

# The estimation methods of the background induced by the misidentification of a jet as a photon in $pp$ collisions at $\sqrt{s} = 13$ TeV with the ATLAS Detector

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on behalf of the ZnunuGamma group



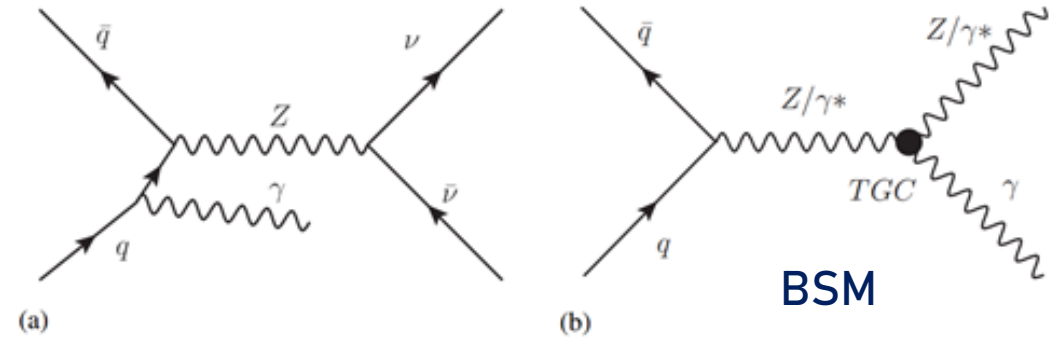
MEPhI@Atlas meeting  
09/12/2022



# Motivation and goals

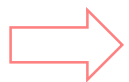
## Motivation:

- To measure the parameters of the Standard Model (SM) to very high precision;
- The search of new physics predicted by the beyond SM (BSM) theories;
- Precise measurements of triple and quartic gauge couplings sensitive to BSM physics. One of the sensitive processes is  $Z(\nu\nu)\gamma$  process.



## Goals:

- To calculate integral and differential in  $E_T^\gamma$ ,  $N_{\text{jets}}$ ,  $p_T^{\text{miss}}$ ,  $\Delta\phi(\gamma, p_T^{\text{miss}})$ ,  $p_T(Z\gamma)$ ,  $\eta_\gamma$ . cross-sections and compare the results with the theory predictions;
- To obtain the strongest up-to-date limits on anomalous neutral triple gauge-boson couplings (aTGCs).



We want to estimate backgrounds as accurate as possible but background processes emerging from object misidentification **are not well-modeled in Monte-Carlo**. All analyses at the LHC experiments use data-driven methods to solve this issue.

# The backgrounds and the phase space definition

Signal:  $Z(\nu\nu)\gamma$

Backgrounds:

- 35% •  $\gamma$  + jets – via MC  $\rightarrow$  ABCD method based on  $E_T^{\text{miss}}$  significance and additional variable (or slice method?);
  - 26% •  $W(\rightarrow l\nu)\gamma$  – fit to data in additional CR based on  $N_{\text{lep}}$  (shape from MC);
  - 20% •  $e \rightarrow \gamma$  – fake-rate estimation using Z-peak (tag-n-probe) method;
  - 14% •  $jet \rightarrow \gamma$  – ABCD method based on photon ID and isolation and slice method;
  - 1.9% •  $Z(\text{ll})\gamma$  – via MC;
  - 1.6% •  $t\bar{t}\gamma$  – via MC.
- FixedCutLoose isolation working point is chosen.

## Preselections

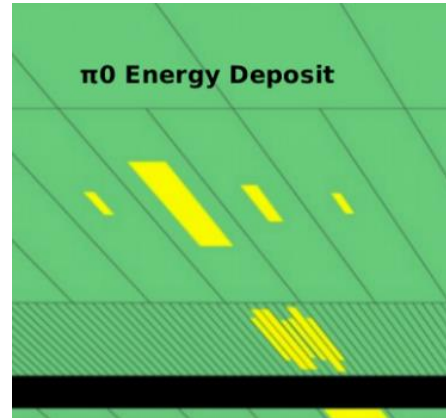
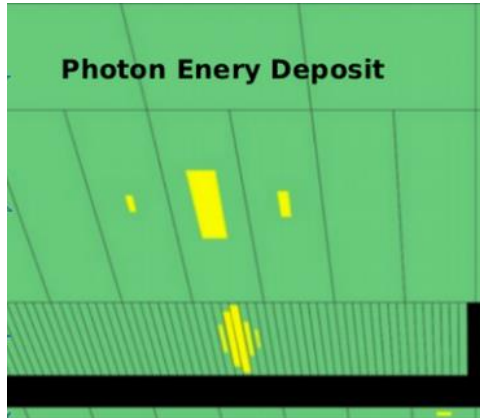
Preselections	Cut value
$E_T^{\text{miss}}$	$> 130$ GeV
$E_T^\gamma$	$> 150$ GeV
Number of photons	$N_\gamma = 1$
Lepton veto	$N_e = 0, N_\mu = 0$

## Selections

Selections	Cut value
$E_T^{\text{miss}}$ significance	$> 11$
$ \Delta\phi(E_T^{\text{miss}}, \gamma) $	$> 0.7$
$ \Delta\phi(E_T^{\text{miss}}, j_1) $	$> 0.4$

# jet $\rightarrow$ $\gamma$ background

- The background induced by the misidentification of a jet as a photon is studied in this analysis.



Hadronic jets in which neutral mesons carry a significant fraction of energy may be misidentified as isolated photons.

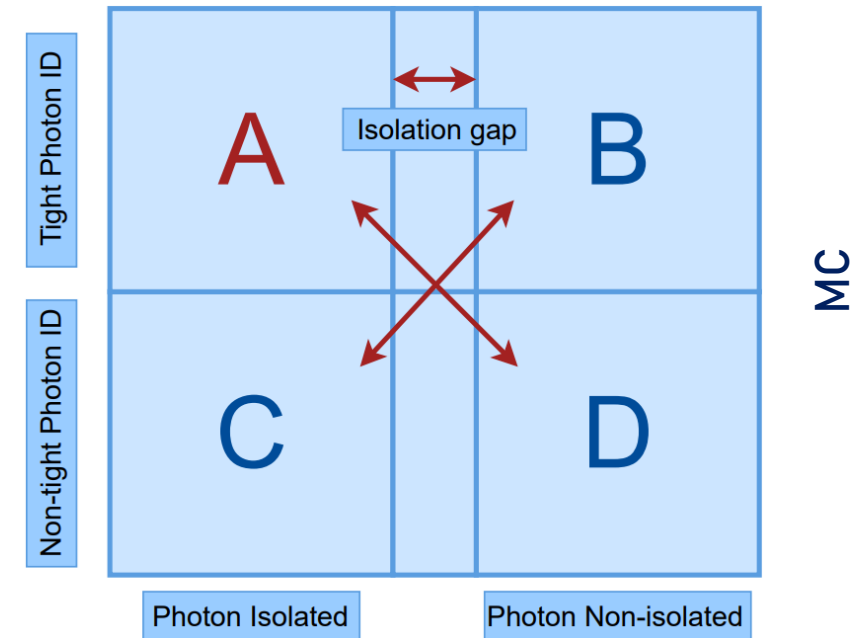
$\Rightarrow$  the SR will be contaminated with  $jet \rightarrow \gamma$

## ABCD method for $jet \rightarrow \gamma$ :

- the phase space is splitted into 4 regions based on the identification (*tight* or *loose*) and isolation (*isolated* or *non-isolated*) criteria for photons;
- the main assumption is the absence of correlation between identification and isolation criteria.

The estimate of  $jet \rightarrow \gamma$  events in signal region A derived by ABCD method is  $2100 \pm 100 \pm 300$

$\Rightarrow$  A large uncertainty is observed. Thus, we have a motivation to estimate  $jet \rightarrow \gamma$  with other methods.

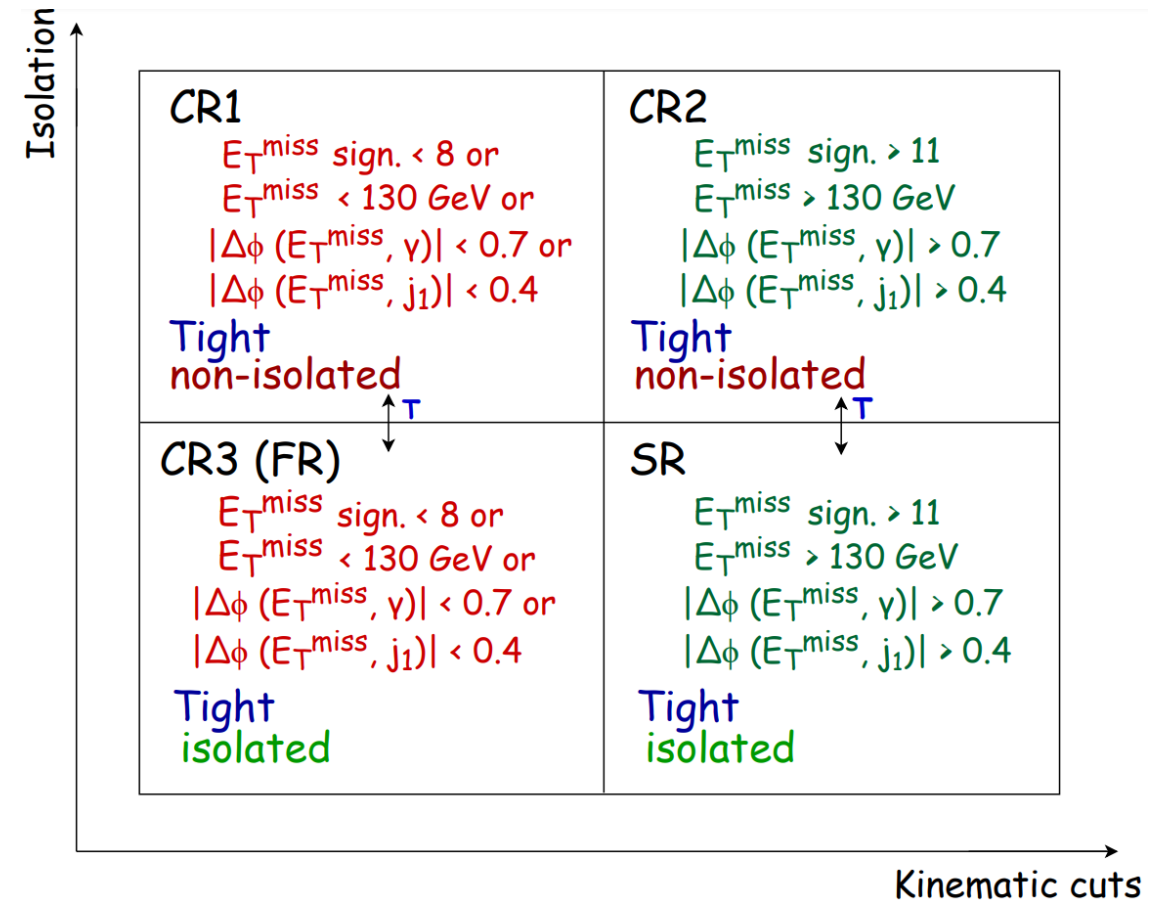


More details in back-up

# Estimation techniques of the slice method I

## Strategy:

- To split the phase space into 4 orthogonal regions based on kinematic cuts and isolation. The fit region (FR) is the kinematically inverted signal region (SR). Events in the FR have a **leading photon** candidate that is **isolated**. Events in the SR pass all signal kinematic selections.
- The CR2 is a region, where events have a **leading photon** candidate that is **not isolated**. Events in the CR2 pass all signal kinematic selections. The CR1 is the kinematically inverted CR2.
- Photons in all four regions pass the **tight** selection criteria.
- The normalized fit is performed in the FR, where the  $jet \rightarrow \gamma$  process used for the fit is derived from CR1.
- Photon is required to pass  $p_T^{\text{cone20}}/p_T^\gamma < 0.05$  track isolation in isolated regions. To increase the statistics in non-isolated regions the inverted track isolation  $p_T^{\text{cone20}}/p_T^\gamma > 0.05$  is applied.



