
Search for heavy neutrinos using T2K near detector ND280

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Physics motivation

New physics beyond SM:

- $m_\nu \neq 0$
- Baryon asymmetry of the Universe
- Dark Matter



ν MSM-model [1,2]:

- 3 right-handed neutrinos $N_I, I = \{1,2,3\}$
- ν & N_I – Majorana particles
- $m_{N_1} \sim keV$ could be dark matter
- $m_{N_{2,3}} \sim MeV - GeV$ could generate baryogenesis

Left-handed flavor eigenstates as combination of light (ν_i) and heavy (N_I) mass eigenstates:

$$\nu_\alpha = \sum_{i=1}^3 V_{\alpha i}^{PMNS} \nu_i + \sum_{I=1}^n \Theta_{\alpha I} N_I \quad (\alpha = e, \mu, \tau; i = 1,2,3; I = 1,2,3)$$

- Assuming $M_2 \sim M_3 \equiv M_N, |U_\alpha|^2 = \sum_{I=\{2,3\}} |\Theta_{\alpha I}|^2$

HNL search methods:

Study meson decay
($H^\pm \rightarrow l_\alpha^\pm N$) kinematics

Used in E949, NA62, etc.

Sensitive to U_α^2

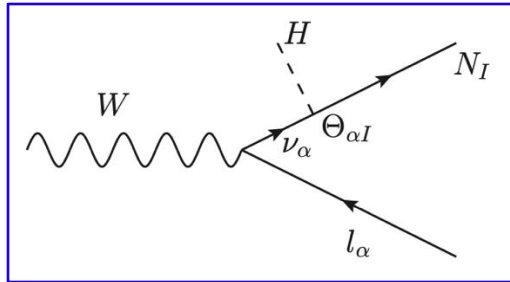
Search for **HNL** decays in a detector, study **daughter kinematics**

