

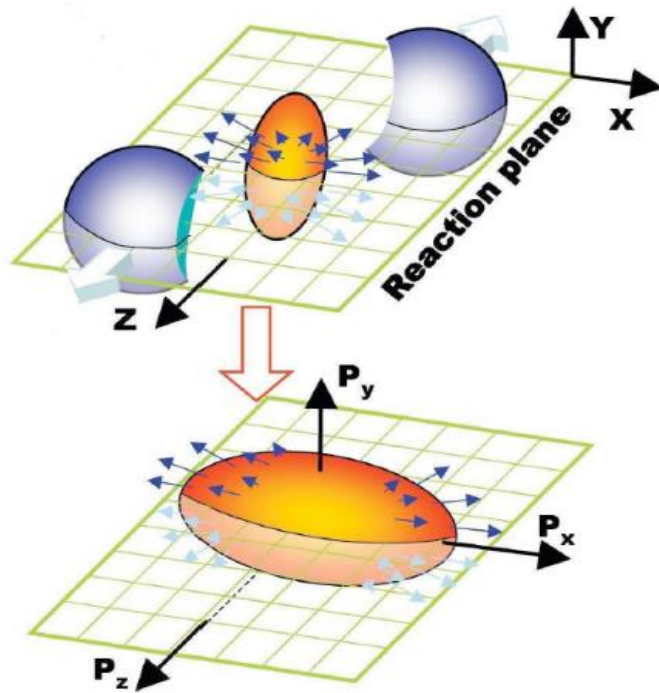


Flow performance in MPD at NICA

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ICPPA Moscow
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Anisotropic transverse flow



Space anisotropy



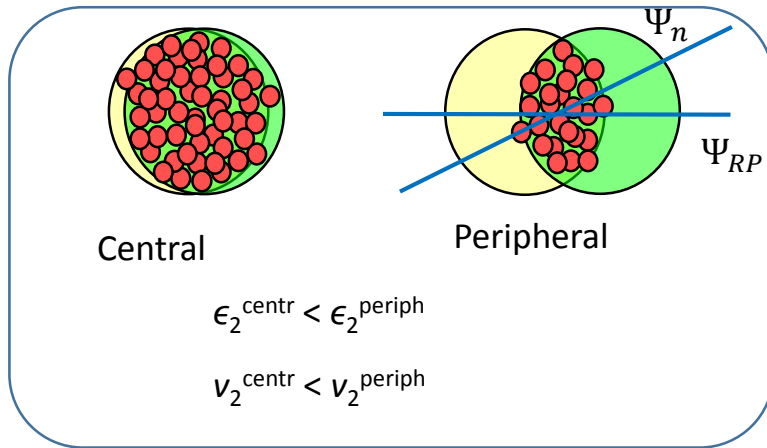
Momenta anisotropy



$$E \frac{d^3 N}{d^3 p} = \frac{1}{2\pi} \frac{d^2 N}{p_T dp_T dy} \left(1 + \sum_{n=1}^{\infty} 2v_n \cos[n(\varphi - \Psi_{RP})] \right)$$

$$v_n = \langle \cos[n(\varphi - \Psi_{RP})] \rangle$$

Anisotropic transverse flow



Reaction plane Ψ_{RP} is an abstract value. In reality we talk about symmetry plane Ψ_n

$$v_n = \langle \cos[n(\varphi - \Psi_n)] \rangle$$

$$\epsilon_n = \frac{\sqrt{\langle r^2 \cos(n\phi_{part}) \rangle^2 + \langle r^2 \sin(n\phi_{part}) \rangle^2}}{\langle r^2 \rangle}$$

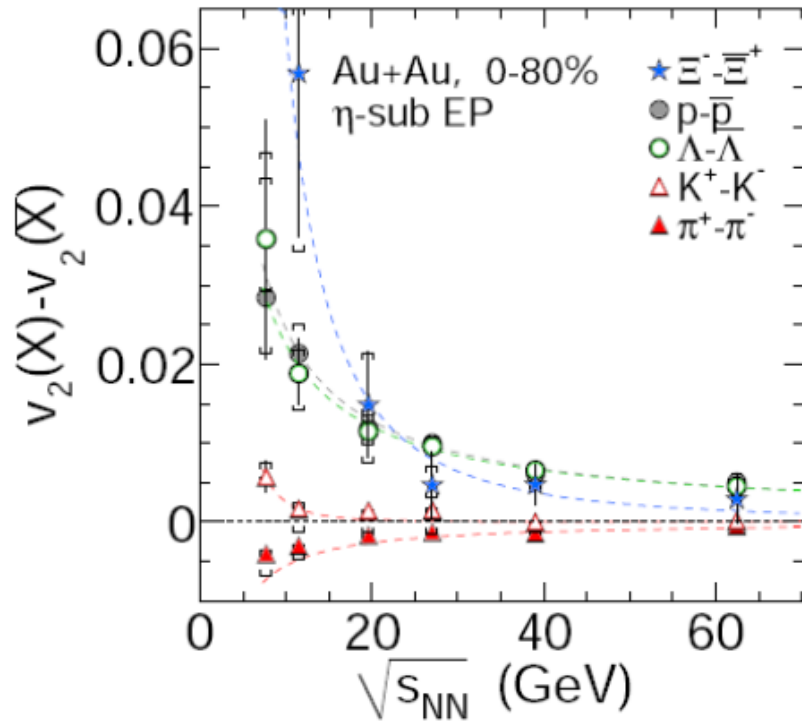
$n - th$ flow harmonic with respect to $n - th$ order symmetry plane.

v_1 is called directed flow

v_2 is called elliptic flow

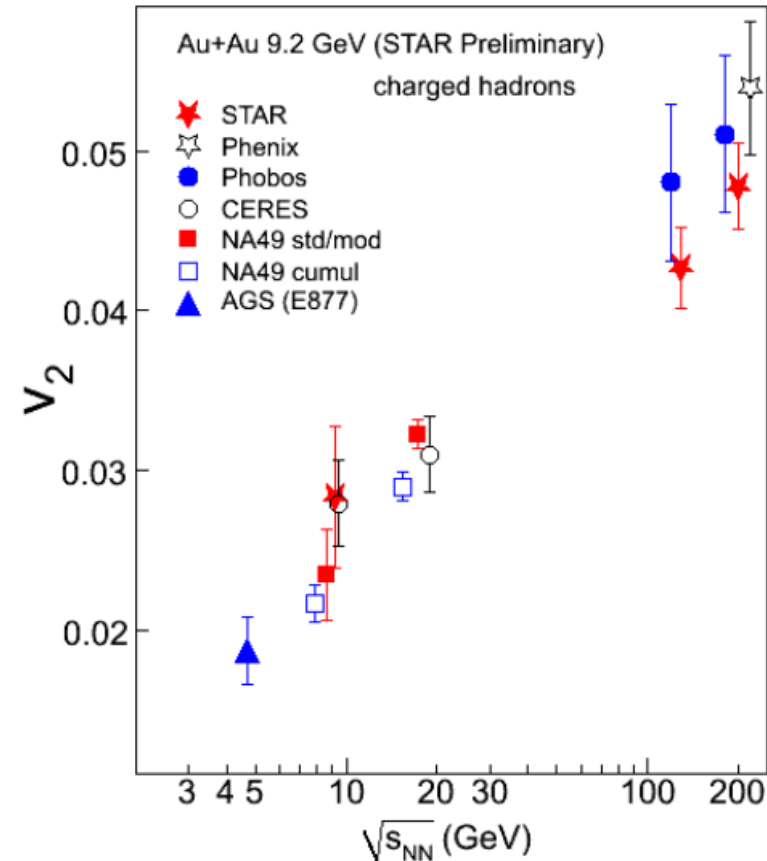
Flow physics at NICA

NICA beam energy range $4 < \sqrt{s_{NN}} < 11 \text{ GeV}$



The difference between flow of particles and antiparticles increases with energy decreasing. That causes the number of quark scaling violation at low energies.

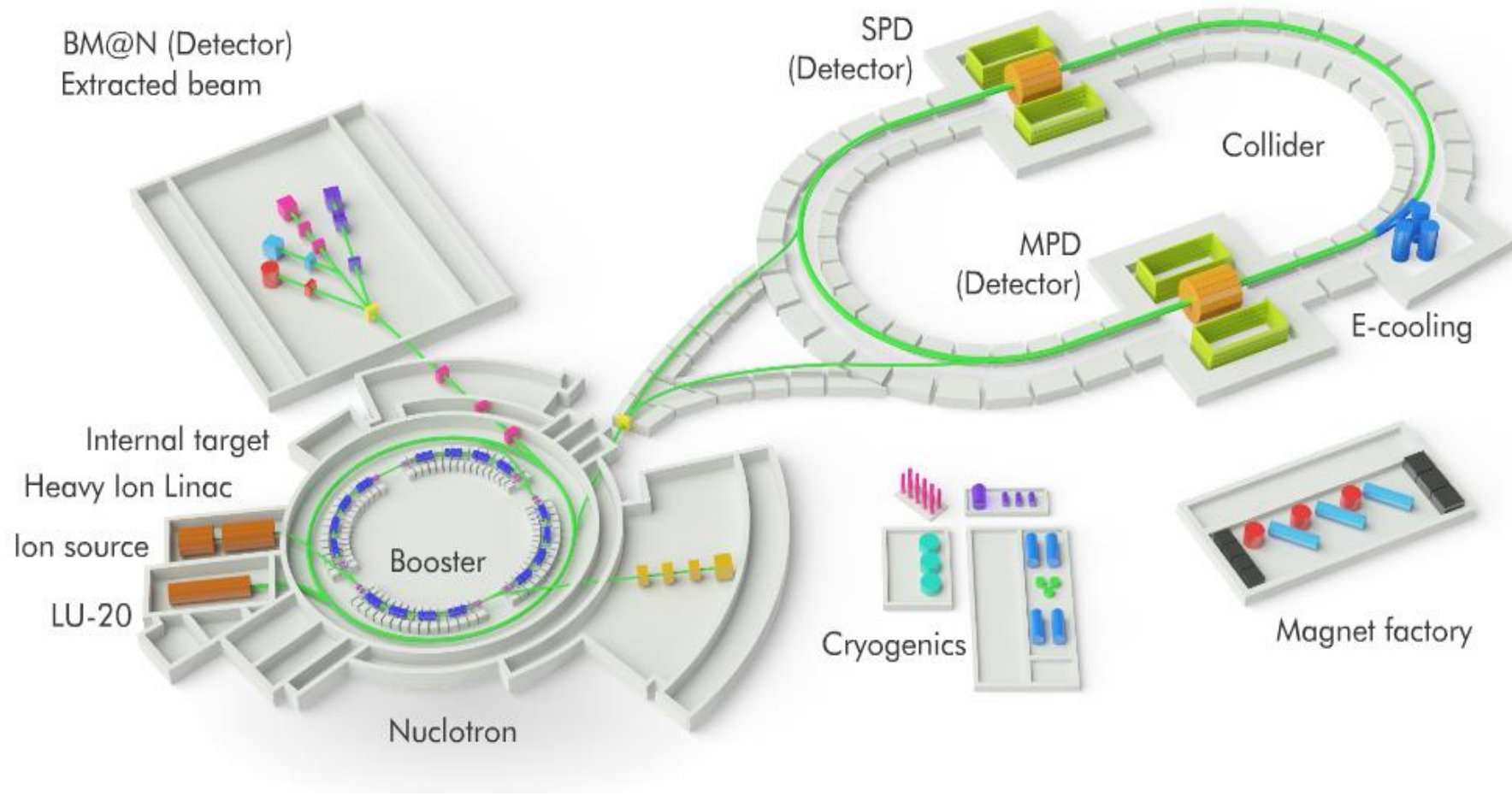
arXiv:1509.08397(2015)



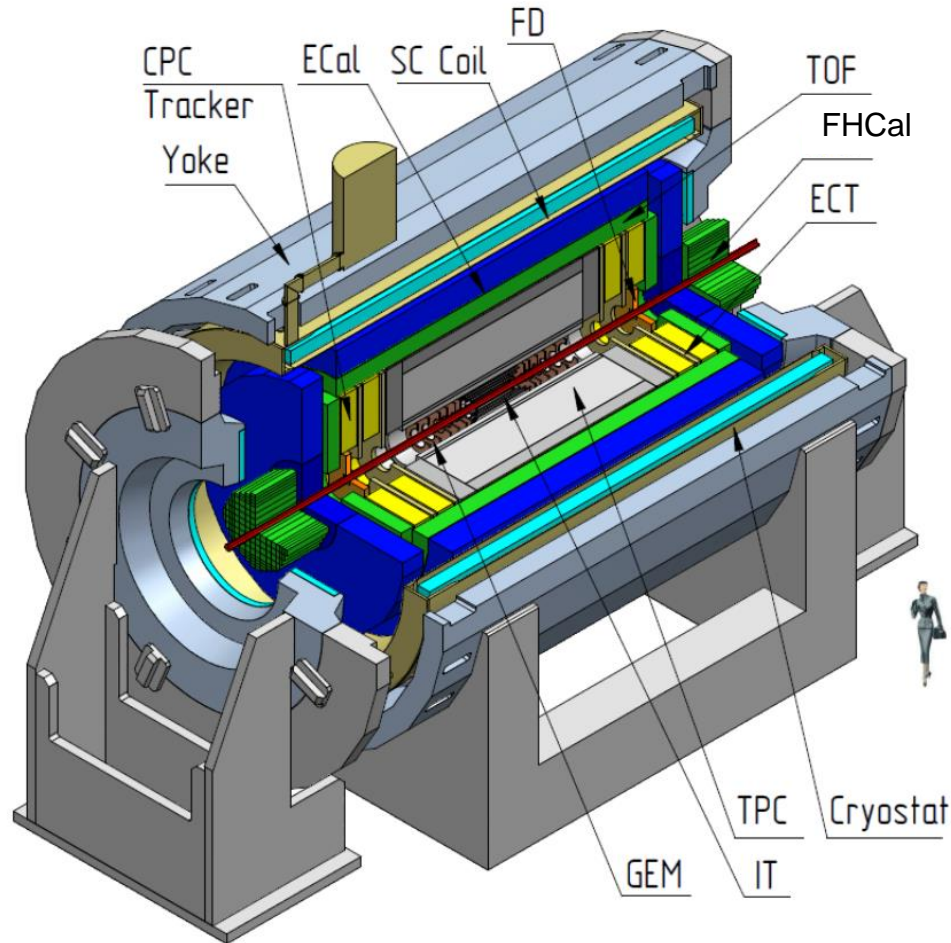
At SPS energies v_2 energy dependence for baryons is not yet established. More detailed measurements are needed.