# Estimation techniques of the slice method II

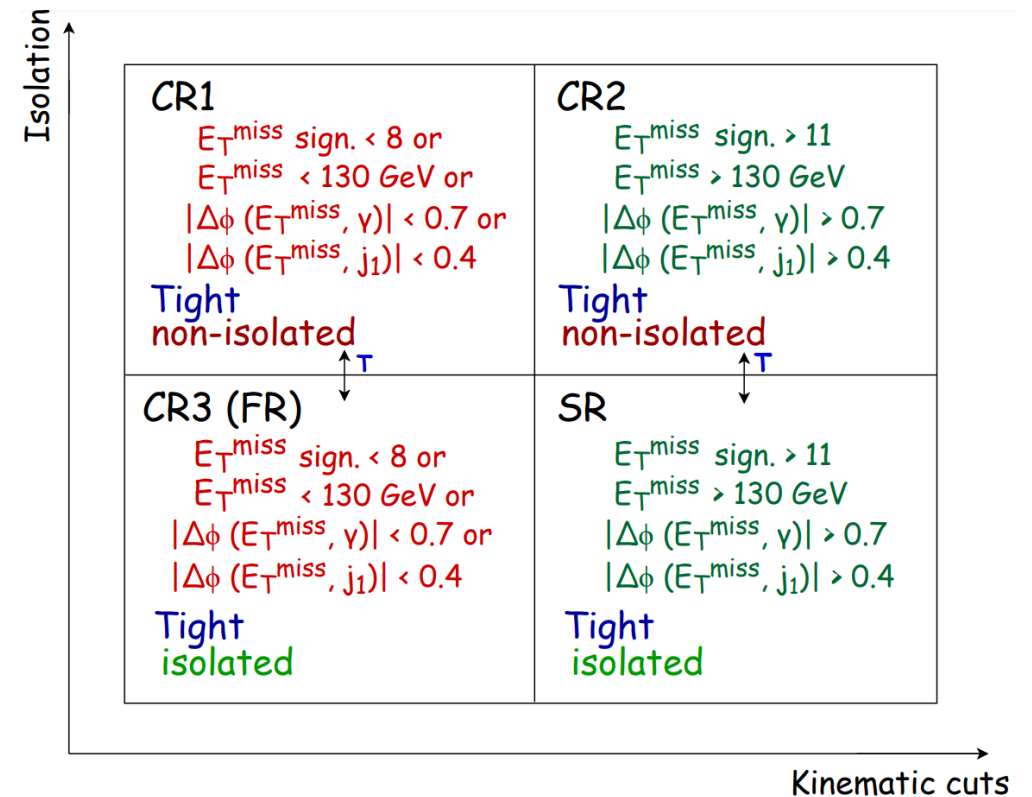
- The normalized fit can be performed for different variables in the phase-space region with inverted cuts on these variables.
- To study the dependence of the result on the isolation criteria, control regions CR1 and CR2 are split into successive intervals by the isolation variable, instead of a single integrated anti-isolated region.
- In this way, the number of  $jet \rightarrow \gamma$  background events for a given isolation slice  $i$  can be estimated as follows:

$$N_{CR1(i)}^{jet \rightarrow \gamma} = N_{CR1(i)}^{data} - N_{CR1(i)}^{Z(\nu\bar{\nu})\gamma} - N_{CR1(i)}^{bkg}$$

- The normalized fit is performed in the FR. Thus, the total number of events in the FR estimated from non-isolated slice of the CR1 is given by:

$$N_{FR(i)}^{data} = \alpha \cdot (N_{FR(i)}^{Z(\nu\bar{\nu})\gamma} + N_{FR(i)}^{bkg}) + N_{FR(i)}^{jet \rightarrow \gamma}$$

- The fitting parameter  $T_{(i)}$  gives the estimated number of  $jet \rightarrow \gamma$  events in the FR:  $N_{FR(i)}^{jet \rightarrow \gamma} \approx T_{(i)} \cdot N_{CR1(i)}^{jet \rightarrow \gamma}$



# Estimation techniques of the slice method III

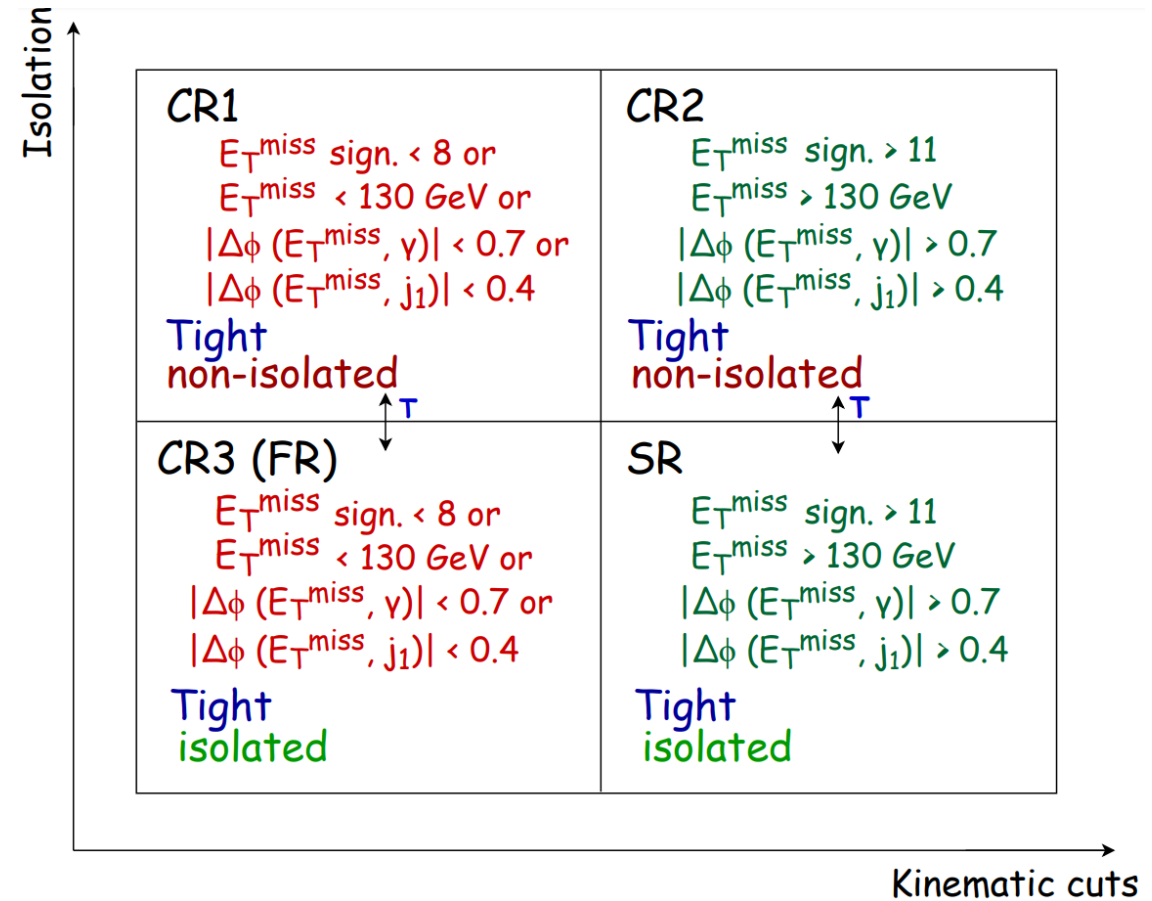
11. In this study, a parameter  $\alpha$  is taken to be equal to 1. The fit parameter  $T_{(i)}$  is derived for each slice and kinematic variable.
12. Finally, the fitted  $jet \rightarrow \gamma$  yield is extrapolated to the SR. The estimate for each slice and kinematic variable is determined by the equation:

$$N_{SR(i)}^{jet \rightarrow \gamma} = T_{(i)} \cdot (N_{CR2(i)}^{data} - N_{CR2(i)}^{Z(\nu\bar{\nu})\gamma} - N_{CR2(i)}^{bkg})$$

- FixedCutLoose isolation working point is chosen. Isolation working point is defined as:

$$E_T^{\text{cone}20} / p_T^\gamma < 0.065$$

➡ Five isolation slices are chosen: [0.065, 0.08, 0.095, 0.115, 0.14]



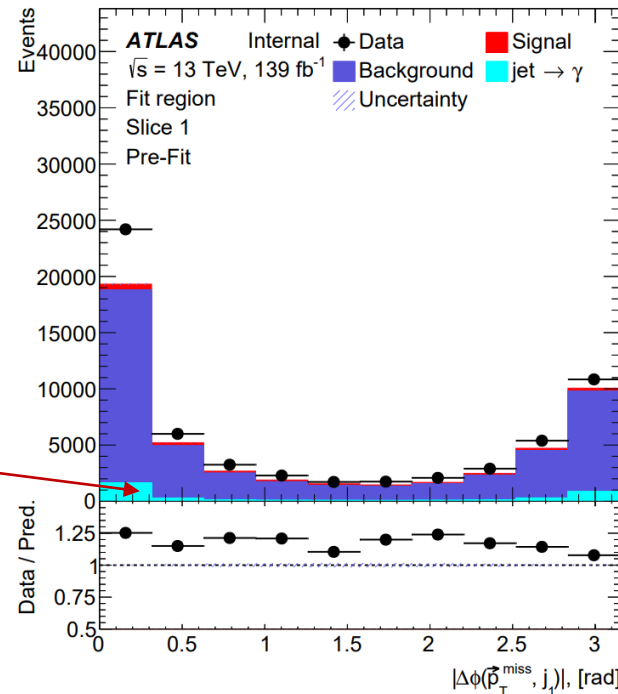
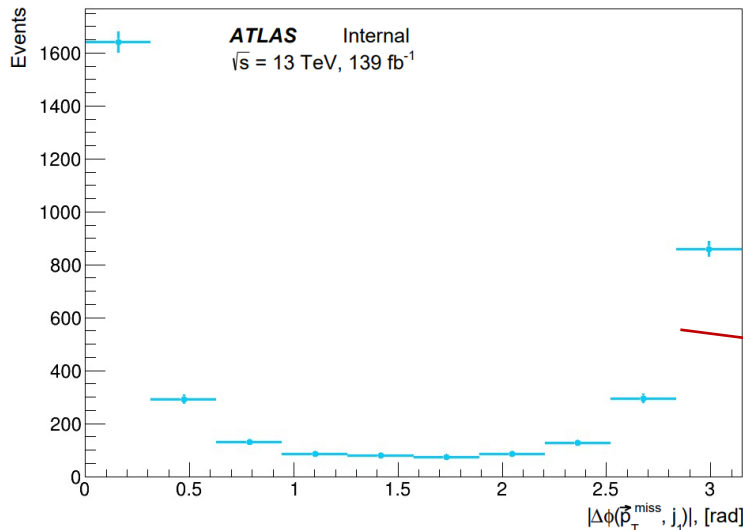
# Normalized fit

- The fit was performed for 4 variables:  $E_T^{\text{miss}}$ ,  $E_T^{\text{miss}}$  significance,  $|\Delta\phi(\gamma, \vec{p}_T^{\text{miss}})|$  and  $|\Delta\phi(j_1, \vec{p}_T^{\text{miss}})|$
- The fitting parameter T is derived from the fit for each slice and variable.

