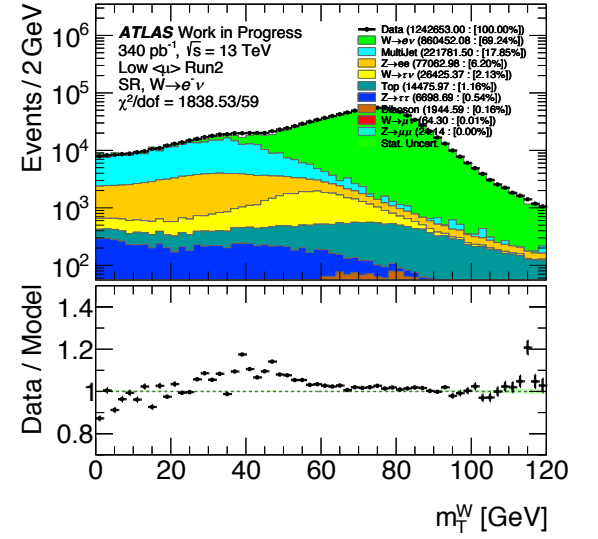
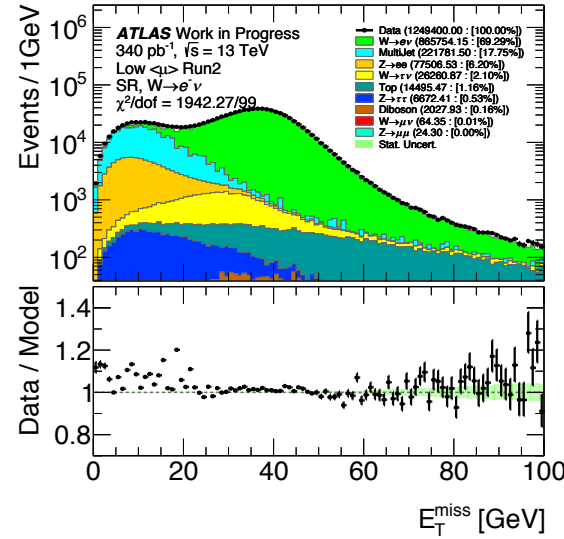
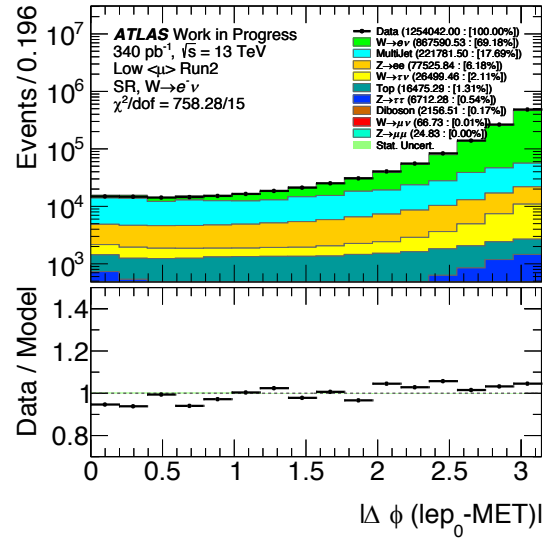
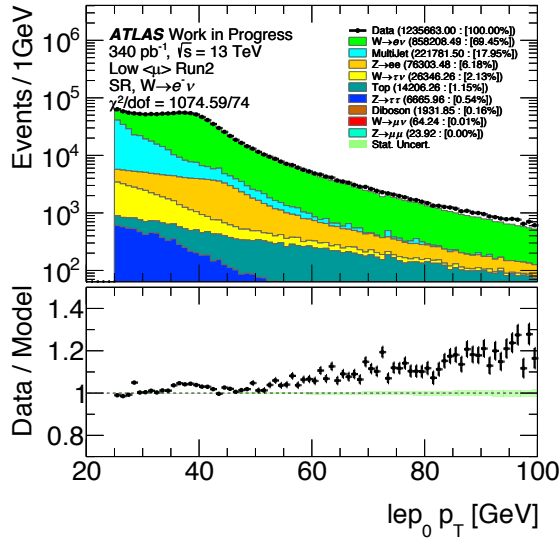
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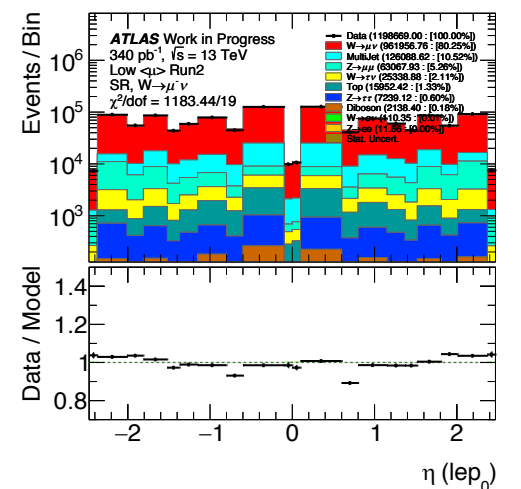
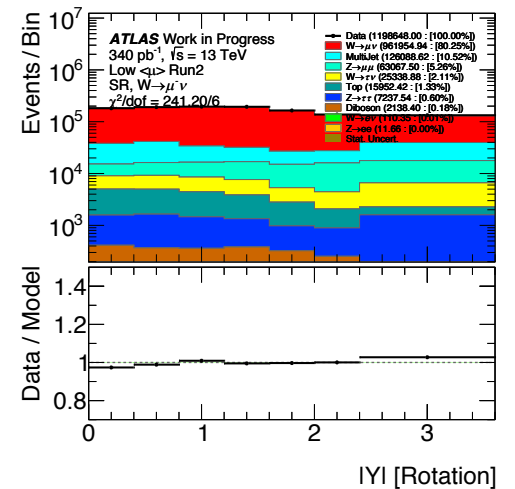
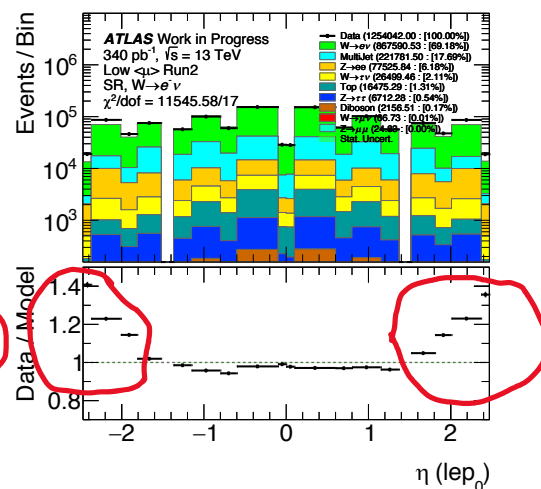
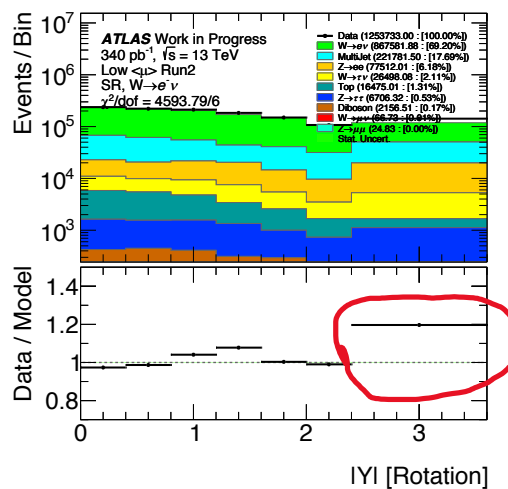
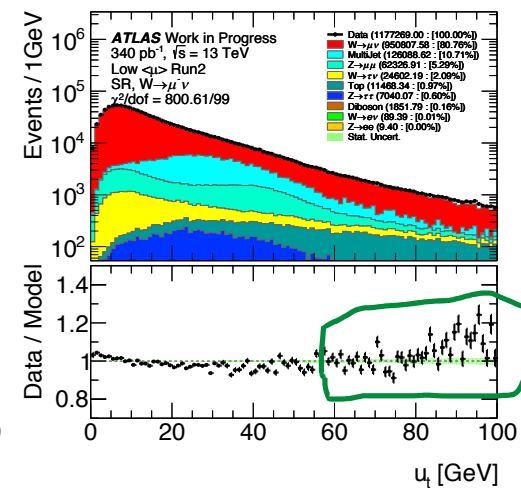
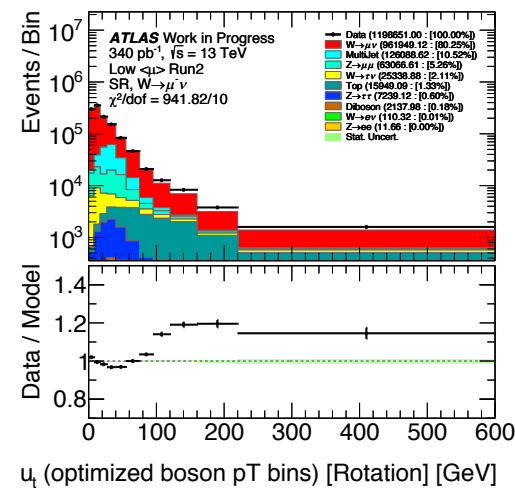
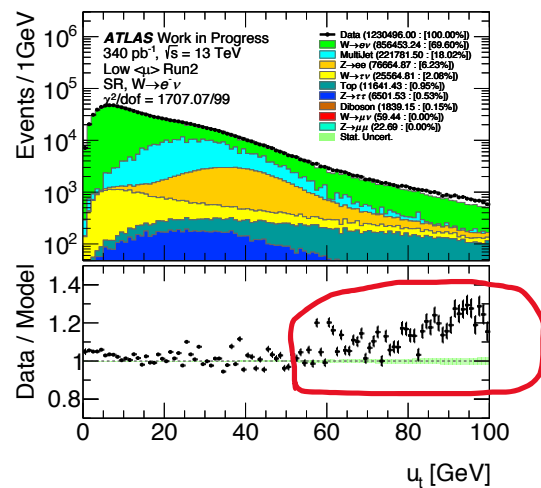
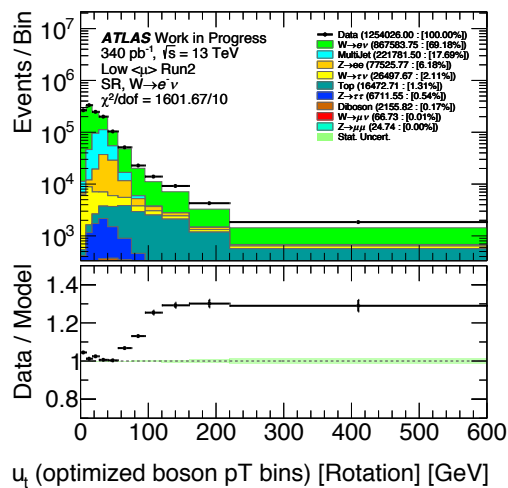
# Control plots with PTRW

 1<sup>st</sup>/3 tasks from Daniel





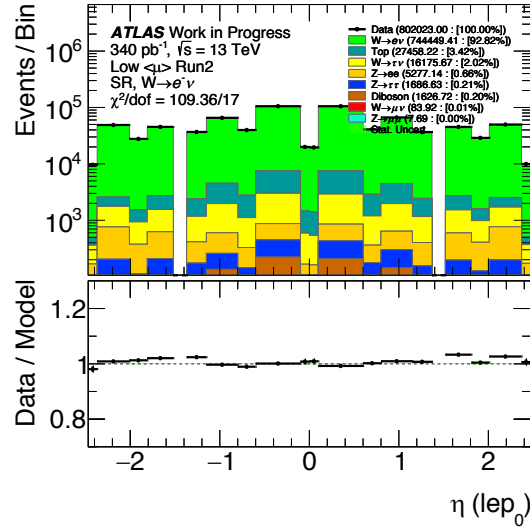
# Current issues



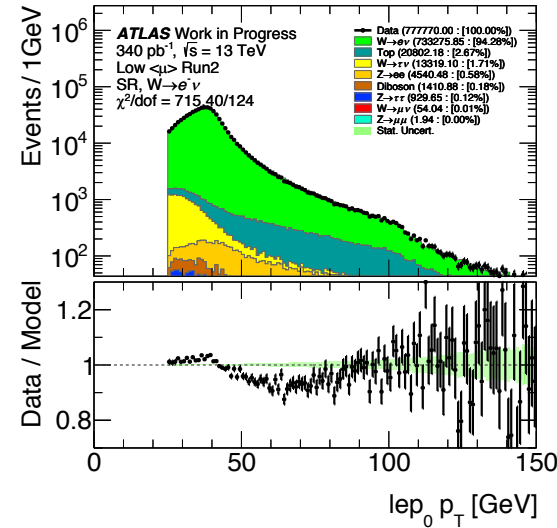
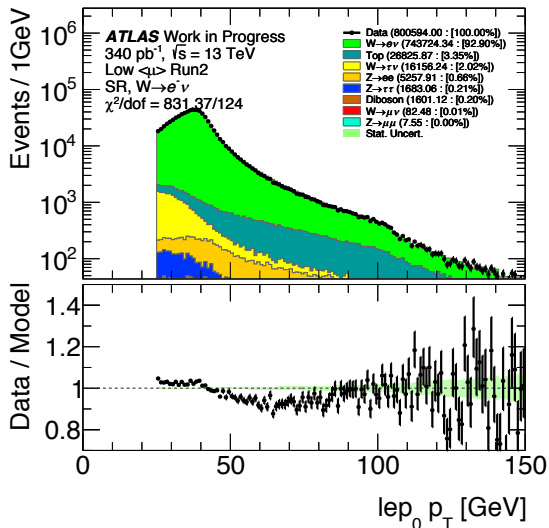
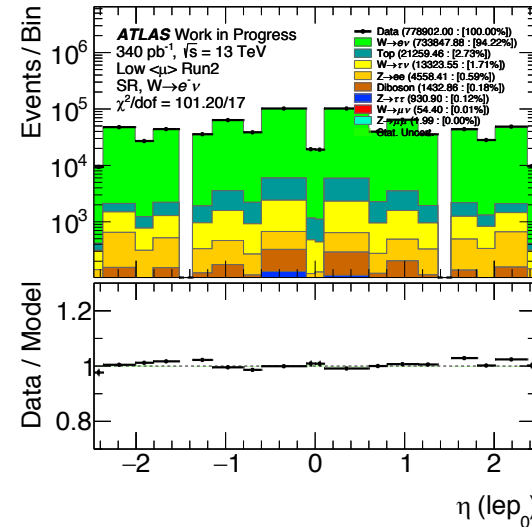
- See  $u_T$  problems in electrons and not muons:
  - ruled out the possibility that the problem is caused by the signal modeling. Is it coming from MJ?

# Studies on MET and mT cuts

Wai SR & MET > 25 GeV

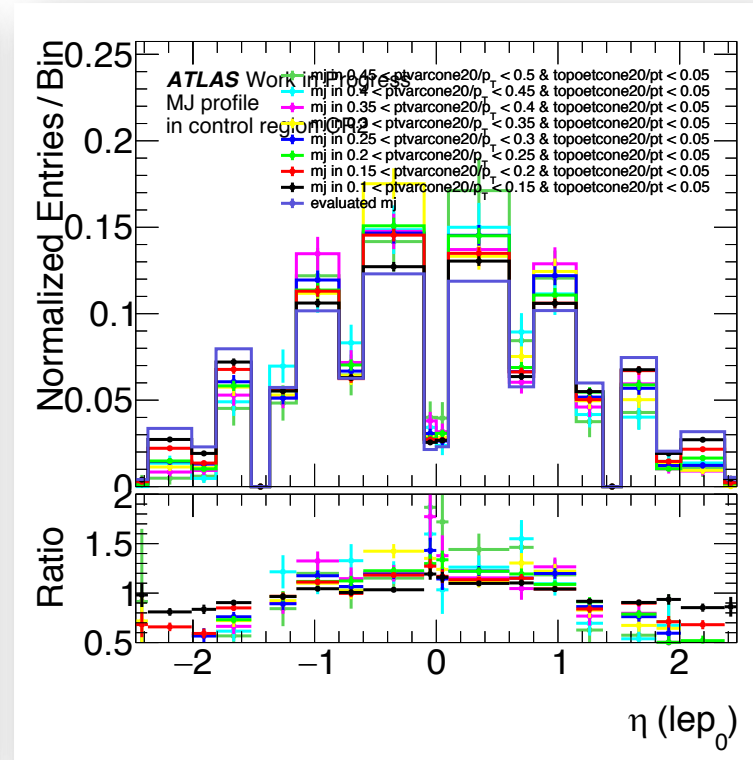
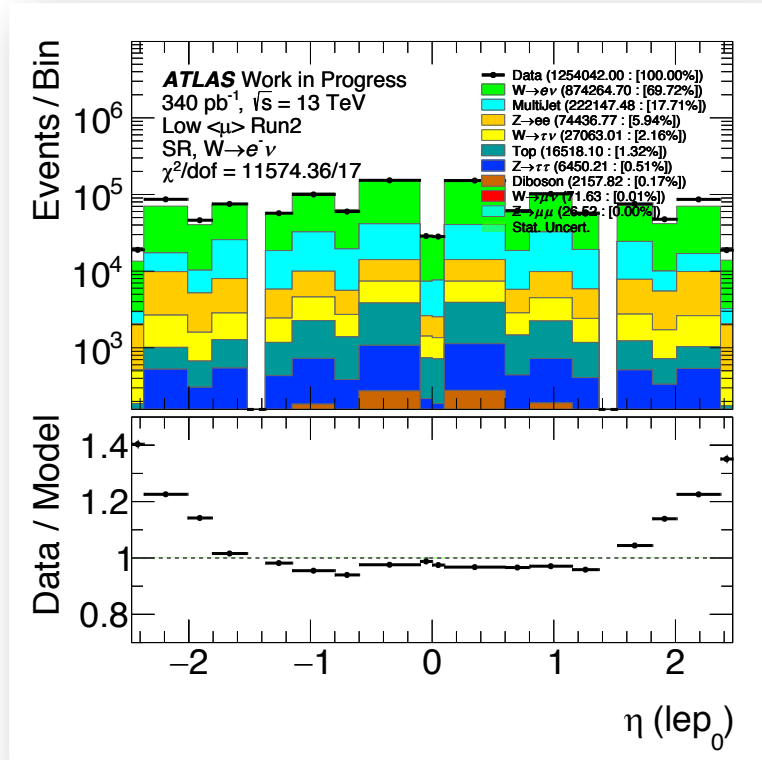


SR & MET > 25 GeV & mT > 50 GeV

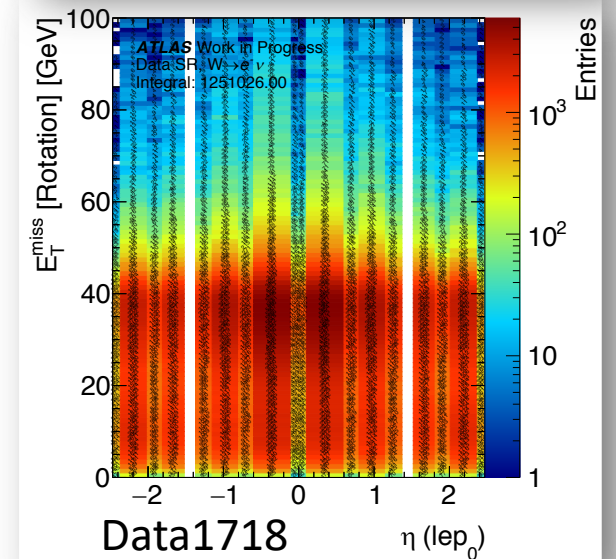
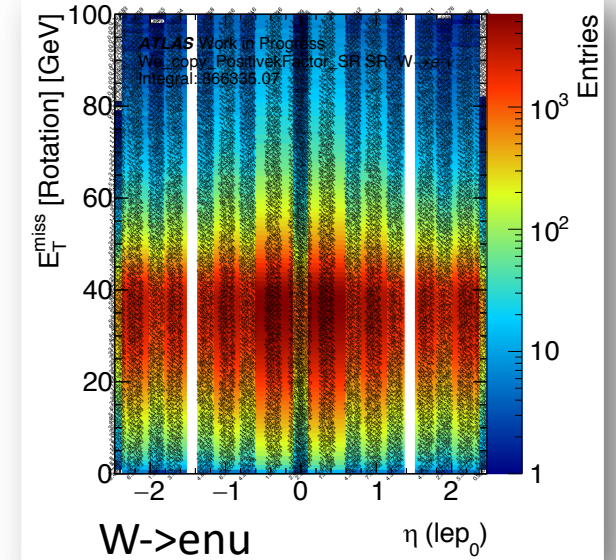


- Moving to the pTW analysis kinematics we see great Data/MC agreement
  - MJ contribution is around 0.5%
  - MJ yield is different from pTW analysis because we have tighter ID and iso selection
- Do we have some SF implemented in the HistMaker that are working incorrectly for our relaxed signal region?

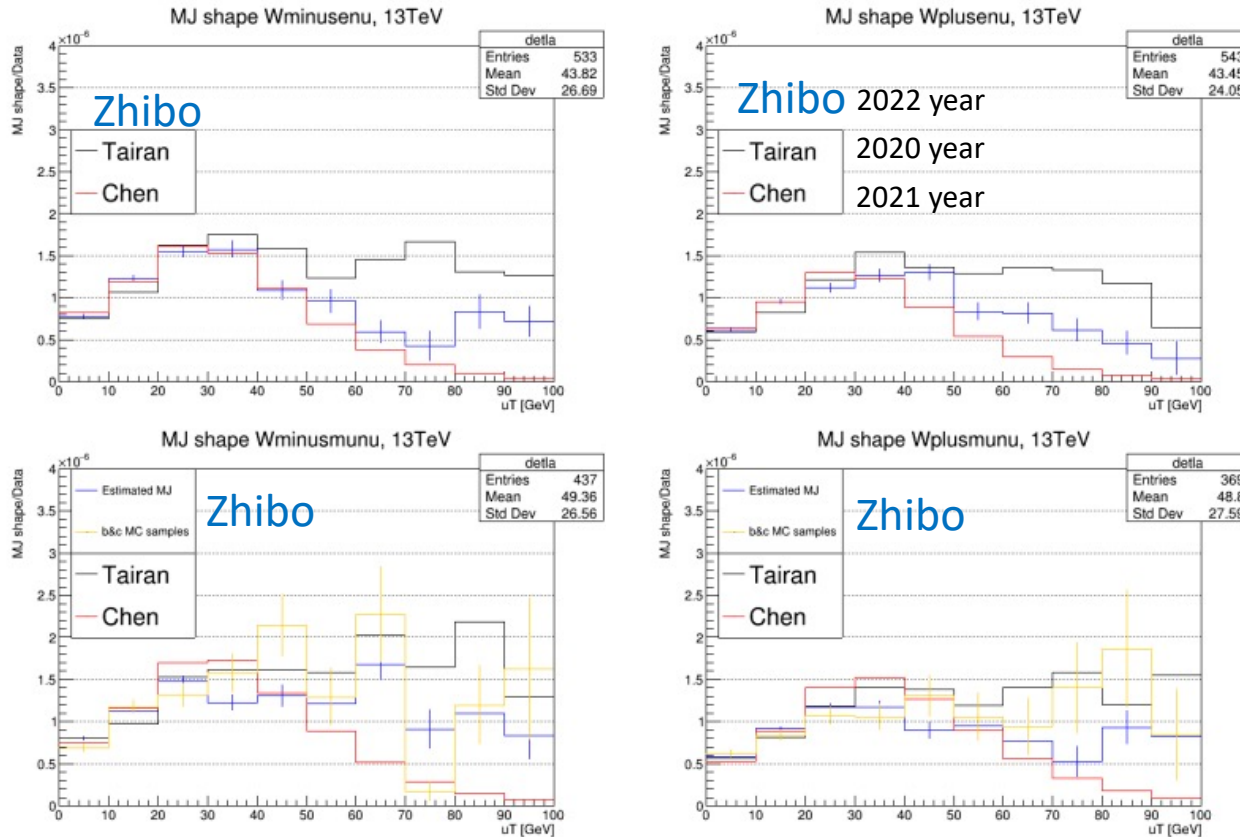
# Leading lepton eta distribution



Where eta lepton discrepancy comes from?

