Measurements of the absolute reactor antineutrino energy spectrum dependence on the fuel composition



## Motivation

- Reactor Antineutrino Anomaly (Phys.Rev. D 83 073006): deficit in  $\tilde{\nu_e}$  fluxes
- σ<sub>235</sub>/σ<sub>239</sub> measured by DB (Phys. Rev. Lett. 120, 022503) is smaller than Huber+Mueller (Phys.Rev. C 84 024617, Phys.Rev. C 83 054615) predictions
- Resent KI measurements (Phys. Rev. D 104, L071301) don't agree with ILL measurements and hence with HM model
- Sterile neutrino searches for large  $\Delta m_{41}^2$  values

Stable performance of the DANSS detector allows us to perform analysis with absolute counting rates. Absolute counting rates address RAA directly.



Reactor power measurements with  $\tilde{\nu_e}$ . Normalization from a short period at the beginning of data taking.

## Introduction



KNPP:

- High  $\tilde{\nu_e}$  flux  $(5 \cdot 10^{13} \tilde{\nu_e} \text{ cm}^{-2} \text{ s}^{-1})$
- Large core: h = 3.7 m, d = 3.2 m
- Fuel: <sup>235</sup>U, <sup>238</sup>U, <sup>239</sup>Pu, <sup>241</sup>Pu (other components < 0.3%)



Nataliya Skrobova | Absolute counting rates and fuel evolution | ICPPA 2022

## **Relative slopes**

- Positron spectrum is split into several energy intervals
- The whole dataset is split into several intervals depending on <sup>239</sup>Pu fission fraction
- Slope at F239=0.3 (as Daya Bay) is used for normalization



Nataliya Skrobova | Absolute counting rates and fuel evolution | ICPPA 2022

## Spectrum dependence on fuel composition



IBD rate dependence on 239Pu fission fraction  $(d\sigma/dF239)/\sigma(F239=0.3)$  for various  $E_{e^+}$  agrees with H-M model and a bit more steep than at Daya Bay.

## Measurements of $\sigma_5/\sigma_9$

$$N = \alpha \cdot (\sigma_8 f_8 + \sigma_1 f_1 + \sigma_5 f_5 + \sigma_9 f_9)$$

$$\frac{dN}{df_9} = \alpha \cdot \left( \sigma_8 \frac{df_8}{df_9} + \sigma_1 \frac{df_1}{df_9} + \sigma_5 \frac{df_5}{df_9} + \sigma_9 \right)$$
$$SI = \left( \frac{dN}{df_9} \right) / N = \frac{\frac{\sigma_8}{\sigma_9} \frac{df_8}{df_9} + \frac{\sigma_1}{\sigma_9} \frac{df_1}{df_9} + \frac{\sigma_5}{\sigma_9} \frac{df_5}{df_9} + 1}{\frac{\sigma_8}{\sigma_9} f_8 + \frac{\sigma_1}{\sigma_9} f_1 + \frac{\sigma_5}{\sigma_9} f_5 + f_9}$$
$$\frac{\sigma_5}{\sigma_9} = -\frac{\frac{\sigma_8}{\sigma_9} (SI \cdot f_8 - \frac{df_8}{df_9}) + \frac{\sigma_1}{\sigma_9} (SI \cdot f_1 - \frac{df_1}{df_9}) + (SI \cdot f_9 - 1)}{SI \cdot f_5 - \frac{df_5}{df_9}}$$

DANSS:  $\sigma_5/\sigma_9 = 1.64 \pm 0.09$ ( $\sigma_8/\sigma_9$  and  $\sigma_1/\sigma_9$  are taken from HM) HM:  $\sigma_5/\sigma_9 = 1.53 \pm 0.05$ , DB:  $\sigma_5/\sigma_9 = 1.445 \pm 0.097$  $\sigma_8/\sigma_9$  and  $\sigma_1/\sigma_9$  from HM, DB-Slope, our formula:  $\sigma_5/\sigma_9 = 1.448 \pm 0.057$  $\Rightarrow$  difference between DANSS and DB is due to slope

### Absolute DANSS counting rates

$$\frac{dN(t)}{dt} = N_{p} \cdot \int_{E_{th}}^{E_{max}} \varepsilon \frac{1}{4\pi L^{2}} \sigma(E_{\nu}) \frac{d^{2}\phi(E_{\nu}, t)}{dEdt} \cdot P(L, E_{\nu}) dE$$
$$\frac{d^{2}\phi(E, t)}{dEdt} = \frac{W_{th}}{\langle E_{fis} \rangle} \sum f_{i} \cdot s_{i}(E)$$
$$\langle E_{fis} \rangle = \sum E_{i} \cdot f_{i}$$