W. Zajc, "Quark matter 2009"

NICA complex



Multi-Purpose Detector (MPD) at NICA

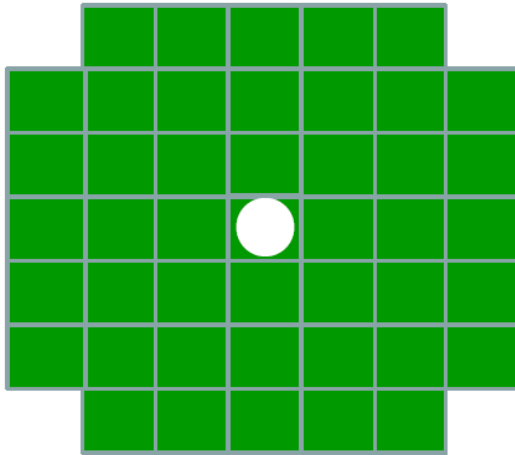


Used detectors:

- TPC for tracking (p_t, η, ϕ) and particle identification ($\frac{dE}{dx}$)
- FHCal for event plane reconstruction
- TOF – for m^2 particle identification for higher p_t

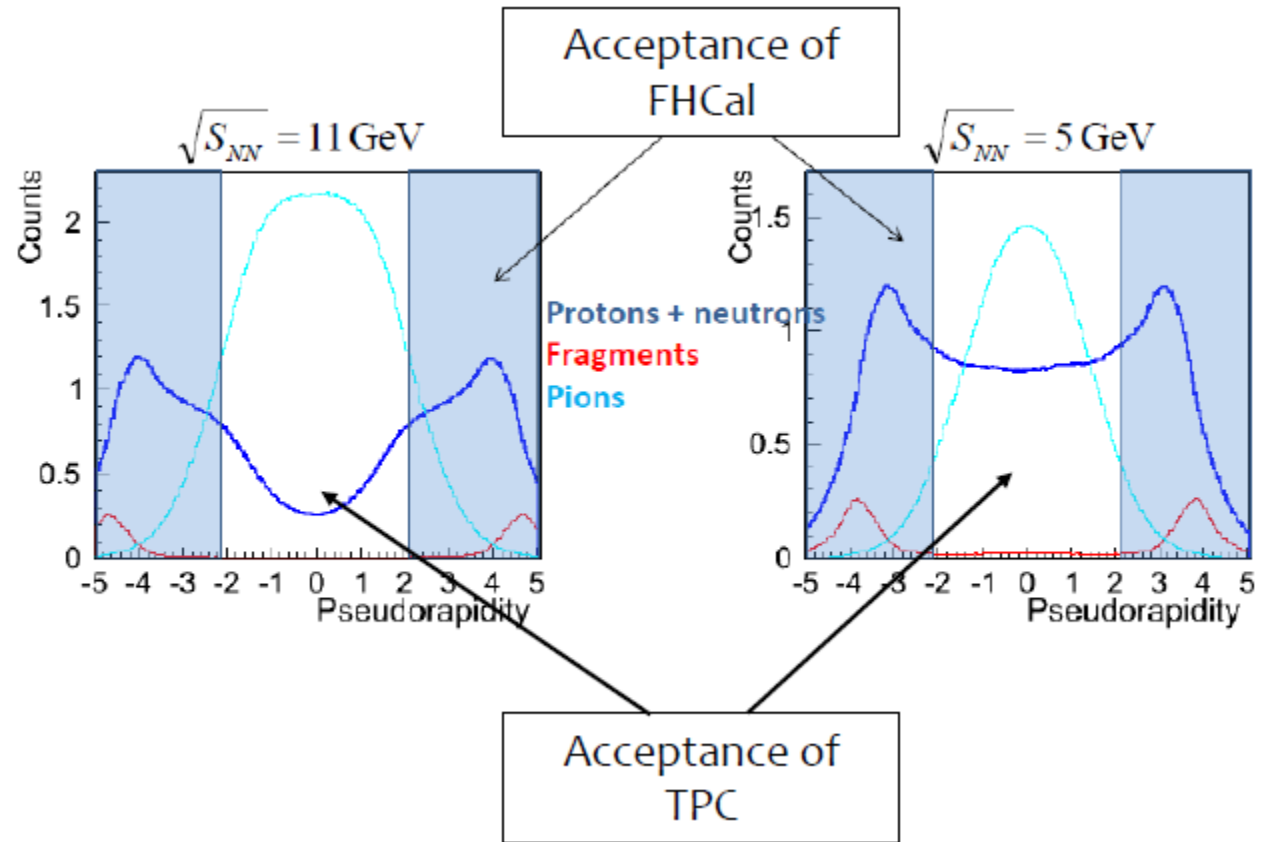
TPC and FHCAL acceptance and transverse layout

FHCAL detector geometry



45 modules 15×15 cm each.

This level of granularity is found to be optimal for experimental needs.



Event plane method

Event plane angle is an estimation of reaction plane.

Q -vector is used for calculation of event plane angle:

$$\vec{Q} = \left\{ \sum_i \omega_i \cos(n\phi_i), \sum_i \omega_i \sin(n\phi_i) \right\}$$

Where the sum goes over given set of particles. Then event plane angle calculated as

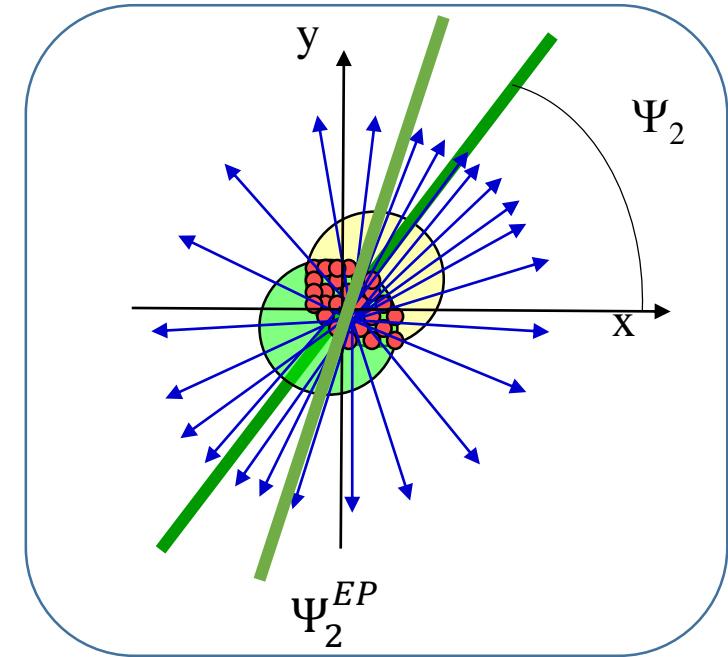
$$\Psi_n^{EP} = \frac{1}{n} \tan^{-1} \left(\frac{Q_{n,Y}}{Q_{n,X}} \right)$$

In order to exclude detector acceptance effects and get v_n one should calculate EP resolution factor

$$Res_n\{\Psi_m^{EP}\} = \langle \cos(n(\Psi_m^{EP} - \Psi_m)) \rangle$$

$$v_n = \frac{\langle \cos(n(\phi - \Psi_n^{EP})) \rangle}{Res\{\Psi_n^{EP}\}}$$

We get $Res_n\{\Psi_m^{EP}\}$ using 2-subevent method



EP method implementation

Q-vectors and Ψ_m were calculated both left and right FHCAL parts in order to obtain EP resolution for half of the detector and then for full detector:

$$Q_x^m = \frac{\sum E_i \cos(m\phi_i)}{\sum E_i}$$

$$Q_y^m = \frac{\sum E_i \sin(m\phi_i)}{\sum E_i}$$

$$\Psi_m^{EP} = \frac{1}{m} \text{Atan2}(Q_y^m, Q_x^m)$$

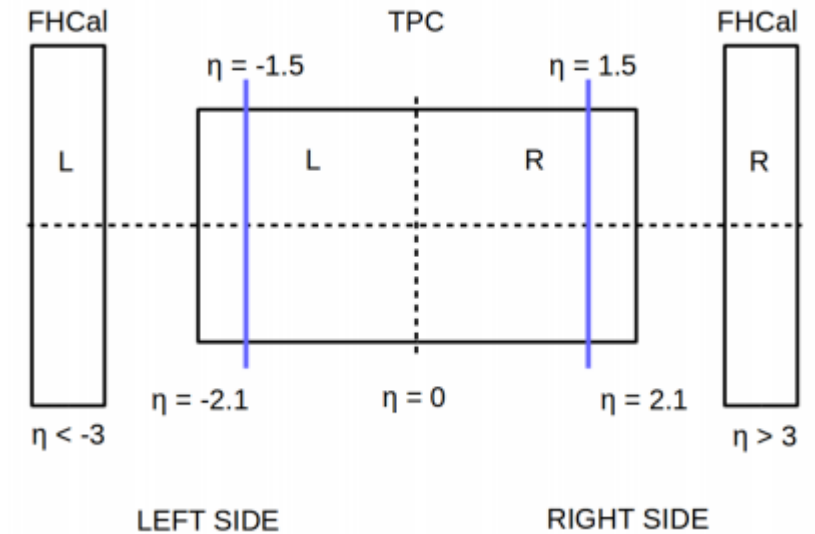
m=1 was used

E_i is the energy deposition in i-th FHCAL module and ϕ_i is its azimuthal angle. For m=1 weights had different signs for backward and forward rapidity.

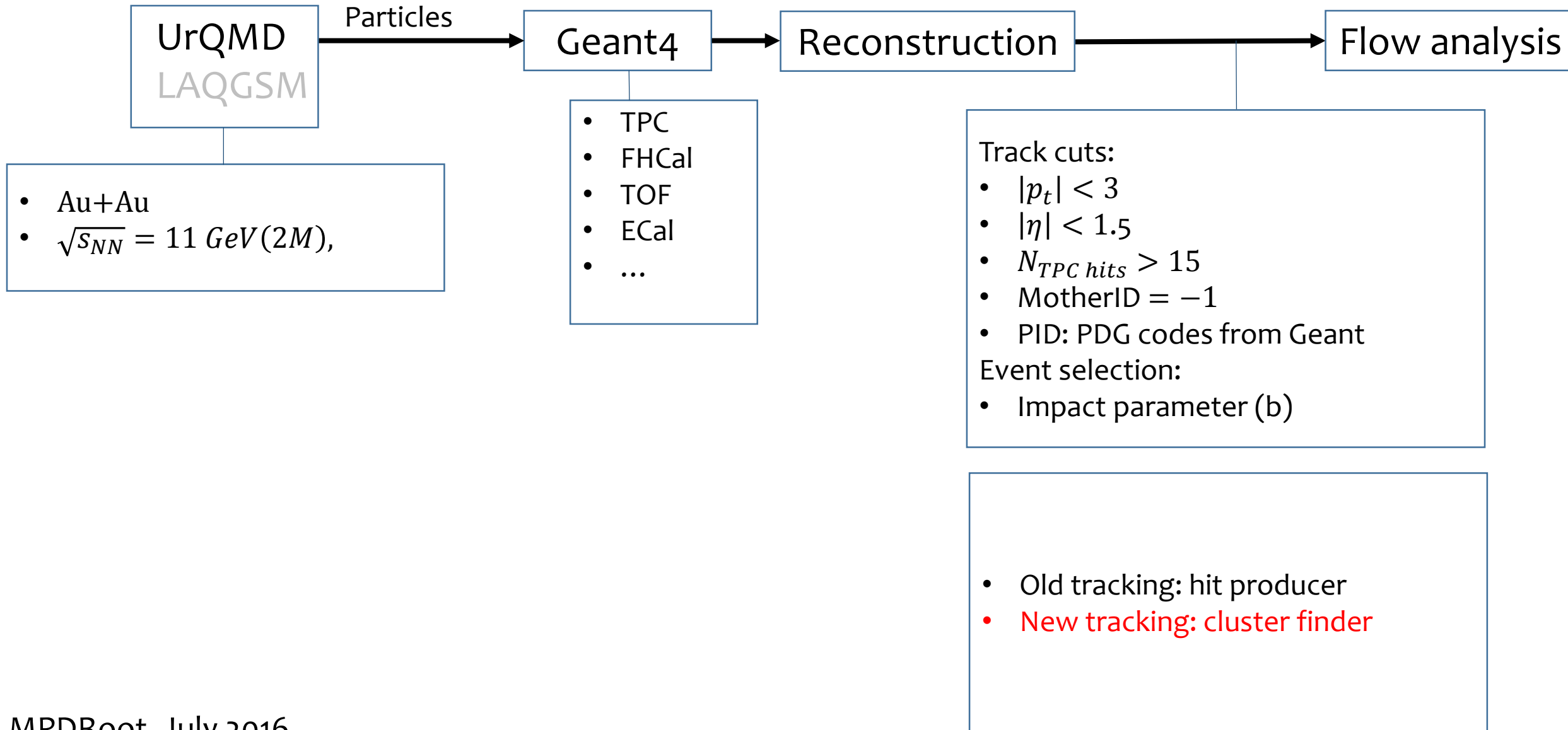
$$\text{Res}^2\{\Psi_n^{EP,L}, \Psi_n^{EP,R}\} = \langle \cos(n(\Psi_n^{EP,L} - \Psi_n^{EP,R})) \rangle$$

$$v_n = \frac{\langle \cos(n(\phi - \Psi_n^{EP})) \rangle}{\text{Res}\{\Psi_n^{EP}\}}$$