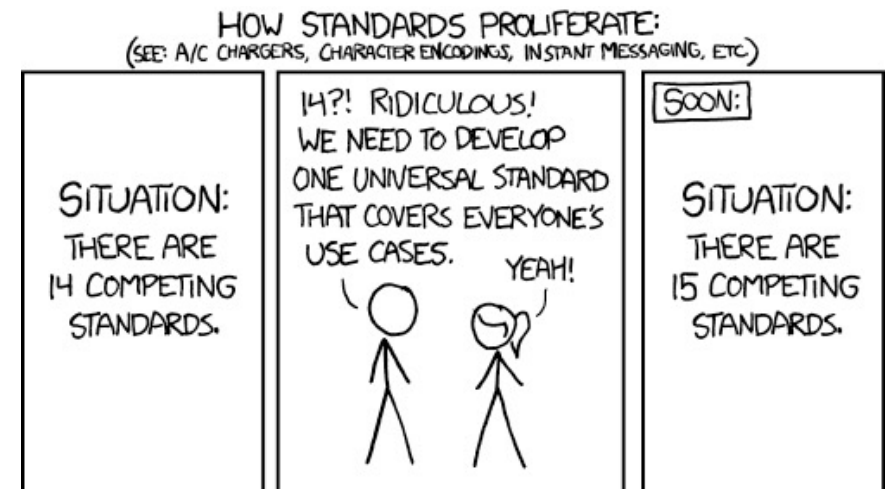


# pTW analysis faces the same uT problem



From [Zhibo Wo talk](#)

- **Main goals:**
  - Validate MJ estimation algorithm Wai analysis uses
  - Resolve  $u_T$  tail issue which is common for both analysis
- **Rerunning analysis using latest HistMaker version for pTW analysis selection**
  - expect to reproduce Zhibo's results
  - Rolling back to older HistMaker versions might help to find where impact comes from
- **Hope we will match with Zhibo, otherwise...**



# pTW analysis selection

## Electrons preselection:

- $p_T > 15$  GeV (supporting note says 18 GeV)
- Vertexing cut:  $|\Delta z_0| < 0.5$  &&  $|d_0^{sig}| < 5$ .
- Crack cut:  $|\eta| \leq 1.37$  or  $|\eta| \geq 1.52$
- Eta cut:  $|\eta| \leq 2.47$
- Medium ID:  $el\_isMedium == 1$

## HistMaker's selection for NTuples:

- Charge:  $elcut\_charge[0] < 0$
- One electron:  $elcut\_n == 1$
- Electron trig matched:  $elcut\_triggerMatched[0] == 1$
- $p_T^e > 25$  GeV:  $elcut\_tlv[0].Pt() > 25000$

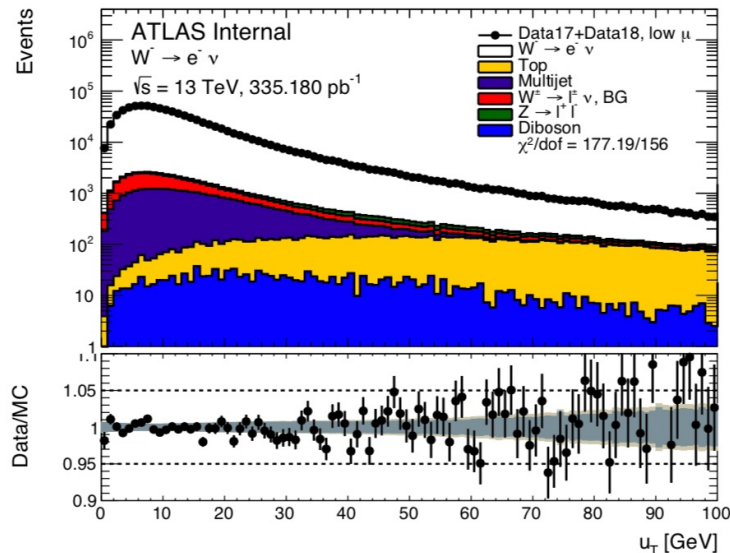
## xTauReader's selection on NTuples:

### SR:

- $E_T^{miss} > 25$  GeV ( $m\_treeOut \rightarrow met\_tlv$ )
- $m_T^{W, reco} > 50$  GeV ( $m\_treeOut \rightarrow recoW\_mT$ )
- $ptvarcone20/pt < 0.1$

### CR2:

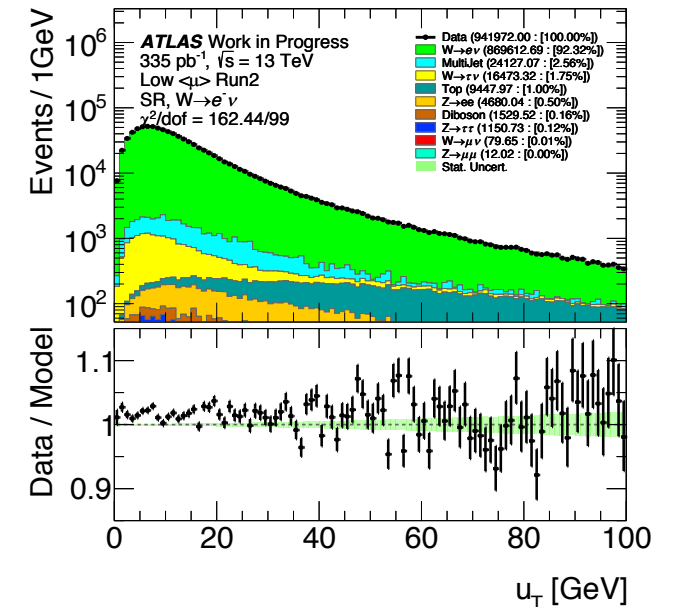
- $E_T^{miss} > 25$  GeV ( $m\_treeOut \rightarrow met\_tlv$ )
- $m_T^{W, reco} > 50$  GeV ( $m\_treeOut \rightarrow recoW\_mT$ )
- $ptvarcone20/pt > 0.1$



Cut	Data	Signal	$W^+ \rightarrow \ell^+ \nu$ BG	$Z \rightarrow \ell\ell$	Top	Diboson	Multijet
One electron	7471742	1323710 ± 330	78230 ± 230	140980 ± 140	61951 ± 86	3059 ± 58	-
Electron trig matched	7402574	1267710 ± 330	72240 ± 230	133580 ± 140	59950 ± 85	2968 ± 57	-
Isolation	4949352	1260540 ± 330	71550 ± 230	132740 ± 140	58689 ± 84	2937 ± 57	-
$p_T^e > 25$ GeV	2113364	1053510 ± 300	39660 ± 160	101350 ± 110	52923 ± 79	2544 ± 53	-
$E_T^{miss} > 25$ GeV	1008915	900640 ± 280	25900 ± 130	7954 ± 45	45065 ± 73	1962 ± 48	-
$m_T > 50$ GeV	949362	887810 ± 270	22400 ± 120	6052 ± 35	34177 ± 64	1695 ± 44	27400 ± 2000

Table 6: Analysis cut flow for  $W^- \rightarrow e^- \nu$  13 TeV signal selection. The minimum lepton  $p_T$  required before the final  $p_T$  cut is 18 GeV.

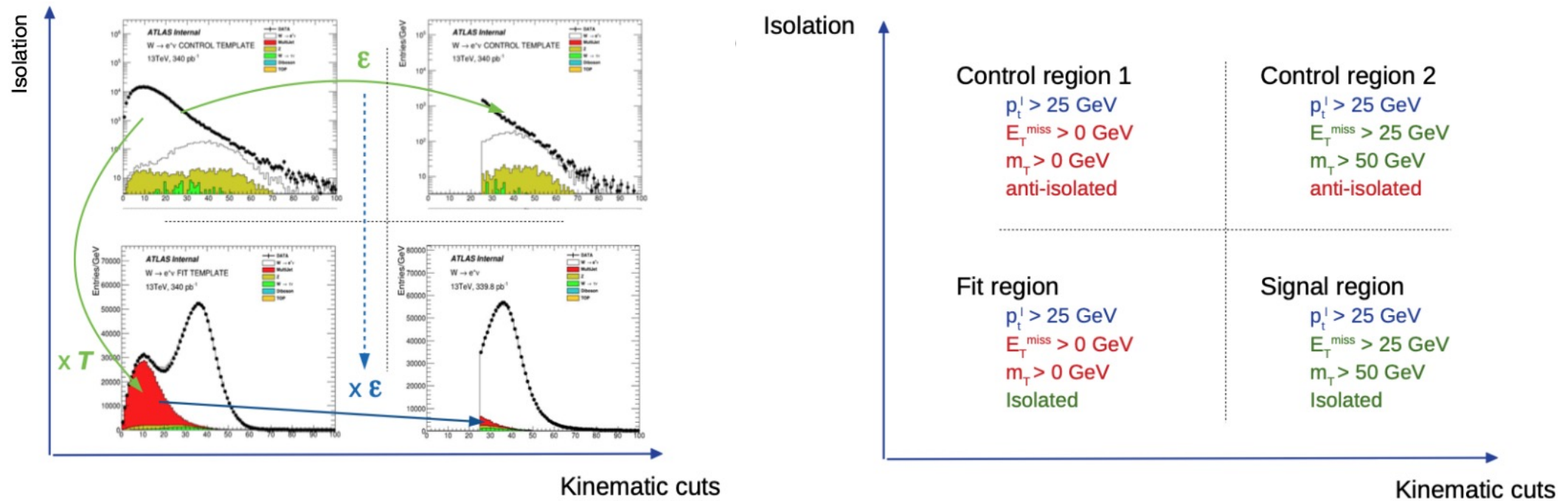
<https://cds.cern.ch/record/2632159?>



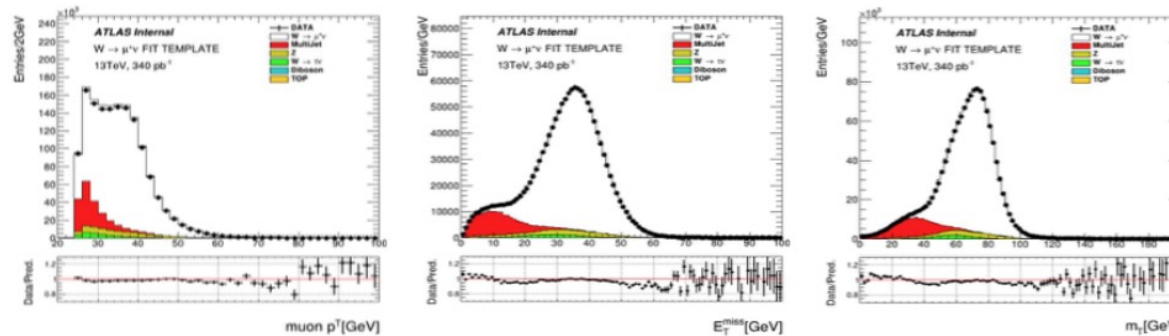
---

MJ

# MJ estimate in low-mu WpT analysis



$p_t^l, E_{T \text{ miss}}, m_T$  all carry discriminating power

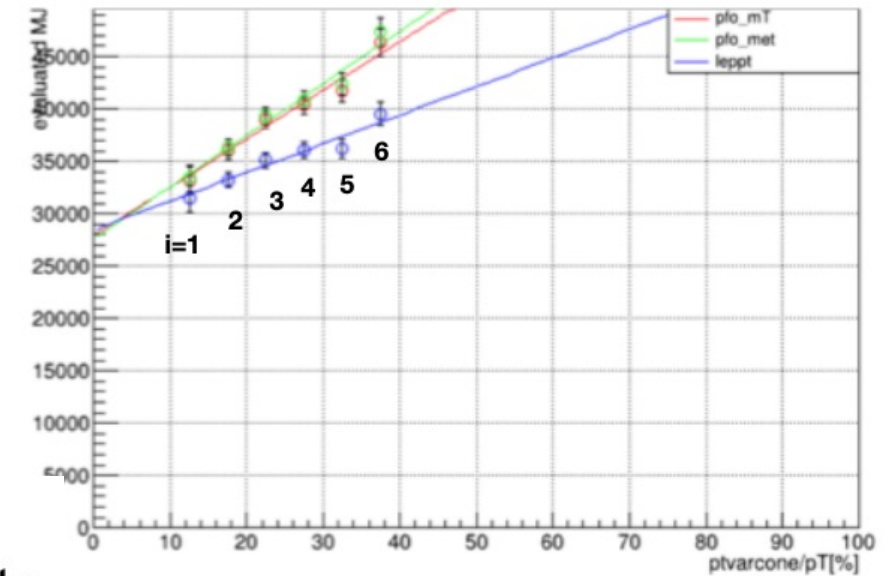


## MJ Normalization:

- repeat MJ estimation for different anti-isolation slices ( $CR_i$ )
- fit linear function
- extrapolate back to the SR

## MJ Template Shape:

- MJ distributions in  $CR_i$  don't match their SR counterparts
- bin-by bin linear shape extrapolation
- assign 100% uncertainty



$$\begin{aligned}
 \text{[SR]} &= \text{[CR1]} - \frac{1}{2} \left[ (\text{[CR1]} - \text{[CR2]}) + (\text{[CR2]} - \text{[CR3]}) \right] \\
 \text{[SR]} &= \pm \frac{1}{2} \left[ (\text{[CR1]} - \text{[CR2]}) + (\text{[CR2]} - \text{[CR3]}) \right]
 \end{aligned}$$

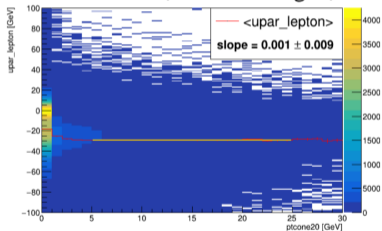


# The $ptcone20$ recoil correction for $W \rightarrow e^- \nu$

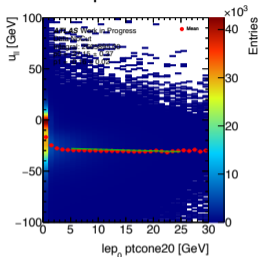
Applying  $ptcone$  correction :

$$k = 1.179$$

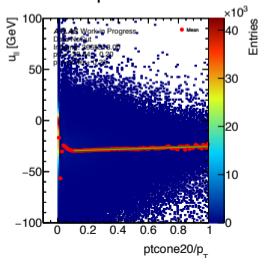
By Zhibo ( $SR + CR_{tight}$ ):



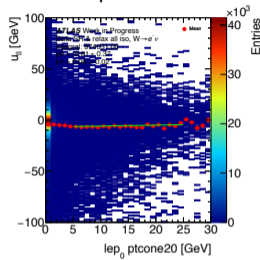
HistMaker's selection:  
slope = -0.16



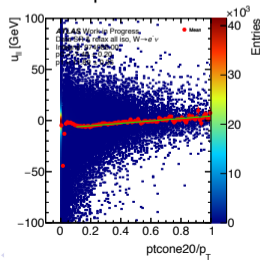
slope = 4.46



SR + CR2  
(no isolation cut):  
slope = 0.09



slope = 11.89



- What selection is behind  $SR + CR_{tight}$ ?

# Calculate MJ template shape: $W \rightarrow e^- \nu$ channel

In assumption, extrapolation is linear:

$$H_{MJ}^{[0.A,0.B]}[X] = H_{Data}^{[0.A,0.B]}[X] - H_{MC}^{[0.A,0.B]}[X]$$

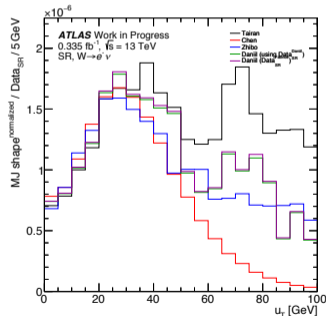
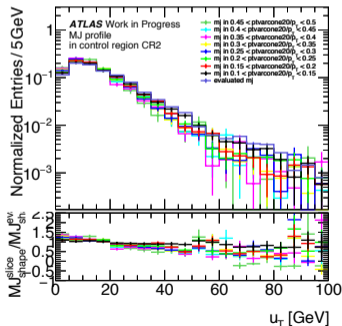
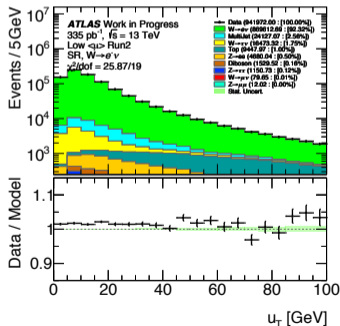
$$\Delta H[X] = \frac{1}{4} \{ (H_{MJ}^{0.1,0.15} - H_{MJ}^{0.15,0.2}) + (H_{MJ}^{0.2,0.25} - H_{MJ}^{0.25,0.3}) + (H_{MJ}^{0.3,0.35} - H_{MJ}^{0.35,0.4}) + (H_{MJ}^{0.4,0.45} - H_{MJ}^{0.45,0.5}) \}$$

$$H_{MJ}^{sig}[X] = H_{MJ}^{0.1,0.15}[X] + 2 \cdot \Delta H[X]$$

However, some *iso*-bins shows non-linear behaviour.

- Compared my MJ shape with both Data shapes from SR:

- My Data shape in SR
- Data shape provided by Fabrice:  
 ../v20210602\_fbali\_prod\_pTAnalysis/  
 pTAnalysis\_wminusenu\_DATA\_13TeV/  
 Nominal/data1718\_WZ\_lowMu\_repro\_13TeV.root



# Calculate MJ template shape in 3 slices: $W \rightarrow e^- \nu$ channel

Limit  $\bar{anti}$ -isolation slices scan to 3 bins:  $Binning(3, 0.1, 0.4)$

$$H_{MJ}^{[0.A,0.B]}[X] = H_{Data}^{[0.A,0.B]}[X] - H_{MC}^{[0.A,0.B]}[X]$$

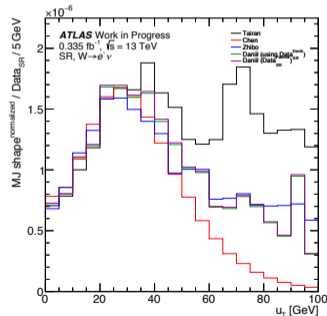
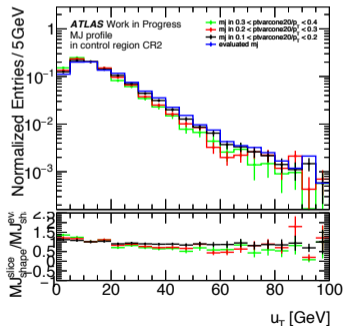
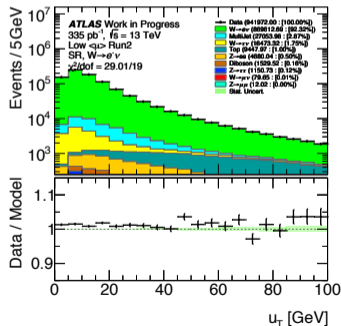
$$\Delta H[X] = \frac{1}{2} \{ (H_{MJ}^{0.1,0.2} - H_{MJ}^{0.2,0.3}) + (H_{MJ}^{0.2,0.3} - H_{MJ}^{0.3,0.4}) \}$$

$$H_{MJ}^{sig}[X] = H_{MJ}^{0.1,0.2}[X] + \Delta H[X]$$

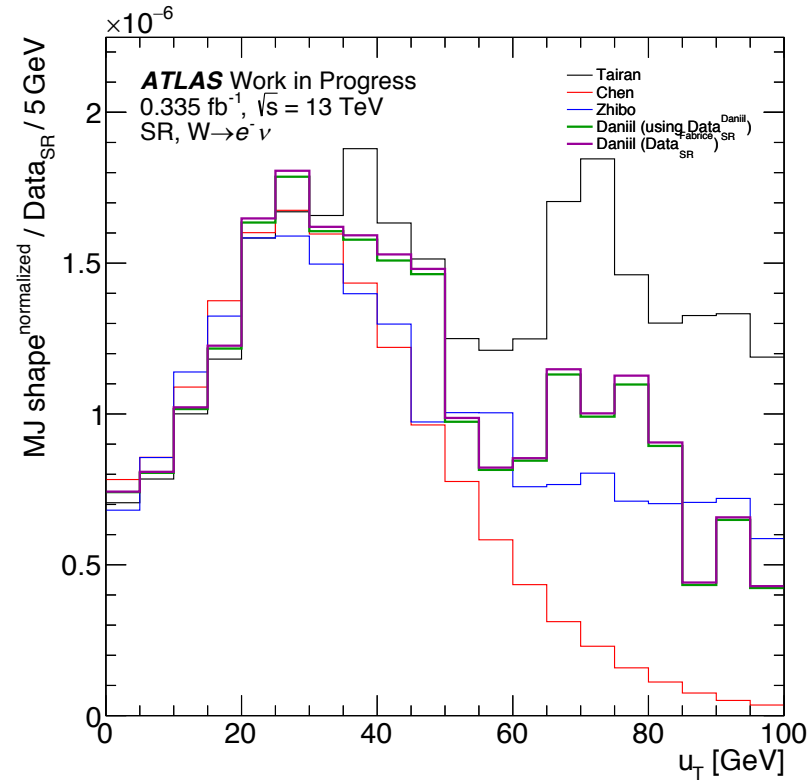
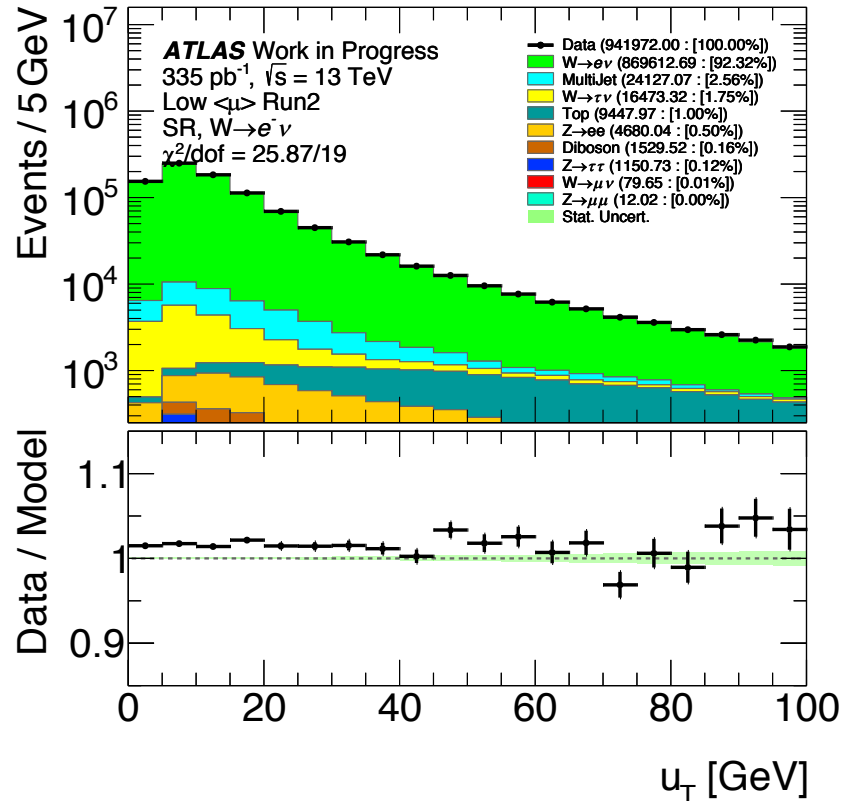
However, some  $\bar{iso}$ -bins shows non-linear behaviour.