CERN-PS-191; can probe in neutrino experiments

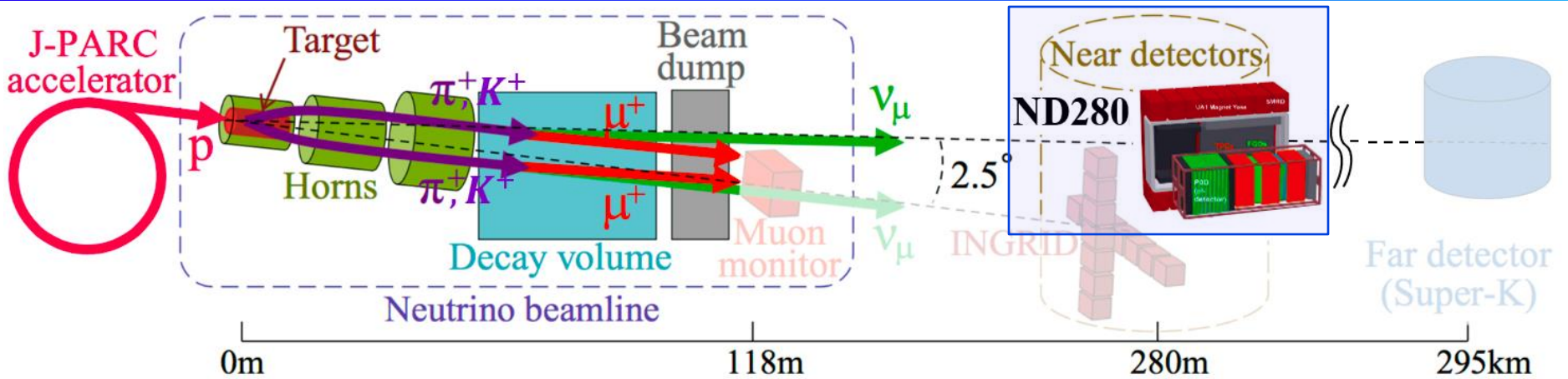
Sensitive to $U_\alpha^2 U_\beta^2$

Heavy Neutral Leptons (HNLs) or heavy neutrinos

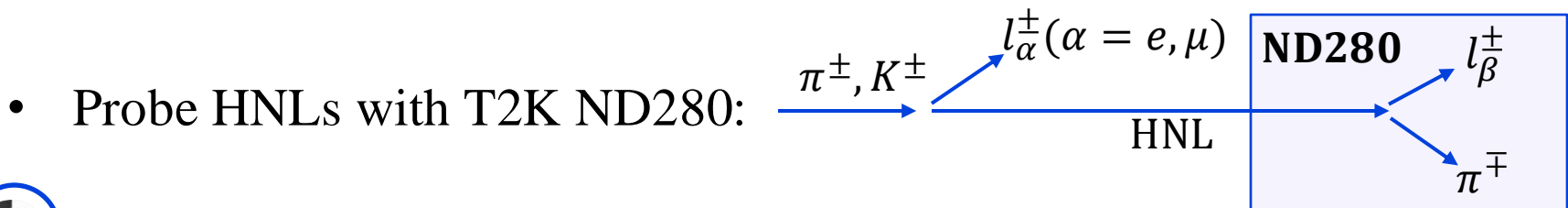
Feynman representation of HNL contributions



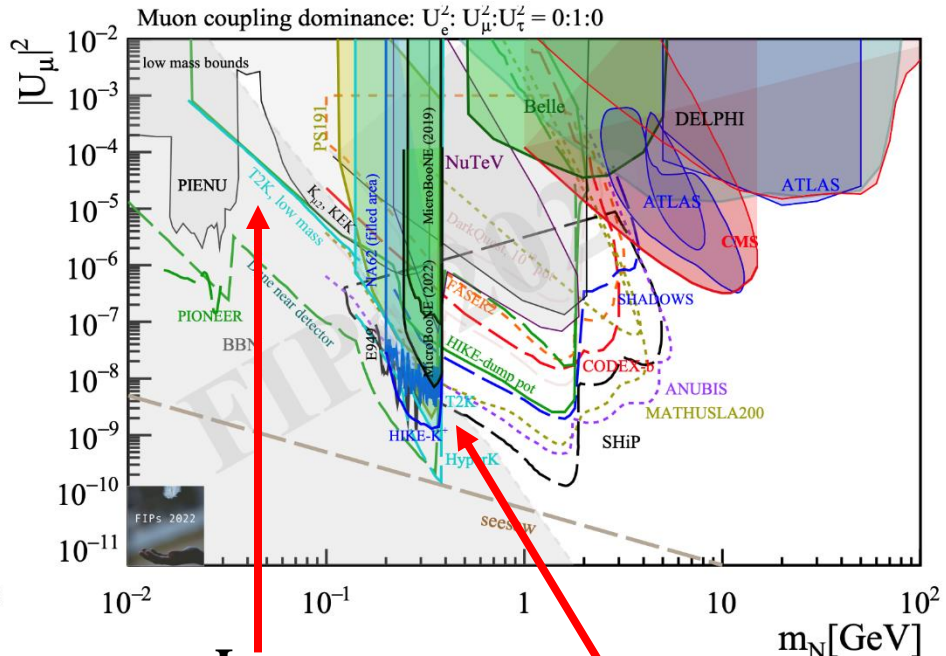
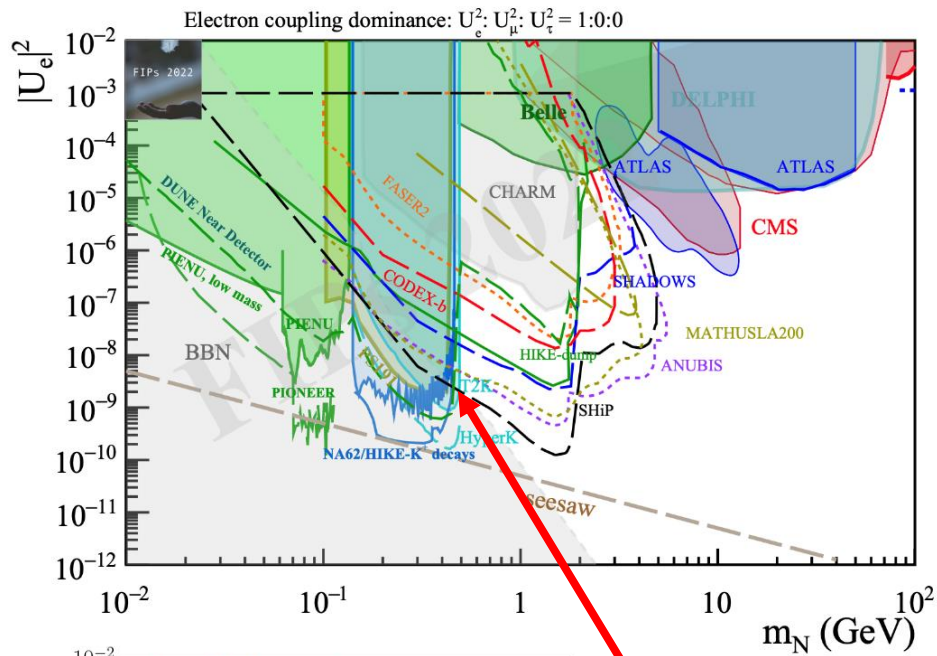
T2K experiment