ϕ is taken from TPC

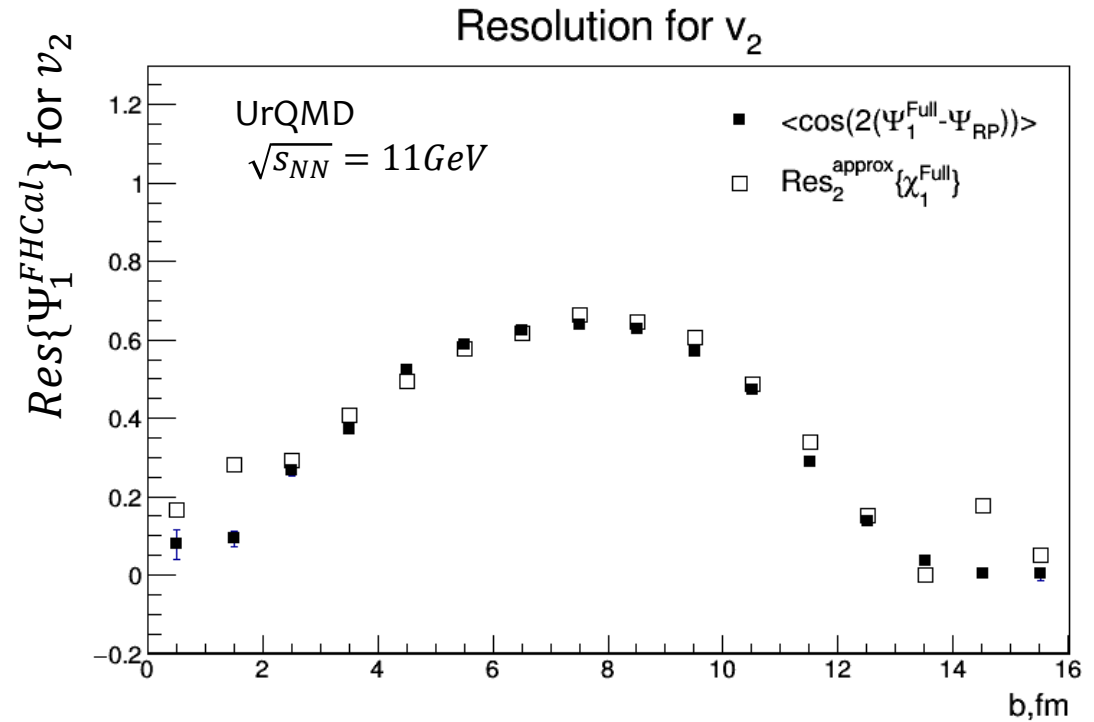
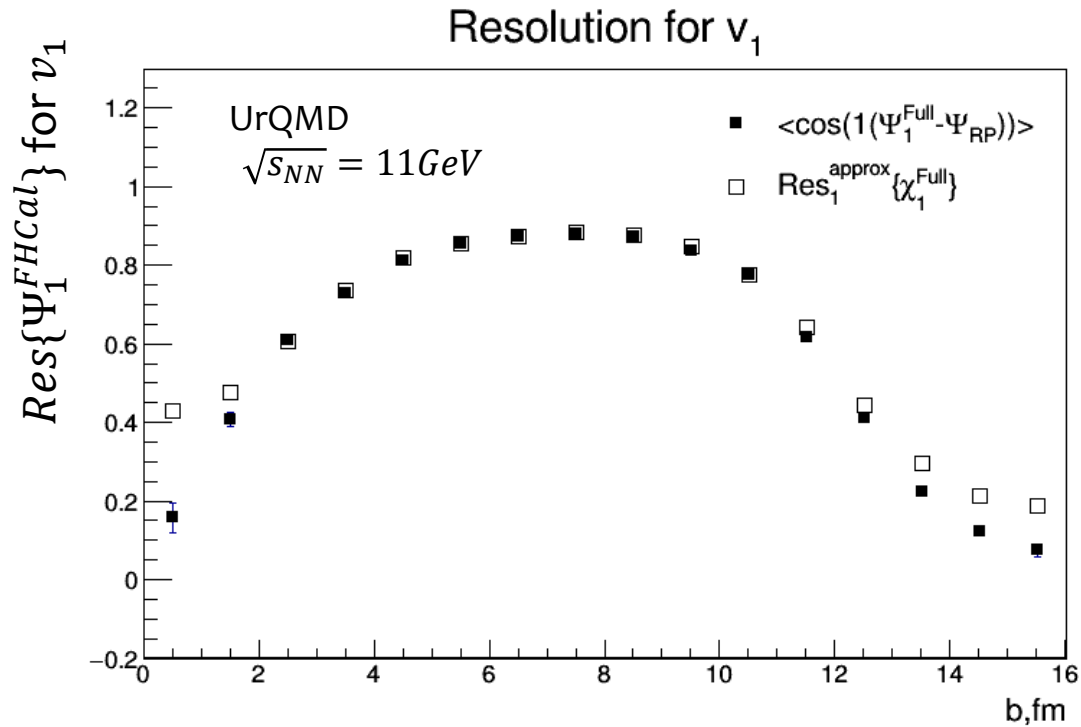


Setup and analysis cuts



Event plane resolutions

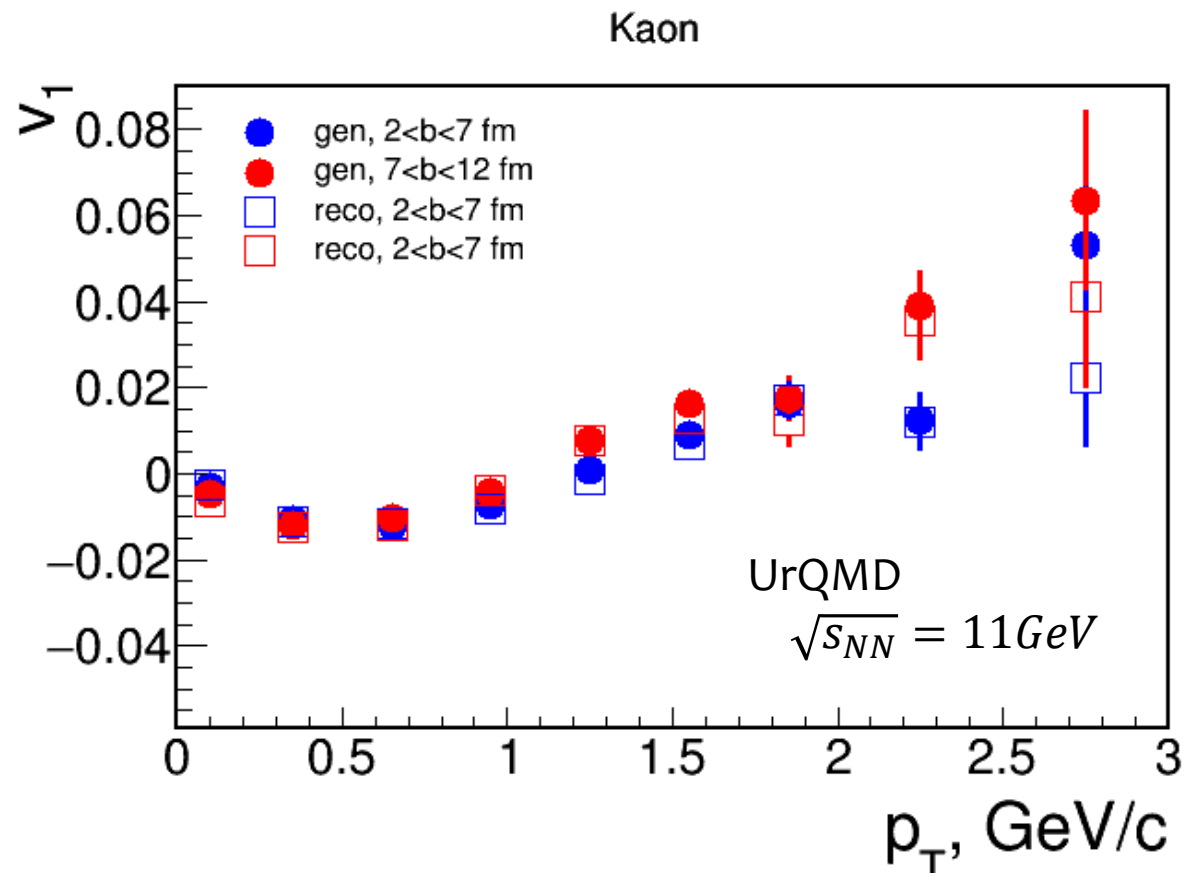
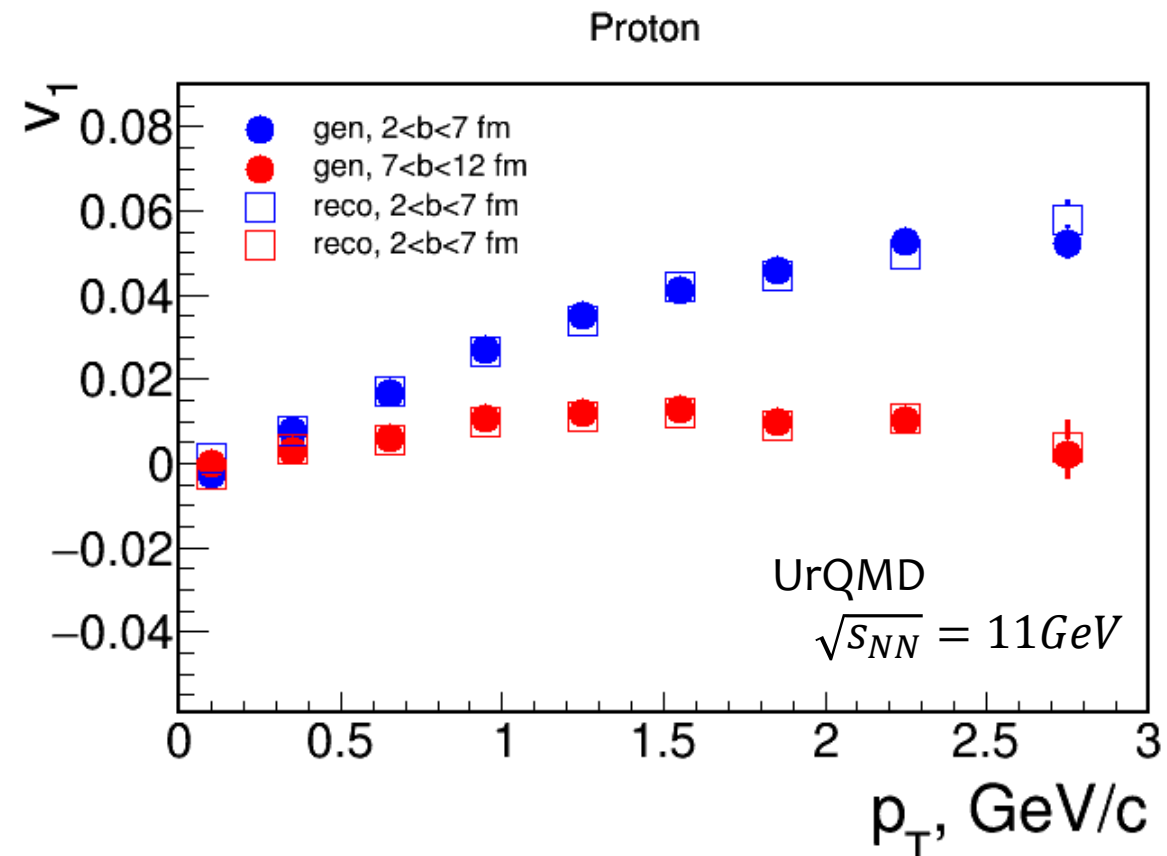
Obtained using 2-subevent method.



Statistical errors aren't shown.