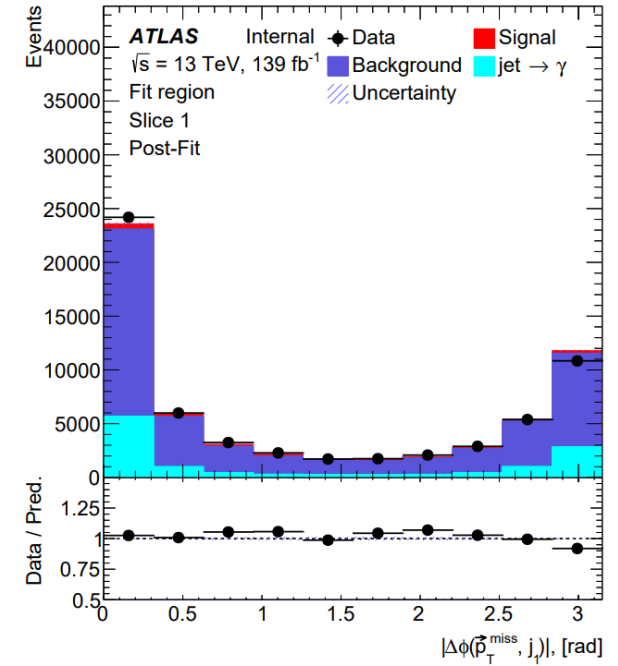
## Strategy:

- 1) To derive the distribution of the  $jet \rightarrow \gamma$  in the CR1 from [data - other bkg. - signal] in this region;
- 2) To add derived  $jet \rightarrow \gamma$  distribution to the FR. Thus, in the FR we have data, signal and other bkg., that are derived in FR, and  $jet \rightarrow \gamma$ , which is derived in the CR1
- 3) To perform the normalized fit

$jet \rightarrow \gamma$  in the CR1:



Normalized fit



To derive the fit parameters T for each slice



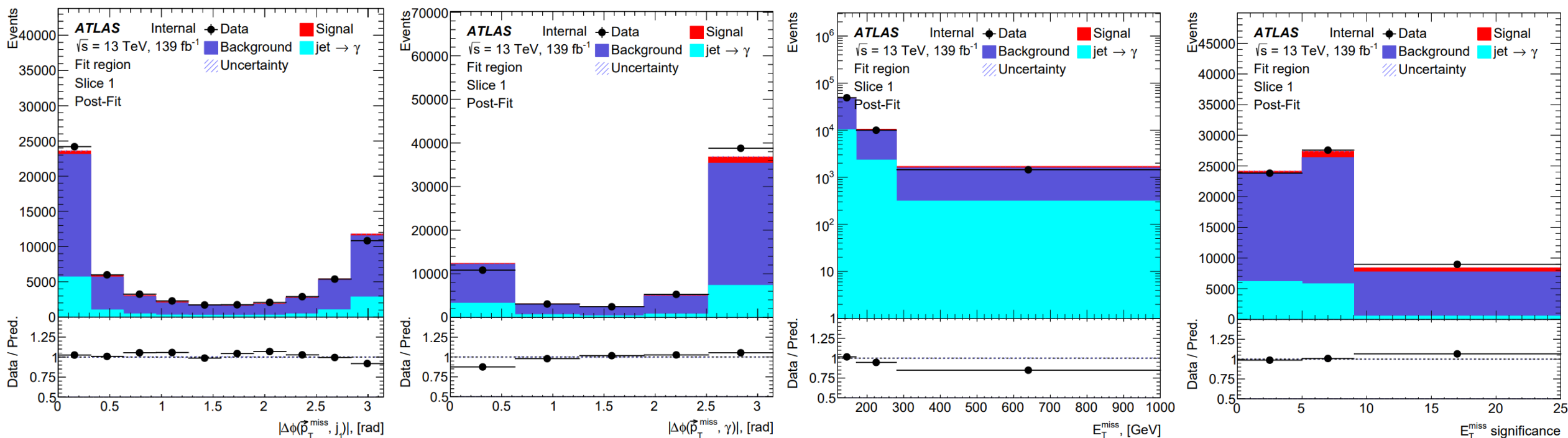
# Normalized fit

- The normalized fit was performed for 4 variables:  $E_T^{\text{miss}}$ ,  $E_T^{\text{miss}}$  significance,  $|\Delta\phi(\gamma, \vec{p}_T^{\text{miss}})|$  and  $|\Delta\phi(j_1, \vec{p}_T^{\text{miss}})|$
- The fitting parameter T is derived from the fit for each slice and variable.

The likelihood function:

$$\mathcal{L}(N_i^{\text{data}}|T) = \prod_{i=1}^{N_{\text{bins}}} \text{Pois}(N_i^{\text{data}} | N_i^{\text{sig}} + N_i^{\text{bkg}} + T \cdot N_i^{\text{jet} \rightarrow \gamma})$$

The results of the fit for slice 1 [0.065, 0.08]:



Pre-fits and post-fits for different variables are performed in back-up

# The results of the fit

Result of the fit for Z $\gamma$  QCD Sherpa generator:

Slice	$T_1, E_T^{\text{miss}}$	$T_2, E_T^{\text{miss}}$ sign.	$T_3,  \Delta(E_T^{\text{miss}}, j_1) $	$T_4,  \Delta(E_T^{\text{miss}}, \gamma) $
1	$3.50 \pm 0.08$	$3.42 \pm 0.08$	$3.42 \pm 0.08$	$3.33 \pm 0.07$
2	$4.14 \pm 0.09$	$3.94 \pm 0.09$	$3.89 \pm 0.09$	$3.76 \pm 0.08$
3	$4.30 \pm 0.10$	$4.04 \pm 0.09$	$3.99 \pm 0.09$	$3.82 \pm 0.09$
4	$5.24 \pm 0.12$	$4.97 \pm 0.12$	$4.82 \pm 0.11$	$4.48 \pm 0.10$
5	$1.90 \pm 0.04$	$1.77 \pm 0.04$	$1.62 \pm 0.04$	$1.44 \pm 0.04$

The fit parameters  $T_{(i)}$

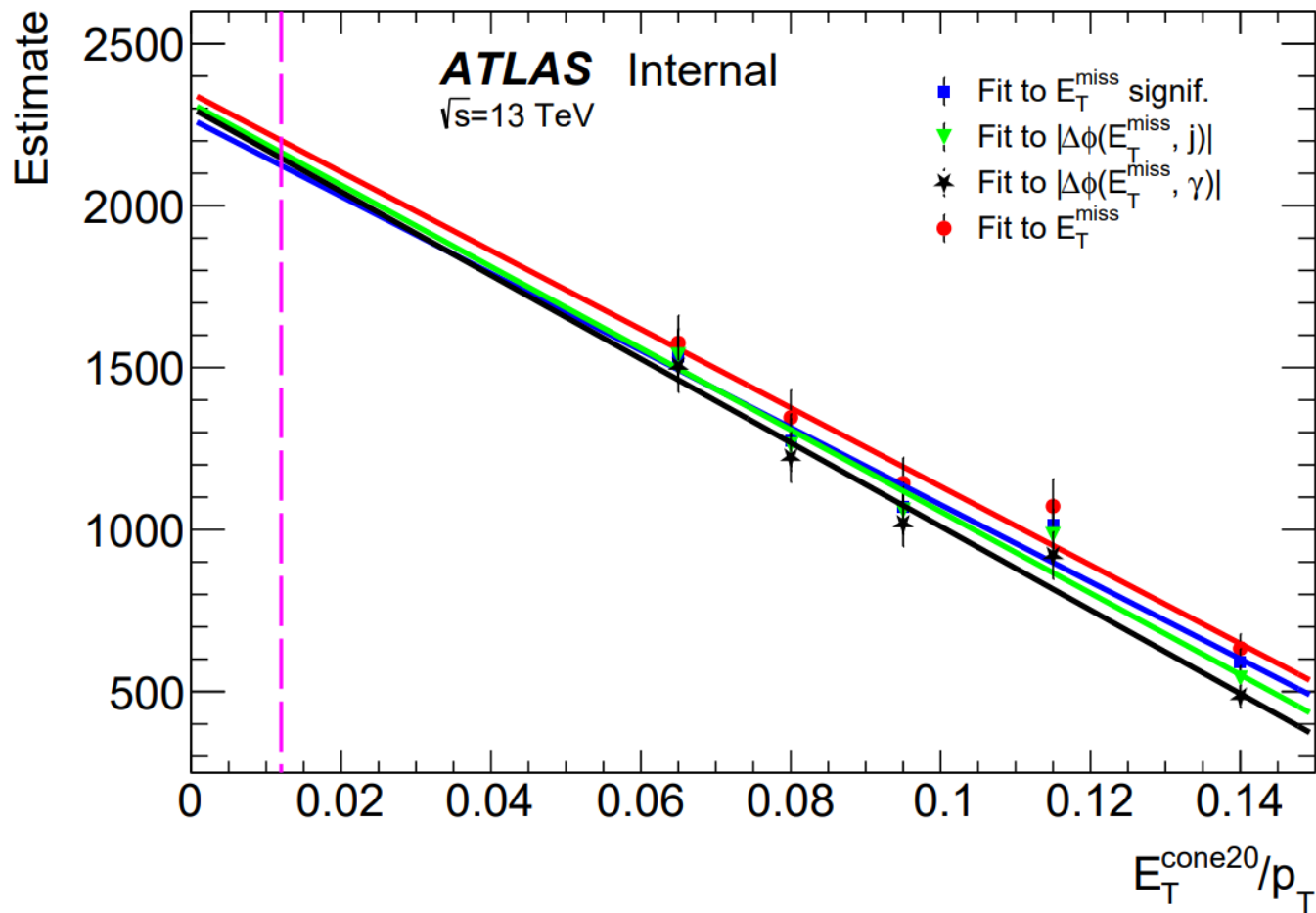
Slice	Observed $N_{CR2(i)}^{jet \rightarrow \gamma}$
1	$444 \pm 22$
2	$320 \pm 19$
3	$265 \pm 17$
4	$207 \pm 15$
5	$363 \pm 22$

Observed  $jet \rightarrow \gamma$  events in the CR2

Slice	$N_{SR(i)}^{jet \rightarrow \gamma}, E_T^{\text{miss}}$	$N_{SR(i)}^{jet \rightarrow \gamma}, E_T^{\text{miss}}$ sign.	$N_{SR(i)}^{jet \rightarrow \gamma},  \Delta(E_T^{\text{miss}}, j_1) $	$N_{SR(i)}^{jet \rightarrow \gamma},  \Delta(E_T^{\text{miss}}, \gamma) $
1	$1555 \pm 83$	$1518 \pm 82$	$1521 \pm 82$	$1484 \pm 78$
2	$1323 \pm 83$	$1258 \pm 79$	$1242 \pm 78$	$1201 \pm 75$
3	$1137 \pm 77$	$1068 \pm 73$	$1056 \pm 71$	$1010 \pm 68$
4	$1084 \pm 82$	$1027 \pm 78$	$996 \pm 75$	$926 \pm 70$
5	$688 \pm 44$	$643 \pm 42$	$588 \pm 38$	$524 \pm 34$