- Tokai-to-Kamioka (T2K) [3] – long-baseline neutrino experiment in Japan
Main goal – study ν oscillations, search for lepton CP violation.
- Accelerator experiment based on 30 GeV proton beam @ J-PARC
- Neutrino beam from π and K mesons decays
- π and K mesons focused with magnetic horns for ν_μ ($\bar{\nu}_\mu$) - enhanced beam.



Current constraints on mixing elements



T2K results (2019)

Low mass projections

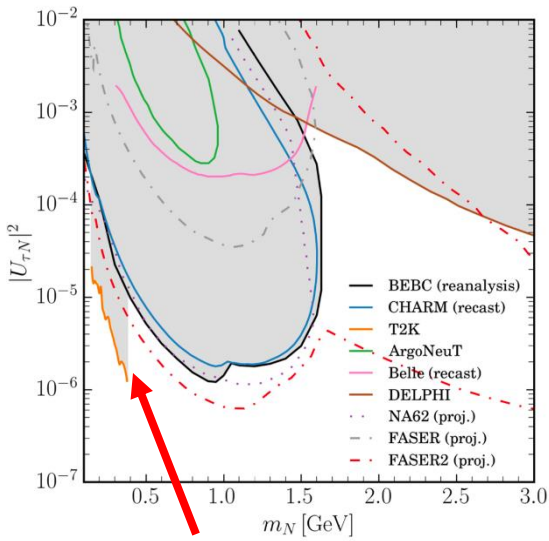
T2K results (2019)

Current bounds and future projections for 90% CL limits [4]

Filled colored areas - bounds set by experimental collaborations

- T2K limits *still competitive*

Example: Meson decay: $K^+ \rightarrow e^+ N_I$, $BR \sim |\Theta_{eI}|^2$
 HNL decay: $N_I \rightarrow \mu^\pm \pi^\mp$, $BR \sim |\Theta_{\mu I}|^2$ } Sensitive to $U_e^2 U_\mu^2$



T2K results (2019)



Motivation for new analysis

Search for HNL in 2019 [5]:

- $K^\pm \rightarrow l_\alpha^\pm N$ ($\alpha = e, \mu$)
- K^+ in ν -mode and K^- in $\bar{\nu}$ -mode