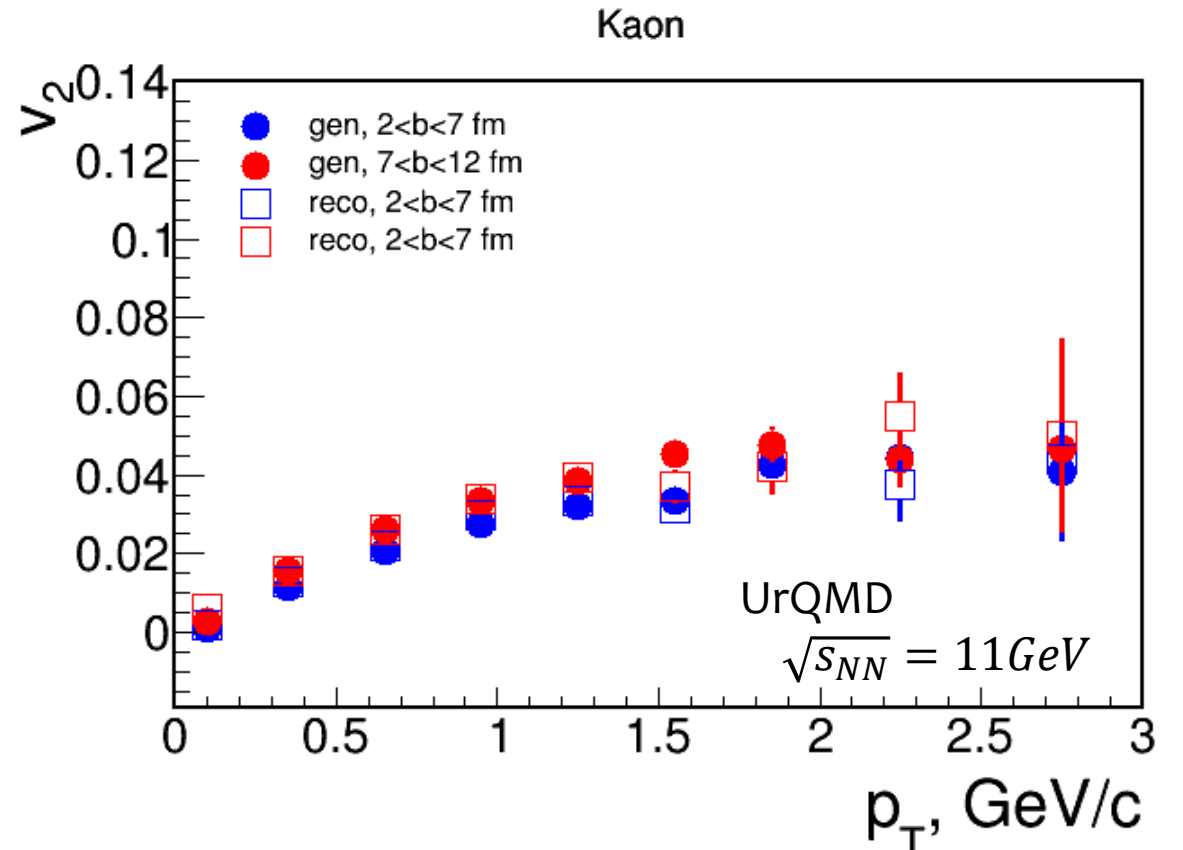
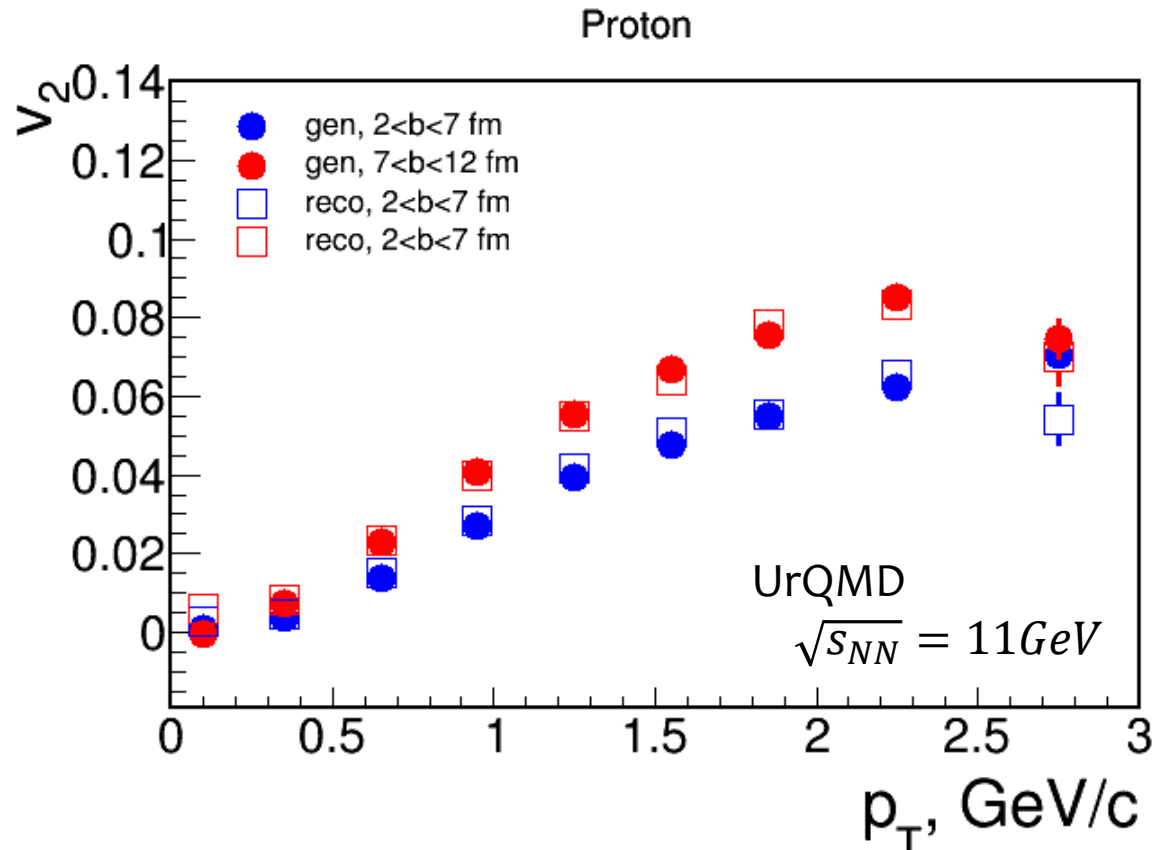
There's the difference for central and peripheral collisions
which we're trying to explain.

Directed flow for p, K



Agreement between reco/gen values indicates that we can measure v_1 using 2M statistics up to 3 GeV/c for protons and 2.5 GeV/c for kaons in $2 < b < 12$ centrality range

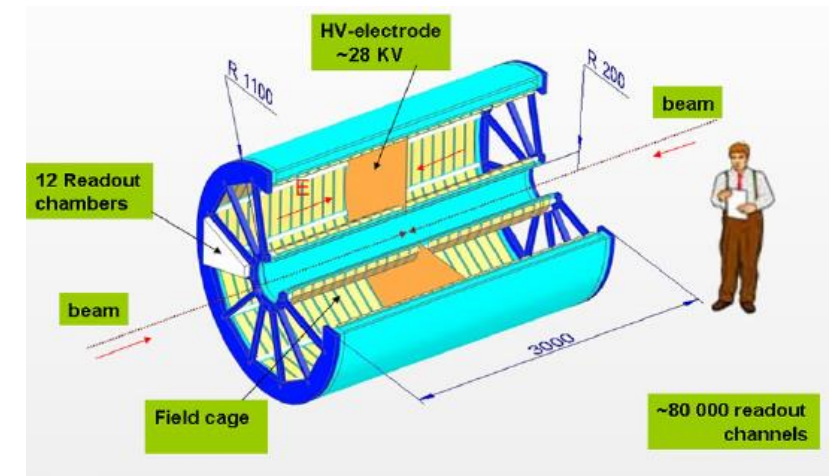
Elliptic flow for p, K



Agreement between reco/gen values indicates that we can measure v_2 using 2M statistics up to 3 GeV/c for protons and kaons in $2 < b < 12$ centrality range

Tracking: Cluster Finder and Hit Producer

- Cluster Finder: groups adjacent pixels in pad-time space in TPC – more realistic.
- Hit Producer: forms reconstructed track around local signal maxima via “peak-and-valley” algorithm – more ideal.



Time Projection Chamber

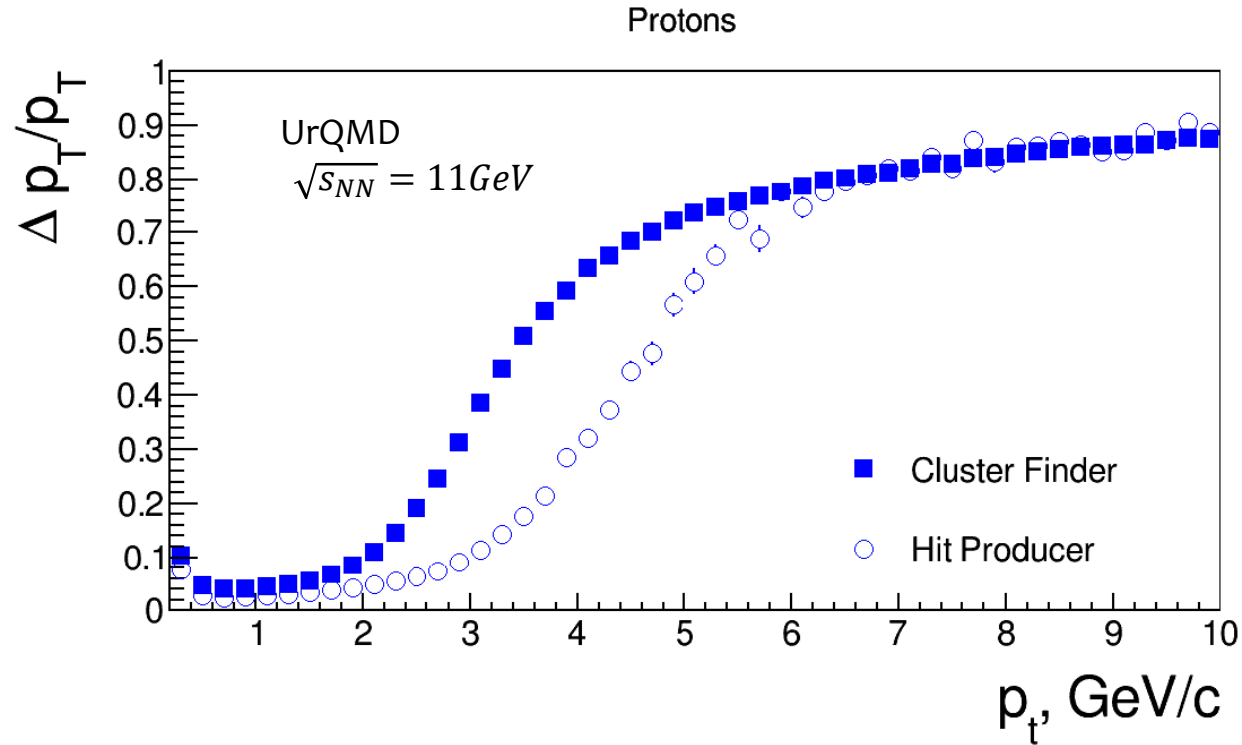
$$v_n = \frac{\langle \cos(n(\phi - \Psi_n^{EP})) \rangle}{Res\{\Psi_n^{EP}\}}$$

ϕ is taken from TPC

See MPD DAC 15-16 December

2015:<http://indico.jinr.ru/materialDisplay.py?contribId=12&materialId=1&confId=1487>