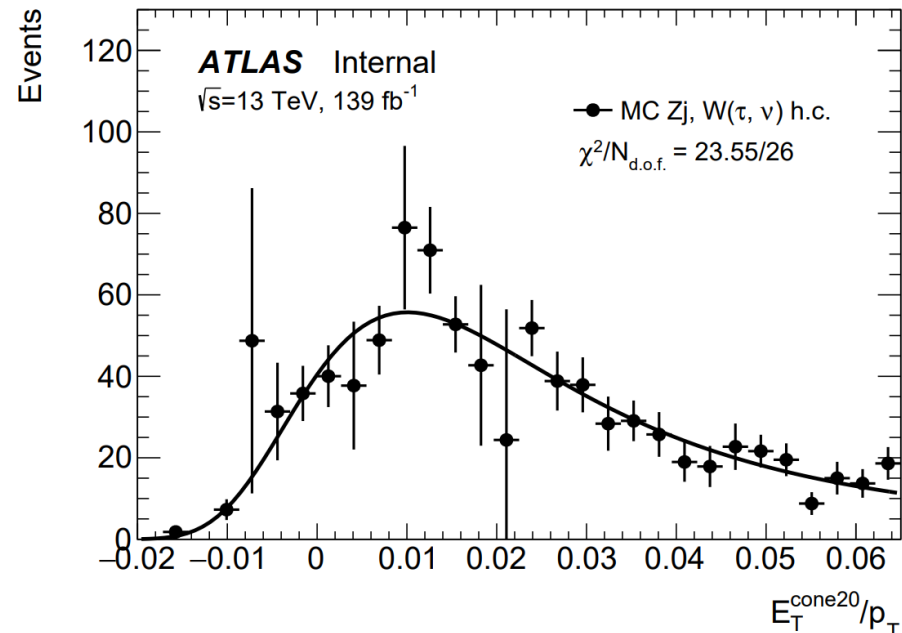
$jet \rightarrow \gamma$  events in the SR for each slice

# Linear extrapolation



- The estimate of  $jet \rightarrow \gamma$  background is  $2070 \pm 60$  events. The estimate of  $jet \rightarrow \gamma$  events in signal region A derived by ABCD method is  $2100 \pm 100 \pm 300$

## Isolation distribution for $jet \rightarrow \gamma$ MC samples



Landau fit  $\Rightarrow X = 0.012 \pm 0.010$

$\chi^2/N_{d.o.f.}$  for Gaus fit is 92.78/26

Variable	Estimate in $x = 0.012$
$E_T^{miss}$	$2110 \pm 120$
$E_T^{miss}$ signif.	$2040 \pm 120$
$ \Delta(E_T^{miss}, j_1) $	$2080 \pm 110$
$ \Delta(E_T^{miss}, \gamma) $	$2070 \pm 110$

$$\bar{X} = \frac{\sum x_i}{\sum \frac{1}{\sigma_i^2}}$$

# The sources of the systematics

## Systematic uncertainties come from:

- The uncertainty in the choice of the extrapolation target for the isolation scan, estimated by changing the isolation target by  $\pm 1\sigma$ ;
- The uncertainty comes from different generators.
- The uncertainty comes from the choice of the variable. (34 events)

Variable	Estimate in $x = 0.002$
$E_T^{\text{miss}}$	$2220 \pm 120$
$E_T^{\text{miss}}$ sign.	$2150 \pm 120$
$ \Delta(E_T^{\text{miss}}, j_1) $	$2200 \pm 110$
$ \Delta(E_T^{\text{miss}}, \gamma) $	$2190 \pm 110$

Variable	$Z\gamma$ QCD MadGraph
$E_T^{\text{miss}}$	$2200 \pm 120$
$E_T^{\text{miss}}$ sign.	$2130 \pm 120$
$ \Delta(E_T^{\text{miss}}, j_1) $	$2170 \pm 120$
$ \Delta(E_T^{\text{miss}}, \gamma) $	$2150 \pm 110$

⇒ 2188 events,  $\delta = 114$  events

⇒ 2159 events,  $\delta = 85$  events

- Total systematic uncertainty is 150 events.
- Thus, the estimate of  $jet \rightarrow \gamma$  events in signal region A by slice method is  $2070 \pm 60 \pm 150$ .
- The estimate of  $jet \rightarrow \gamma$  events in signal region A derived by ABCD method is  $2100 \pm 100 \pm 300$ .
- The final estimates for different methods coincide within the uncertainty.

# Likelihood-based approach I

- **The main idea:** to fit signal and other backgrounds distributions except  $jet \rightarrow \gamma$  to data in all ABCD regions

The essence of the method is to perform a fit of the likelihood function, which is defined as:

$$L(N_{ji}|f_{F_{ji}}, f_{N_j}) = \prod_{j=A}^{B,C,D} \prod_{i=1}^{N_{bins}} \text{Pois}(N_{ji}|\nu_{b_{ji}} + \nu_{\gamma_{ji}}f_{F_{ji}} + \nu_{s_{ji}}f_{N_j})$$

where model parameters are defined as:

- $N_{ji}$  - the number of the data events in each region and bin;
- $f_{N_j}$  - varying parameter for signal in each region;
- $f_{F_{ji}}$  - varying parameter for estimated background in each region and bin;
- $\nu_{b_{ji}}$  - the number of events in MC backgrounds (excl.  $jet \rightarrow \gamma$ );
- $\nu_{s_{ji}}$  - the number of signal events;
- $\nu_{\gamma_{ji}}$  - the number of estimated background ( $jet \rightarrow \gamma$ ) events.

# Likelihood-based approach II

- Likelihood based approach is constructed with the assumption that  $R = 1$  for each bin in the distribution for  $jet \rightarrow \gamma$  background:

$$1 = \frac{\nu_{\gamma Ai} f_{F_{Ai}} \cdot \nu_{\gamma Di} f_{F_{Di}}}{\nu_{\gamma Bi} f_{F_{Bi}} \cdot \nu_{\gamma Ci} f_{F_{Ci}}}$$

- To avoid the redundancy of the model the following limitation is applied:  $f_{F_{Bi}} = f_{F_{Di}}$

The search of maximum of likelihood function is performed with **RooFit** toolkit:

$$\frac{\partial L}{\partial f_{F_{ji}}} = 0, \quad \frac{\partial L}{\partial f_{N_j}} = 0$$

This way the number of  $jet \rightarrow \gamma$  events in **SR**:

$$N_A^{jet \rightarrow \gamma} = \nu_{\gamma Ai} f_{F_{Ai}}$$

- The proposed method significantly reduces the number of steps to be done to obtain the estimate compared to ABCD-method

# MC samples

- The likelihood-based approach is applied to associated  $Z\gamma$  production with Z-boson decaying into neutrinos ( $Z \rightarrow \nu\nu$ ). One of the backgrounds comes from  $\gamma+j$  events.  $Zj$  events come from jet  $\rightarrow \gamma$  misidentification

- The processes considered in the analysis are generated in MadGraph5 MC event generator using pp collisions with  $\sqrt{s} = 13$  TeV and the integrated luminosity of  $139 \text{ fb}^{-1}$

- Pythia8 is used for parton showering and hadronization, Delphes is used for detector simulation.

Selection	Cut value
$E_T^{\text{miss}}$	$> 130 \text{ GeV}$
$E_T^\gamma$	$> 150 \text{ GeV}$
Number of tight photons	$N_\gamma = 1$
Lepton veto	$N_e = 0, N_\mu = 0$

**Event selection criteria for  $Z\gamma$  candidate events**

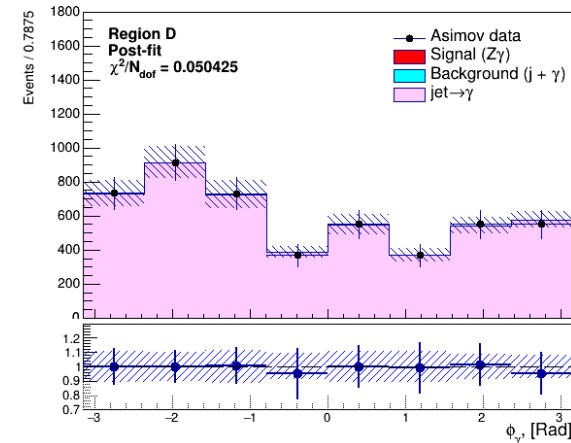
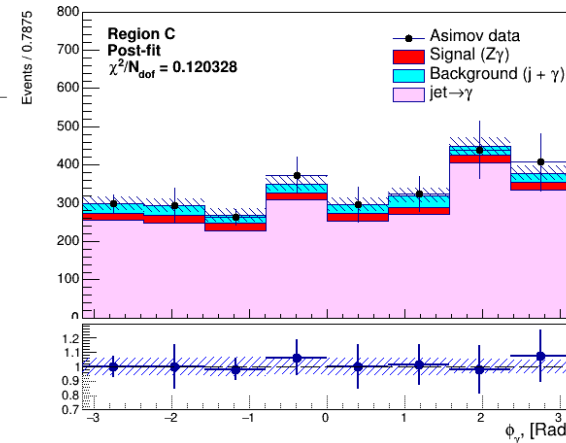
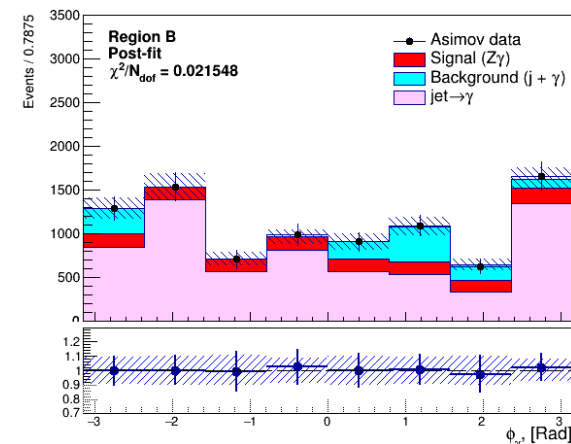
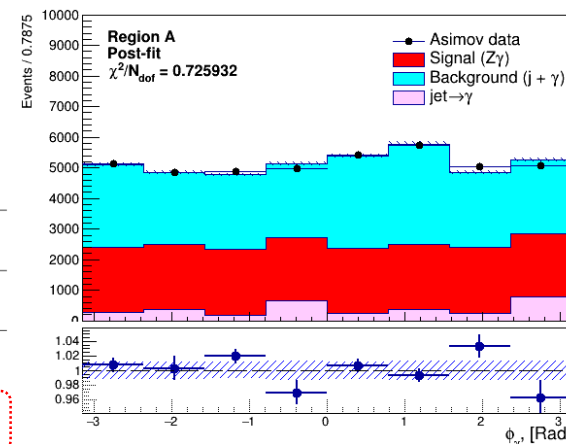
Thus the study uses Asimov data which is not real data but the sum of MC generated processes, the likelihood-based estimate of jet  $\rightarrow \gamma$  background and MC prediction should coincide. It is so-called «closure test».

# The results of the fit

The fit was performed for  $\phi_\gamma$  and  $\eta_\gamma$ :

The final estimate is chosen based on the  $\chi^2/N_{d.o.f.}$  value in the SR and R-factor.