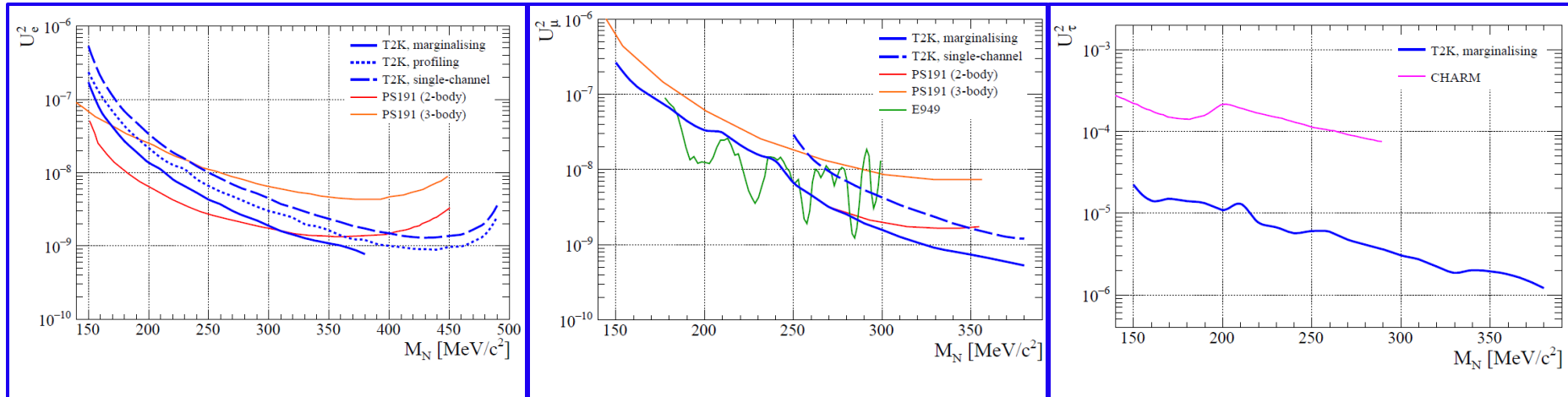


New search for HNL:

- $H^\pm \rightarrow l_\alpha^\pm N$ ($H = K, \pi; \alpha = e, \mu$)
- H^\pm ($H = K, \pi$) in ν and $\bar{\nu}$ beam modes
- **Updated** tracking, signal and background
- **Additional statistics** available



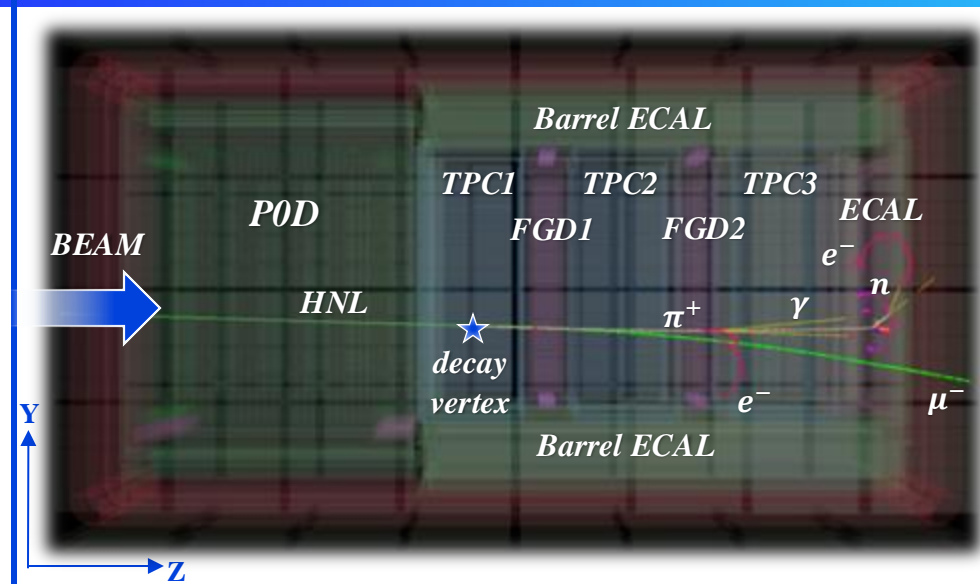
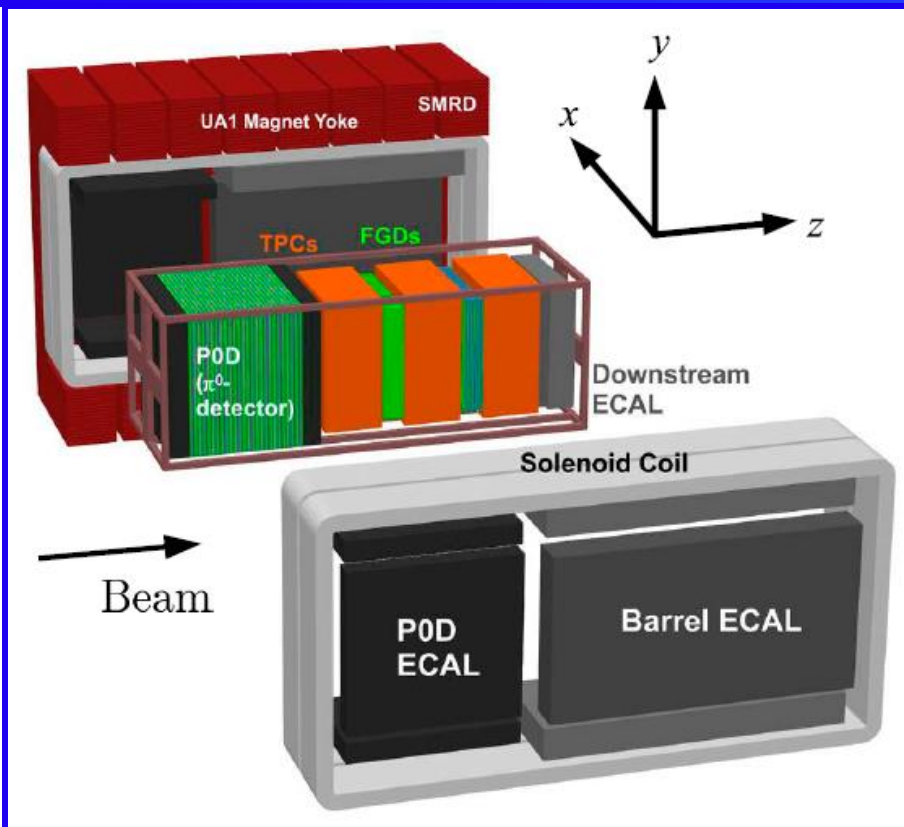
T2K results obtained in 2019 [5]