Momentum resolution



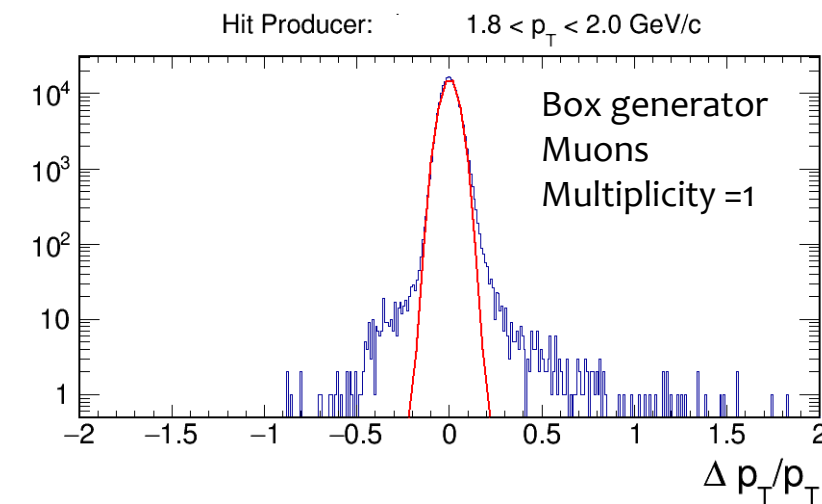
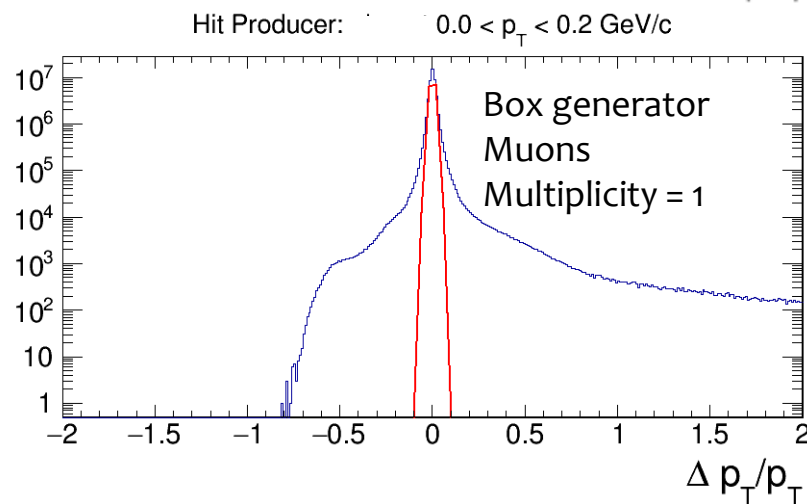
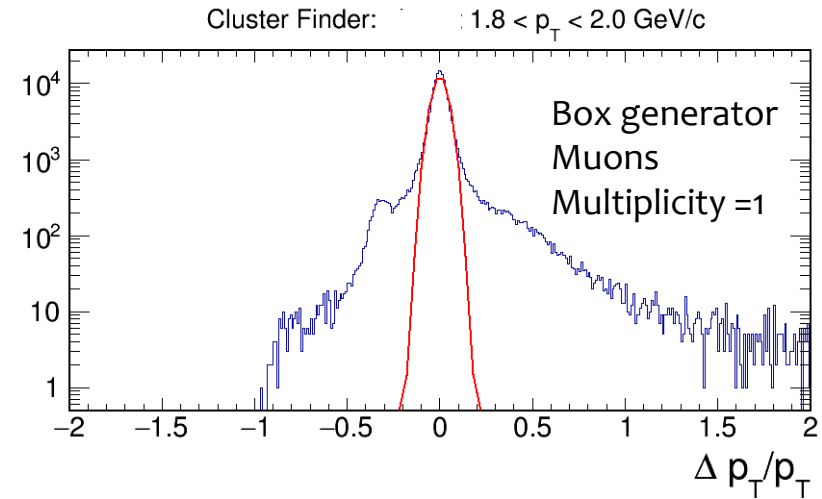
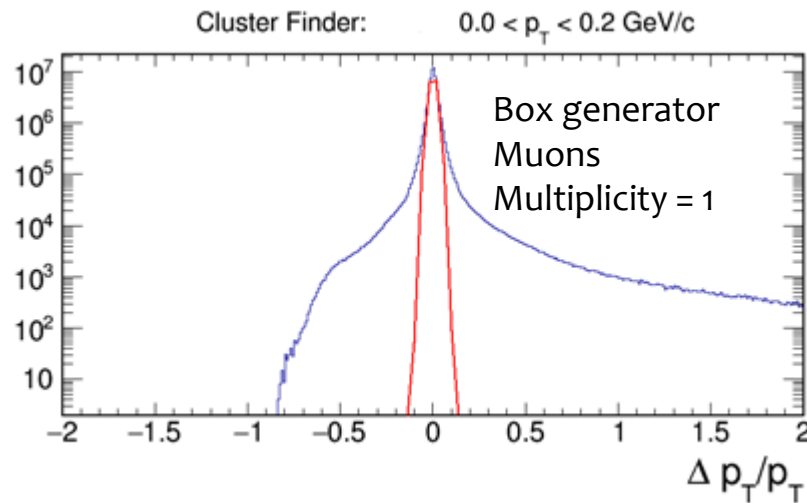
$$\frac{\Delta p_T}{p_T} = \frac{|p_T(\text{Generated}) - p_T(\text{Reconstructed})|}{p_T(\text{Generated})}$$

Cluster finder gives higher difference between reconstructed and generated p_T

Momentum resolution

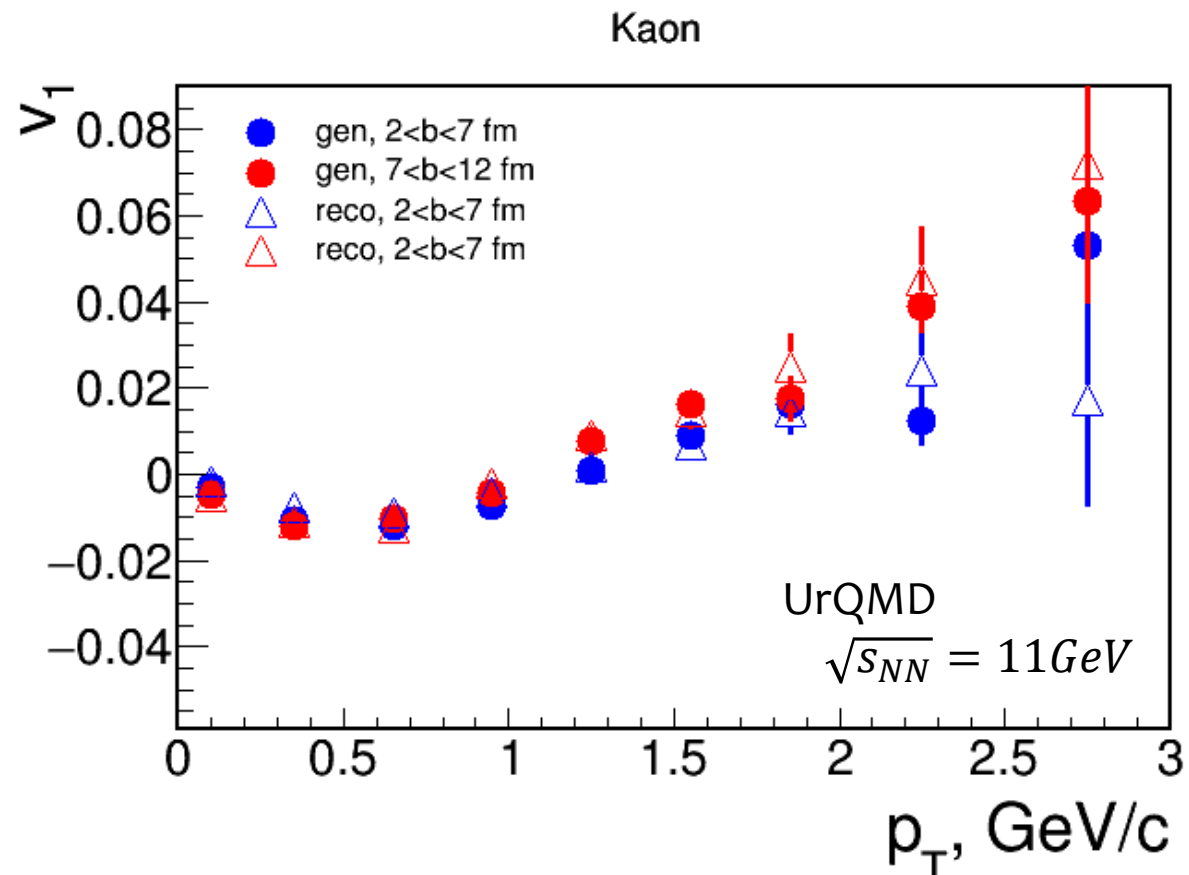
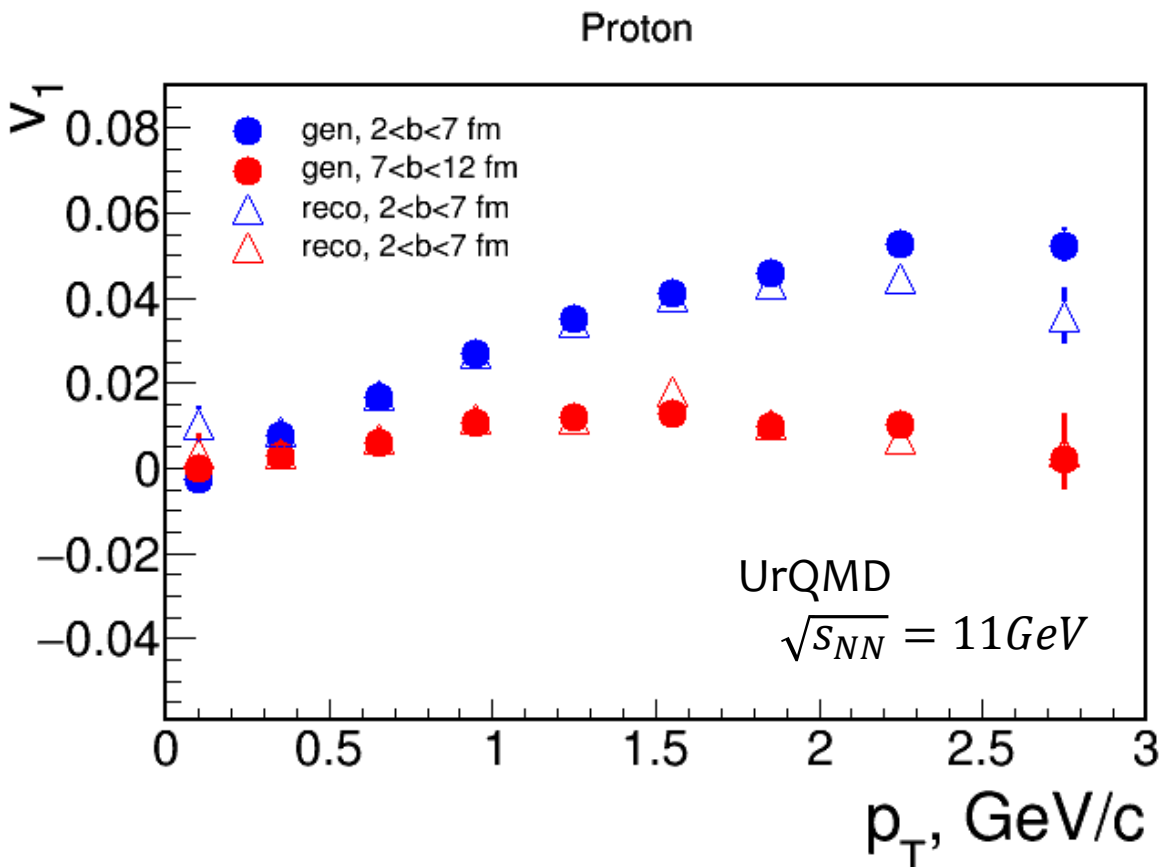
$$\frac{\Delta p_T}{p_T} = \frac{p_T(\text{gen}) - p_T(\text{reco})}{p_T(\text{gen})}$$

Profiles of momenta resolution slices were fit via Gaussian.
Two trackings have different background at high p_T .



Directed flow for p, K

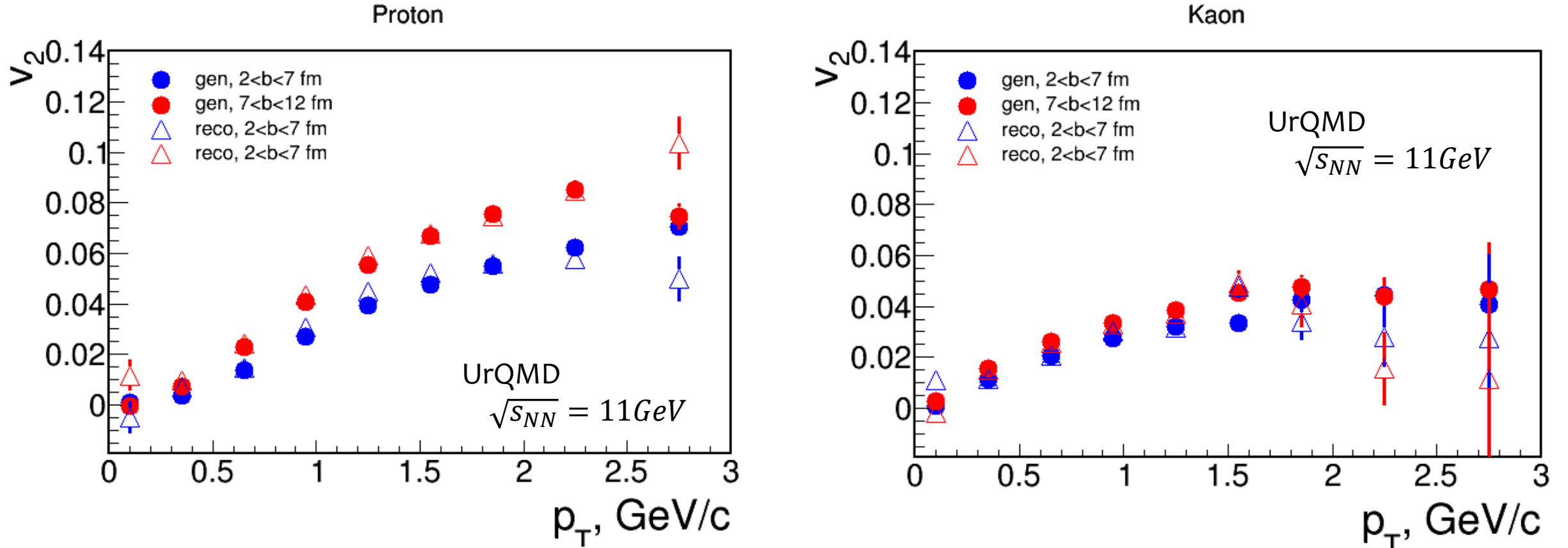
Cluster finder 2σ cut



Agreement between reco/gen values indicates that we can measure v_1 using 2M statistics up to 2 GeV/c for protons and 3 GeV/c for kaons in $2 < b < 12$ centrality range

Elliptic flow for p, K

Cluster finder 2σ cut



Agreement between reco/gen values indicates that we can measure v_2 using 2M statistics up to 2.5 GeV/c for protons and 3 GeV/c for kaons in $2 < b < 12$ centrality range