$N_{bins}$	$\phi_\gamma$			$\eta_\gamma$		
	Estimate	R-factor	$\chi^2/N_{d.o.f.}$	Estimate	R-factor	$\chi^2/N_{d.o.f.}$
6	$3255^{+111}_{-106}$	$1.04 \pm 0.03$	0.45	$3238^{+129}_{-125}$	$1.03 \pm 0.03$	0.39
7	$2906^{+110}_{-108}$	$0.94 \pm 0.03$	0.73	$3243^{+126}_{-122}$	$1.04 \pm 0.02$	0.55
8	$3179^{+117}_{-108}$	$1.04 \pm 0.03$	0.73	$3276^{+141}_{-137}$	$1.04 \pm 0.02$	0.26
9	$3119^{+130}_{-127}$	$1.01 \pm 0.03$	0.62	$3251^{+133}_{-130}$	$1.05 \pm 0.02$	0.50



- The systematic uncertainties were derived by
  - varying the value of isolation gap by  $\pm\sigma$  in non-isolated control regions.
- The estimate of jet  $\rightarrow \gamma$  events in SR obtained by likelihood method is  $N_A^{jet \rightarrow \gamma} = 3179^{+117}_{-108} \pm 69$  for  $\phi_\gamma$  and  $N_A^{jet \rightarrow \gamma} = 3243^{+126}_{-122} \pm 48$  for  $\eta_\gamma$
- The MC prediction is  $N_A^{jet \rightarrow \gamma} = 3093 \pm 178$  events



# Summary

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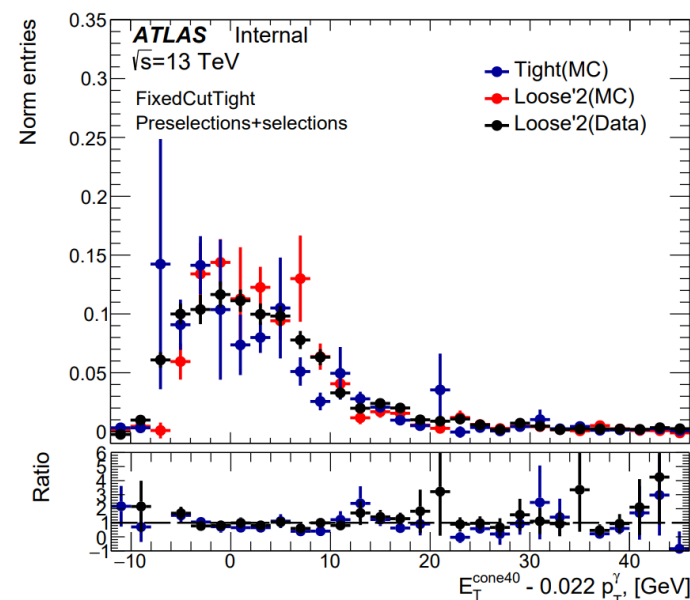
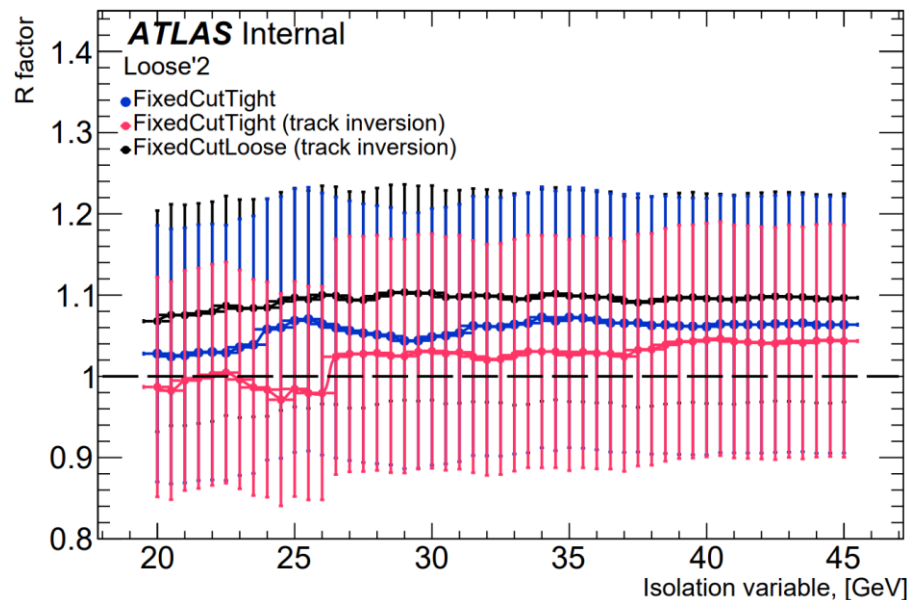
- The estimate of  $jet \rightarrow \gamma$  events in signal region A is derived by ABCD method. The estimate is  $2100 \pm 100 \pm 300$  events.
- The alternative slice method is performed for  $jet \rightarrow \gamma$  estimation process. The estimate of  $jet \rightarrow \gamma$  events in signal region A derived by slice method is  $2070 \pm 60 \pm 150$ . **The final estimates for the methods coincide within the uncertainty.**
- The alternative **likelihood-based method** of estimation of  $jet \rightarrow \gamma$  events **was developed**. It uses the information about the shape of the distributions in the regions and provides a much simpler way to obtain the estimate of the number of background events.

**Thank you for your attention!**

**BACK-UP**

# R factor Zj and W( $\tau\nu$ ) in MC

Working point	loose'2	loose'3	loose'4	loose'5
FCTight	$1.06 \pm 0.16$	$1.15 \pm 0.16$	$1.17 \pm 0.15$	$1.30 \pm 0.17$
FCTight (inversion)	$1.05 \pm 0.14$	$1.21 \pm 0.15$	$1.38 \pm 0.16$	$1.65 \pm 0.19$
FCTCaloOnly	$1.18 \pm 0.13$	$1.31 \pm 0.13$	$1.37 \pm 0.13$	$1.54 \pm 0.14$
FCLoose	$1.0 \pm 0.2$	$1.0 \pm 0.2$	$1.0 \pm 0.2$	$1.3 \pm 0.2$
FCLoose (inversion)	$1.11 \pm 0.13$	$1.23 \pm 0.12$	$1.34 \pm 0.12$	$1.60 \pm 0.13$

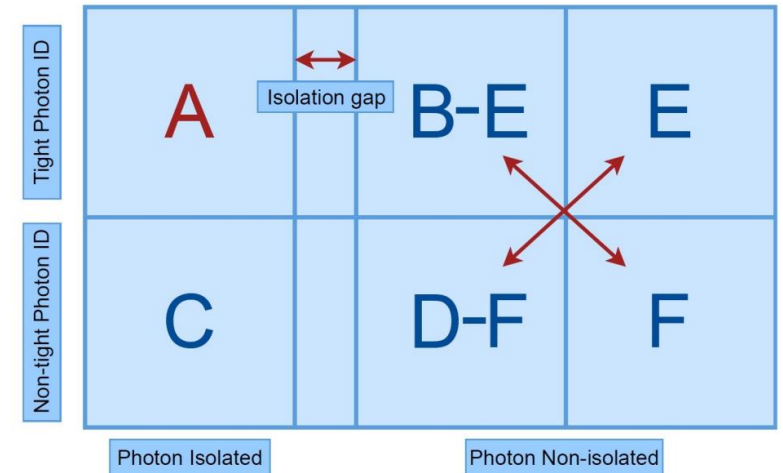
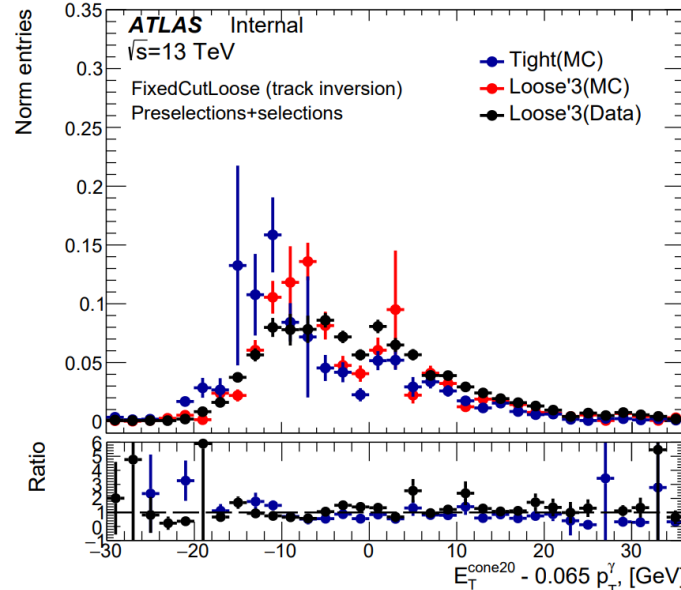
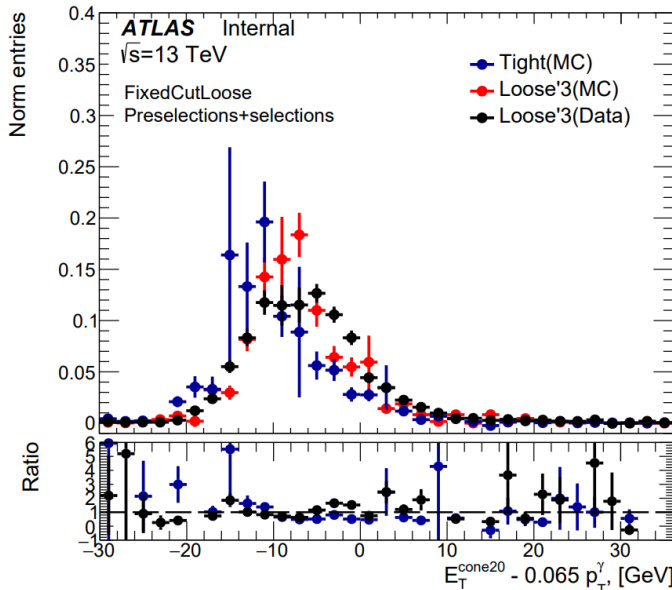
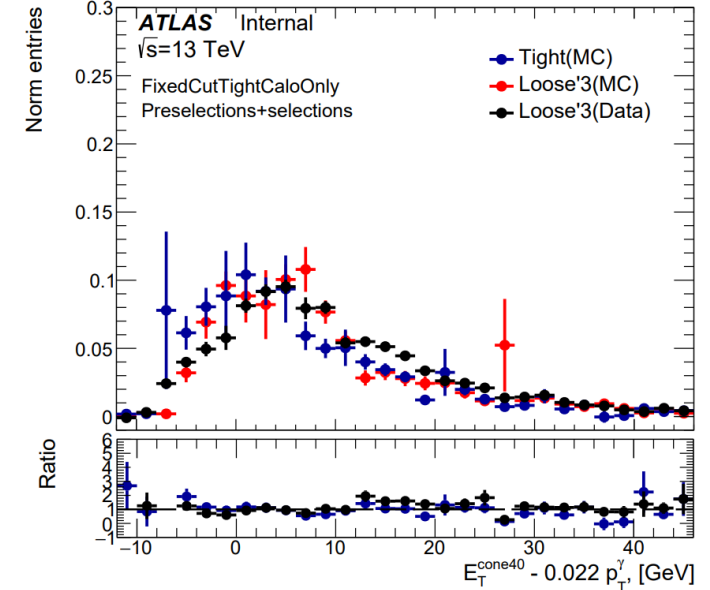
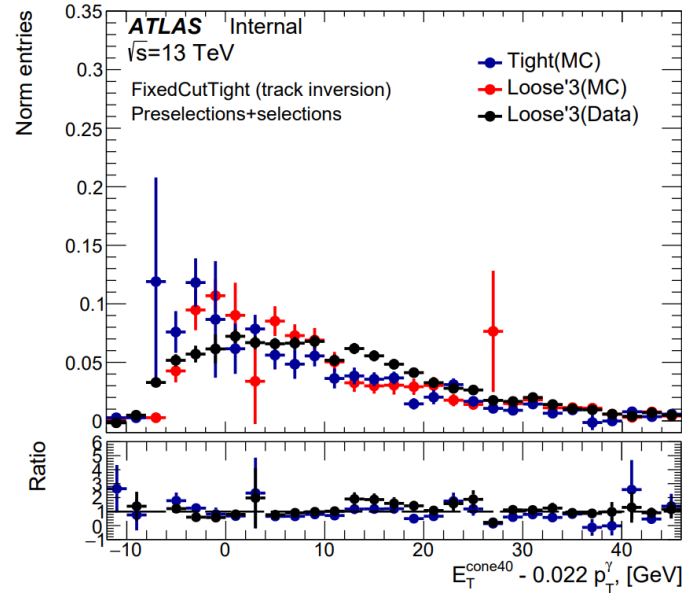
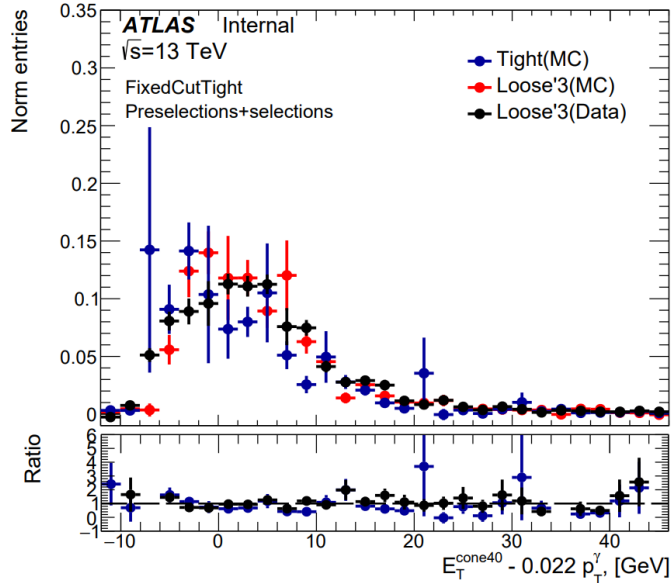


$$E_T^{\text{miss}} \text{ significance} = |\vec{E}_T^{\text{miss}}|^2 / (\sigma_L^2 (1 - \rho_{LT}^2))$$