- $N_p$  the number of target protons,
- $\varepsilon$  detector efficiency,

L – the distance between the centers of the detector and the reactor core (distribution of fission points, reactor and detector sizes are taken into account)  $\sigma(E_{\nu})$  – the IBD reaction cross section,

 $W_{th}$  – reactor thermal power (data from KNPP),

E<sub>fis</sub> - energy released per fission (Phys. Rev. C 88, 014605),

 $f_i$  – fission fraction

 $s_i - \tilde{\nu_e}$  energy spectrum per fission (Huber + Mueller and Kurchatov Institute models are considered),

P(E, L) is the survival probability due to neutrino oscillations

Source	Uncertainty
Number of protons	2%
Selection criteria	2%
Geometry (distance + fission points distribution)	1%
Fission fractions (from KNPP)	2%
Average energy per fission (Phys. Rev. C 88, 014605)	0.3%
Reactor power (from KNPP)	1.5%
Backgrounds	0.5%
Total	4%
Flux predictions	2-5%
Total with fluxes	5-7%

We hope to reduce experimental uncertainties in future. However, flux prediction uncertainty dominates.

#### Comparison of the predicted and observed DANSS rates

Huber+Mueller predictions. Model uncertainties are not included!



DANSS results are bellow HM predictions but within experimental uncertainties. (average ratio:  $0.98 \pm 0.04$ ) Nataliya Skrobova | Absolute counting rates and fuel evolution | ICPPA 2022

#### Comparison with HM and KI models (campaign 5)

# We estimate KI model predictions by reducing $\sigma_5$ and $\sigma_8$ by 5.4% in comparison with HM model



Model uncertainties are not included!

- Absolute counting rates are smaller than predictions in HM model but consistent within errors.
- Absolute counting rates are larger than predictions from KI model but consistent within errors.
- Uncertainties in flux predictions are large.

#### Comparison with HM and KI models (campaign 6)

# We estimate KI model predictions by reducing $\sigma_5$ and $\sigma_8$ by 5.4% in comparison with HM model



Model uncertainties are not included!

- Absolute counting rates are smaller than predictions in HM model but consistent within errors.
- Absolute counting rates are larger than predictions from KI model but consistent within errors.
- Uncertainties in flux predictions are large.

## Oscillation analysis: test statistics

Test statistics is defined as follows:

phase I

$$\chi^{2} = \min_{\eta,k} \sum_{i=1}^{N_{bins}} \begin{pmatrix} Z_{1i} & Z_{2i} \end{pmatrix} \cdot W^{-1} \cdot \begin{pmatrix} Z_{1i} \\ Z_{2i} \end{pmatrix} + \sum_{i=1}^{N_{bins}} \frac{Z_{1i}^{2}}{\sigma_{1i}^{2}} + \sum_{j=1,2} \frac{(k_{j} - k_{j}^{0})^{2}}{\sigma_{kj}^{2}} + \sum_{l} \frac{(\eta_{l} - \eta_{l}^{0})^{2}}{\sigma_{\eta_{l}}^{2}}$$

Top, Middle, Bottom Top, Bottom terms  $\sqrt{1-N} = \sqrt{1-N} = \sqrt{1-N}$ 

phase II penalty

 $+((N_{top}+N_{mid}+N_{bottom})^{\text{obs}}-(N_{top}+k_2\cdot\sqrt{k_1}\cdot N_{mid}+k_1\cdot N_{bottom})^{\text{pre}})^2/\sigma_{abs}^2$ 

#### term for absolute rates

*i* - energy bin (36 total) in range 1.5-6 MeV;  $Z_j = R_j^{obs} - k_j \times R_j^{pre}(\Delta m^2, \sin^2 2\theta, \eta) \text{ for each energy bin,}$   $R_1 = Bottom/Top, R_2 = Middle/\sqrt{Bottom \cdot Top}, \text{ where}$  Top, Middle, Bottom - absolute count rates per day for each detector position,  $k - \text{ relative efficiency (nominal values } k_1^0 = k_2^0 = 1),$   $\eta(\eta^0) - \text{ other nuisance parameters (and their nominal values),}$  W - covariance matrix to take into account correlations in spectra ratios at different positions  $(Z_1 \text{ and } Z_2),$  N - total absolute rates,  $\sigma_{abs} - \text{ systematic uncertainty (7\% in absolute rates).}$ 

## Oscillation analysis: preliminary results

DANSS 90% C.L. exclusion and sensitivity areas calculated with Raster Scan method and HM model using information about absolute counting rates