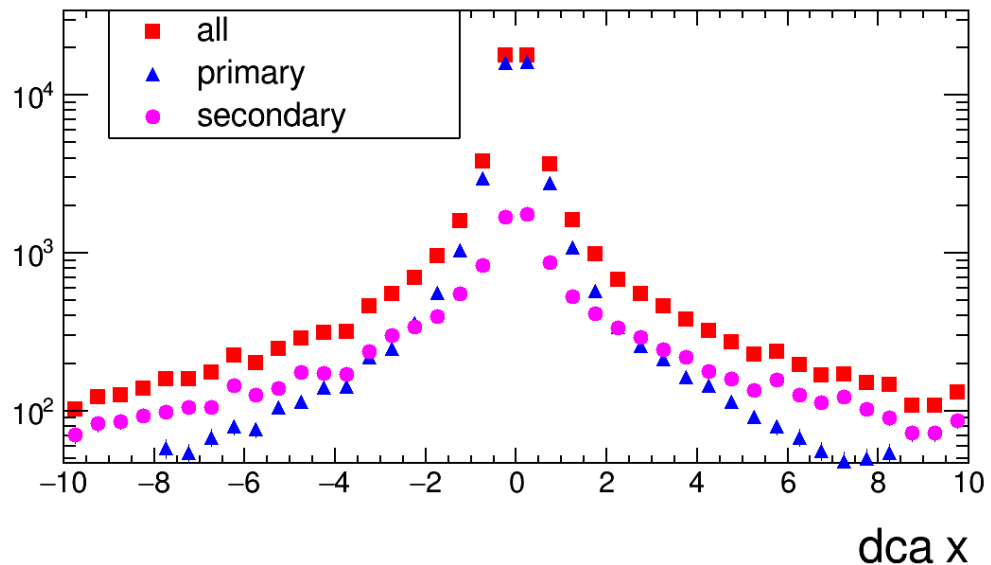
Summary

- Directed and elliptic flow of pions, kaons and protons has been reconstructed for Au+Au collisions at 11 GeV simulated with UrQMD model
- Different tracking configurations have been studied
- Results are obtained with FHCAL event plane using reconstructed EP resolution
- True and reconstructed results are consistent for v_1 and v_2

Outlook

In order to do analysis using reconstructed data only:

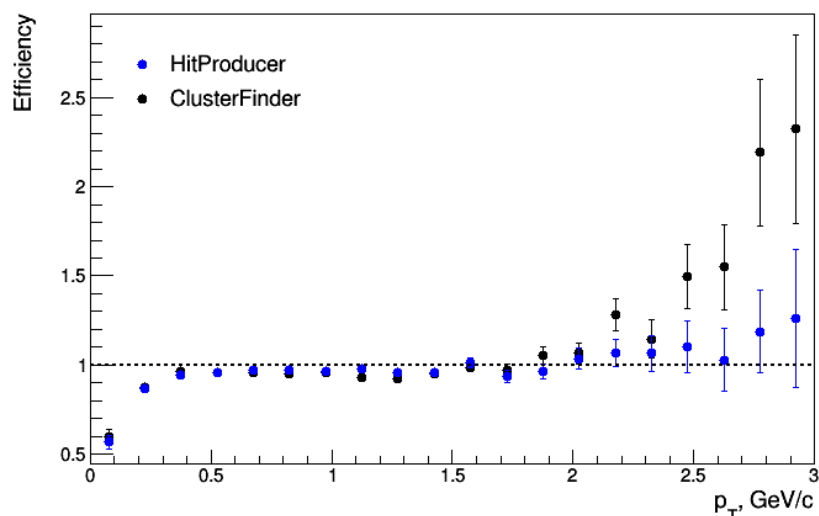
- Use realistic Particle Identification
- Check LA-QGSM model with nuclear fragmentation
- Centrality determination with TPC multiplicity and FHCAL energy
- Implement realistic primary track selection using DCA cuts



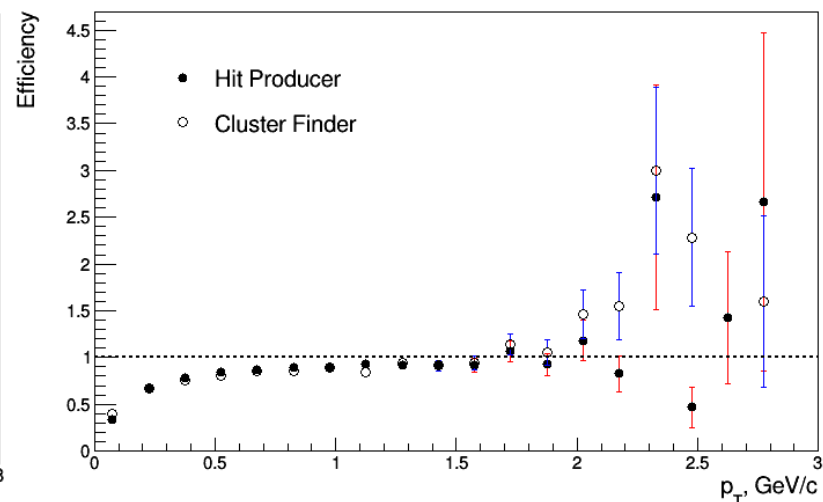
Thank you for
your attention!

BACKUP SLIDES.

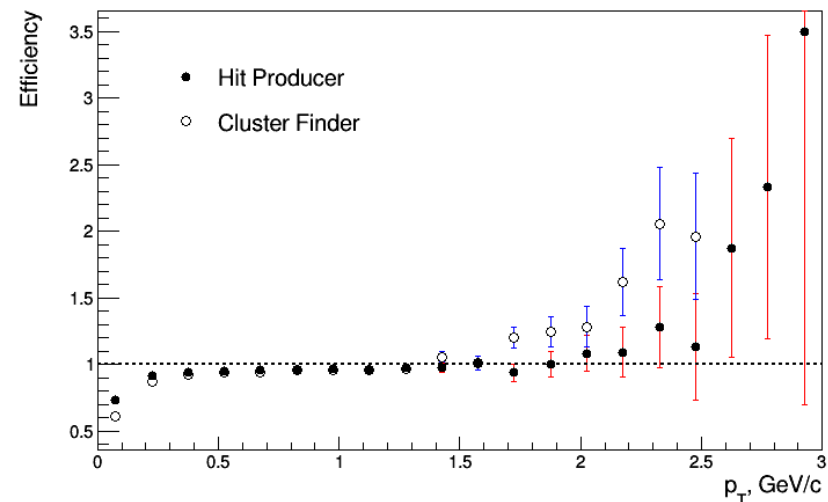
Efficiency of p_T distribution for proton at $2 < b < 7$ fm



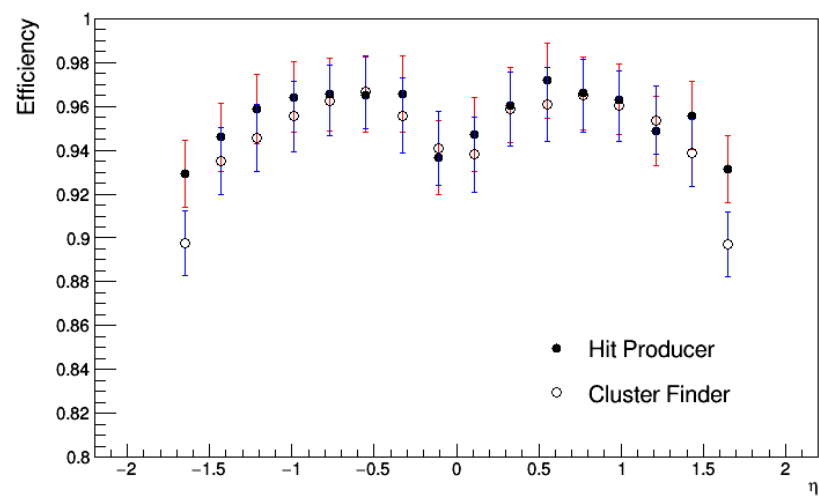
Efficiency of p_T distribution for kaon at $2 < b < 7$ fm



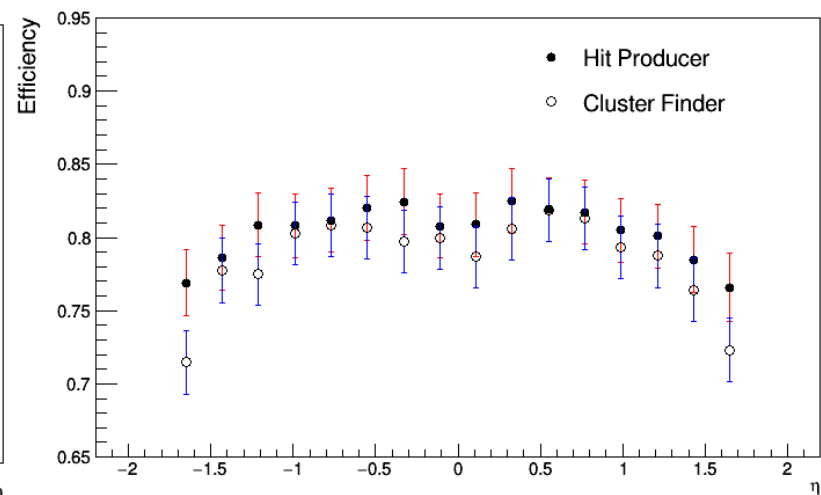
Efficiency of p_T distribution for pion at $2 < b < 7$ fm



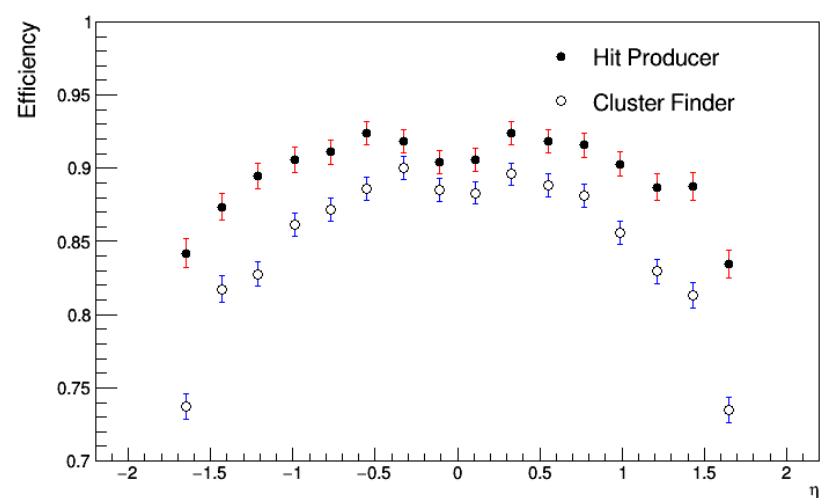
Efficiency of η distribution for proton at $2 < b < 7$ fm



Efficiency of η distribution for kaon at $2 < b < 7$ fm (Hit Producer)

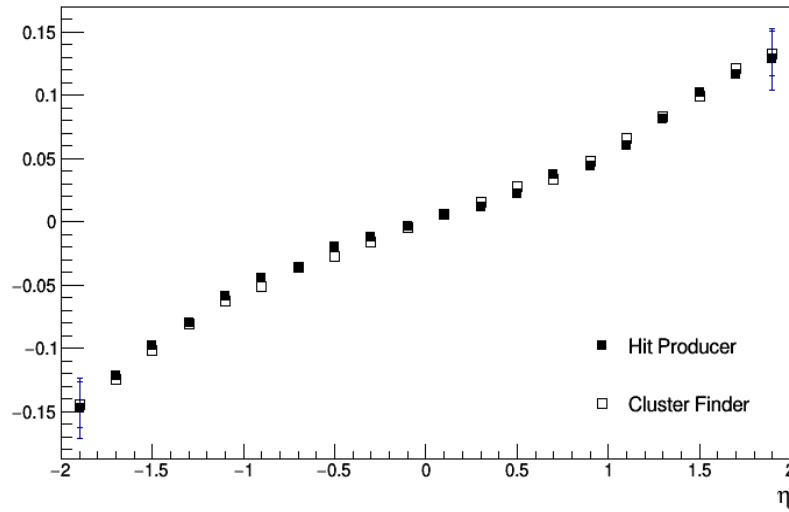


Efficiency of η distribution for pion at $2 < b < 7$ fm (Hit Producer)

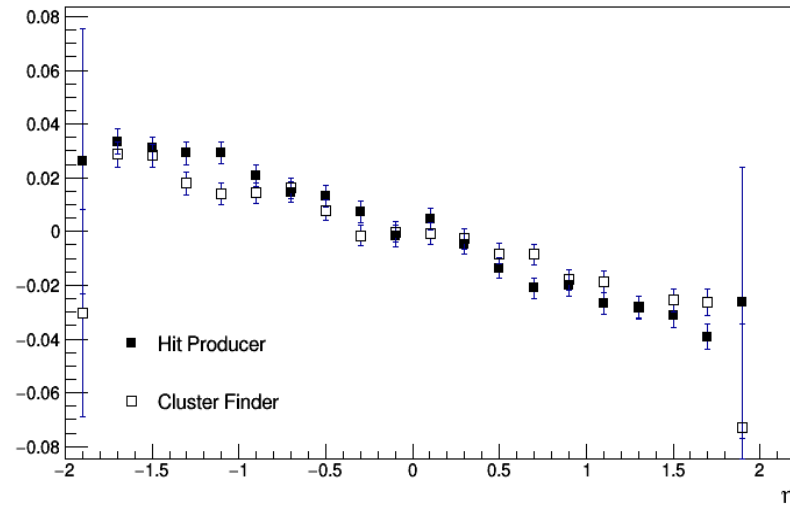


Directed flow as η function

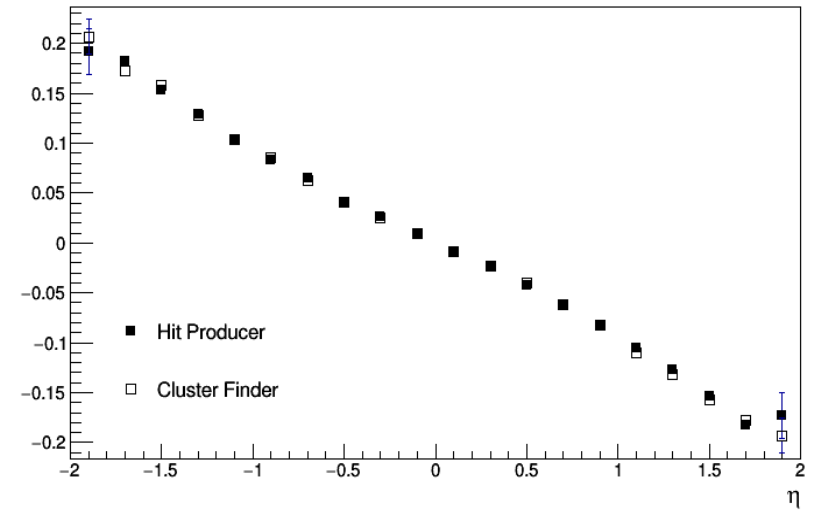
v_1 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for protons at $2.00 < b < 7.00$