90% upper limits on $|U_\alpha|$ as function of M_{HNL}



ND280 and HNL typical event



Example of simulated HNL decay in ND280

- UA1 magnet – dipole magnetic field 0.2 T
- POD – π^0 detector
- ECAL – Electromagnetic Calorimeter
- TPCs – Gaseous-Argon Time Projection Chambers
- FGDs – Fine Grained plastic-scintillator Detectors
- SMRD – Side Muon Range Detector, scintillator plates inside magnet yokes

TPC Fiducial Volume: no walls, no cathode
Margin of 59 mm upstream and 150 mm downstream

HNL search in ND280

- *Events in TPC gas* to reduce background from ν interactions

- Study decays:

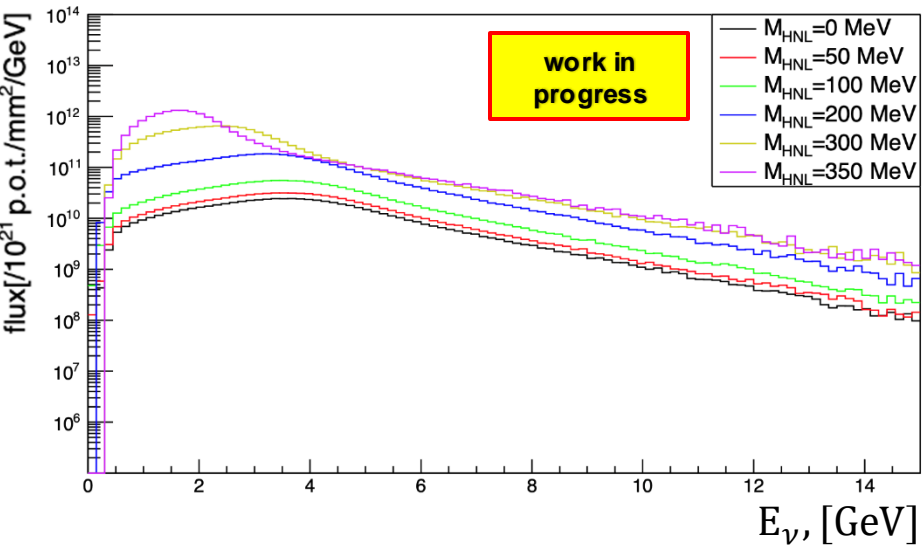
$$H^\pm \rightarrow l_\alpha^\pm N \quad (H = K, \pi; \alpha = e, \mu)$$