$\sigma_L$  is the total variance in the longitudinal direction to the  $E_T^{\text{miss}}$

$\rho_{LT}$  is the correlation factor of the longitudinal L and transverse T measurement

# Isolation distributions (loose'3)



# R factor in data

**FixedCutLoose (inverted), w/o upper cut**

MC				
	loose'2	loose'3	loose'4	loose'5
R-factor	1.11 ± 0.13	1.23 ± 0.12	1.34 ± 0.12	1.60 ± 0.13
Data-driven				
Cut	loose'2	loose'3	loose'4	loose'5
<b>4.5</b>	0.97 ± 0.10	1.05 ± 0.10	1.05 ± 0.09	1.06 ± 0.08
<b>4.6</b>	1.00 ± 0.10	1.08 ± 0.10	1.06 ± 0.09	1.07 ± 0.08
<b>4.75</b>	1.03 ± 0.10	1.05 ± 0.10	1.07 ± 0.09	1.09 ± 0.08
<b>9.5</b>	1.04 ± 0.09	1.03 ± 0.08	0.98 ± 0.07	0.97 ± 0.07
<b>10.0</b>	1.04 ± 0.09	1.03 ± 0.08	0.98 ± 0.07	0.98 ± 0.07
<b>10.5</b>	1.02 ± 0.09	1.02 ± 0.08	0.95 ± 0.07	0.96 ± 0.07
<b>11.0</b>	1.06 ± 0.09	1.02 ± 0.08	0.97 ± 0.07	0.96 ± 0.07

**FixedCutTightCaloOnly, w/o upper cut**

MC				
	loose'2	loose'3	loose'4	loose'5
R-factor	1.18 ± 0.13	1.31 ± 0.13	1.37 ± 0.13	1.54 ± 0.14
Data-driven				
Cut	loose'2	loose'3	loose'4	loose'5
<b>9.45</b>	1.15 ± 0.07	1.21 ± 0.06	1.20 ± 0.06	1.23 ± 0.06
<b>9.95</b>	1.14 ± 0.06	1.20 ± 0.06	1.19 ± 0.06	1.22 ± 0.06
<b>10.45</b>	1.15 ± 0.06	1.20 ± 0.06	1.19 ± 0.05	1.21 ± 0.05
<b>10.45</b>	1.21 ± 0.07	1.26 ± 0.06	1.24 ± 0.06	1.26 ± 0.06

**FixedCutTight (inverted), w/o upper cut**

MC				
	loose'2	loose'3	loose'4	loose'5
R-factor	1.05 ± 0.14	1.21 ± 0.15	1.38 ± 0.16	1.65 ± 0.19
Data-driven				
Cut	loose'2	loose'3	loose'4	loose'5
<b>9.45</b>	1.10 ± 0.08	1.15 ± 0.07	1.11 ± 0.06	1.16 ± 0.06
<b>9.95</b>	1.09 ± 0.07	1.15 ± 0.07	1.12 ± 0.06	1.16 ± 0.06
<b>10.20</b>	1.08 ± 0.07	1.14 ± 0.07	1.11 ± 0.06	1.15 ± 0.06
<b>10.45</b>	1.10 ± 0.07	1.15 ± 0.07	1.13 ± 0.06	1.17 ± 0.06

**FixedCutTight, upper cut = 25.45 GeV**

MC				
	loose'2	loose'3	loose'4	loose'5
R-factor	1.07 ± 0.16	1.17 ± 0.17	1.18 ± 0.16	1.31 ± 0.17
Data-driven				
Cut	loose'2	loose'3	loose'4	loose'5
<b>8.45</b>	1.15 ± 0.13	1.16 ± 0.12	1.16 ± 0.11	1.21 ± 0.11
<b>8.95</b>	1.11 ± 0.13	1.11 ± 0.12	1.14 ± 0.11	1.17 ± 0.11
<b>9.45</b>	1.19 ± 0.14	1.22 ± 0.13	1.27 ± 0.13	1.30 ± 0.12
<b>9.95</b>	1.16 ± 0.14	1.17 ± 0.13	1.23 ± 0.12	1.28 ± 0.12
<b>10.45</b>	1.19 ± 0.14	1.20 ± 0.14	1.22 ± 0.12	1.26 ± 0.12



FixedCutLoose was chosen. In order to decrease syst. uncert. the loose'3 was chosen

# jet $\rightarrow$ $\gamma$ background estimation (loose'3)

Event yields for the data and non-jet  $\rightarrow$   $\gamma$  background processes considered in the ABCD method

	Data	$W\gamma$ QCD	$W\gamma$ EWK	$e \rightarrow \gamma$	$tt\gamma$	$\gamma + \text{jet}$	$Z(\ell)\gamma$
A	$26523 \pm 163$	$3936 \pm 23$	$136.3 \pm 0.7$	$3039 \pm 12$	$234 \pm 3$	$5262 \pm 53$	$285 \pm 5$
B	$1475 \pm 38$	$52 \pm 4$	$1.86 \pm 0.08$	$8.95 \pm 0.03$	$1.3 \pm 0.2$	$0.6 \pm 0.4$	$1.0 \pm 0.6$
C	$2568 \pm 51$	$60 \pm 2$	$2.16 \pm 0.09$	$61.4 \pm 0.2$	$4.2 \pm 0.4$	$76 \pm 6$	$4.8 \pm 0.5$
D	$1443 \pm 38$	$2.7 \pm 0.6$	$0.17 \pm 0.02$	$0.0715 \pm 0.0002$	$0.35 \pm 0.13$	$0 \pm 0$	$0 \pm 0$

$$N_A^{\text{sig}} = \tilde{N}_A - R(\tilde{N}_B - c_B N_A^{\text{sig}}) \frac{\tilde{N}_C - c_C N_A^{\text{sig}}}{\tilde{N}_D - c_D N_A^{\text{sig}}}$$

$$N_A^{\text{sig}} = \frac{b - \sqrt{b^2 - 4ac}}{2a}$$

$$\begin{cases} a = c_D - Rc_B c_C; \\ b = \tilde{N}_D + c_D \tilde{N}_A - R(c_B \tilde{N}_C + c_C \tilde{N}_B); \\ c = \tilde{N}_D \tilde{N}_A - R \tilde{N}_C \tilde{N}_B. \end{cases}$$

The signal leakage parameters:

(Isolation gap = 2GeV)

$c_B$	$0.00939 \pm 0.00007$
$c_C$	$0.01536 \pm 0.00010$
$c_D$	$0.00051 \pm 0.00002$

Event yields signal:

	$Z(\nu\bar{\nu})\gamma$ QCD	$Z(\nu\bar{\nu})\gamma$ EWK
A	$10513 \pm 8$	$152.1 \pm 0.3$
B	$98.0 \pm 0.8$	$2.14 \pm 0.04$
C	$161.5 \pm 1.0$	$2.31 \pm 0.04$
D	$5.3 \pm 0.2$	$0.135 \pm 0.009$

With R by data-driven  $\Rightarrow$

$$N_A^{\text{jet} \rightarrow \gamma} = 2078_{-97}^{+100}$$

# Systematic uncertainty I

## Systematic uncertainties come from:

- non-tight definition and isolation gap choice. Variation for  $\pm 1\sigma$  changes in data yield
- different generators
- imperfect photon iso/ID modeling

### Different loose prime and isolation gap


Central value (with $R_{\text{data}}$ )	2078
loose'2	+327
loose'4	-111
loose'5	-173
Iso gap +0.25 GeV	+48
Iso gap -0.35 GeV	+29

$$R_{\text{data}}^{\text{iso gap } +0.25 \text{ GeV}} = 1.07 \pm 0.11$$

$$R_{\text{data}}^{\text{iso gap } -0.35 \text{ GeV}} = 1.06 \pm 0.09$$

Iso gap, GeV	$N_B$	$N_D$
-0.40	$1524 \pm 39$	$1488 \pm 39$
-0.35	$1518 \pm 39$	$1482 \pm 38$
-0.30	$1513 \pm 39$	$1477 \pm 38$
-0.25	$1503 \pm 39$	$1474 \pm 38$
-0.20	$1497 \pm 39$	$1468 \pm 38$
<b>2.0</b>	$1475 \pm 38$	$1443 \pm 38$
+0.15	$1448 \pm 38$	$1416 \pm 38$
+0.20	$1443 \pm 38$	$1404 \pm 37$
+0.25	$1437 \pm 38$	$1398 \pm 37$

  $\delta = 16\%$

 The choice of loose prime 3 reduced the systematic uncertainty from 32% to 16%

# Systematic uncertainty II

## Different generators:

Signal leakage parameters	Different generators		
	MadGraph+Pythia8, Sherpa 2.2	MadGraph+Pythia8, MadGraph+Pythia8	Relative deviation
$c_B$	$0.00939 \pm 0.00007$	$0.0155 \pm 0.0004$	39%
$c_C$	$0.01536 \pm 0.00010$	$0.0156 \pm 0.0004$	1.5%
$c_D$	$0.00051 \pm 0.000028$	$0.00077 \pm 0.00009$	34%
$jet \rightarrow \gamma$ est. (with $R_{\text{data}}$ )	2078	2061	0.8%

- Uncertainty coming from signal leakage is obtained  $\delta = 0.8\%$

$$R_{\text{data}}^{\text{diff.gen.}} = 1.10 \pm 0.10$$

## Systematic uncertainty come from imperfect photon iso/ID modeling:

- $\sigma_{\text{iso}}^{c_B} = \delta_{\text{iso}}^{\text{eff}} \cdot (c_B + 1)/c_B$

- $\sigma_{\text{ID}}^{c_C} = \delta_{\text{ID}}^{\text{eff}} \cdot (c_C + 1)/c_C$

- $\sigma_{\text{iso}}^{c_D} = \delta_{\text{iso}}^{\text{eff}} \cdot (c_B + 1)/c_B$

- $\sigma_{\text{ID}}^{c_D} = \delta_{\text{ID}}^{\text{eff}} \cdot (c_C + 1)/c_C$

$$\delta_{\text{iso}}^{\text{eff}} = 0.013$$

$$\delta_{\text{iso/ID}}^{\text{eff}} = 0.013$$



$$\delta_{\text{eff}}^{\text{iso/ID}} = 1.3\%$$

**Estimate**

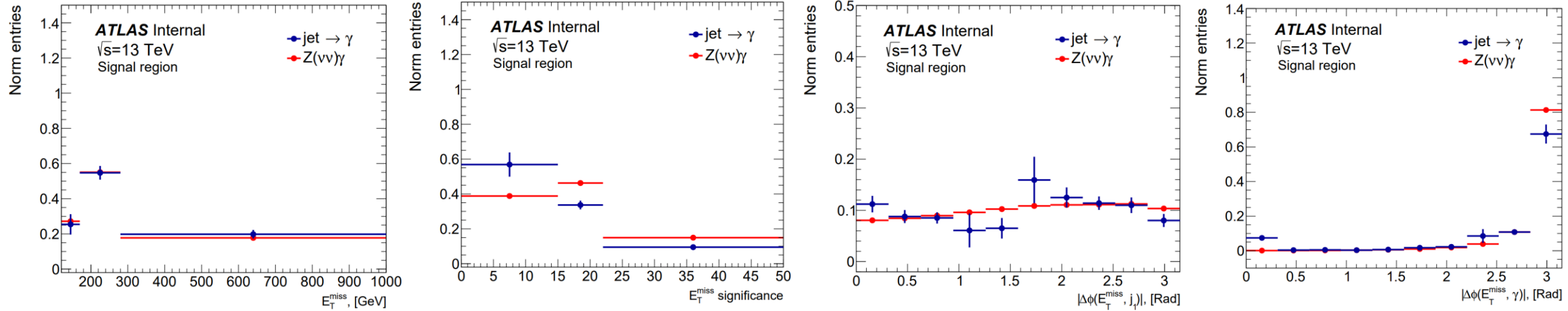
with  $R_{\text{Data}}$ :  $2100_{-100}^{+100}$  (stat.)  $\pm 300$  (syst.)