• Compared my MJ shape with both Data shapes from SR:

- ▶ My Data shape in SR
- ▶ Data shape provided by Fabrice:  
 ../v20210602\_fbali\_prod\_pTAnalysis/  
 pTAnalysis\_wminusenu\_DATA\_13TeV/  
 Nominal/data1718\_WZ\_lowMu\_repro\_13TeV.root



# Reproducing pTWanalysis

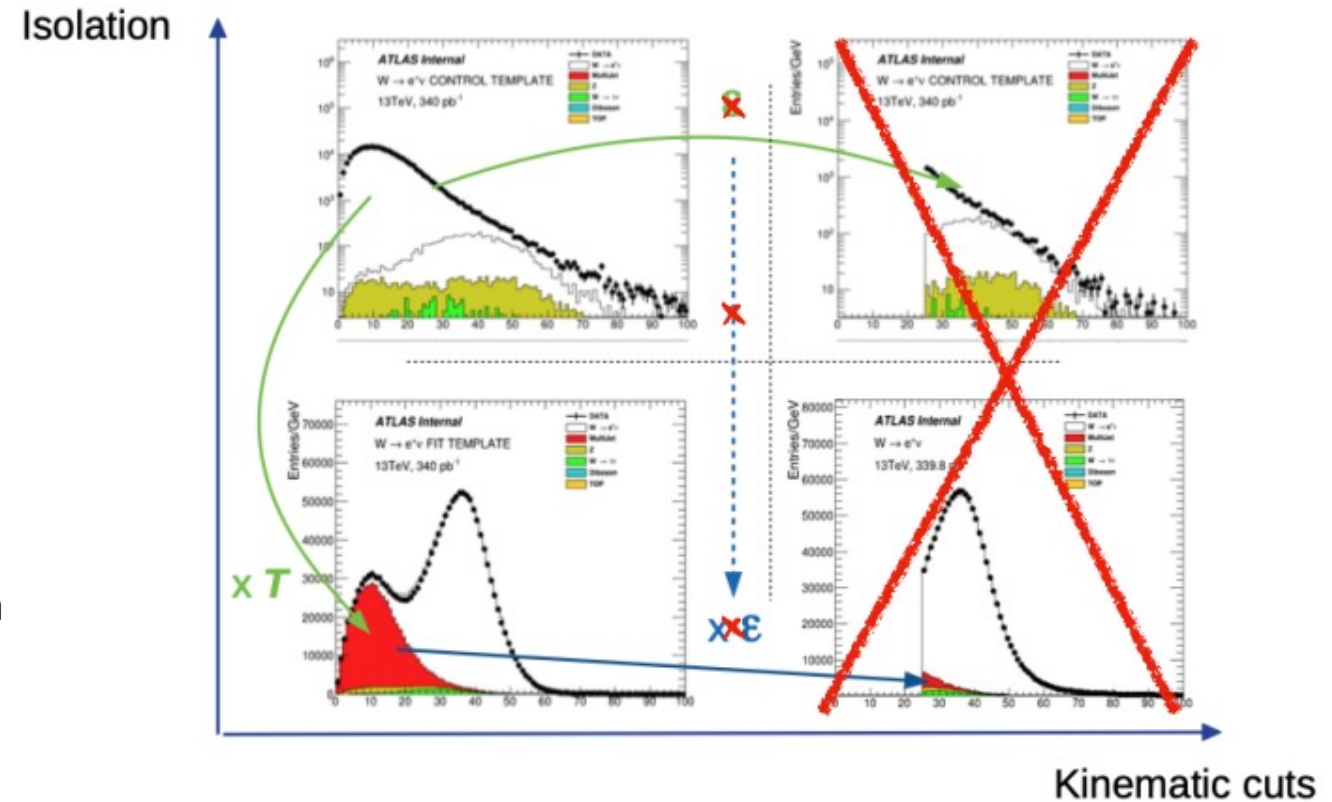


- **Have to check data samples on DESY**
  - Might be some Data files are missing
- **My results are close to Zhibo's**
  - Doesn't mean results are correct.
  - Just a smoking gun that issue somewhere on MiniTreeMaker or HistMaker side
- ...

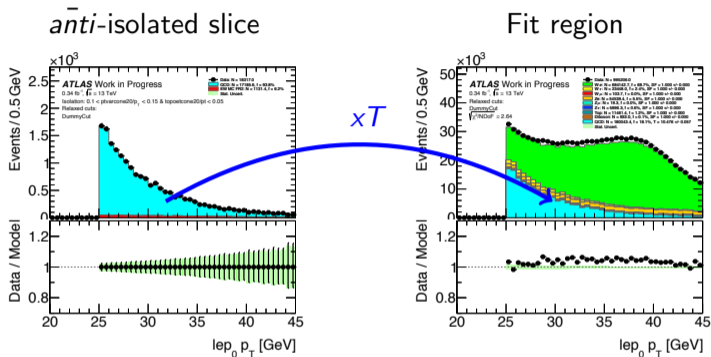
# MJ estimate in W*A*i

## 1) Selection

- relaxed cuts on MET or  $m_{T,W}$  in our signal region
- cut on track-based isolation ( $pt_{varcone20}/pt < 0.1$ ) & calo-based isolation ( $TopoETcone20/p_T < 0.05$ )
- cannot use our signal region directly to derive templates (dominated by signal modelling)
- define CR to extract MJ shape:
  - relax only track isolation
- define anti-isolation slices based on track isolation



# MJ background in W-Ai analysis

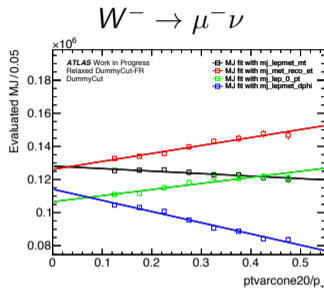
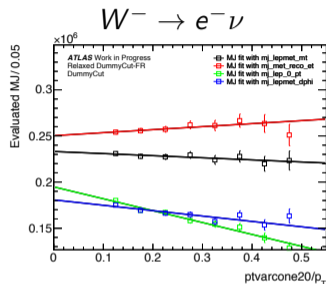


## Note for $W^- \rightarrow e^- \nu$

- The EWK contamination in the 1<sup>st</sup> isolation slice is 6.2%
- 5.2% comes from the signal
- for muons we have almost the same

- Two steps to get MJ background:
  - ▶ Calculate MJ normalization:
    - ★ repeat MJ estimation for different anti-isolation slices
    - ★ fit linear function
    - ★ extrapolate back to SR
  - ▶ Calculate MJ template shape:
    - ★ MJ distributions in  $\bar{i}$ so-slices don't match SR shape
    - ★ apply bin-by-bin linear shape extrapolation
    - ★ assign 100% uncertainty
- Use 4 discriminative variables:
  - ▶  $p_T$ ,  $m_T$ ,  $E_T^{miss}$  and  $|\Delta\phi(\ell - MET)|$
- Use 8 slicing bins in  $ptvarcone20/pt$ :
  - ▶ Binning(8, 0.1, 0.5)
- In the fit use fixed EWK background normalization.
- Isolation  $ptvarcone20/pt$  slices for  $W^- \rightarrow e^- \nu$  for all 4 variables are on Slides 21, 22, 23 and 24.

# Calculate MJ normalization in the signal region



- The error bars are multiplied by  $\sqrt{\chi^2/NDoF}$
- Take final MJ yield as mean at  $ptvarcone20/pt = 0.025$
- Less MJ background contribution for muon channel (as expected)
- Dominant MJ yield uncertainty comes from intersection point
- For now we don't use  $u_T$  slicing as pTW analysis does:

- ▶ To improve yields precision might also consider to use set of  $u_T$  cuts to take control over jets activity:  $[15, 20, 25, 30, 35, 40, \text{None}]$

$W^- \rightarrow e^- \nu$	Signal region
<b>Total Number of MJ bkg</b>	<b>213593</b>
Luminosity and cross section	774 (0.36%)
Intersection point	37474 (17.54%)
Extrapolation target	1109 (0.52%)
Choice of hists	12492 (5.82%)
Isolation correction	NaN
<b>Correlated Uncertainty</b>	<b>39542 (18.5%)</b>

$W^- \rightarrow \mu^- \nu$	Signal region
<b>Total Number of MJ bkg</b>	<b>118754</b>
Luminosity and cross section	405 (0.34%)
Intersection point	11269 (9.49%)
Extrapolation target	15 (0.01%)
Choice of hists	3756 (3.16%)
Isolation correction	NaN
<b>Correlated Uncertainty</b>	<b>11275 (9.49%)</b>

# Calculate MJ template shape

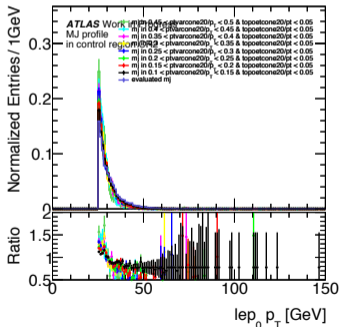
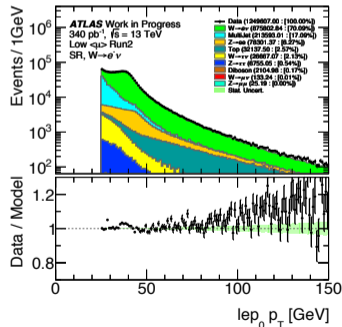
- Calculate shape correction using isolation slices for final MJ templates
- Given the large statistical uncertainty and the linear approximation used, the shift  $\Delta H[X]$  applied is assigned a 100% relative uncertainty

In assumption, extrapolation is linear:

$$H_{MJ}^{[0.A,0.B]}[X] = H_{Data}^{[0.A,0.B]}[X] - H_{MC}^{[0.A,0.B]}[X]$$

$$\Delta H[X] = \frac{1}{4} \{ (H_{MJ}^{0.1,0.15} - H_{MJ}^{0.15,0.2}) + (H_{MJ}^{0.2,0.25} - H_{MJ}^{0.25,0.3}) + (H_{MJ}^{0.3,0.35} - H_{MJ}^{0.35,0.4}) + (H_{MJ}^{0.4,0.45} - H_{MJ}^{0.45,0.5}) \}$$

$$H_{MJ}^{sig}[X] = H_{MJ}^{0.1,0.15}[X] + 2 \cdot \Delta H[X]$$



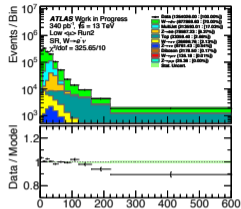
$W^- \rightarrow e^- \nu$	Signal region
<b>Total Number of MJ bkg</b>	<b>213593</b>
Data Stat.	1546 (0.72%)
MC Stat.	2120 (1%)
Shape Correction	3236 (1.52%)
<b>Uncorrelated Uncertainty</b>	<b>4166 (1.95%)</b>

$W^- \rightarrow \mu^- \nu$	Signal region
<b>Total Number of MJ bkg</b>	<b>118754</b>
Data Stat.	775 (0.63%)
MC Stat.	924 (0.78%)
Shape Correction	1014 (0.85%)
<b>Uncorrelated Uncertainty</b>	<b>1561 (1.31%)</b>

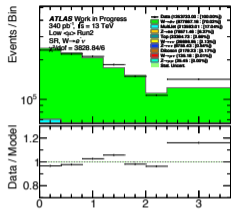
However, some bins shows non-linear behaviour.



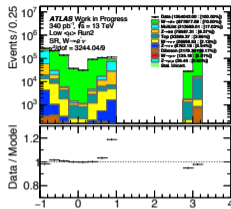
# MJ background: control plots in the Signal Region for $W^- \rightarrow e^- \nu$



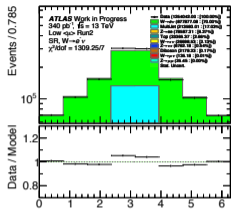
$u_T$  (optimized boson  $p_T$  bins) [Rotation] [GeV]



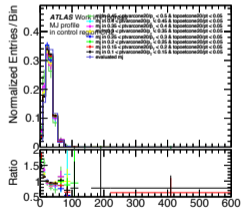
$|Y|$  [Rotation]



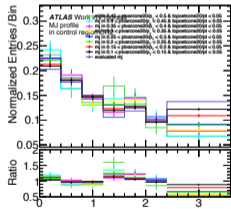
$\cos\theta_{CS}^{\text{reco}}$  [Rotation]



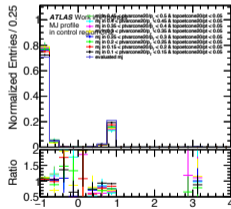
$\phi_{CS}^{\text{reco}}$  [Rotation]



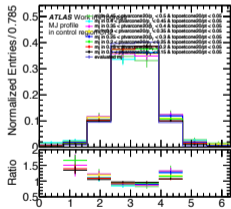
$u_T$  (optimized boson  $p_T$  bins) [Rotation] [GeV]



$|Y|$  [Rotation]



$\cos\theta_{CS}^{\text{reco}}$  [Rotation]

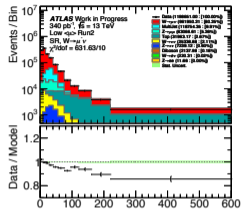


$\phi_{CS}^{\text{reco}}$  [Rotation]

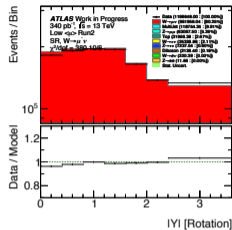
Not good Data/Bkg agreement for  $u_T$  and  $|Y|$  distributions. Problems with  $\cos\theta_{CS}$  in SR.

- tail of  $u_T$  seems to have wrong correction or bad Top modelling? This is also observed for muons (see slide 8).
- high  $|Y|$  region: non linear *iso*-extrapolation effects in MJ?

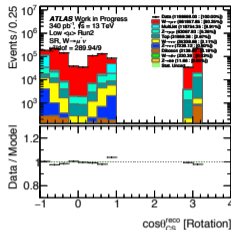
# MJ background: control plots in the Signal Region for $W^- \rightarrow \mu^- \nu$



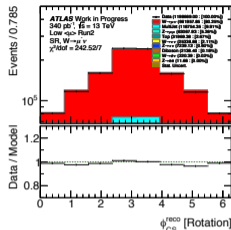
$u_T$  (optimized boson pT bins) [Rotation] [GeV]



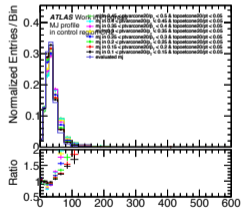
$|Y|$  [Rotation]



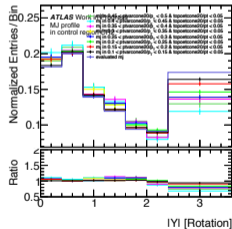
$\cos \theta_{\text{CS}}^{\text{reco}}$  [Rotation]



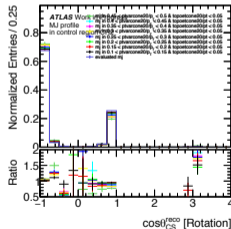
$\phi_{\text{CS}}^{\text{reco}}$  [Rotation]



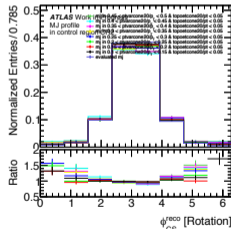
$u_T$  (optimized boson pT bins) [Rotation] [GeV]



$|Y|$  [Rotation]



$\cos \theta_{\text{CS}}^{\text{reco}}$  [Rotation]



$\phi_{\text{CS}}^{\text{reco}}$  [Rotation]

Bearable Data/Bkg agreement except  $u_T$  distribution:

- Might be wrong  $u_T$  correction for  $W$  decay or bad Top modelling.
- Comparing to electrons: high rapidity region works better. No huge discrepancies for  $\cos \theta_{\text{CS}}$  and  $\phi_{\text{CS}}$ .

# Towards MJ in 2D

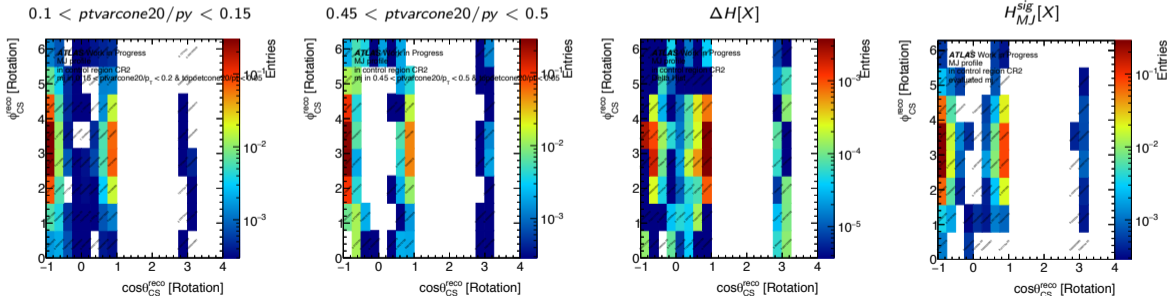
## 2D MJ estimation: general idea

- Same approach as for 1D (bin-by-bin extrapolation), but working with 2D histograms:
    - 1 Calculate 2D shape via isolation extrapolation method in SR
    - 2 Scale derived MJ template by MJ yield from SR (see Slide 5)
  - If possible, use one MJ template from SR along all  $|Y|$  and  $u_T$  bins.
- Example of 2D MJ shape calculations for  $\cos\theta_{CS}^{reco}$  vs.  $\phi_{CS}^{reco}$ :

### Note

Some bins for derived 2D templates are negative.

- Set them to 0.
- More on Slide 25

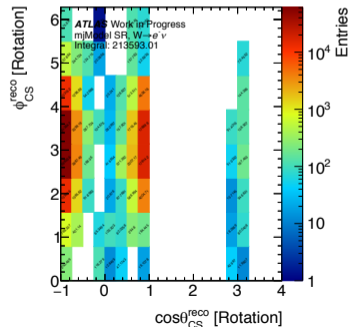
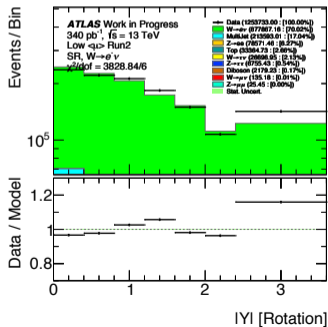
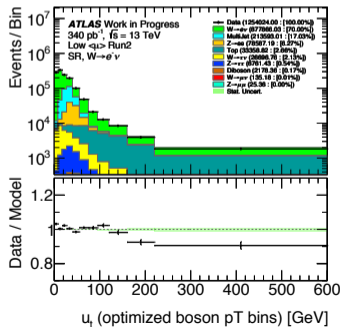


# W-Ai analysis binning and MJ shape

## Signal region binning

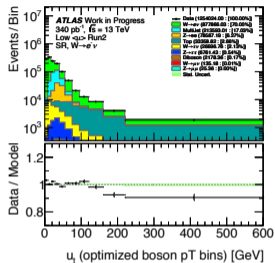
- $u_T$ : [0., 8., 17., 27., 40., 55., 75., 95., 120., 160., 220., 600]
- $|Y|$ : [0, 0.4, 0.8, 1.2, 1.6, 2.0, 2.4, 3.6]
- Have to provide MJ estimation for **18 bins in total**

- Use MJ yield normalization from given bin in 1D distribution
- Use 2D MJ template ( $\cos\theta_{CS}^{reco}$  vs.  $\phi_{CS}^{reco}$ ) derived from SR for all  $u_T$  and  $|Y|$  bins:
  - ▶ as a temporary solution to see if MJ shape from SR would work for all bins.
  - ▶ in short - it doesn't work for electrons (slides 12 and 15).

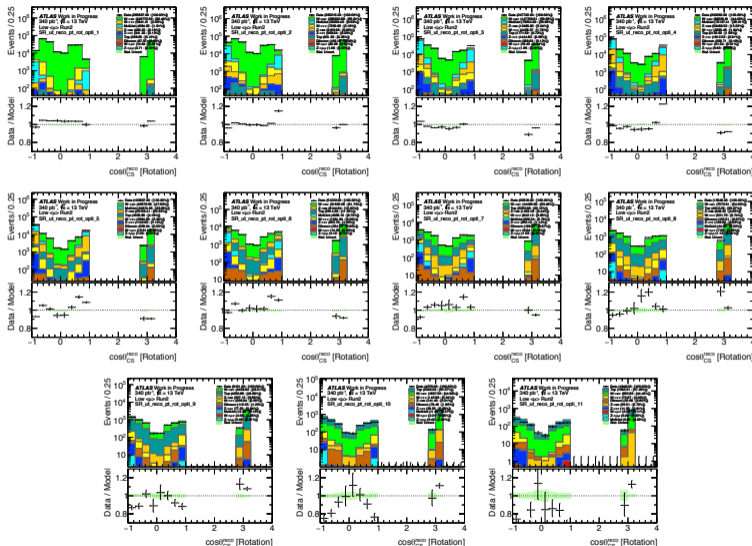


# MJ agreement: $\cos\theta_{CS}^{reco}$ as function of $u_T$ bins

Binning variable:

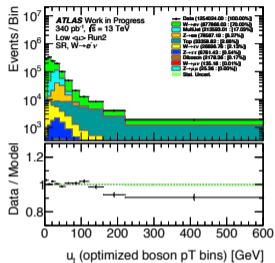


- Use  $\cos\theta_{CS}^{reco}$  MJ template from SR for all  $u_T$  bins
- MJ yield normalization is provided by MJ yield in given  $u_T$  bin
- In the MJ populated  $u_T$  bins (2,3 and 4) Data/Bkg prediction discrepancy  $\sim 20\%$  at the  $\cos\theta_{CS}^{reco}$  tails

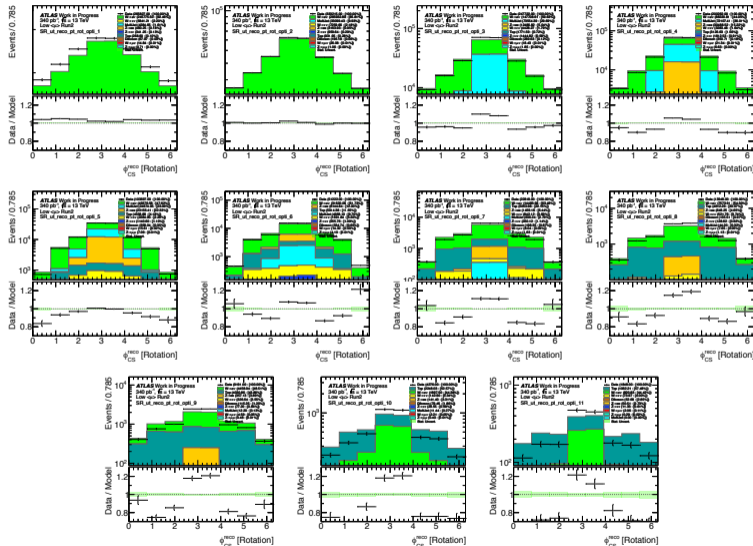


# MJ agreement: $\phi_{CS}^{reco}$ as function of $u_T$ bins

Binning variable:

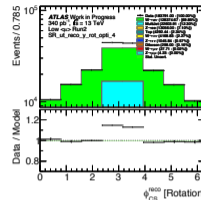
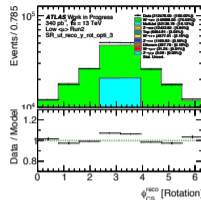
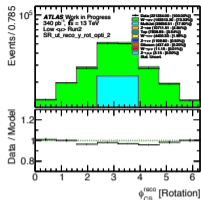
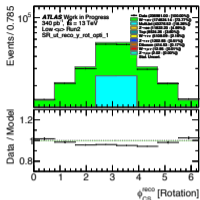
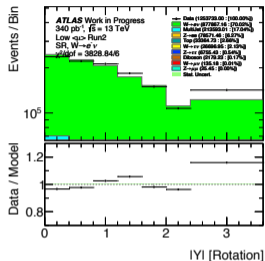


- Use  $\phi_{CS}^{reco}$  MJ template from SR for all  $u_T$  bins
- MJ yield normalization is provided by MJ yield in given  $u_T$  bin
- In the MJ populated  $u_T$  bins (3 and 4) Data/Bkg prediction discrepancy  $\sim 15\%$

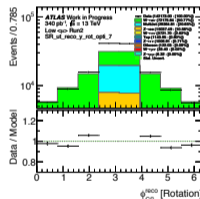
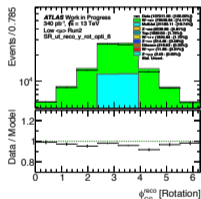
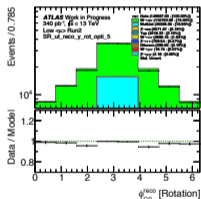


# MJ agreement: $\phi_{CS}^{reco}$ as function of $|Y|$ bins

Binning variable:



- Use  $\phi_{CS}^{reco}$  MJ template from SR for all  $|Y|$  bins
- MJ yield normalization is provided by MJ yield in given  $|Y|$  bin



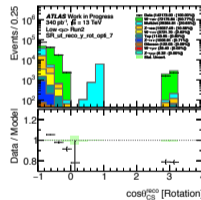
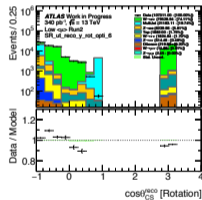
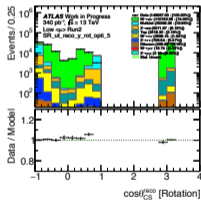
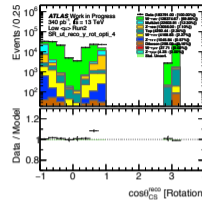
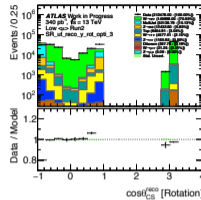
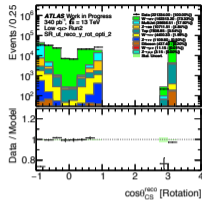
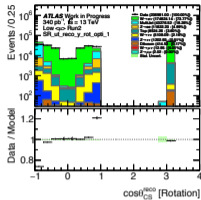
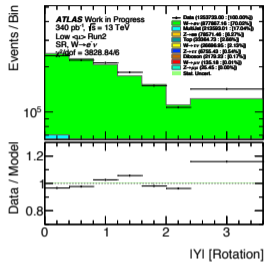
## Note

- $\phi_{CS}^{reco}$  shows some MJ normalization problems



# MJ agreement: $\cos \theta_{CS}^{reco}$ as function of $|Y|$ bins

Binning variable:



- Use  $\cos \theta_{CS}^{reco}$  MJ template from SR for all  $|Y|$  bins
- MJ yield normalization is provided by MJ yield in given  $|Y|$  bin

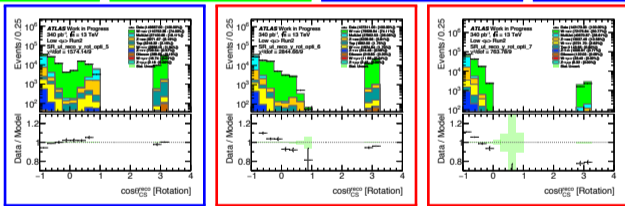
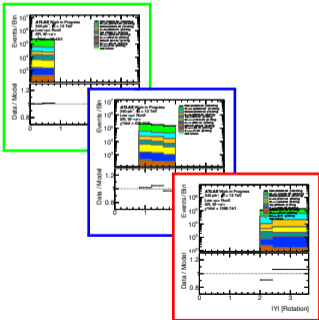
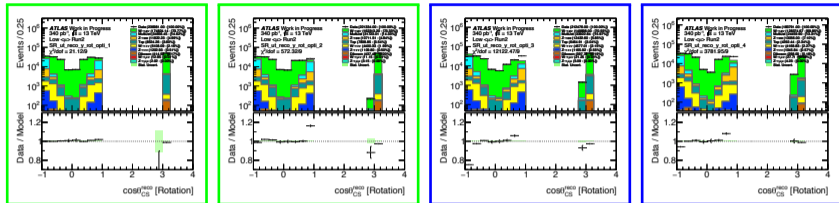
## Note

- $\cos \theta_{CS}^{reco}$  MJ shape should be treated as function of  $|Y|$
- We have enough statistics to split  $|Y|$  in 3 regions and derive MJ templates for each region individually

# MJ from 3 independent $|Y|$ bins: $\cos \theta_{CS}^{reco}$ as function of $|Y|$ bins

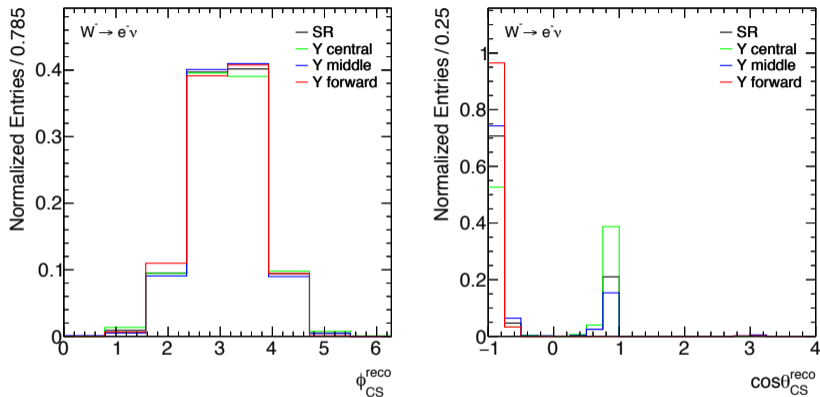
Split SR in 3 regions:

- $|Y| < 0.8$
- $0.8 < |Y| < 2.0$
- $|Y| > 2.0$



- Calculate MJ yield and shape individually for each  $|Y|$  region
- Splitting in 3  $|Y|$  bins shows positive effect, but not able to cope with  $\cos \theta_{CS}^{reco}$  vs  $|Y|$  dependency effectively

# MJ from 3 independent $|Y|$ bins: $\cos \theta_{CS}^{reco}$ and $\phi_{CS}^{reco}$ as function of $|Y|$ bins



## Note

- $\cos \theta_{CS}^{reco}$  MJ template shape depends on  $|Y|$
- Same behaviour in the muon channel

# Impact of $|Y|$ binning on sys. uncertainty for $W^- \rightarrow e^- \nu$

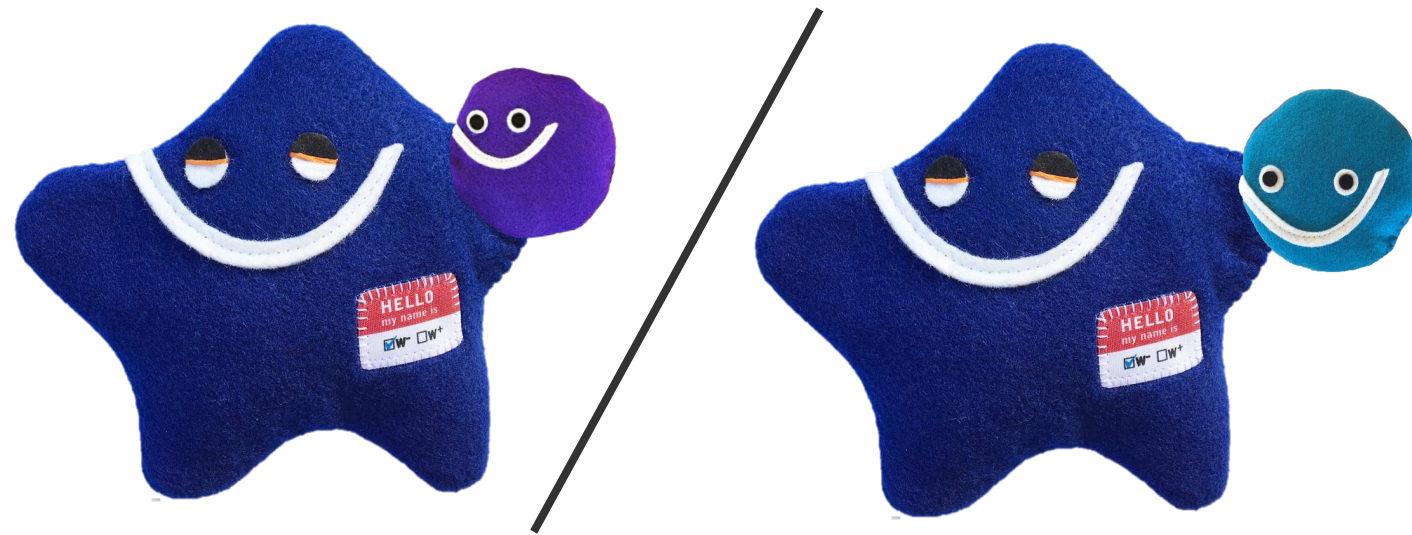
$W^- \rightarrow e^- \nu$	Signal region	Central $ Y  < 0.8$	Middle $0.8 <  Y  < 2.0$	Forward $ Y  > 2.0$
<b>Total Number of MJ bkg</b>	<b>213593</b>	66379	85483	68633
Luminosity and cross section	774 (0.36%)	234 (0.35%)	332 (0.39%)	172 (0.25%)
Intersection point	37474 (17.54%)	13077 (19.7%)	19137 (22.39%)	14634 (21.32%)
Extrapolation target	1109 (0.52%)	457 (0.69%)	798 (0.93%)	1260 (1.84%)
Choice of hists	12492 (5.85%)	4359 (6.57%)	6379 (7.46%)	4878 (7.11%)
Isolation correction	N/A	N/A	N/A	N/A
<b>Correlated Uncertainty</b>	<b>39542 (18.5%)</b>	13079 (19.7%)	20191 (23.6%)	15478 (22.5%)
Data Stat.	1546 (0.72%)	770 (1.16%)	984 (1.15%)	1071 (1.56%)
MC Stat.	2120 (1%)	1039 (1.57%)	1257 (1.47%)	1779 (2.59%)
Shape Correction	3236 (1.52%)	1017 (1.53%)	1785 (2.09%)	1031 (1.5%)
<b>Uncorrelated Uncertainty</b>	<b>4166 (1.95%)</b>	1645 (2.48%)	2394 (2.8%)	2318 (3.38%)

- Preliminary MJ uncertainty estimation

- ▶ have to sync MJ unc. calculation with W precision analyses
- ▶ *TODO*: no sys. unc. for isolation correction included.

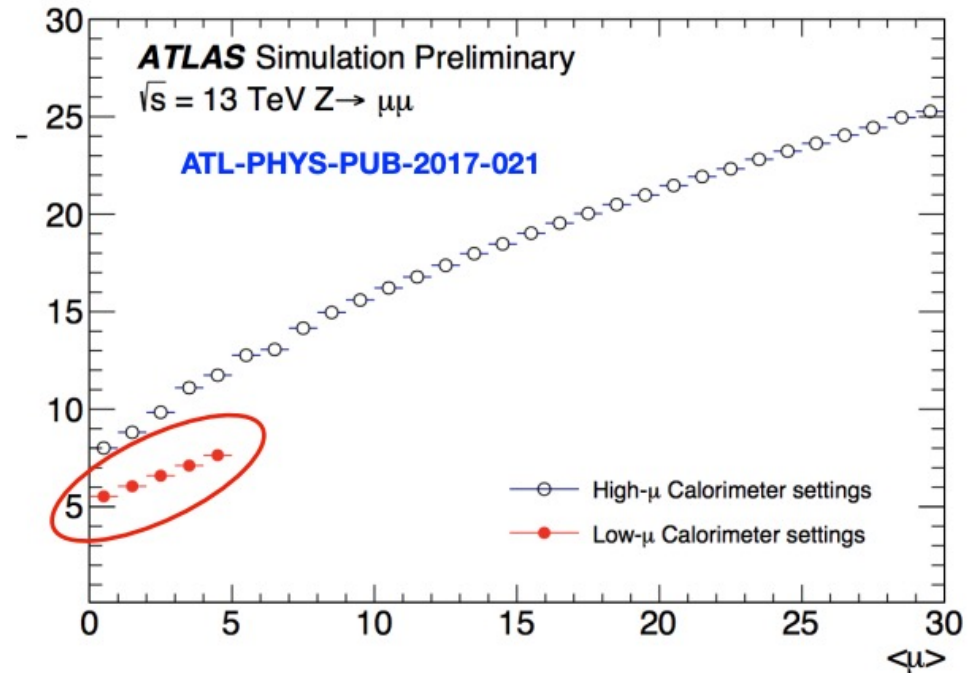
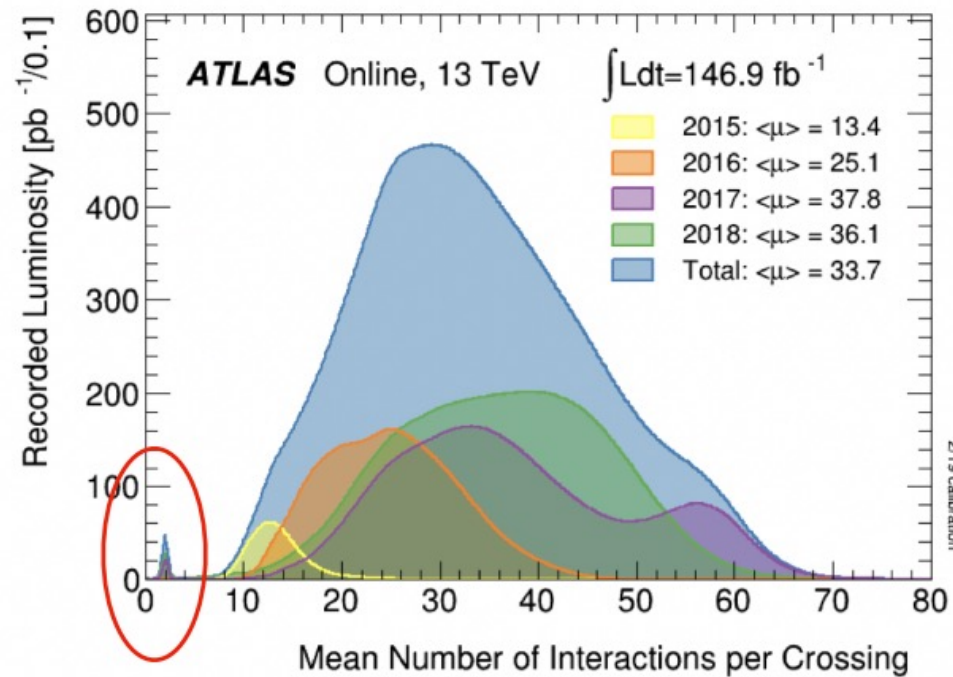
# Conclusions

- Control 1D plots ( $u_T$  and  $|Y|$ ) shows Data/Bkg disagreement:
  - ▶ For high  $u_T$  due to problems with  $u_T$  reweighting in electrons and muons
  - ▶ For high  $|Y|$  bins underestimate MJ background yield in electrons channel only
- For 2D MJ template some bins are negative. This happens for regions where MJ close to 0.
  - ▶ set all negative bins to 0
- MJ templates for  $\cos\theta_{CS}^{reco}$  depends on  $Y$  and  $u_T$ :
  - ▶ Same behaviour for electron and muon channels
  - ▶ Calculating MJ  $\cos\theta_{CS}^{reco}$  individually for 3  $|Y|$  bins doesn't solve an issue for electrons, but might be an option for muons
    - ★ Could be this is effect of Data/MC disagreement for electrons for  $\phi_{CS}$  and  $\cos\theta_{CS}$  in SR
  - ▶ Might consider building acceptance functions to calculate MJ templates for each  $u_T$  and  $|Y|$  bin using MJ 2D template from signal regions
- Preliminary 2D templates are available on `/eos` for electron and muons channels (3  $Y$  bins):
  - ▶ Electrons `/eos/home-d/dponomar/Storage/Science/Wai/results/v20210713ptrw_ruth/WS`
  - ▶ Muons `/eos/home-d/dponomar/Storage/Science/Wai/results/v20210906ptrw_ruth/WS`
  - ▶ Summary for muon channel is in the backup slides
- $W^- \rightarrow e^- \nu$  in the SR:  $213593 \pm 18.5\%$  (corr)  $\pm 1.95\%$  (uncorr)
- $W^- \rightarrow \mu^- \nu$  in the SR:  $118754 \pm 9.49\%$  (corr)  $\pm 1.31\%$  (uncorr)



Thanks for attention!

# Why low- $\mu$ data?



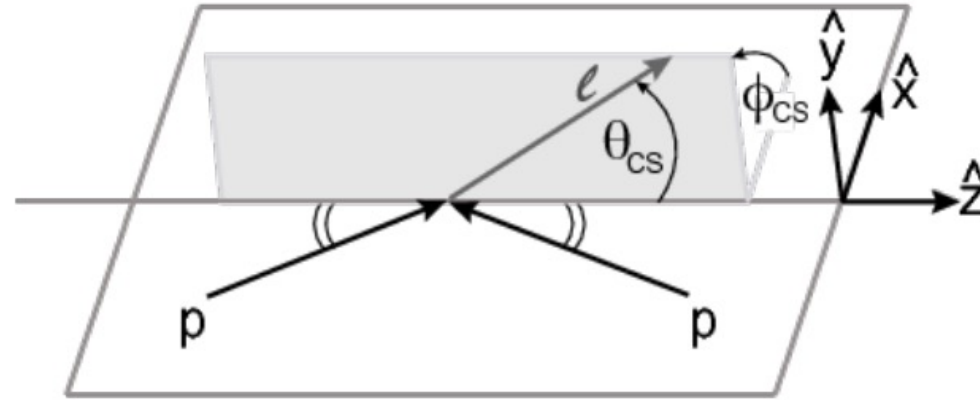
- Aim: measure  $W-A_i$  in  $340 \text{ pb}^{-1}$  of 13 TeV data
- less statistics in low- $\mu$  dataset, **BUT:**
- resolution of hadronic recoil factor  $O(5)$  lower in low- $\mu$  data than in full high- $\mu$  dataset

# Data and MC samples for low $\langle\mu\rangle$ analysis

Channel	Samples
Wmu	mc16_13TeV.361101.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Wplusmunu mc16_13TeV.361104.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Wminusmunu
We	mc16_13TeV.361100.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Wplusenu mc16_13TeV.361103.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Wminusenu
Wtau	mc16_13TeV.361102.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Wplustaunu mc16_13TeV.361105.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Wminustaunu
Zee	mc16_13TeV.361106.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Zee
Zmm	mc16_13TeV.361107.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Zmumu
Ztt	mc16_13TeV.361108.PowhegPythia8EvtGen_AZNLOCTEQ6L1_Ztautau
DiBoson	mc16_13TeV.363356.Sherpa_221_NNPDF30NNLO_ZqqZll mc16_13TeV.363358.Sherpa_221_NNPDF30NNLO_WqqZll mc16_13TeV.363359.Sherpa_221_NNPDF30NNLO_WpqqWmlv mc16_13TeV.363360.Sherpa_221_NNPDF30NNLO_WplvWmqq mc16_13TeV.363489.Sherpa_221_NNPDF30NNLO_WlvZqq mc16_13TeV.364250.Sherpa_222_NNPDF30NNLO_IIll mc16_13TeV.364253.Sherpa_222_NNPDF30NNLO_IIIv mc16_13TeV.364254.Sherpa_222_NNPDF30NNLO_Illv mc16_13TeV.364255.Sherpa_222_NNPDF30NNLO_lvv
Top	mc16_13TeV.410013.PowhegPythiaEvtGen_P2012_Wt_inclusive_top mc16_13TeV.410014.PowhegPythiaEvtGen_P2012_Wt_inclusive_antitop mc16_13TeV.410642.PhPy8EG_A14_tchan_lept_top mc16_13TeV.410643.PhPy8EG_A14_tchan_lept_antitop mc16_13TeV.410644.PowhegPythia8EvtGen_A14_singletop_schan_lept_top mc16_13TeV.410645.PowhegPythia8EvtGen_A14_singletop_schan_lept_antitop mc16_13TeV.410470.PhPy8EG_A14_ttbar_hdamp258p75_nonallhad



# The Colins-Soper Rest Frame



## Angular variables $\theta$ and $\phi$ defined in Colins-Soper (CS) rest frame:

- boost into the W-boson rest frame
- rotation into special CS frame
- CS frame: incoming partons lie in plane spanned by x- and z-axis
- angles  $\theta$  and  $\phi$  defined as angles between negative lepton (or neutrino) and xz plane
- choice of rest frame is arbitrary, CS has been conventional choice

# Improving our sensitivity

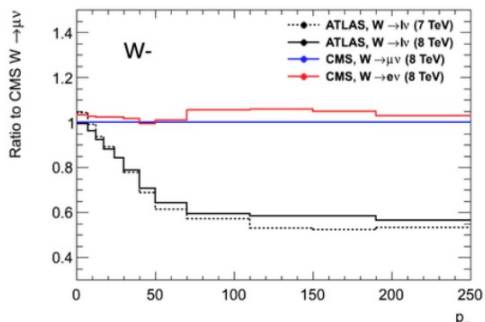
Analysis goal: Measure W angular coefficients in 340pb-1 of 13TeV ATLAS low- $\mu$  data!

## Measurement in pT and Y bins (1D)

Low- $\mu$  data: Low *statistics*, but better recoil resolution, less bkg.

### Gain in statistics

- looser kinematic selection (drop  $E_{Tmiss}$ ,  $m_T$  cuts)
- background rejection: tighter lepton ID and isolation cuts

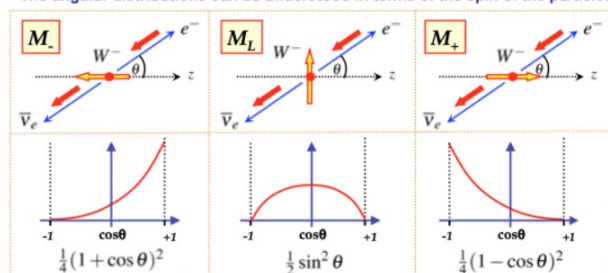


ATLAS "MET, mT cut" selection costs ~40% of signal at high pT (!)

### Improve neutrino pz reconstruction

- get  $P_z$  from W mass constraint
- impose additional kinematic constraints or from physics
- use  $P_z$  reconstruction similar to: <https://arxiv.org/pdf/1005.3196.pdf>

★ The angular distributions can be understood in terms of the spin of the particles



5

Analysis goal: Measure W angular coefficients in 340pb-1 of 13TeV ATLAS low- $\mu$  data!

## Full 2D measurement in pT and Y bins

- Low- $\mu$  data: Low *statistics*, but better recoil resolution, less bkg.

### Gain in statistic: Event selection

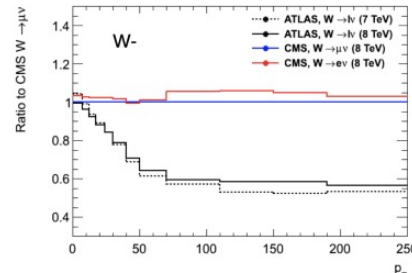
- Lower lepton pT threshold from 25 to 20 GeV
- Lower ETmiss cut ([https://indico.cern.ch/event/367442/contributions/868167/attachments/730549/1002372/Mw\\_topical\\_230215.pdf](https://indico.cern.ch/event/367442/contributions/868167/attachments/730549/1002372/Mw_topical_230215.pdf))
- New Isolation better rejection

### improve sensitivity on recovering neutrino pT z

- alternative NN or MVA analysis to pick the right solution (Alex talk)
- imposing additional kinematic or physics symmetries (eg  $+y = -y$ )
- <https://arxiv.org/pdf/1005.3196.pdf>

improve *recoil resolution*?