$$N \rightarrow \mu^\pm \pi^\mp, N \rightarrow e^\pm \pi^\mp, N \rightarrow e^+ e^- \nu, N \rightarrow \mu^+ \mu^- \nu, N \rightarrow e^\pm \mu^\mp \nu$$

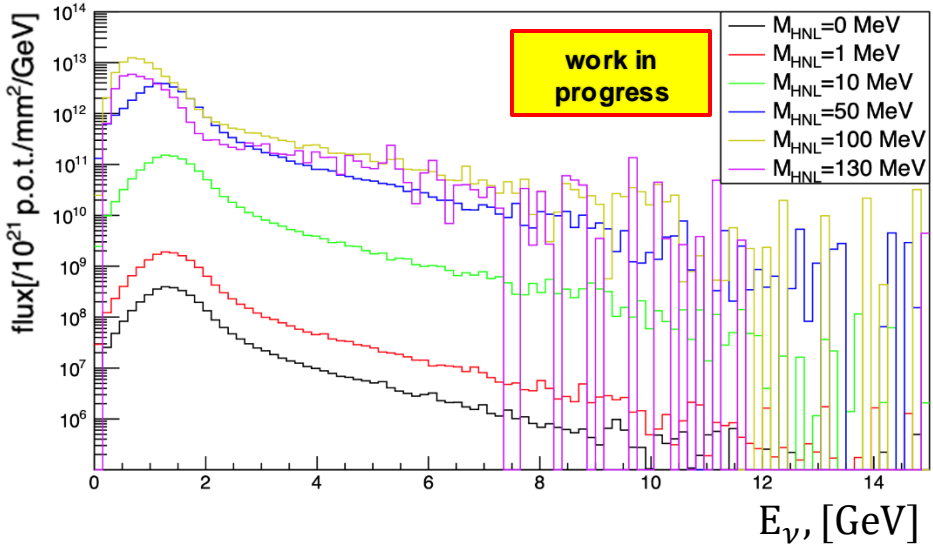
- Signal topology: 2 close opposite charged tracks starting in same TPC fiducial volume
- Applying veto, PID and kinematic selection criteria

HNL flux at ND280 front plane

$K^+ \rightarrow \mu^+ N, \nu$ -beam mode



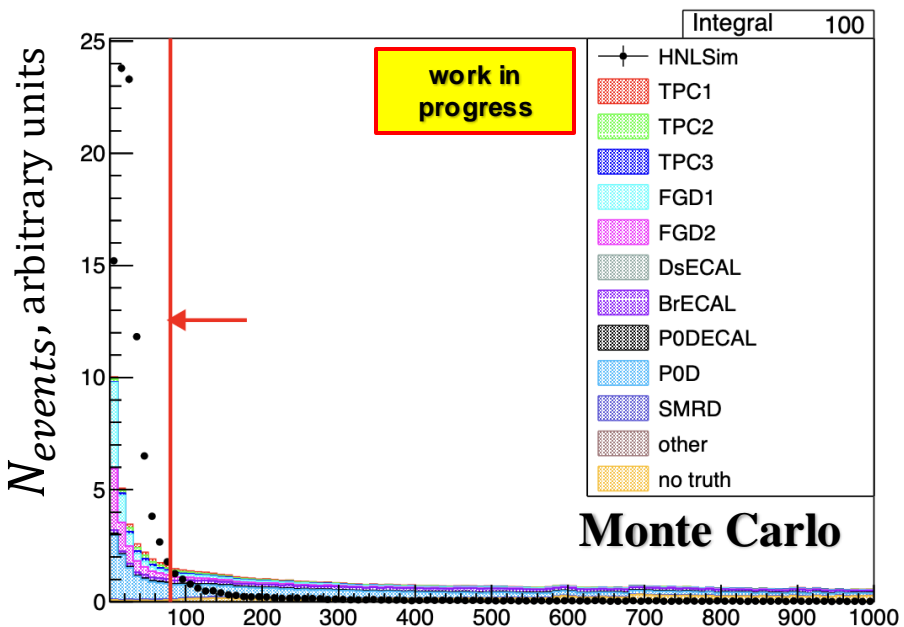
$\pi^+ \rightarrow e^+ N, \nu$ -beam mode