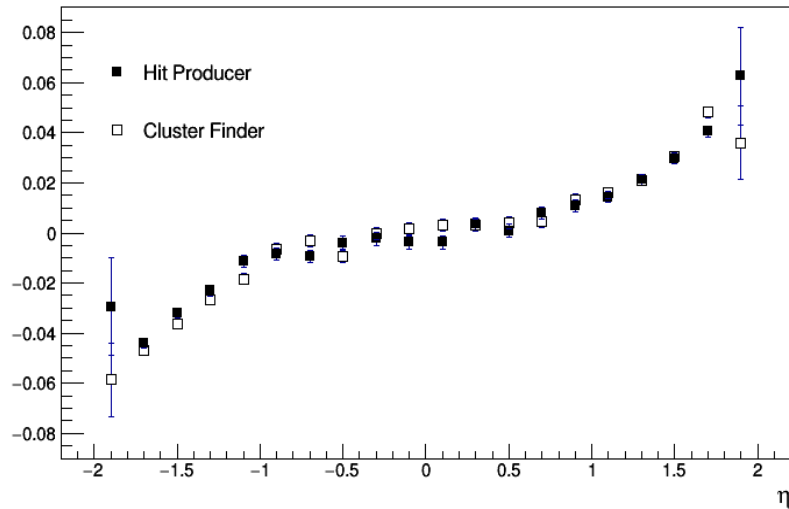
v_1 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for kaons at $2.00 < b < 7.00$



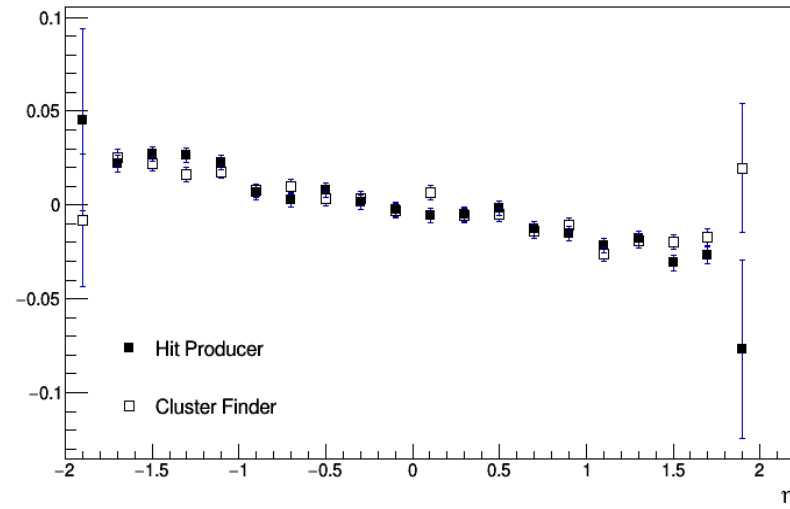
v_1 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for pions at $2.00 < b < 7.00$



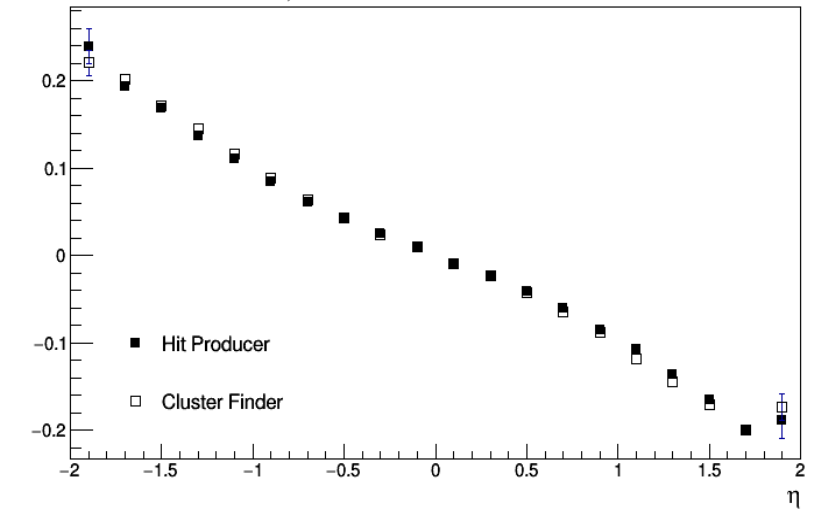
v_1 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for protons at $7.00 < b < 12.00$



v_1 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for kaons at $7.00 < b < 12.00$

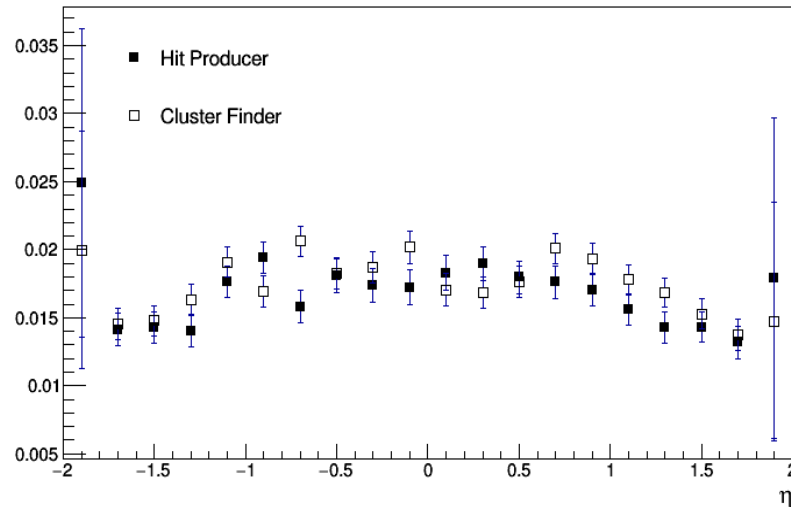


v_1 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for pions at $7.00 < b < 12.00$

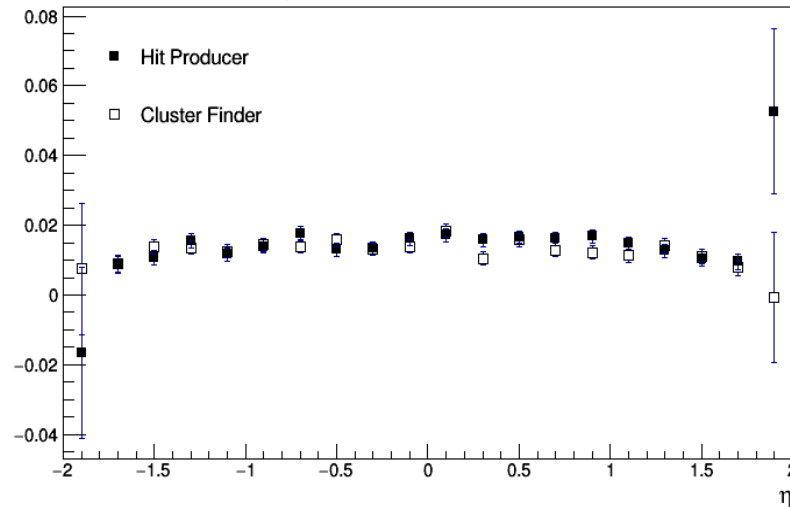


Elliptic flow as η function

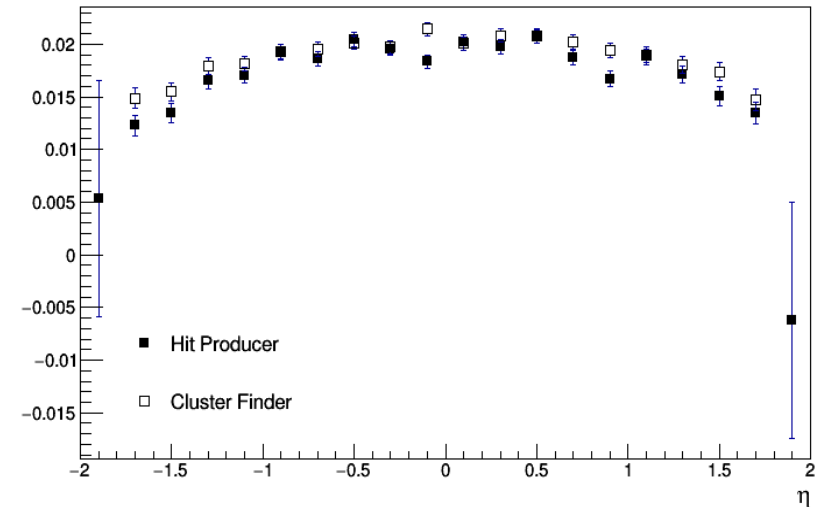
v_2 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for protons at $2.00 < b < 7.00$



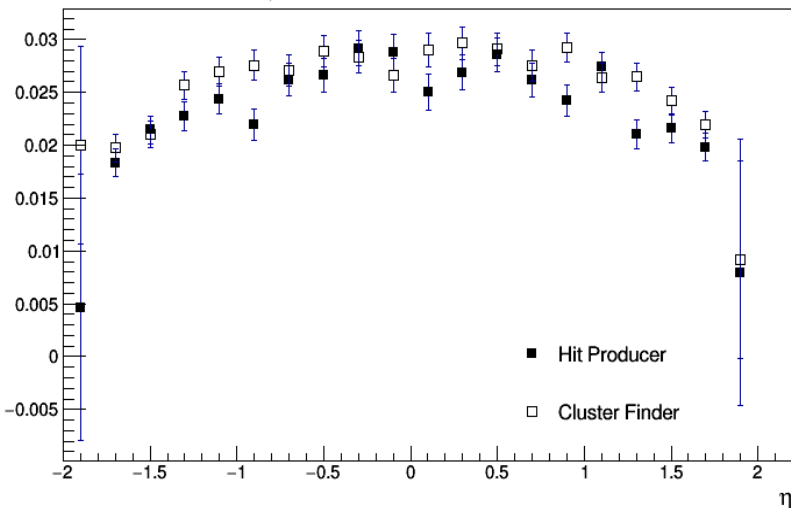
v_2 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for kaons at $2.00 < b < 7.00$



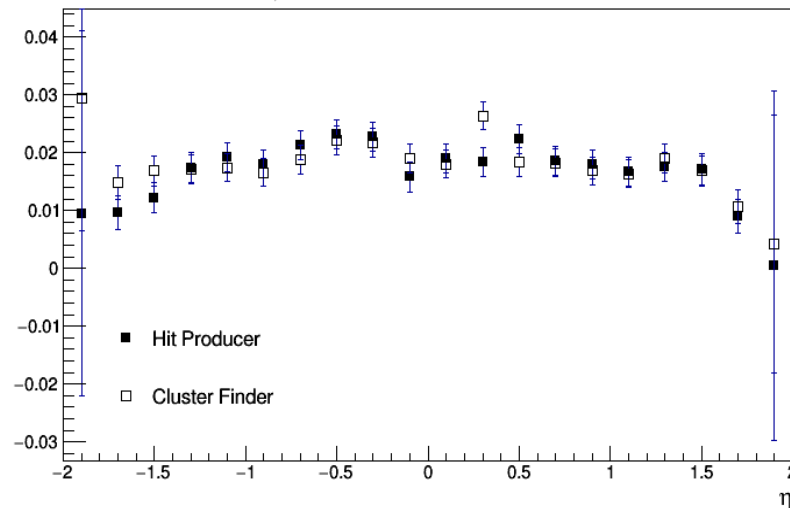
v_2 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for pions at $2.00 < b < 7.00$