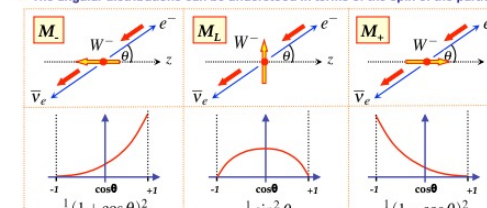
MVA calibration of the recoil using p-flow constituents,



ATLAS "MET, mT cut" selection costs ~40% of signal at high pT (!)

### The sign of the (1 ± cos θ) distribution depends on the helicity of the lepton and the helicity of the incoming parton with highest-x, (anti-)quarks

★ The angular distributions can be understood in terms of the spin of the particles



$$|M_-|^2 = g_W^2 m_W^2 \frac{1}{4} (1 + \cos \theta)^2$$

$$|M_L|^2 = g_W^2 m_W^2 \frac{1}{2} \sin^2 \theta$$

$$|M_+|^2 = g_W^2 m_W^2 \frac{1}{4} (1 - \cos \theta)^2$$

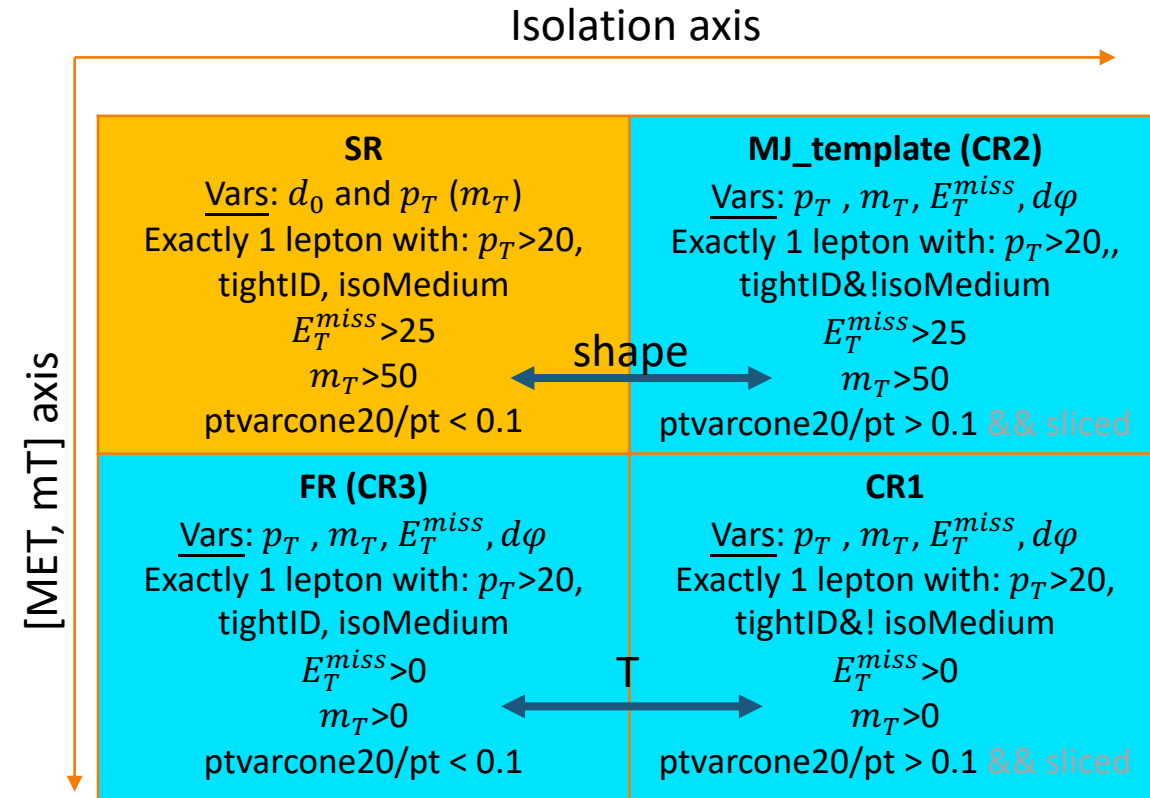
# MJ Introduction

- Algorithm is same as in [ATL-COM-PHYS-2019-076](#)
- MJ Background Estimation consists of 2 parts:
  - The shape of MJ background
  - The total number of MJ background
- A data-driven method
  - Reverse two independent cuts and 3 control region (CR)

$$\frac{N_{CR3}}{N_{CR1}} = \frac{N_{SR}^{BKG}}{N_{CR2}}$$

- Here we can do the calculation bin-by-bin and get both the shape and the total number of MJ background
- We can take other BKG into the consideration, so we have

$$T = \frac{N_{CR3}^{Data} - N_{CR3}^{EW BKG}}{N_{CR1}^{Data} - N_{CR1}^{EW BKG}} = \frac{N_{SR}^{MJ BKG}}{N_{CR2}^{Data} - N_{CR2}^{EW BKG}}$$

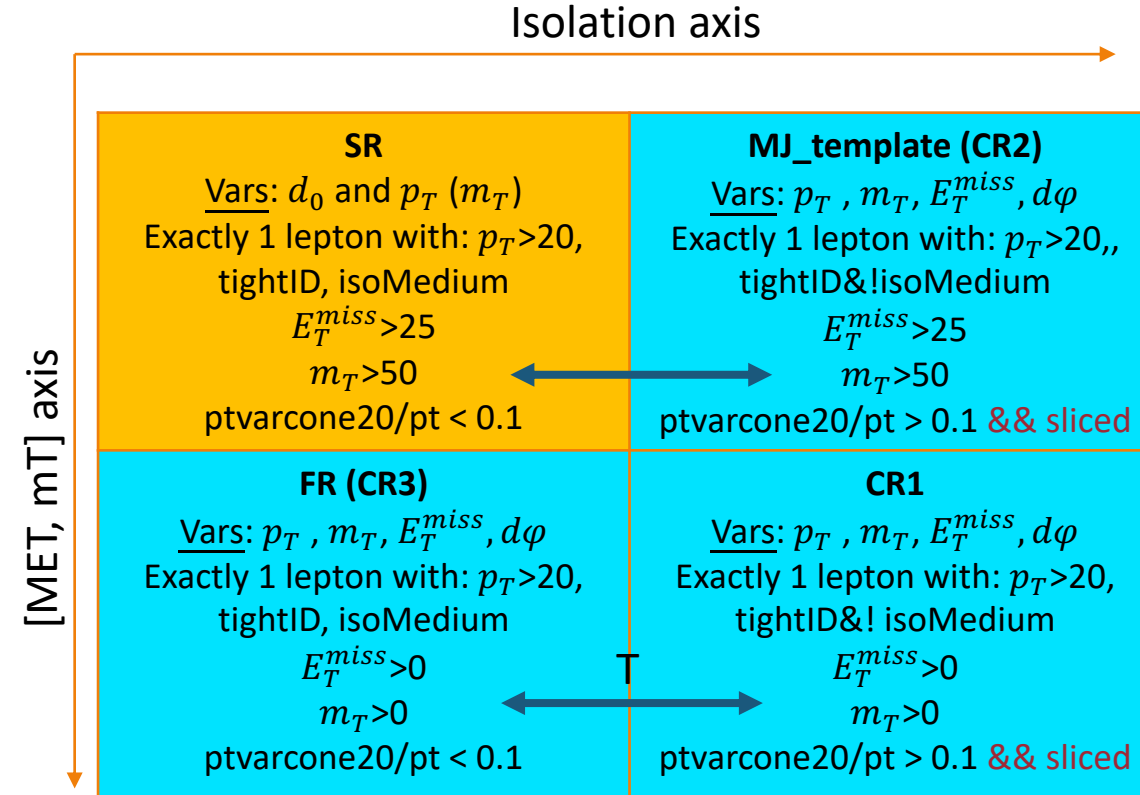


# MJ: low $\langle \mu \rangle$ analysis strategy

$$T = \frac{N_{CR3}^{Data} - N_{CR3}^{EW BKG}}{N_{CR1}^{Data} - N_{CR1}^{EW BKG}} = \frac{N_{SR}^{MJ BKG}}{N_{CR2}^{Data} - N_{CR2}^{EW BKG}}$$

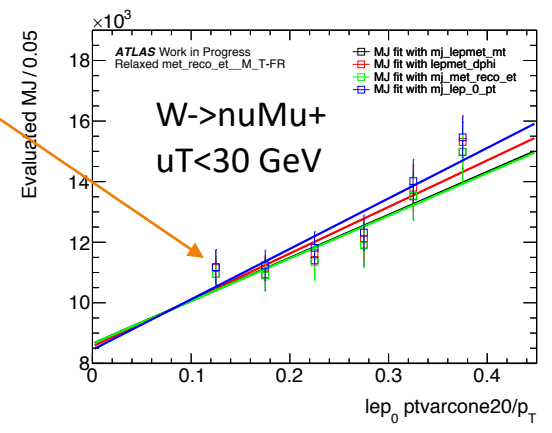
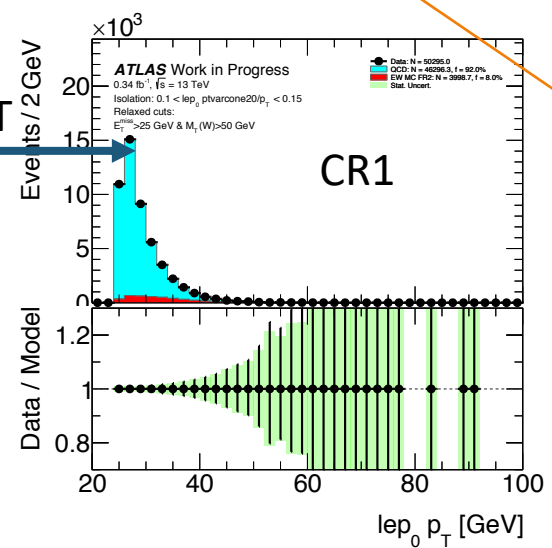
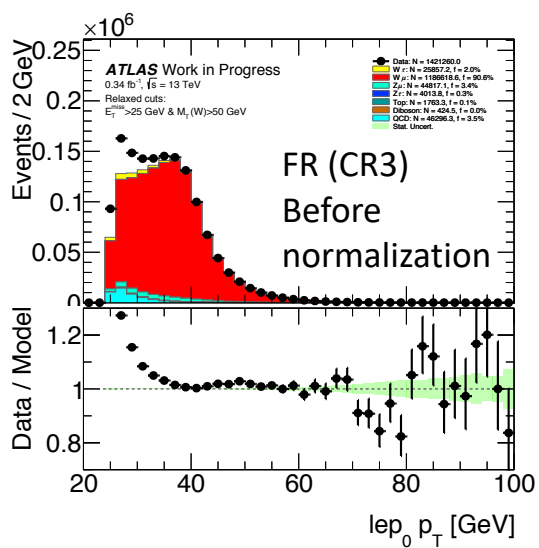
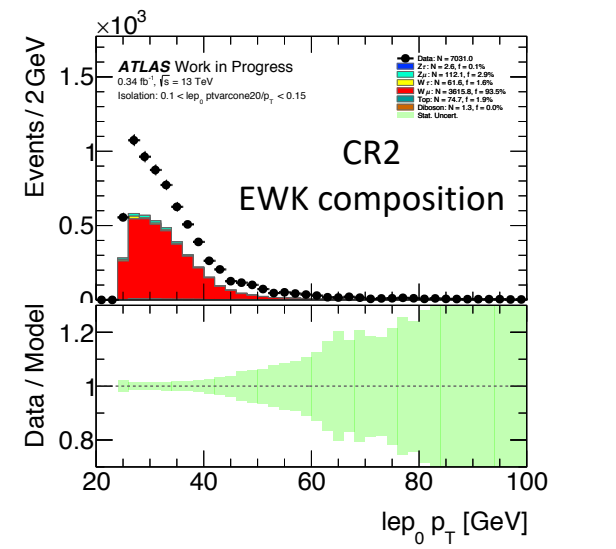
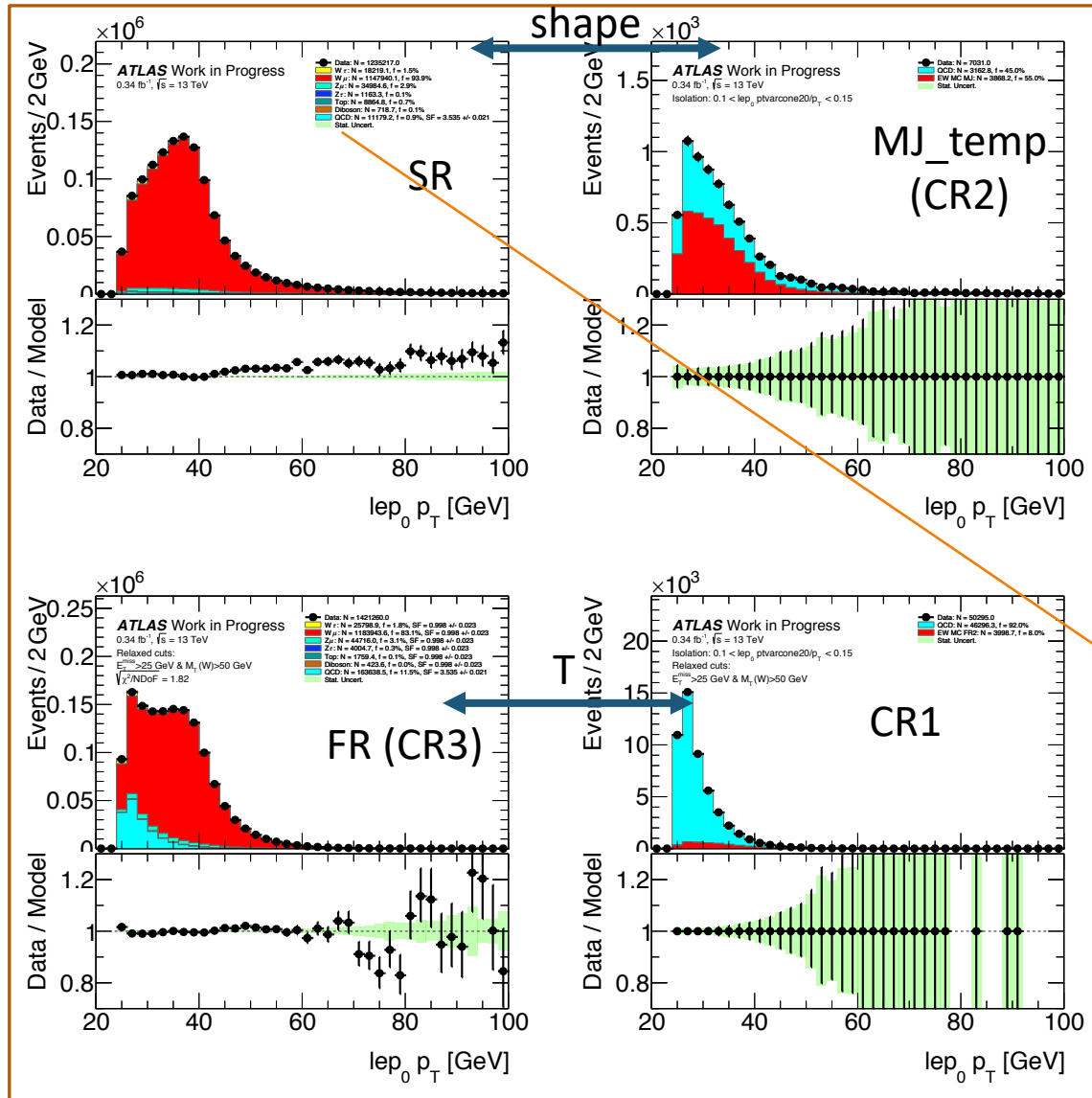
## Strategy

- For FR and CR1, both  $M_T$  and  $E_T^{miss}$  cuts are removed
  - Great point from Daniel, why not orthogonal?!
- Additional  $u_T$  cut for CR1 and FR to suppress jet activity
  - $u_T < [15, 20, 30, 10000]$
- Choose 8 different slices of CR, with different isolation region
  - $[0.1, 0.15, 0.2, 0.25, 0.3, 0.35, 0.5]$
- A scaling parameter is used instead of the direct calculation to get the parameter T
  - $N_{FR}^{Data} = \alpha N_{FR}^{EW BKG} + T (N_{CR1}^{Data} - N_{CR1}^{EW BKG})$
- $\alpha$  is also a parameter in the fitting, but it should be close to 1 within the uncertainty
- Extrapolate  $N_{SR}^{MJ BKG} = T (N_{CR2}^{Data} - N_{CR2}^{EW BKG})$  by a linear relationship to 0

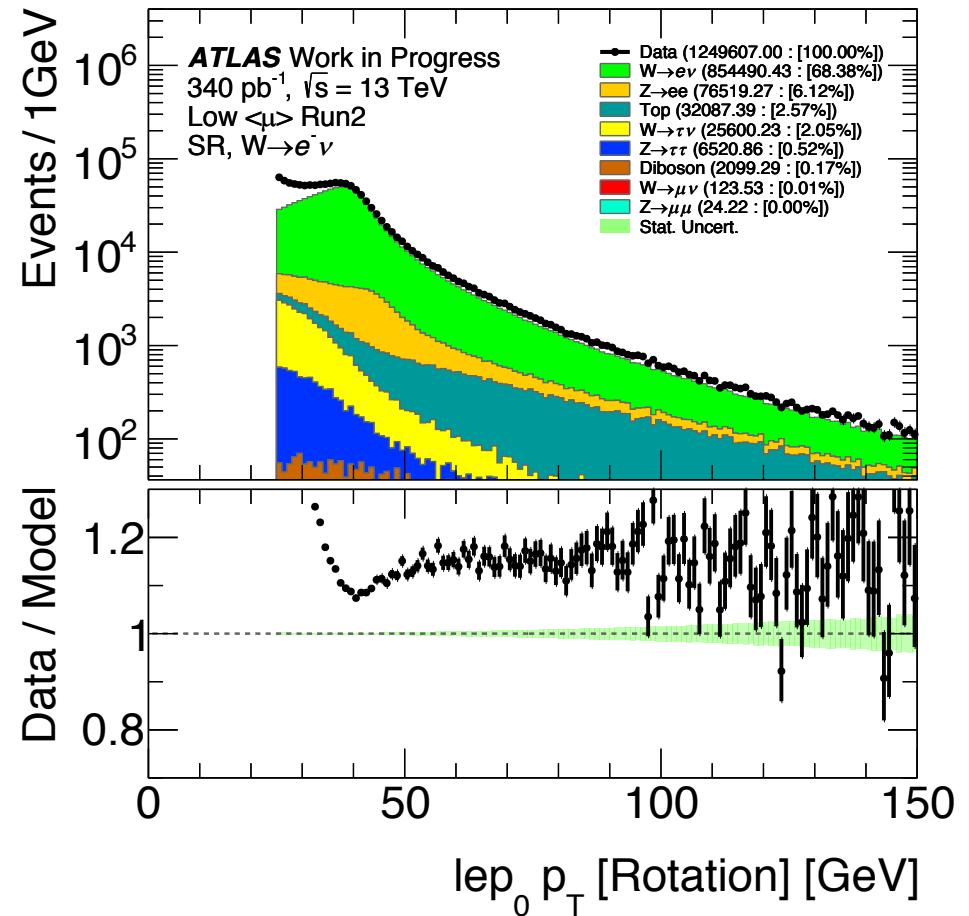
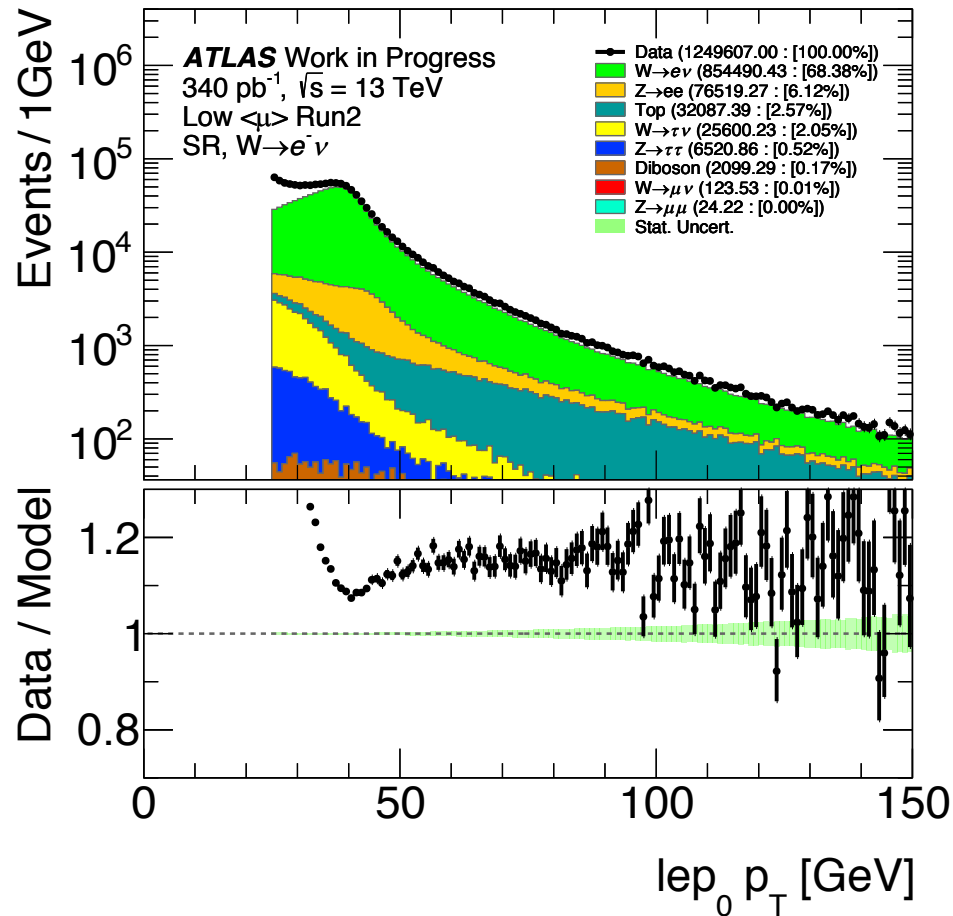


# MJ strategy: example

- Choose 6 different slices of CR, with different isolation region
  - [0.1,0.15,0.2,0.25, 0.3,0.35,0.4]
- Make 32 iso slice scans:
  - 4 MJ discriminant variables:
    - $p_T$ ,  $m_T$ , MET,  $d\phi$
  - Additional  $u_T$  cut for CR1 and FR to suppress jet activity
    - $u_T < [15,20,30,10000]$