- Total systematics:**  $\delta_{\text{Data}} = 16\%$

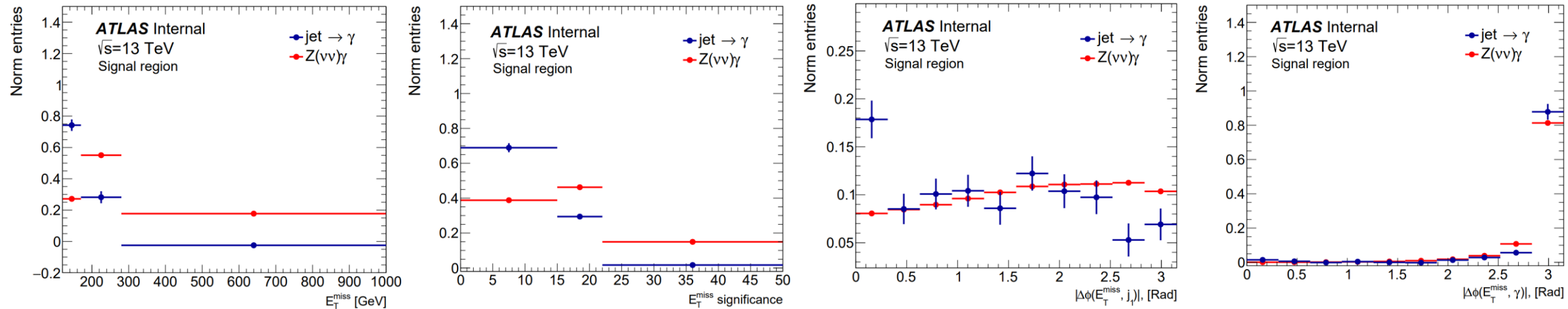


# $jet \rightarrow \gamma$ and $Z\gamma$ comparison in the SR

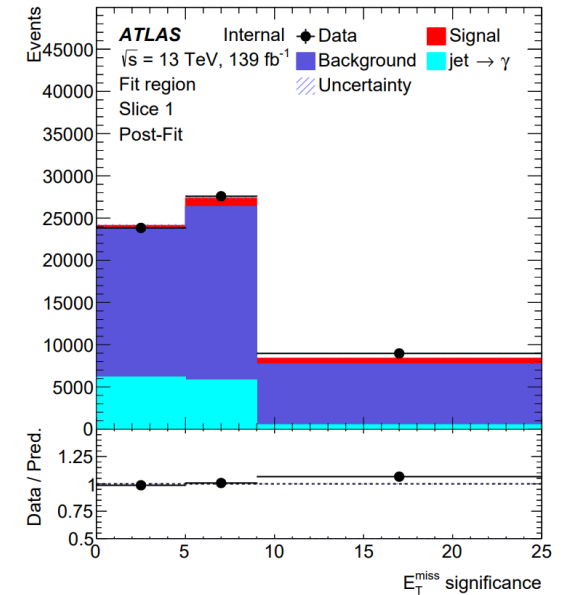
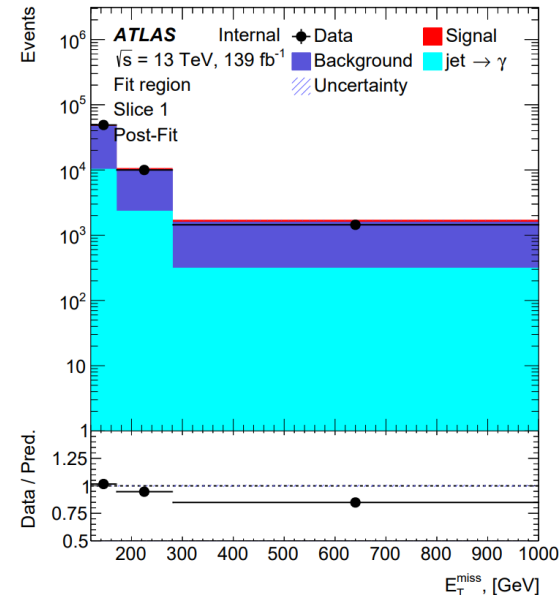
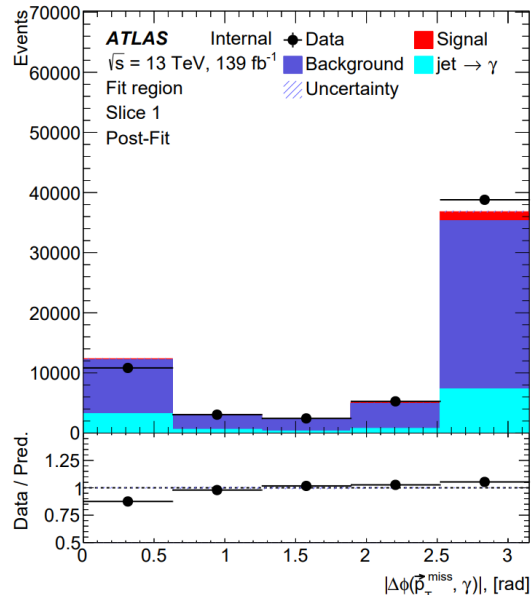
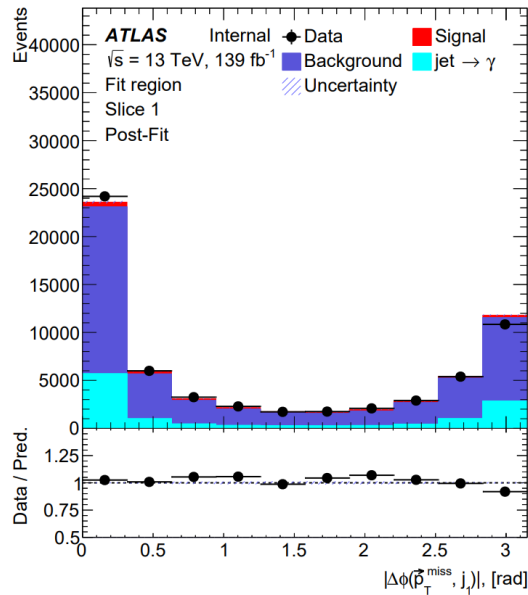
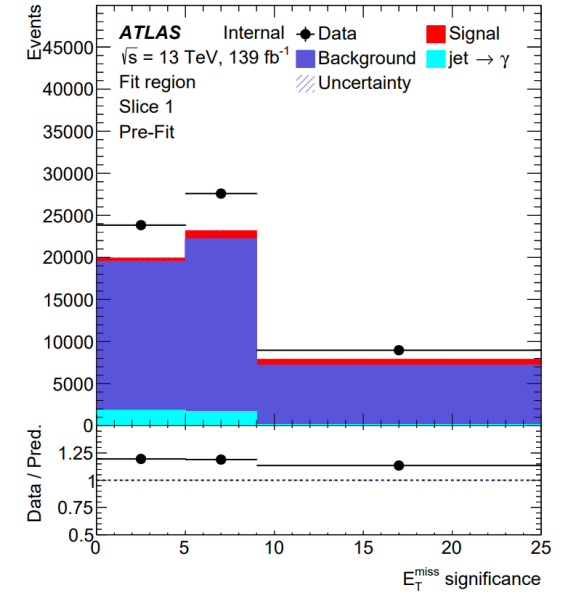
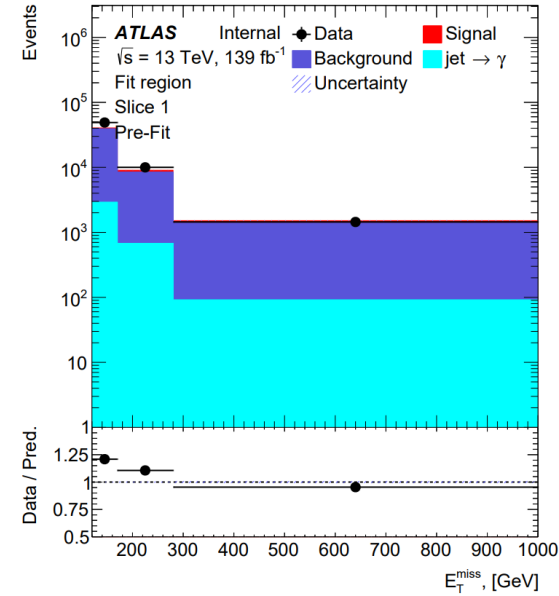
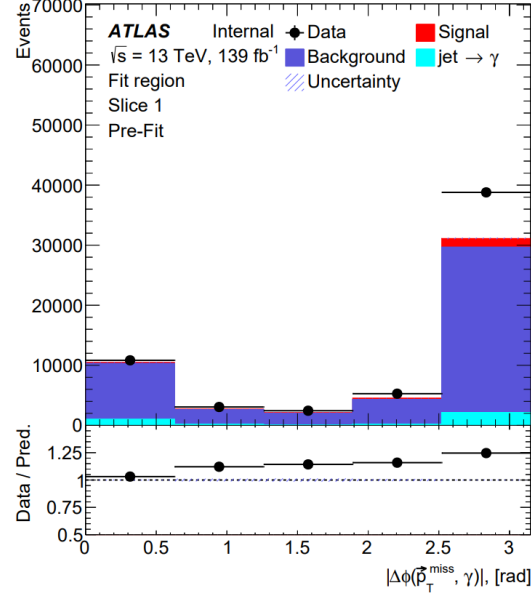
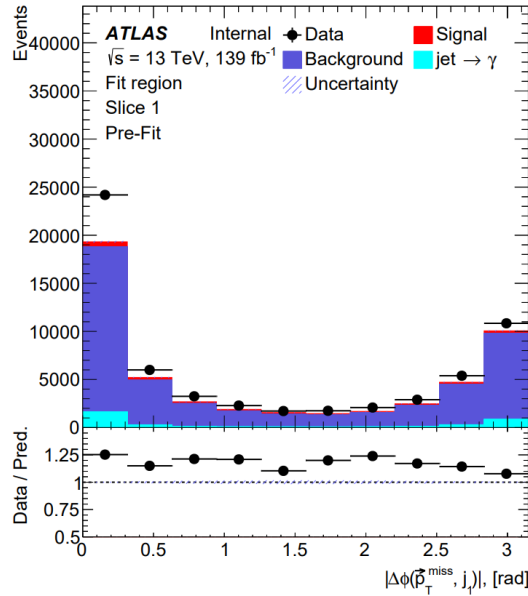
MC  $jet \rightarrow \gamma$ :



Observed  $jet \rightarrow \gamma$ :