assume $|U_e| = |U_\mu| = 1$



Selection criteria examples

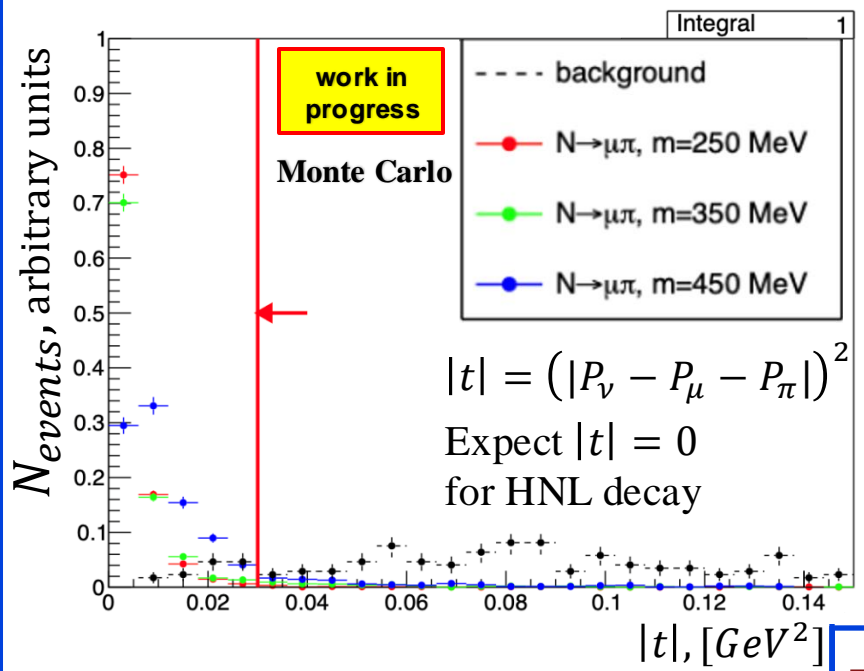
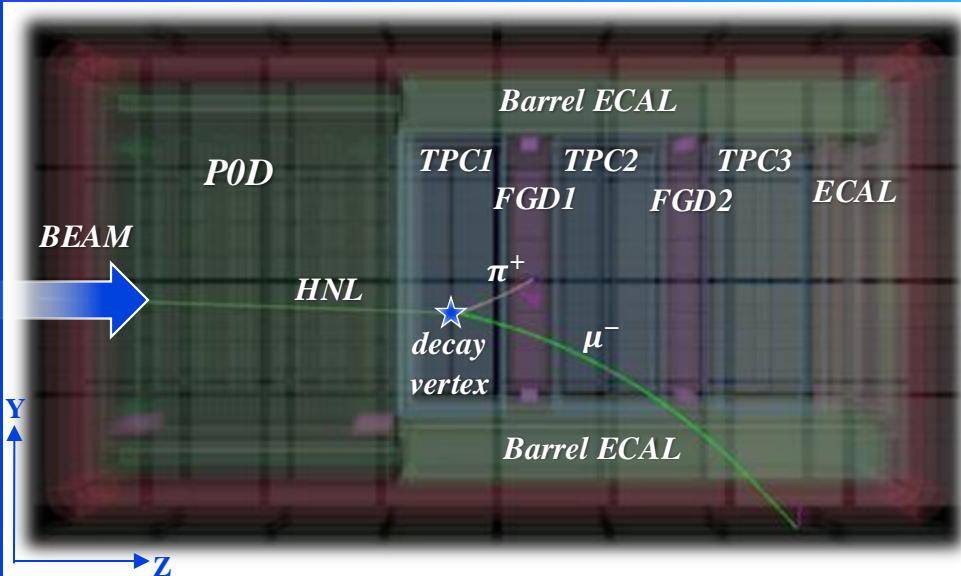


distance between tracks start positions in XY, [mm]