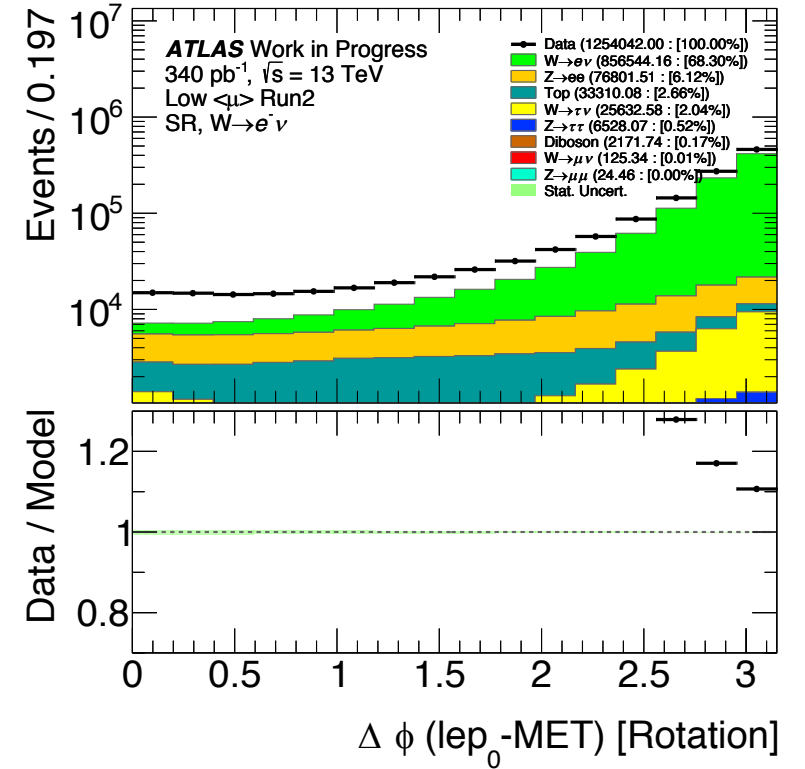
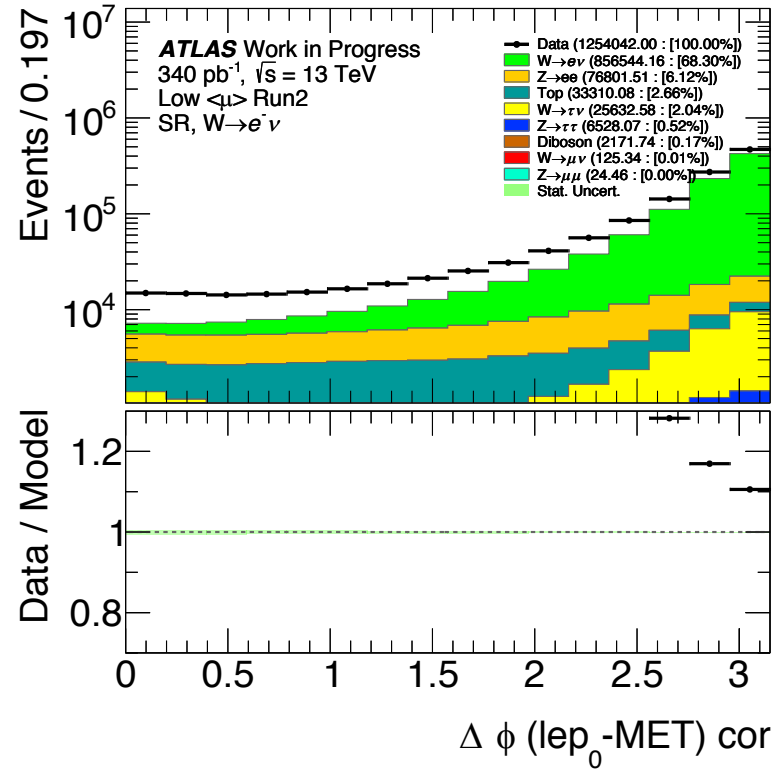
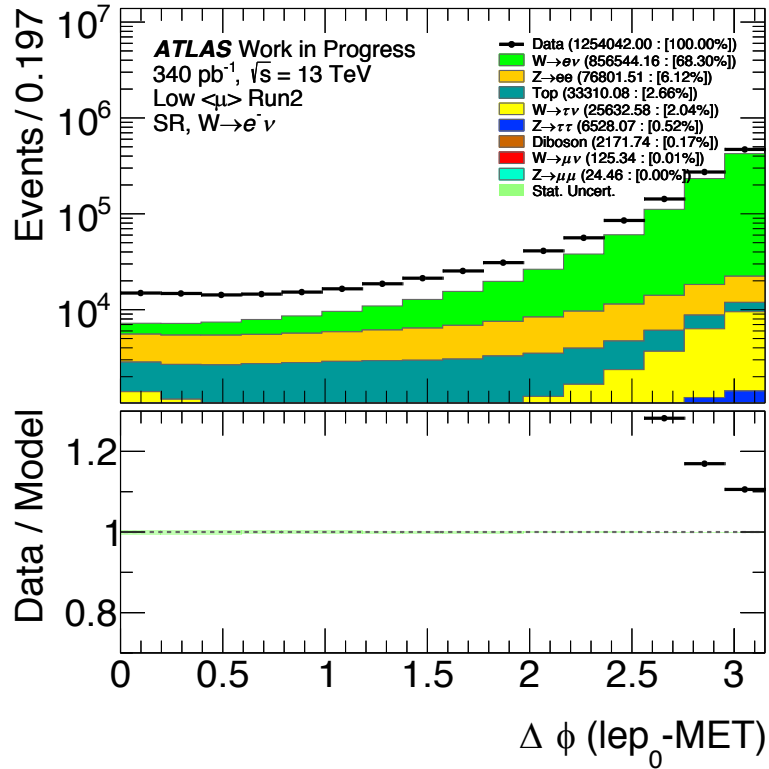


# Constrained $p_T$ variables [SR]



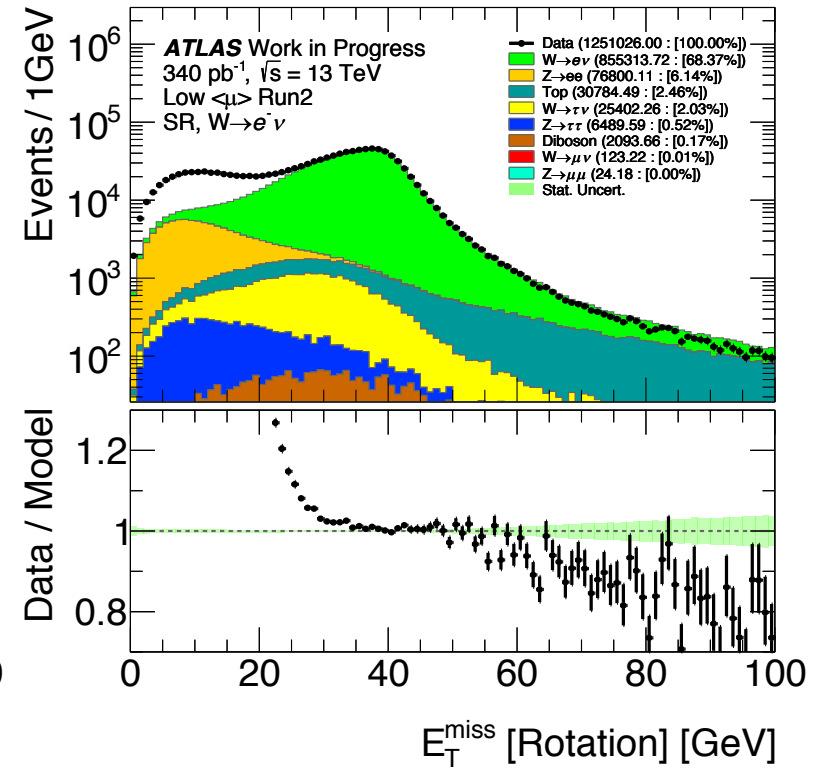
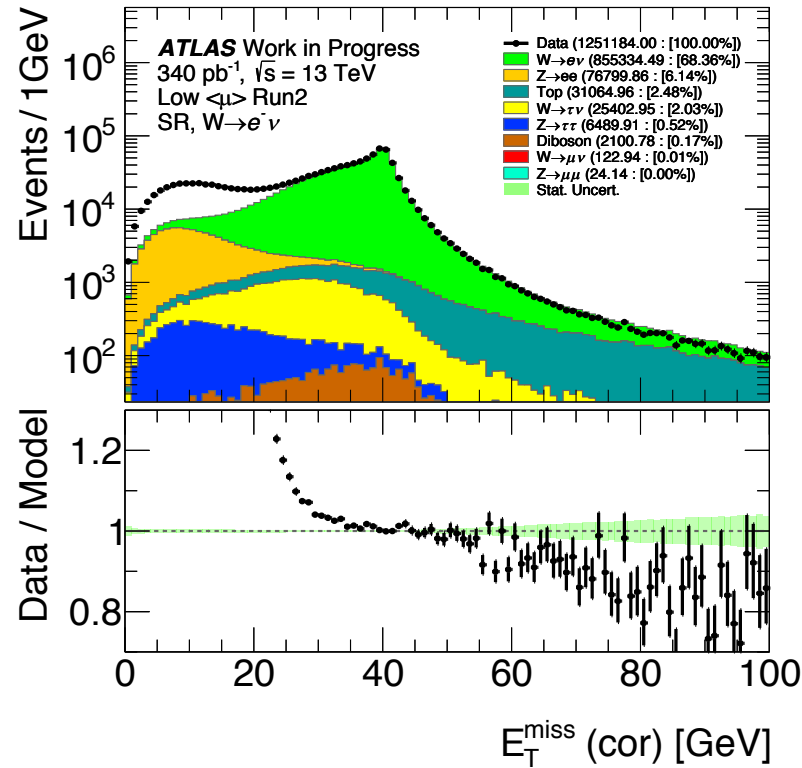
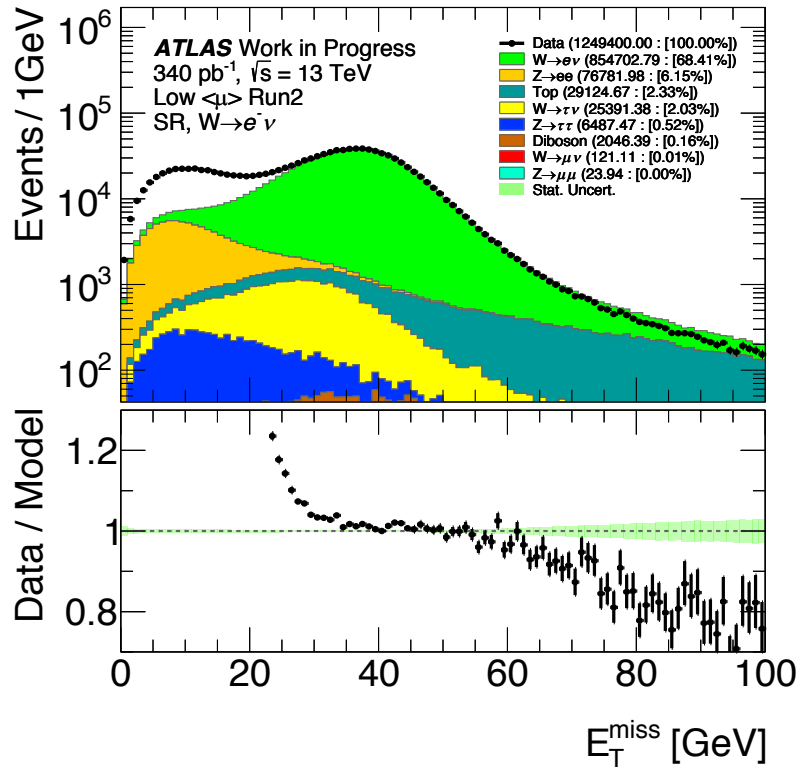
- No difference
- Same for muons: see backup

# Constrained $\Delta\phi$ variables [SR]



◦ Almost no difference

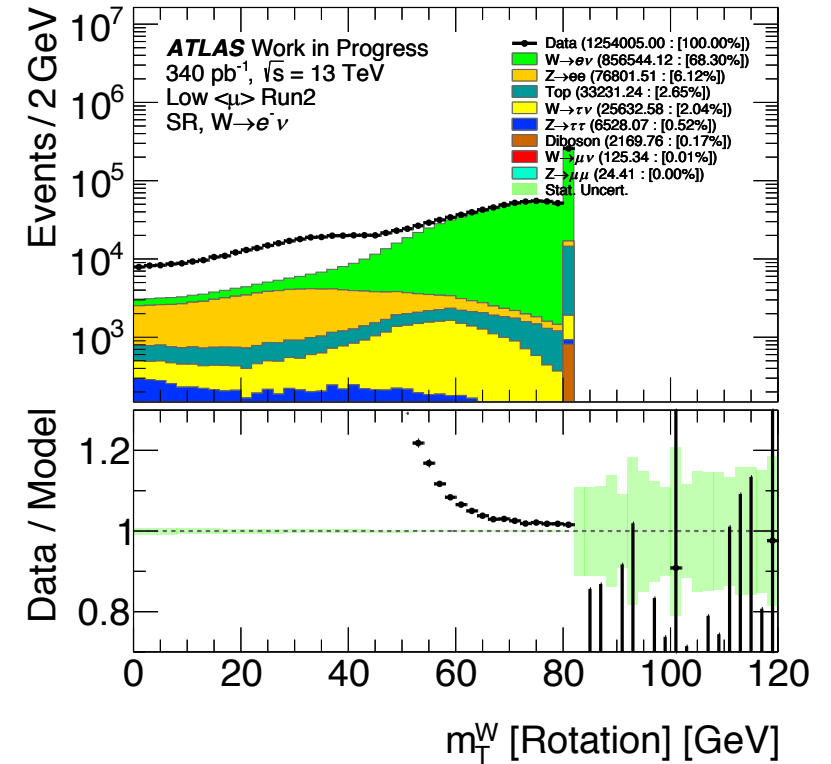
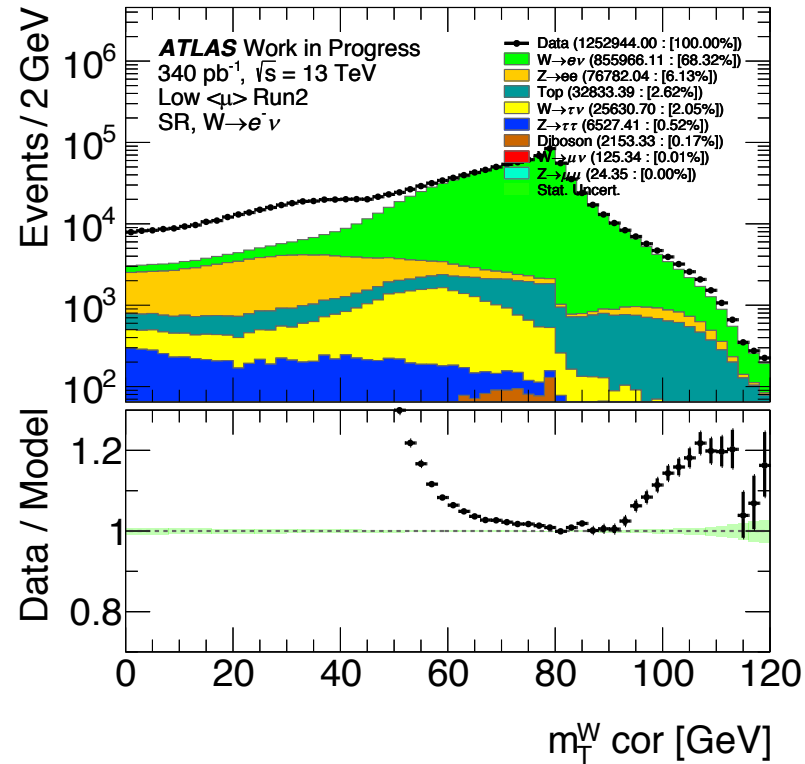
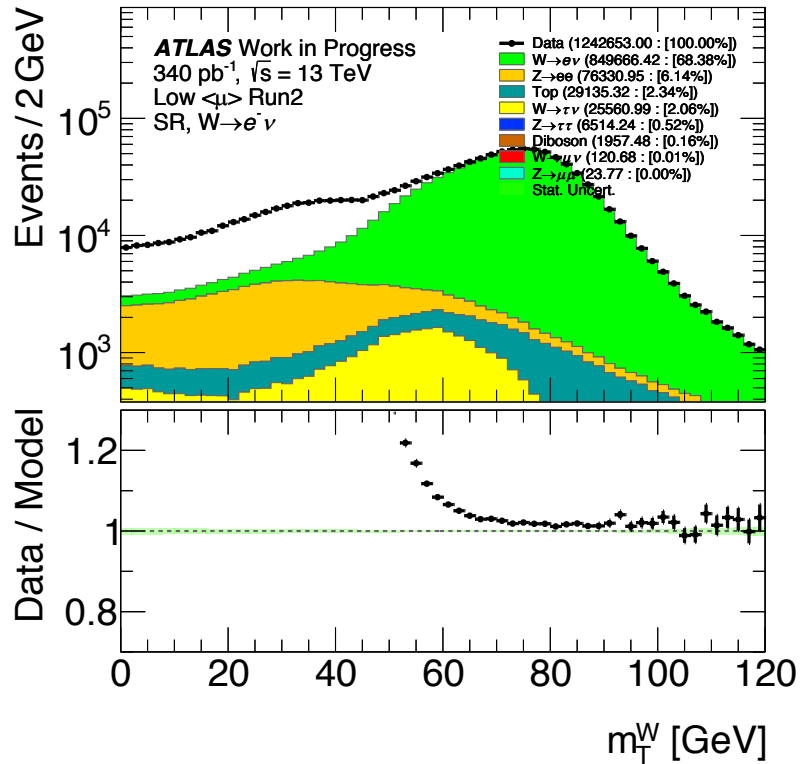
# Constrained $E_T^{miss}$ variables [SR]



◦ Seems to be legit



# Constrained $m_T$ variables [SR]



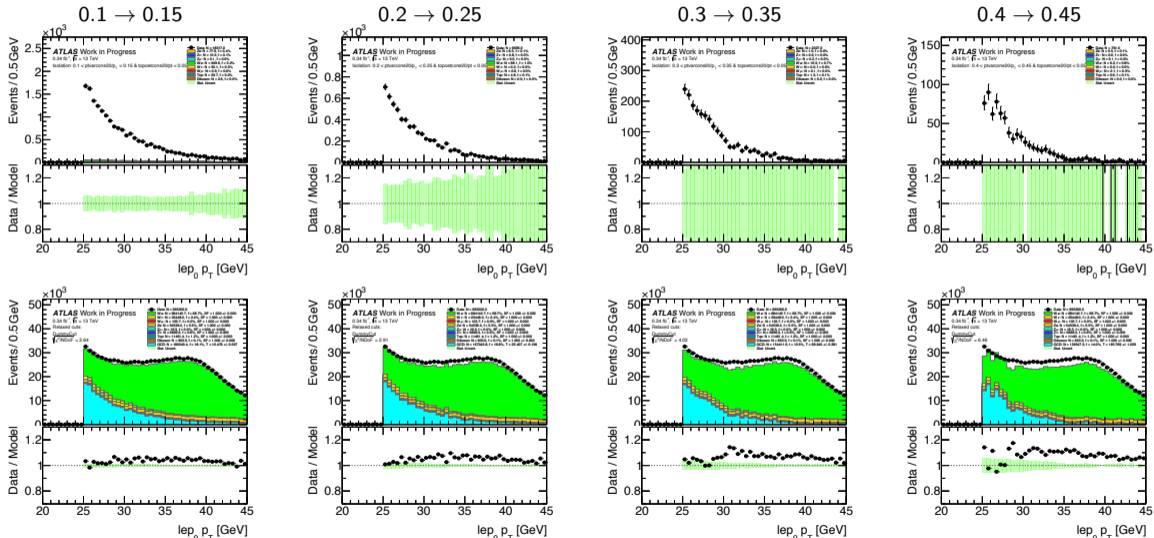
◦ Is it expected?

◦ Should we limit MJ fit region to [0, 82]?

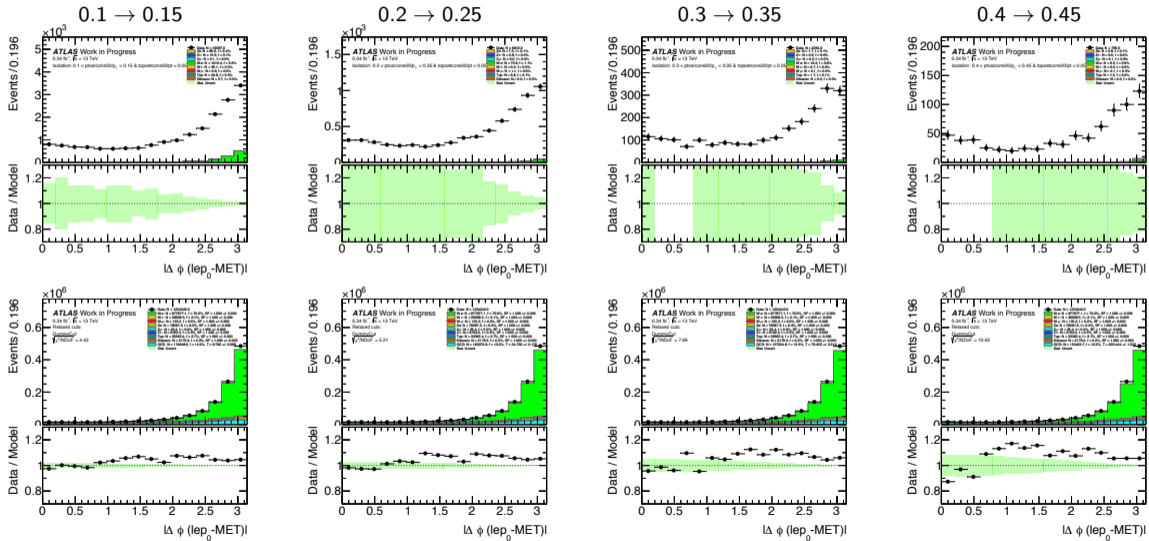
◦ For this presentation keep [0, 120]

# Backup

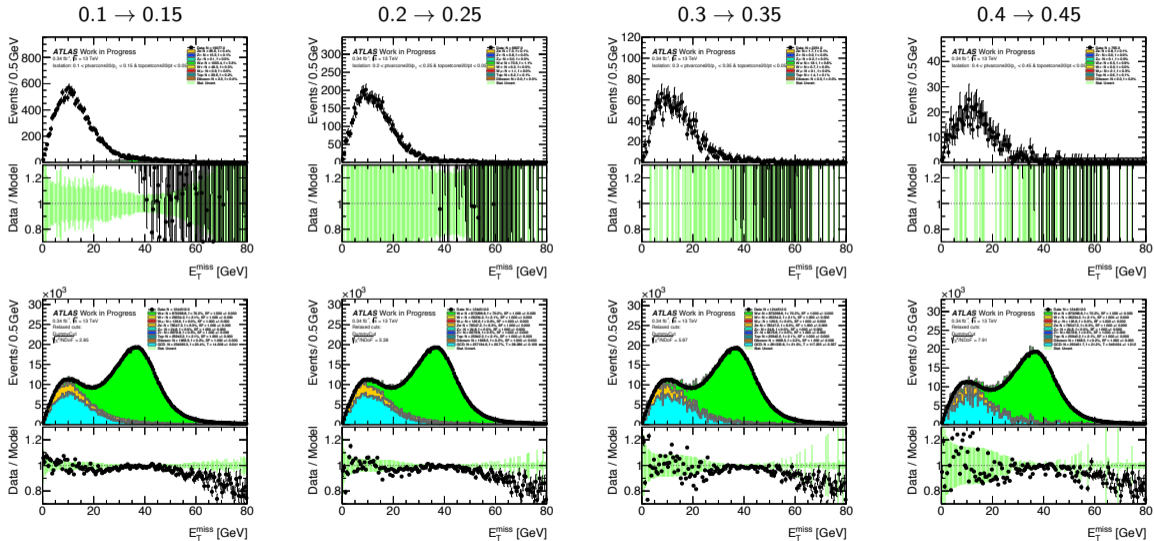
# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow e^- \nu$ : leading lepton $p_T$



# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow e^- \nu$ : $|\Delta\phi(\ell - MET)|$