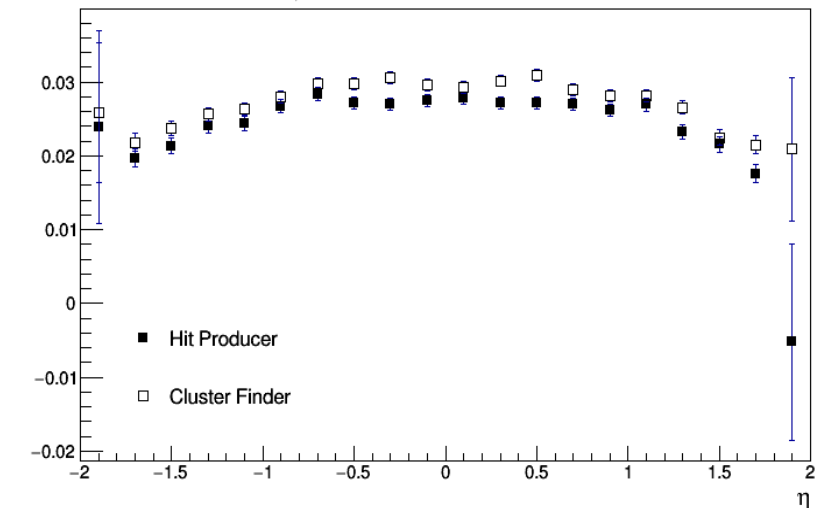
v_2 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for protons at $7.00 < b < 12.00$



v_2 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for kaons at $7.00 < b < 12.00$



v_2 wrt $\Psi_{1,\text{FHCaI}}^{\text{FULL}}$ for pions at $7.00 < b < 12.00$

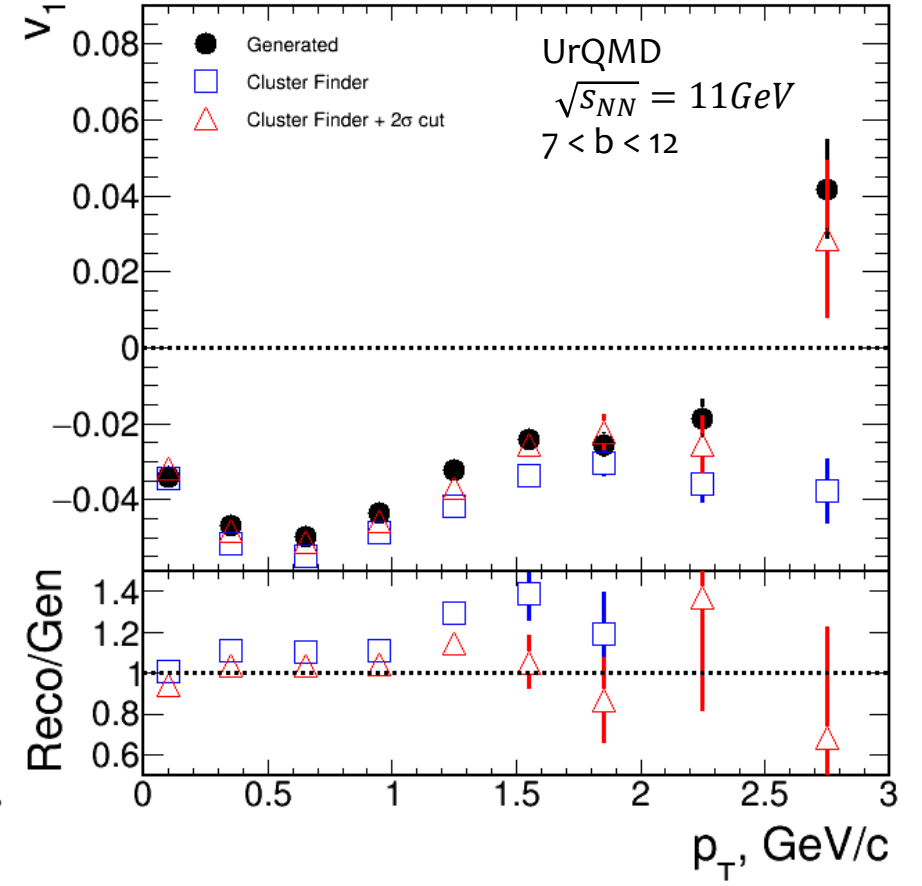
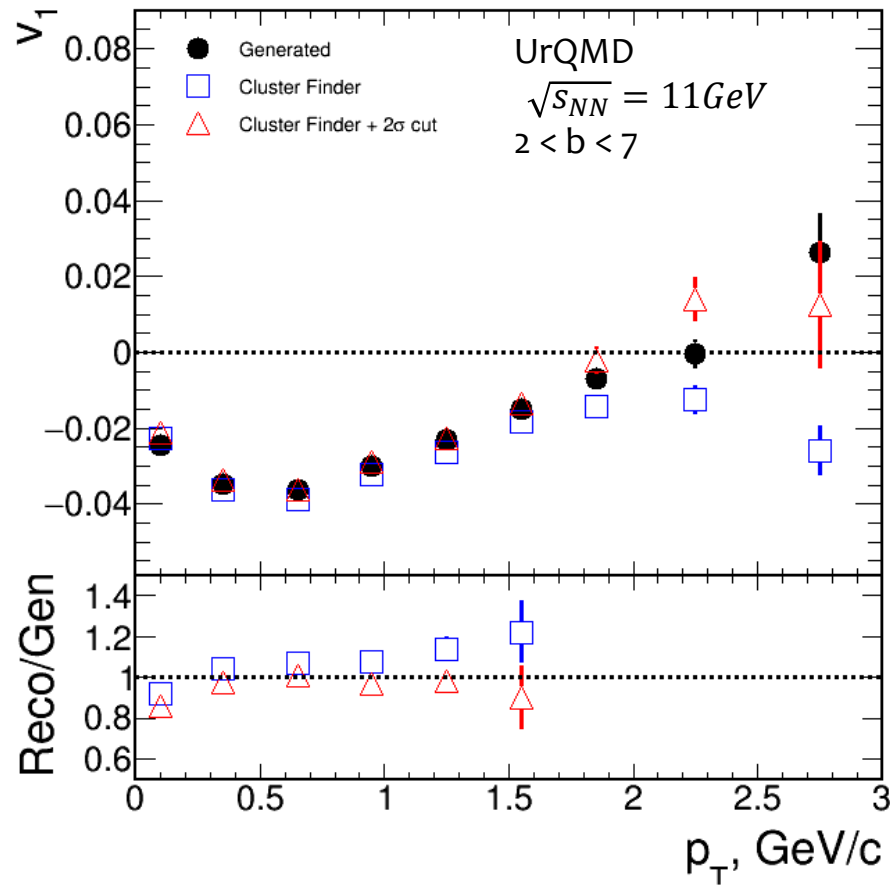
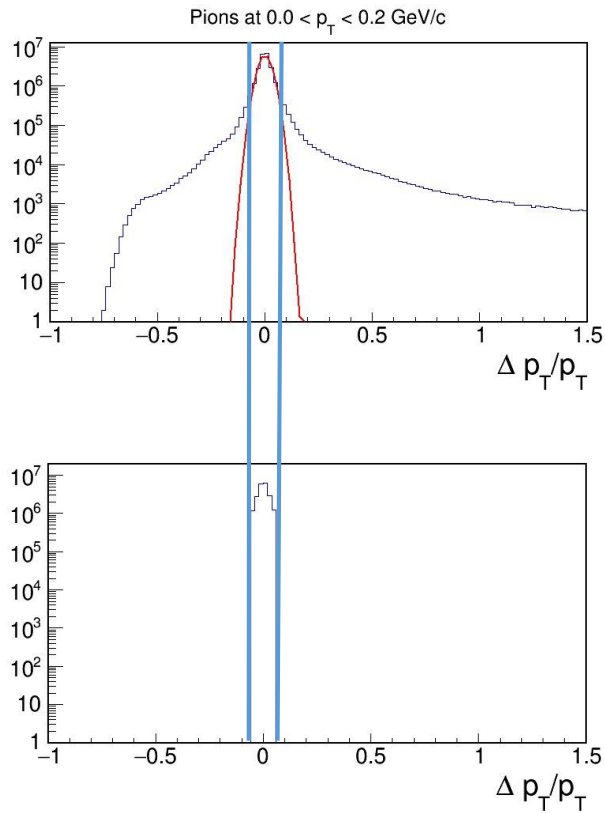


Directed flow: 2σ cut

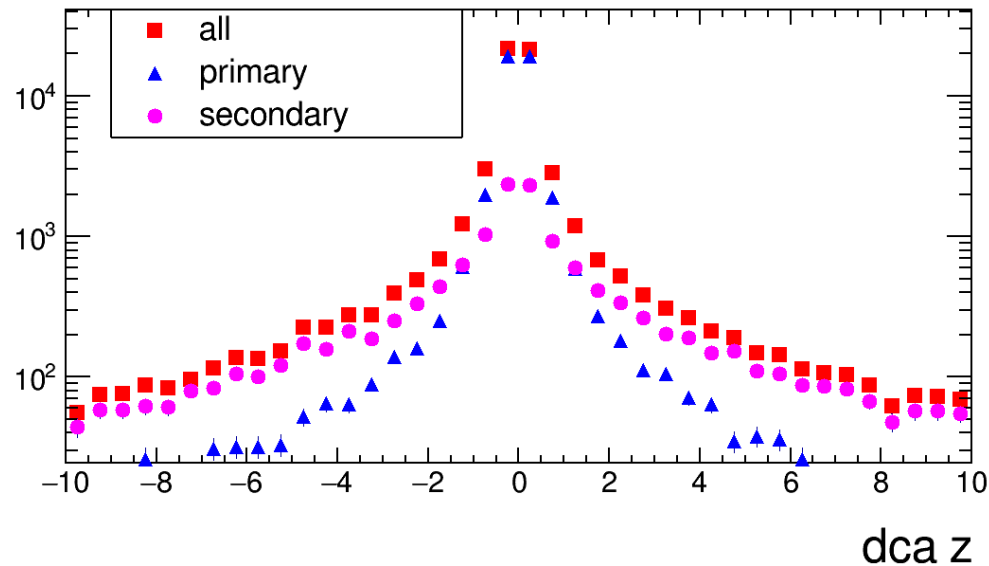
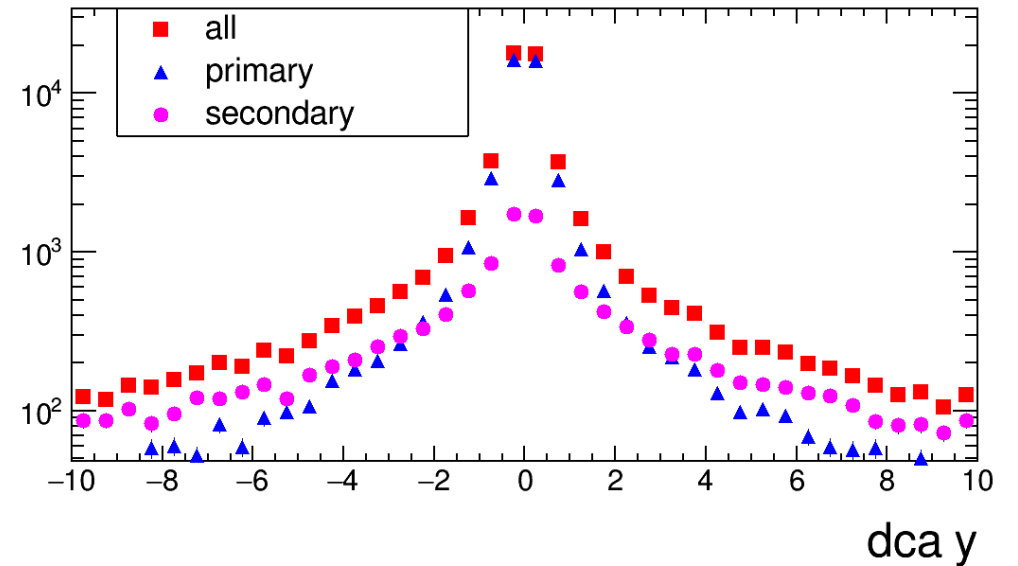
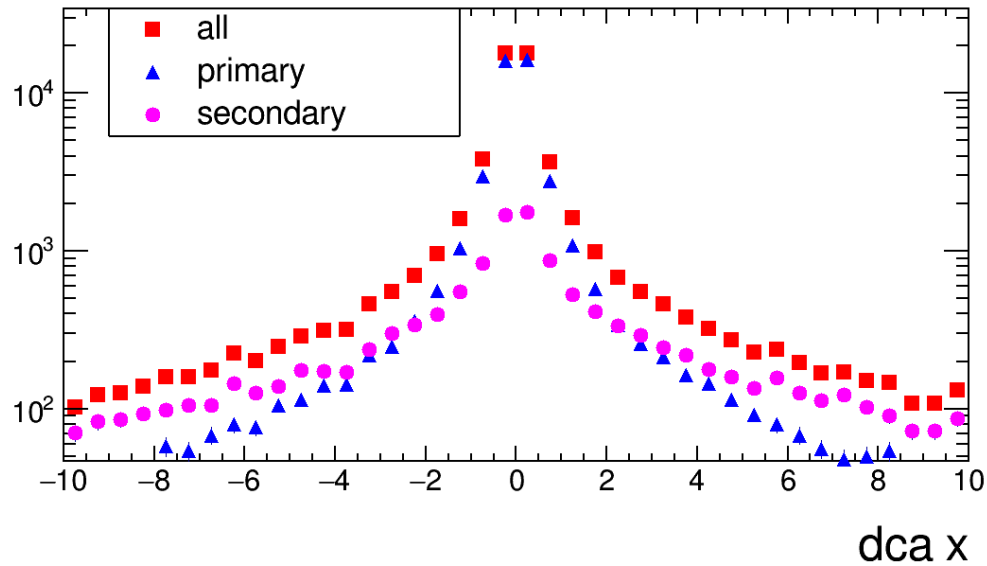
To exclude possible background effects 2σ cut was used

Pions

Pions



Distance of closest approach.



DCA – is minimal distance between primary vertex and track helicity reconstructed in TPC (Cluster Finder tracking used).

Secondary tracks contribution can be minimized using DCA cuts.