All systematic uncertainties discussed earlier are included flux uncertainty is 5%, total: 7% Raster Scan method:  $\Delta \chi^2 = \chi^2_{\Delta m^2 \theta} - \chi^2_{min(\Delta m^2)}$ 90% C.L:  $\Delta \chi^2 > 2.71$ Large  $\Delta m_{41}^2$  limit:  $N \sim 1 - \frac{1}{2} \sin^2 2\theta_{ee}$ Sensitivity border (90% C.L.):  $\sin^2 2\theta_{ee} \approx 2 \cdot \sigma \cdot \sqrt{2.71} \approx 0.24$ Exclusions for large  $\Delta m_{41}^2$  are consistent with previous results (Daya Bay, Bugey-3, ...)

Our preliminary results exclude the dominant fraction of BEST expectations as well as best fit point of Neutrino-4 experiment. In KI model exclusions are more strict. However, these results are model-dependent.

- Absolute counting rates are smaller than predictions in HM model but consistent within errors.
- Absolute counting rates are larger than predictions from KI model but consistent within errors.
- Relative IBD  $\sigma$  dependence on 239Pu fraction is slightly stepper than in HM model and considerably steeper than at DB and in KI models.
- Estimated ratio of  $\sigma_5/\sigma_9$  is consistent with HM model and larger than KI and DB results.
- Oscillation analysis with absolute counting rates (HM model) excludes practically all sterile parameter space preferred by BEST and the best fit point of Neutrino-4 experiment.

However, this result is model-dependent.

## Thank you!

## Sterile neutrinos





#### DANSS rates to Huber+Mueller: $0.98\pm0.04$

(arXiv 1906 01739v2)

## DANSS design [JINST 11 (2016) no.11, P11011]

- Multilayer passive shielding: electrolytic copper frame 5 cm, borated polyethylene 8 cm, lead 5 cm, borated polyethylene 8 cm
- 2-layer active µ-veto on 5 sides
- 2500 scintillator strips with Gd containing coating for neutron capture
- Light collection with 3 WLS fibers
- Central fiber read out with individual SiPM
- Side fibers from 50 strips make a bunch of 100 on a PMT cathode = Module





Due to high granularity we can measure positron kinetic energy (without  $\gamma$ )

## **Test statistics**

Test statistics is defined as follows:

$$\chi^{2} = \min_{\eta, k} \sum_{i=1}^{N_{bins}} \begin{pmatrix} Z_{1i} & Z_{2i} \end{pmatrix} \cdot W^{-1} \cdot \begin{pmatrix} Z_{1i} \\ Z_{2i} \end{pmatrix} + \sum_{i=1}^{N_{bins}} \frac{Z_{1i}^{2}}{\sigma_{1i}^{2}} + \sum_{j=1,2} \frac{(k_{j} - k_{j}^{0})^{2}}{\sigma_{kj}^{2}} + \sum_{l} \frac{(\eta_{l} - \eta_{l}^{0})^{2}}{\sigma_{\eta_{l}}^{2}}$$

phase I Top, Middle, Bottom







 $\Delta\chi^2 = \chi^2_{4
u} - \chi^2_{3
u}$  distribution (6 mln events)

*i* - energy bin (36 total) in range 1.5-6 MeV;  $Z_j = R_j^{obs} - k_j \times R_j^{pre}(\Delta m^2, \sin^2 2\theta, \eta)$  for each energy bin,  $R_1 = Bottom/Top, R_2 =$   $Middle/\sqrt{Bottom \cdot Top}$ , where Top, Middle, Bottom - absolute count rates per day for each detector position, k - relative efficiency (nominal values  $k_{1,2}^0 = k_{2,2}^0 = 1$ ),

 $\eta(\eta^0)$  – other nuisance parameters (and their nominal values),

W – covariance matrix to take into account correlations in spectra ratios at different positions ( $Z_1$  and  $Z_2$ ).

## Preliminary results

DANSS 90% C.L. exclusion and sensitivity areas calculated with Gaussian  $CL_s$  method (Nucl.Inst.Meth. A 827 63). It is more conservative than Feldman-Cousins approach.



### Systematic uncertainties (1 $\sigma$ values):

- relative detector efficiencies at different distances (0.2%)
- distance to the fuel burning profile center (5 cm)
- cosmic background (25%)
- fast neutron background (30%)
- additional smearing in energy resolution (25%)
- energy scale (2%)
- energy shift (25 keV)

A large and the most interesting fraction of available parameter space for sterile neutrino was excluded. Obtained exclusions don't depend on theoretical predictions for  $\tilde{\nu_e}$  spectrum and absolute detector efficiency!