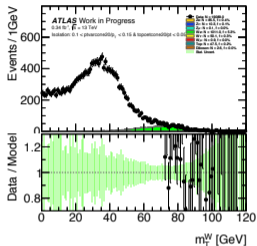


# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow e^- \nu$ : $E_T^{miss}$

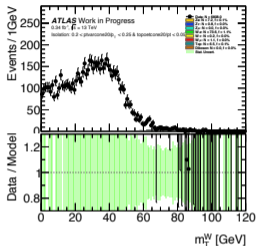


# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow e^- \nu$ : $m_T^W$

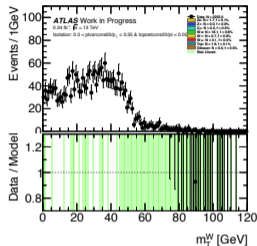
0.1  $\rightarrow$  0.15



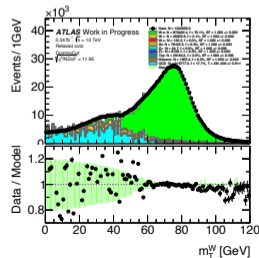
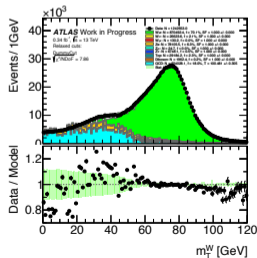
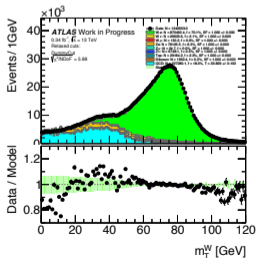
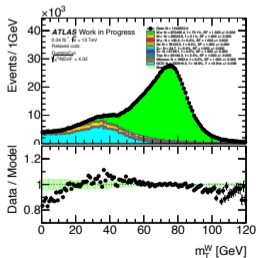
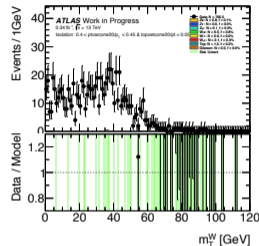
0.2  $\rightarrow$  0.25



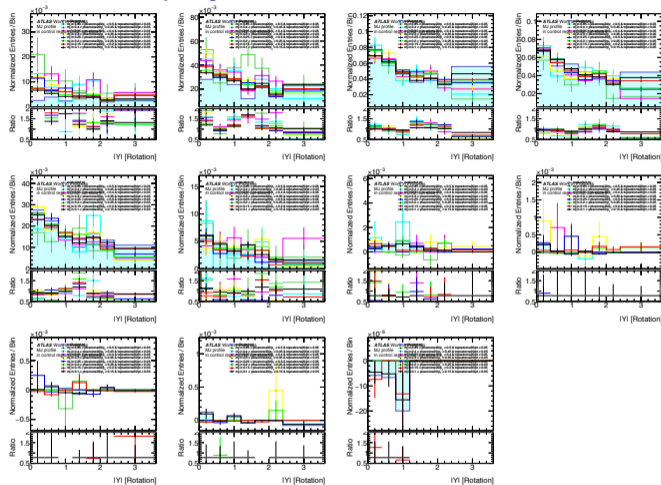
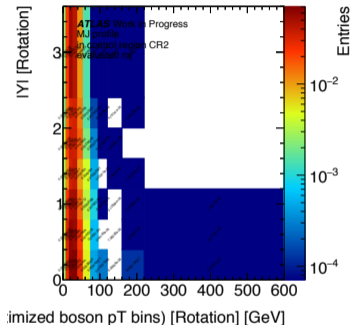
0.3  $\rightarrow$  0.35



0.4  $\rightarrow$  0.45



# 2D MJ estimation: extrapolation and projections on Y axis



- Some of the bins are negative.
- Set them to 0 with assumption it should not affect overall normalization too much.

# Muons

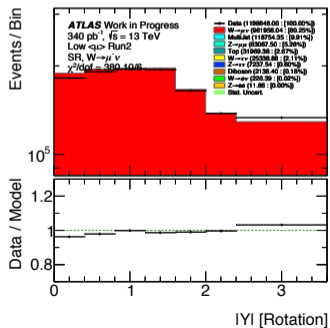
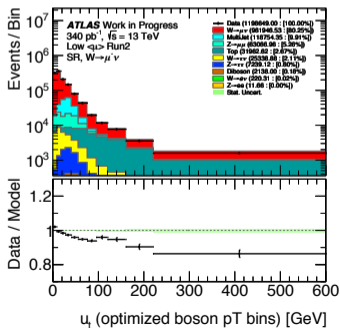


# W-Ai analysis binning and MJ shape

## Signal region binning

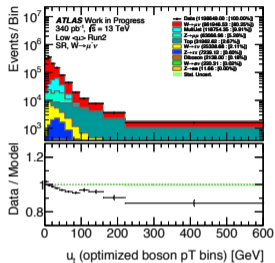
- $u_T$ : [0., 8., 17., 27., 40., 55., 75., 95., 120., 160., 220., 600]
- $|Y|$ : [0, 0.4, 0.8, 1.2, 1.6, 2.0, 2.4, 3.6]
- Have to provide MJ estimation for **18 bins in total**

- Use MJ yield normalization from given bin in 1D distribution
- Use 2D MJ template ( $\cos\theta_{CS}^{reco}$  vs.  $\phi_{CS}^{reco}$ ) derived from SR for all  $u_T$  and  $|Y|$  bins:
  - ▶ as a temporary solution to see if MJ shape from SR would work for all bins.
  - ▶ could work for muons(Slide 28).

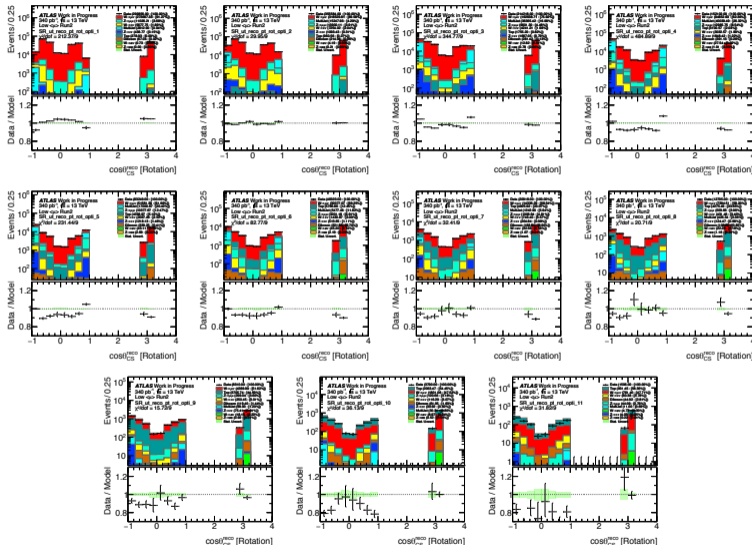


# MJ agreement: $\cos\theta_{CS}^{reco}$ as function of $u_T$ bins

Binning variable:



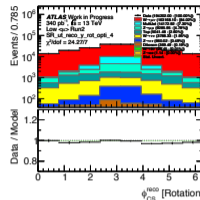
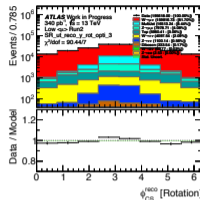
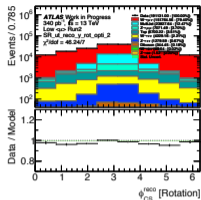
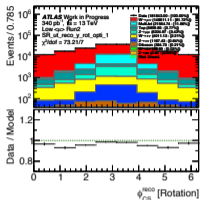
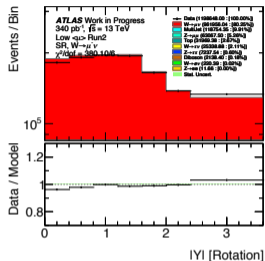
- Use  $\cos\theta_{CS}^{reco}$  MJ template from SR for all  $u_T$  bins
- MJ yield normalization is provided by MJ yield in given  $u_T$  bin
- In the MJ populated  $u_T$  bins (3, 4 and 5) Data/Bkg prediction discrepancy  $\sim 12\%$ .



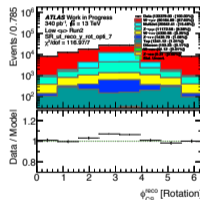
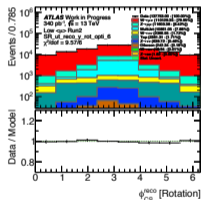
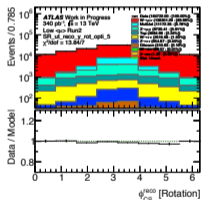


# MJ agreement: $\phi_{CS}^{reco}$ as function of $|Y|$ bins

Binning variable:



- Use  $\phi_{CS}^{reco}$  MJ template from SR for all  $|Y|$  bins
- MJ yield normalization is provided by MJ yield in given  $|Y|$  bin

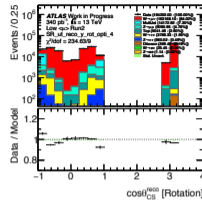
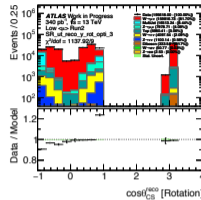
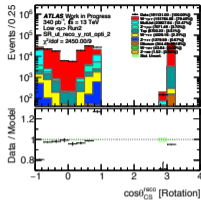
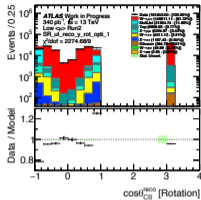
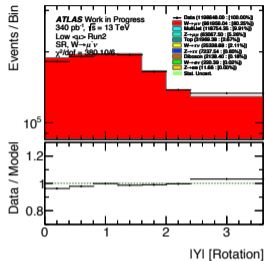


## Note

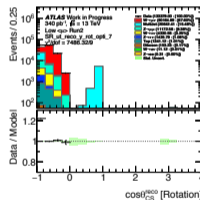
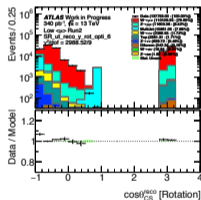
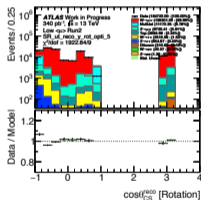
- For muons  $\phi_{CS}^{reco}$  overall good agreement

# MJ agreement: $\cos \theta_{CS}^{reco}$ as function of $|Y|$ bins

Binning variable:



- Use  $\cos \theta_{CS}^{reco}$  MJ template from SR for all  $|Y|$  bins
- MJ yield normalization is provided by MJ yield in given  $|Y|$  bin



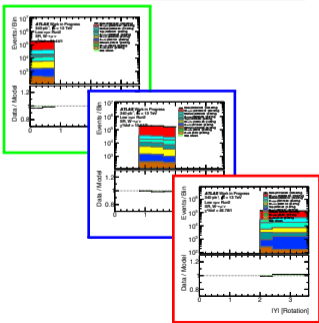
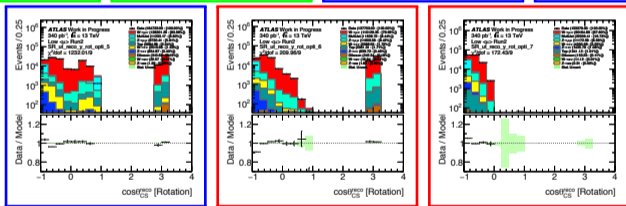
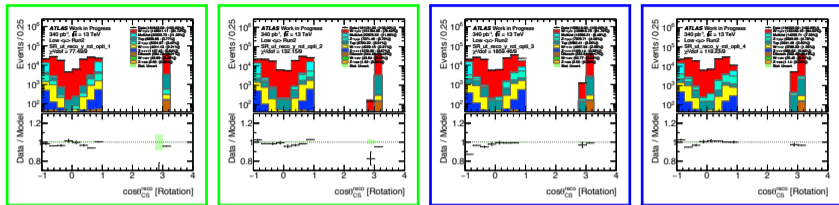
## Note

- $\cos \theta_{CS}^{reco}$  MJ shape should be treated as function of  $|Y|$
- We can split  $|Y|$  in 3 regions and derive MJ templates for each of them individually

# MJ from 3 independent $|Y|$ bins: $\cos \theta_{CS}^{reco}$ as function of $|Y|$ bins

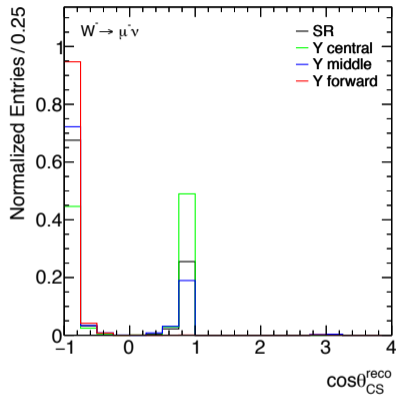
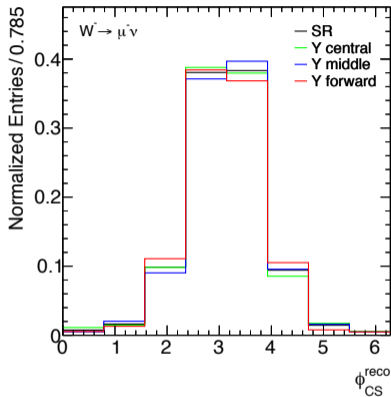
Split SR in 3 regions:

- $|Y| < 0.8$
- $0.8 < |Y| < 2.0$
- $|Y| > 2.0$



- Calculate MJ normalization and shape individually for each  $|Y|$  region
- Splitting in 3  $|Y|$  bins shows positive effect, but not able to cope with  $\cos \theta_{CS}^{reco}$  vs  $|Y|$  dependency effectively

# MJ from 3 independent $|Y|$ bins: $\cos \theta_{CS}^{reco}$ and $\phi_{CS}^{reco}$ as function of $|Y|$ bins



## Note

- $\cos \theta_{CS}^{reco}$  MJ template shape depends on  $|Y|$
- Same observation in the electron channel

# Impact of $|Y|$ binning on sys. uncertainty for $W^- \rightarrow \mu^- \nu$

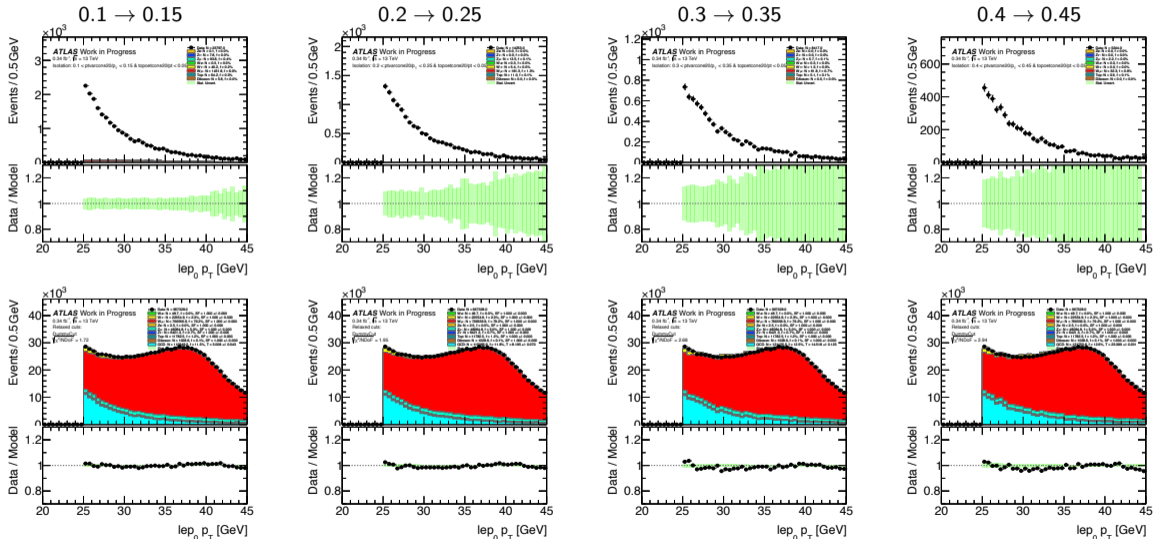
$W^- \rightarrow \mu^- \nu$	Signal region	Central $ Y  < 0.8$	Middle $0.8 <  Y  < 2.0$	Forward $ Y  > 2.0$
<b>Total Number of MJ bkg</b>	<b>118754</b>	43200	42069	33938
Luminosity and cross section	406 (0.34%)	126 (0.29%)	175 (0.42%)	103 (0.3%)
Intersection point	11269 (9.49%)	3581 (8.29%)	6078 (14.45%)	1744 (5.14%)
Extrapolation target	15 (0.01%)	66 (0.15%)	82 (0.2%)	42 (0.12%)
Choice of hists	3756 (3.16%)	1194 (2.76%)	2026 (4.82%)	582 (1.71%)
Isolation correction	N/A	N/A	N/A	N/A
<b>Correlated Uncertainty</b>	<b>11275 (9.49%)</b>	3777 (8.74%)	6081 (14.46%)	1748 (5.15%)
Data Stat.	775 (0.63%)	438 (1.01%)	436 (1.04%)	424 (1.25%)
MC Stat.	924 (0.78%)	599 (1.39%)	479 (1.14%)	563 (1.66%)
Shape Correction	1014 (0.85%)	759 (1.76%)	419 (1.0%)	67 (0.2%)
<b>Uncorrelated Uncertainty</b>	<b>1561 (1.31%)</b>	1061 (2.46%)	771 (1.83%)	708 (2.09%)

- Preliminary MJ uncertainty estimation

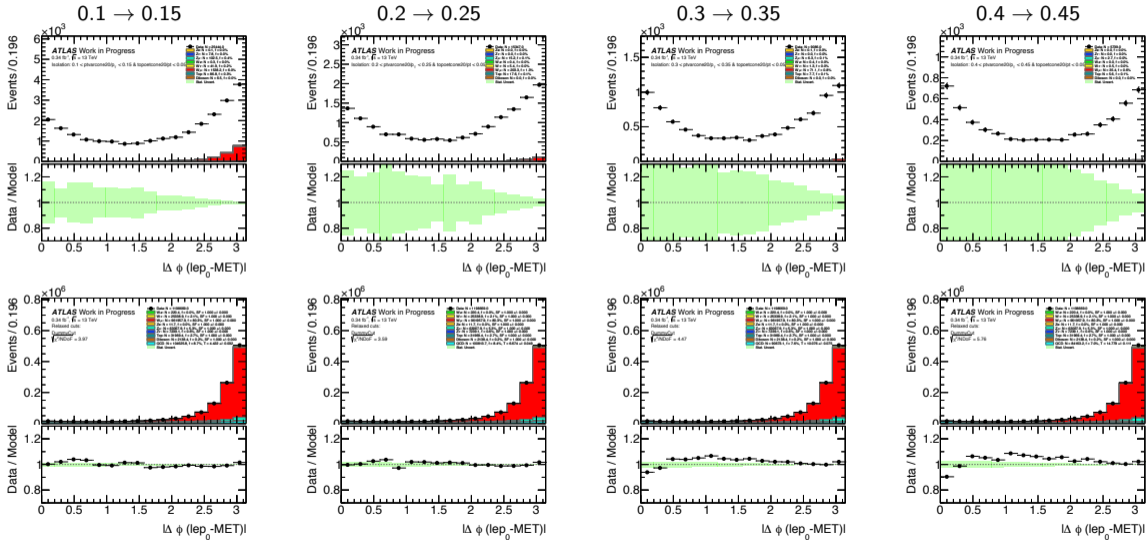
- ▶ have to sync MJ unc. calculation with W precision analyses
- ▶ *TODO*: no sys. unc. for isolation correction included.



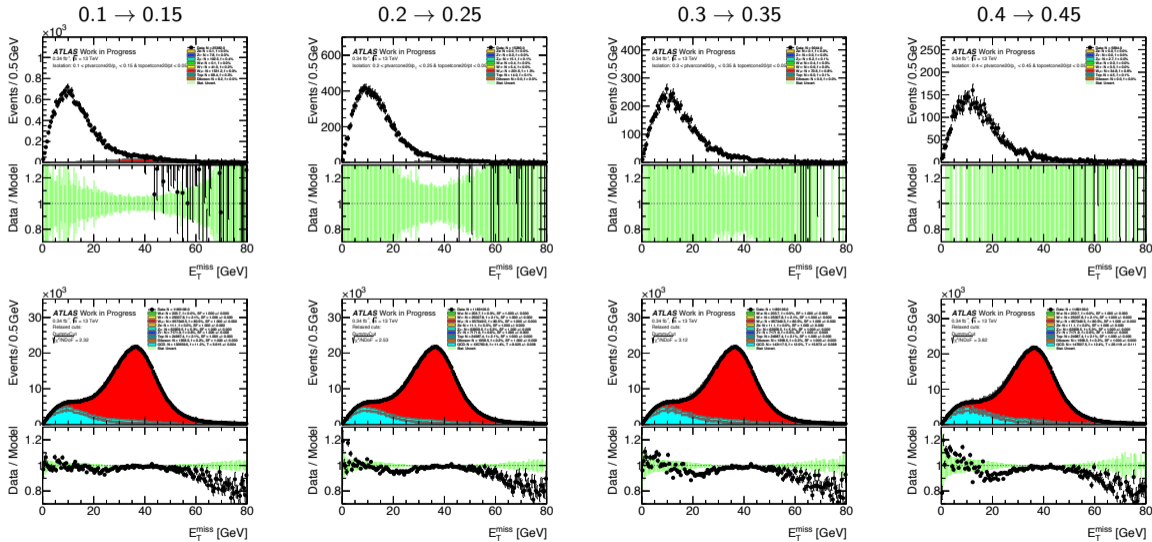
# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow \mu^- \nu$ : leading lepton $p_T$



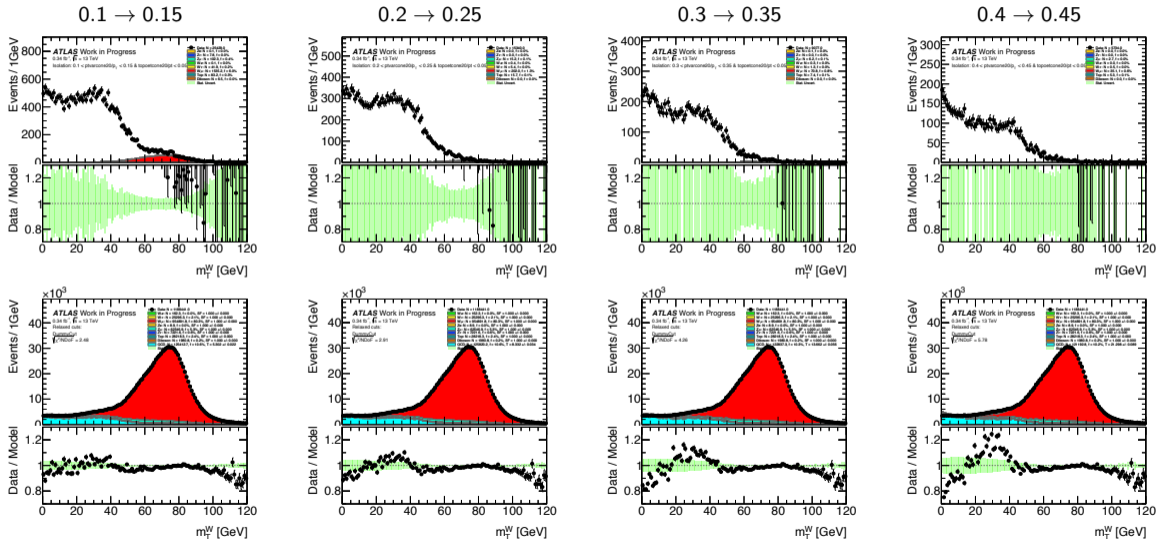
# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow \mu^- \nu$ : $|\Delta\phi(\ell - MET)|$



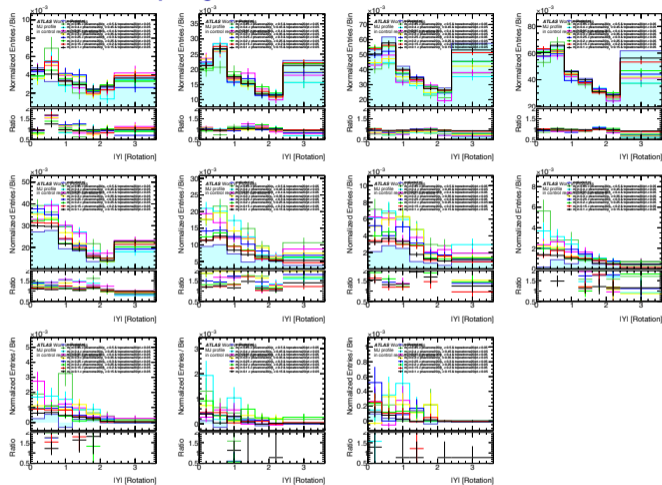
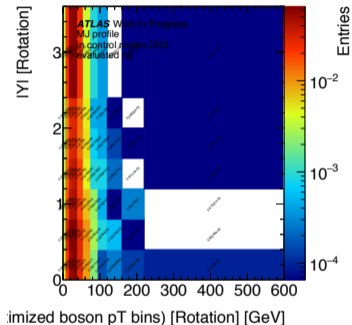
# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow \mu^- \nu$ : $E_T^{miss}$



# Isolation $ptvarcone20/pt$ slices for $W^- \rightarrow \mu^- \nu$ : $m_T^W$



# 2D MJ estimation: extrapolation and projections on Y axis for $W^- \rightarrow \mu^- \nu$



- Some of the bins are negative.
- Set them to 0 with assumption it should not affect overall normalization too much.