# Normalized fit. Slice 1



# The results of the fit

- Events in FR:

Data	Background (excl. $jet \rightarrow \gamma$ )	Signal
$60391 \pm 246$	$45292 \pm 128$	$2072 \pm 3$

- Events in CR1 for each slice:

Slice	Data	Background (excl. $jet \rightarrow \gamma$ )	Signal (Sherpa)	Signal (MadGraph)
1	$3730 \pm 61$	$55 \pm 5$	$5.70 \pm 0.15$	$3.9 \pm 0.5$
2	$3158 \pm 56$	$34 \pm 3$	$4.93 \pm 0.13$	$3.0 \pm 0.4$
3	$3083 \pm 56$	$55 \pm 4$	$5.81 \pm 0.14$	$4.3 \pm 0.5$
4	$2492 \pm 50$	$30 \pm 3$	$5.77 \pm 0.15$	$3.4 \pm 0.4$
5	$6930 \pm 83$	$169 \pm 6$	$40.3 \pm 0.4$	$27.2 \pm 1.2$

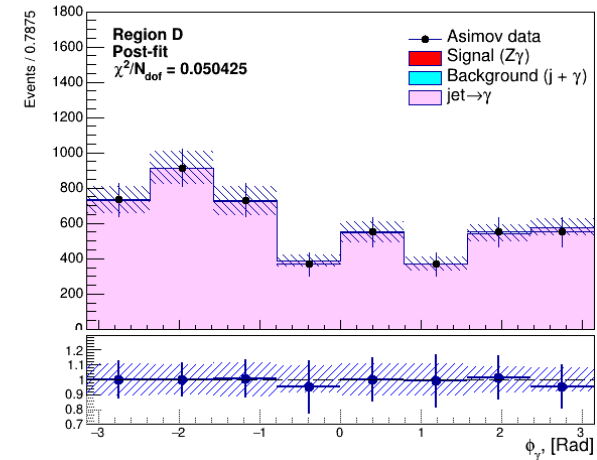
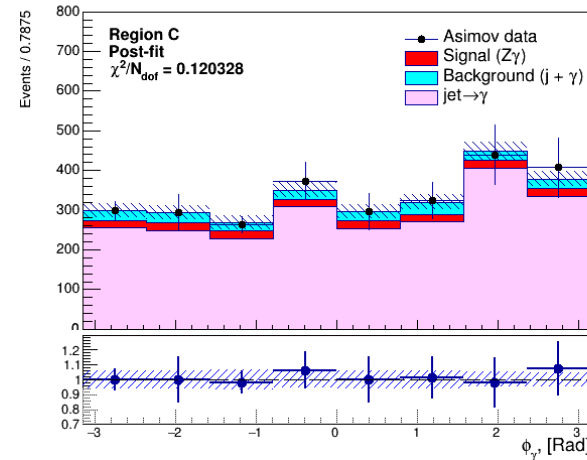
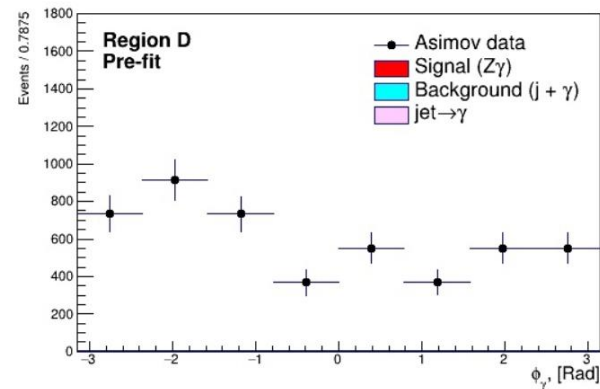
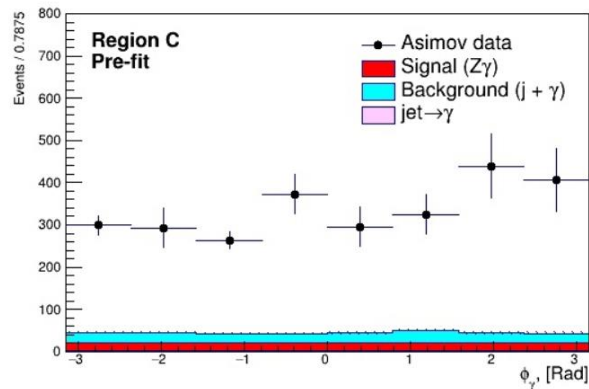
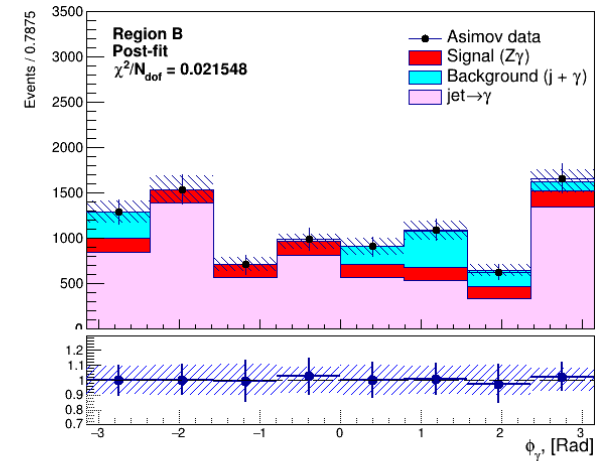
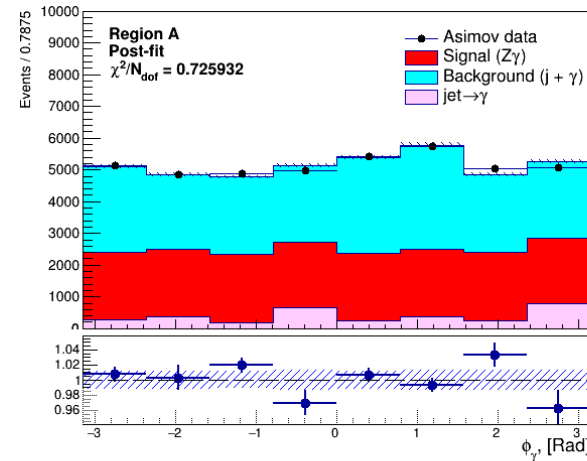
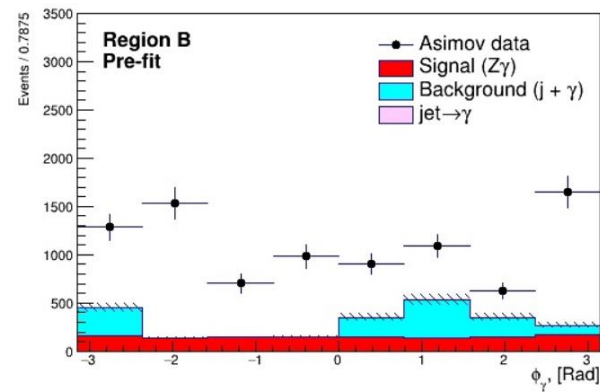
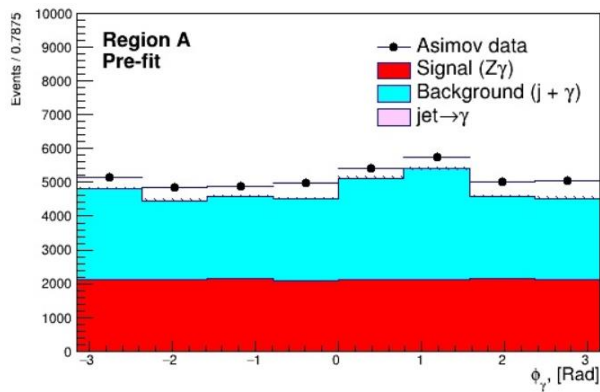
- Events in CR2 for each slice:

Slice	Data	Background (excl. $jet \rightarrow \gamma$ )	Signal (Sherpa)	Signal (MadGraph)
1	$463 \pm 22$	$8.4 \pm 0.9$	$10.1 \pm 0.3$	$16.7 \pm 1.3$
2	$337 \pm 18$	$8 \pm 3$	$9.3 \pm 0.3$	$12.7 \pm 1.2$
3	$286 \pm 17$	$11.6 \pm 0.9$	$9.7 \pm 0.2$	$15.5 \pm 1.3$
4	$223 \pm 15$	$5.5 \pm 0.9$	$10.9 \pm 0.3$	$18.6 \pm 1.3$
5	$471 \pm 22$	$41 \pm 2$	$67.0 \pm 0.6$	$105 \pm 3$

# The results of the fit

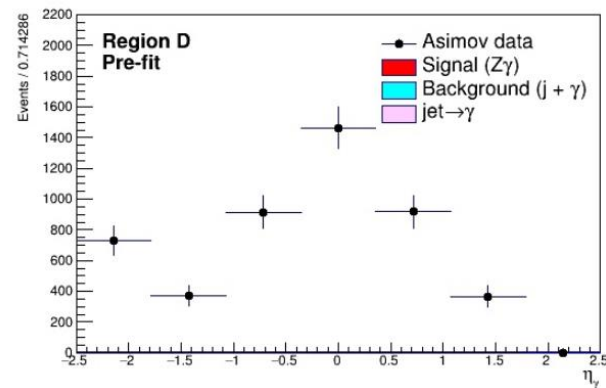
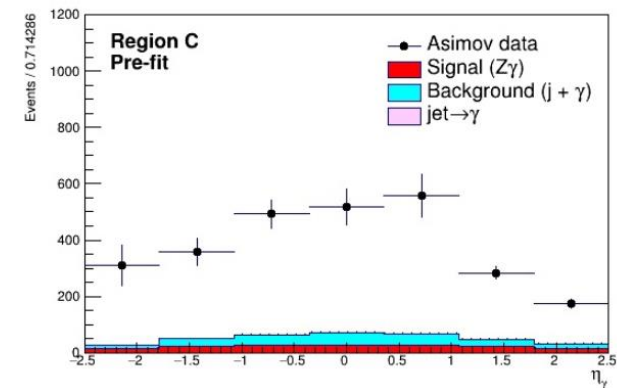
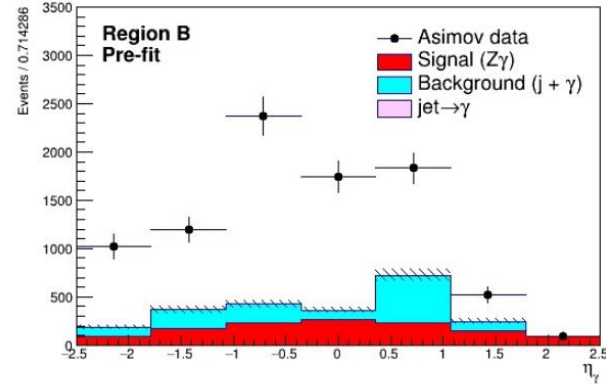
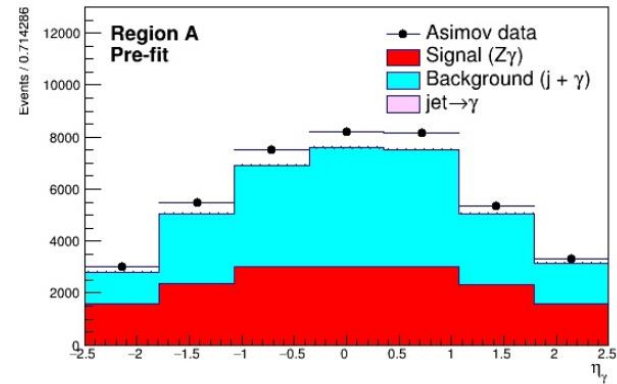
## Pre-fit for $\phi_\gamma$

## Post-fit for $\phi_\gamma$



# The results of the fit

## Pre-fit for $\eta_\gamma$



## Post-fit for $\eta_\gamma$