# MJ summary table

$u_T$ Cut	Slice No.	$iso_{min}$	$iso_{max}$	$N_{FR}^{Data}$	$N_{FR}^{EW}$	$N_{CR1}^{Data}$	$N_{CR1}^{EW}$	$N_{CR1}^{MJ}$	$T$	$\alpha$	$\chi^2$	NDof	$\sqrt{\chi^2}/NDof$	$N_{CR2}^{Data}$	$N_{CR2}^{EW}$	$N_{CR2}^{MJ}$	$N_{SR}^{MJ}$
-	0	0.1	0.2	2113364 ± 1454	1202160 ± 364	265157 ± 515	3774 ± 21	261383 ± 515	3.391 ± 0.006	1.021 ± 0.018	2734.47	20	11.69	12408 ± 111	2961 ± 18	9447 ± 113	32034 ± 4522
-	1	0.2	0.3	2113364 ± 1454	1202160 ± 364	150818 ± 388	636 ± 9	150182 ± 388	6.036 ± 0.011	1.004 ± 0.026	2300.96	20	10.73	6506 ± 81	507 ± 8	5999 ± 81	36210 ± 5291
-	2	0.3	0.4	2113364 ± 1454	1202160 ± 364	80303 ± 283	233 ± 5	80070 ± 283	11.757 ± 0.021	0.975 ± 0.015	2400.67	20	10.96	3871 ± 62	185 ± 5	3686 ± 62	43340 ± 8079

**Table:** Numbers for the electron  $u_T$  fits on 13 TeV for 3  $\bar{anti}$ -isolation slices. Numbers in FR are not affected by Slice No. The uncertainty of the numbers of events are statistical only except  $N_{SR}^{MJ}$  which is multiplied by  $\sqrt{\chi^2/NDof}$  and the uncertainty of the parameters are from the statistical uncertainty of the fitting.

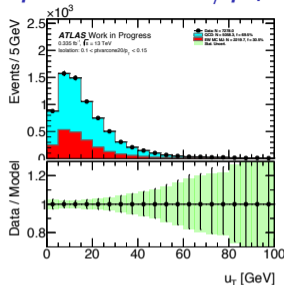
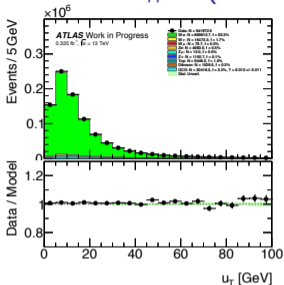
$u_T$ Cut	Slice No.	$iso_{min}$	$iso_{max}$	$N_{FR}^{Data}$	$N_{FR}^{EW}$	$N_{CR1}^{Data}$	$N_{CR1}^{EW}$	$N_{CR1}^{MJ}$	$T$	$\alpha$	$\chi^2$	NDof	$\sqrt{\chi^2}/NDof$	$N_{CR2}^{Data}$	$N_{CR2}^{EW}$	$N_{CR2}^{MJ}$	$N_{SR}^{MJ}$
-	0	0.1	0.15	2082663 ± 1443	1177864 ± 358	149341 ± 386	2830 ± 18	146511 ± 387	6.013 ± 0.011	1.023 ± 0.017	142576.13	20	84.43	7278 ± 85	2220 ± 15	5058 ± 87	30416 ± 44240
-	1	0.15	0.2	2082663 ± 1443	1177864 ± 358	115214 ± 339	893 ± 10	114321 ± 340	7.772 ± 0.014	1.018 ± 0.019	134165.04	20	81.90	5074 ± 71	714 ± 9	4360 ± 72	33887 ± 45948
-	2	0.2	0.25	2082663 ± 1443	1177864 ± 358	86638 ± 294	398 ± 7	86240 ± 294	10.424 ± 0.019	1.009 ± 0.025	134660.18	20	82.05	3608 ± 60	323 ± 6	3285 ± 60	34245 ± 51886
-	3	0.25	0.3	2082663 ± 1443	1177864 ± 358	63872 ± 253	222 ± 5	63650 ± 253	14.335 ± 0.026	0.998 ± 0.019	130496.30	20	80.78	2872 ± 54	177 ± 5	2695 ± 54	38635 ± 62523
-	4	0.3	0.35	2082663 ± 1443	1177864 ± 358	46548 ± 216	133 ± 4	46415 ± 216	19.968 ± 0.035	0.985 ± 0.015	130182.41	20	80.68	2138 ± 46	107 ± 3	2031 ± 46	40560 ± 74903
-	5	0.35	0.4	2082663 ± 1443	1177864 ± 358	33553 ± 183	93 ± 4	33460 ± 183	28.564 ± 0.050	0.961 ± 0.016	132431.96	20	81.37	1717 ± 41	74 ± 3	1643 ± 42	46923 ± 96810
-	6	0.4	0.45	2082663 ± 1443	1177864 ± 358	24168 ± 155	58 ± 2	24110 ± 155	39.982 ± 0.070	0.952 ± 0.016	135352.85	20	82.27	1289 ± 36	48 ± 2	1241 ± 36	49602 ± 118539
-	7	0.45	0.5	2082663 ± 1443	1177864 ± 358	17306 ± 132	45 ± 3	17261 ± 132	56.772 ± 0.099	0.940 ± 0.016	129257.61	20	80.39	944 ± 31	36 ± 2	908 ± 31	51573 ± 140835

**Table:** Numbers for the electron  $u_T$  fits on 13 TeV for 8  $\bar{anti}$ -isolation slices. Numbers in FR are not affected by Slice No. The uncertainty of the numbers of events are statistical only except  $N_{SR}^{MJ}$  which is multiplied by  $\sqrt{\chi^2/NDof}$  and the uncertainty of the parameters are from the statistical uncertainty of the fitting.

# Details on MJ: $u_T$ iso-slice #0 ( $0.1 < ptvarcone20/p_T < 0.15$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

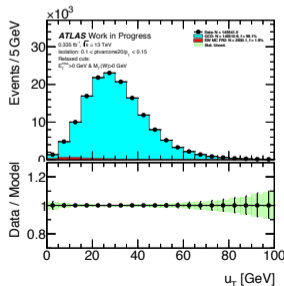
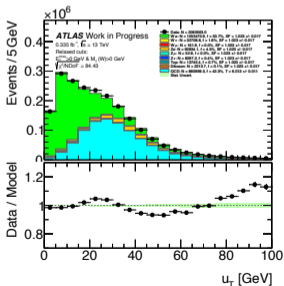


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.1 < ptvarcone20/p_T < 0.15$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



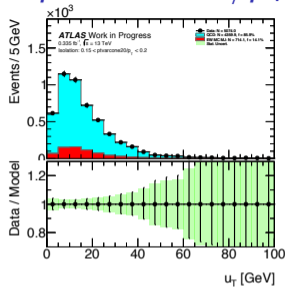
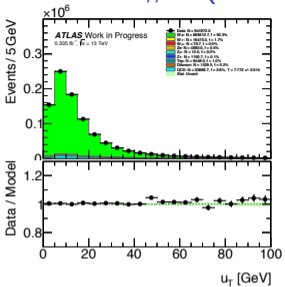
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.1 < ptvarcone20/p_T < 0.15$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #1 ( $0.15 < ptvarcone20/p_T < 0.2$ )

## SR with $M_J^{CR2}$ shape

- $m_T^{reco} > 50 GeV$
- $E_T^{miss, reco} > 25 GeV$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

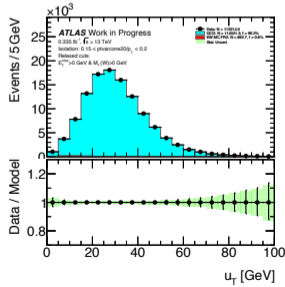
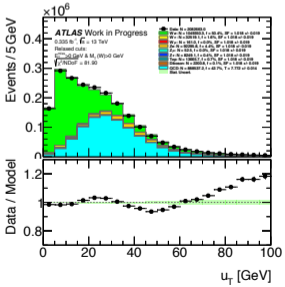


## CR2

- $m_T^{reco} > 50 GeV$
- $E_T^{miss, reco} > 25 GeV$
- $0.15 < ptvarcone20/p_T < 0.2$
- No cut  $topoetcone/p_T$

## FR with $M_J^{CR1}$ shape

- $m_T^{reco} > 0 GeV$
- $E_T^{miss, reco} > 0 GeV$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



## CR1

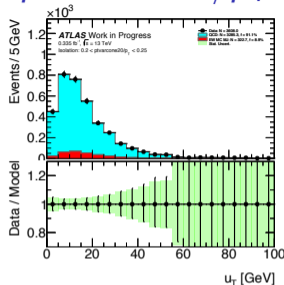
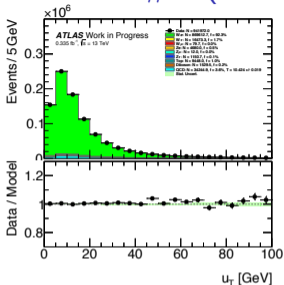
- $m_T^{reco} > 0 GeV$
- $E_T^{miss, reco} > 0 GeV$
- $0.15 < ptvarcone20/p_T < 0.2$
- No cut  $topoetcone/p_T$



# Details on MJ: $u_T$ iso-slice #2 ( $0.2 < ptvarcone20/p_T < 0.25$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

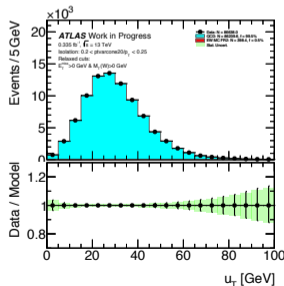
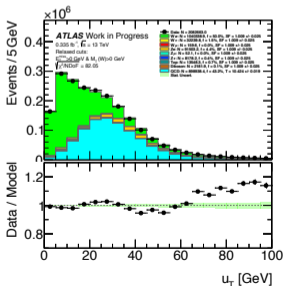


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.2 < ptvarcone20/p_T < 0.25$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



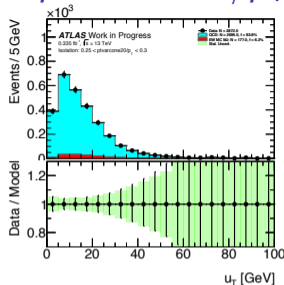
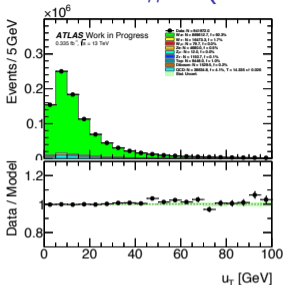
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.2 < ptvarcone20/p_T < 0.25$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #3 ( $0.25 < ptvarcone20/p_T < 0.3$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

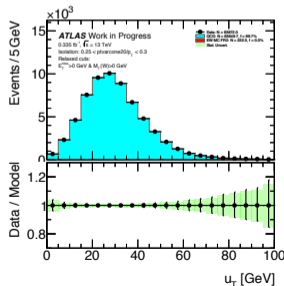
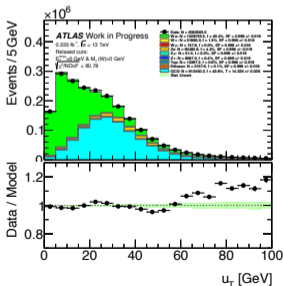


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.25 < ptvarcone20/p_T < 0.3$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



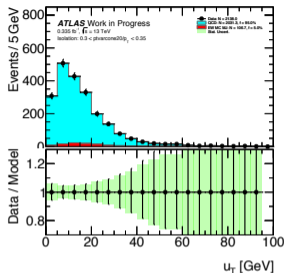
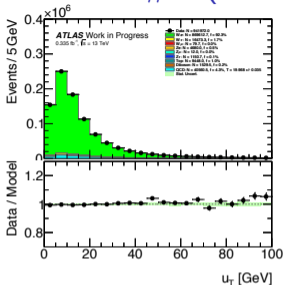
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.25 < ptvarcone20/p_T < 0.3$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #4 ( $0.3 < ptvarcone20/p_T < 0.35$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

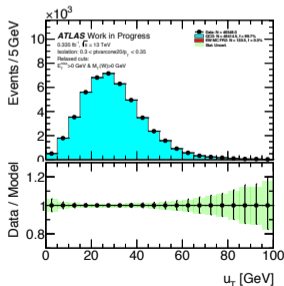
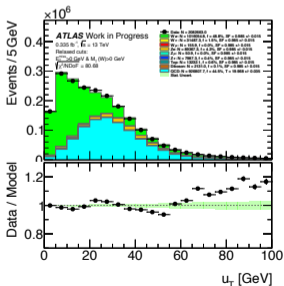


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.3 < ptvarcone20/p_T < 0.35$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



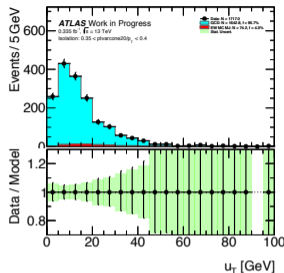
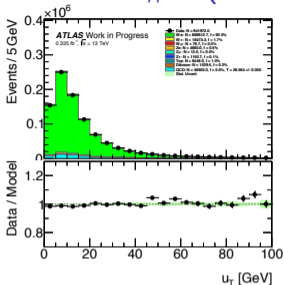
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.3 < ptvarcone20/p_T < 0.35$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #5 ( $0.35 < ptvarcone20/p_T < 0.4$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

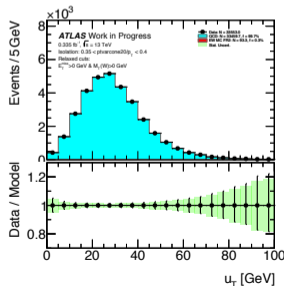
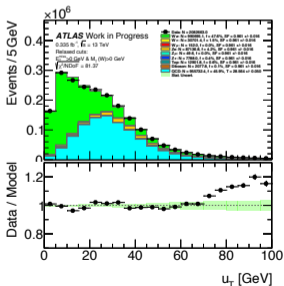


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.35 < ptvarcone20/p_T < 0.4$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



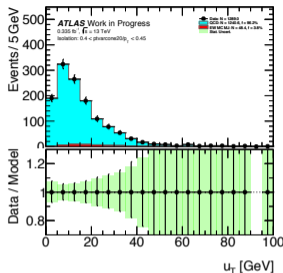
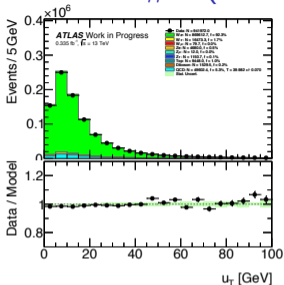
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.35 < ptvarcone20/p_T < 0.4$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #6 ( $0.4 < ptvarcone20/p_T < 0.45$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

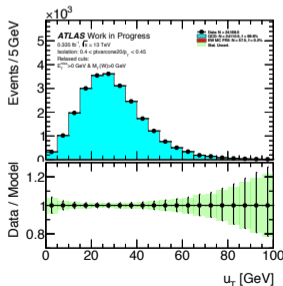
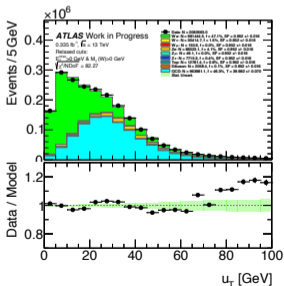


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.4 < ptvarcone20/p_T < 0.45$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



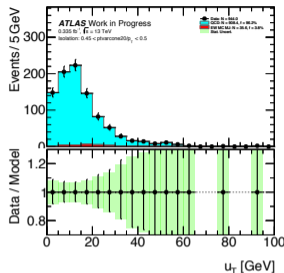
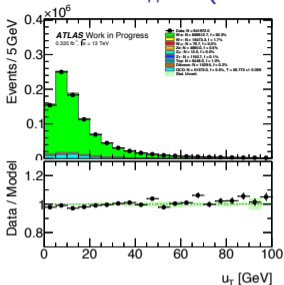
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.4 < ptvarcone20/p_T < 0.45$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #7 ( $0.45 < ptvarcone20/p_T < 0.5$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

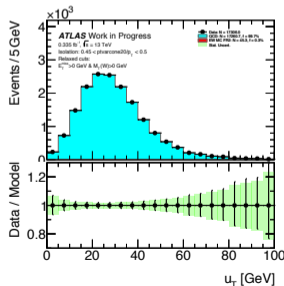
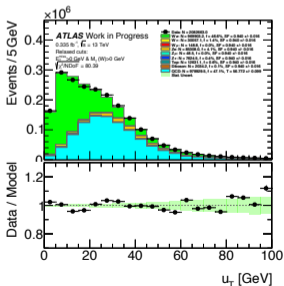


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.45 < ptvarcone20/p_T < 0.5$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



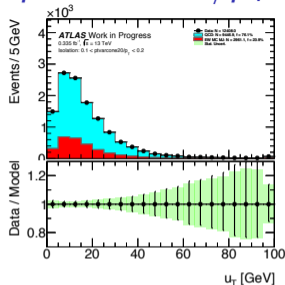
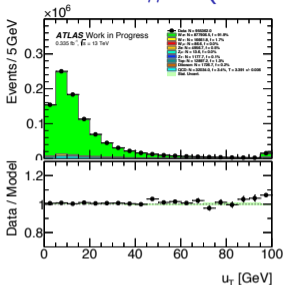
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.45 < ptvarcone20/p_T < 0.5$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #0 ( $0.1 < ptvarcone20/p_T < 0.2$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

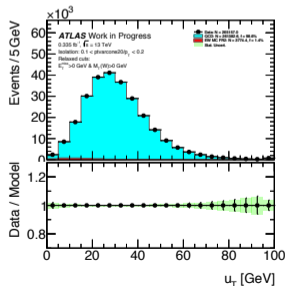
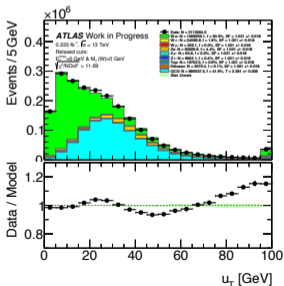


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.1 < ptvarcone20/p_T < 0.2$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



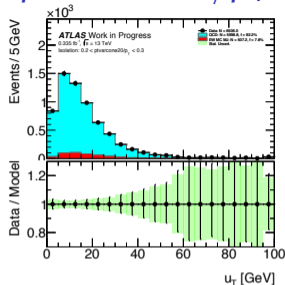
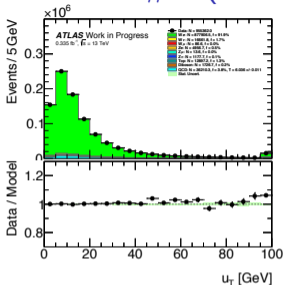
## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.1 < ptvarcone20/p_T < 0.2$
- No cut  $topoetcone/p_T$

# Details on MJ: $u_T$ iso-slice #1 ( $0.2 < p_{Tvarcone20}/p_T < 0.3$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $p_{Tvarcone20}/p_T < 0.1$
- No cut  $topoetcone/p_T$

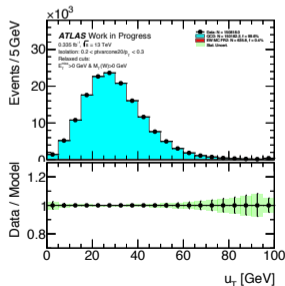
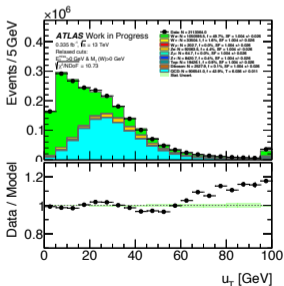


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.2 < p_{Tvarcone20}/p_T < 0.3$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $p_{Tvarcone20}/p_T < 0.1$
- No cut  $topoetcone/p_T$



## CR1

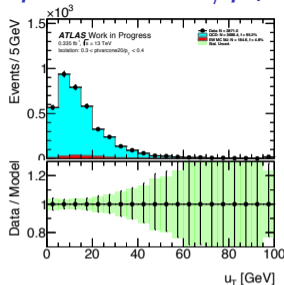
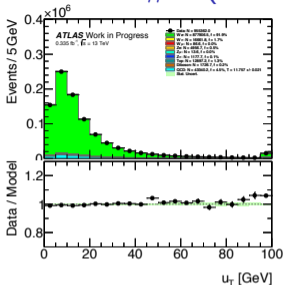
- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.2 < p_{Tvarcone20}/p_T < 0.3$
- No cut  $topoetcone/p_T$



# Details on MJ: $u_T$ iso-slice #2 ( $0.3 < ptvarcone20/p_T < 0.4$ )

## SR with $MJ_{shape}^{CR2}$

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$

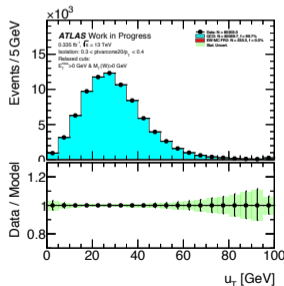
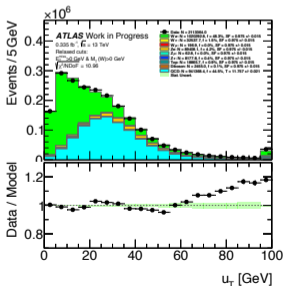


## CR2

- $m_T^{reco} > 50 \text{ GeV}$
- $E_T^{miss, reco} > 25 \text{ GeV}$
- $0.3 < ptvarcone20/p_T < 0.4$
- No cut  $topoetcone/p_T$

## FR with $MJ_{shape}^{CR1}$

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $ptvarcone20/p_T < 0.1$
- No cut  $topoetcone/p_T$



## CR1

- $m_T^{reco} > 0 \text{ GeV}$
- $E_T^{miss, reco} > 0 \text{ GeV}$
- $0.3 < ptvarcone20/p_T < 0.4$
- No cut  $topoetcone/p_T$