- Starting positions < 80 mm in XY plane
- Reconstructed vertex in TPC Fiducial Volume

Monte Carlo simulation:

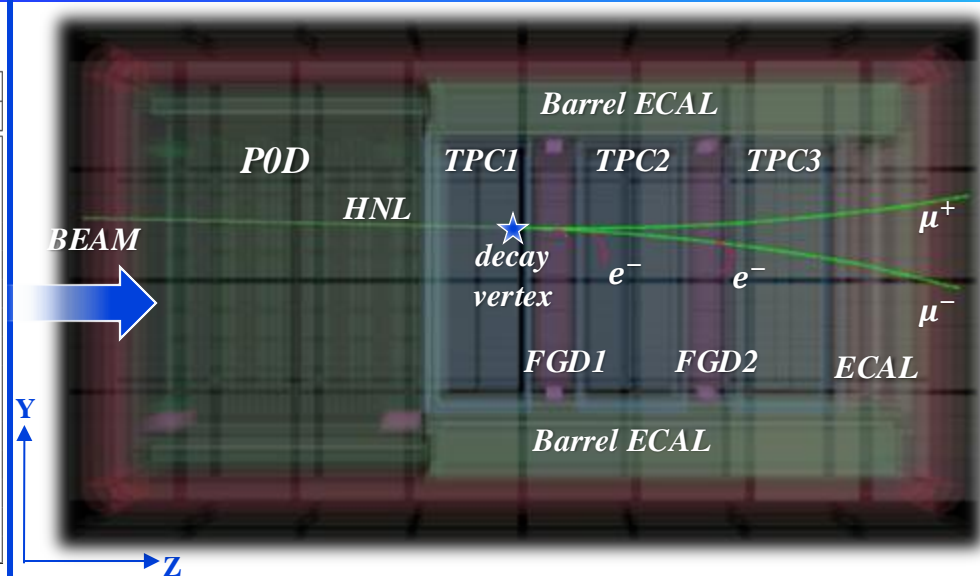
- Background – **colored** histogram
- Signal – **black** dots



Systematics

• Detector systematics:

HNL decay mode	$N \rightarrow e^- \pi^+$	$N \rightarrow \mu^- \mu^+ \nu$	$N \rightarrow e^- e^+ \nu$	$N \rightarrow e^- \mu^+ \nu$
M_N, MeV	250	350	105	130
B field distortion	0.27%	0.27%	0.09%	0.09%
Momentum scale	0.06%	0.03%	0.04%	0.14%
Momentum resolution	0.45%	0.34%	0.49%	0.28%
TPC PID	0.92%	0.75%	1.41%	0.9%
ECAL EM resolution	-	0.78%	-	-
ECAL EM scale	-	0.42%	-	-
Position resolution	0.14%	0.22%	0.94%	0.12%
Parent decay	0.03%	-	-	0.02%
Charge identification efficiency	0.11%	0.04%	0.1%	0.03%
TPC cluster efficiency	0.0005%	0.00057%	0.00034%	0.00079%
TPC track efficiency	0.38%	0.16%	0.23%	0.35%
TPC-FGD match efficiency	0.04%	0.02%	0.03%	0.03%
Pion secondary interactions	2.21%	-	-	-
TPC-ECAL match efficiency	-	1.26%	-	-
ECAL PID	-	3.96%	-	-



preliminary

All	2.49%	4.34%	1.79%	1.03%
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• Flux systematics (*preliminary*):

20% for K^\pm and 10% for π^\pm [6]

ECAL used only for $N \rightarrow \mu^+ \mu^- \nu$

ECAL related:

- TPC-ECAL match efficiency
- ECAL PID
- EM Energy resolution and scale

TPC related:

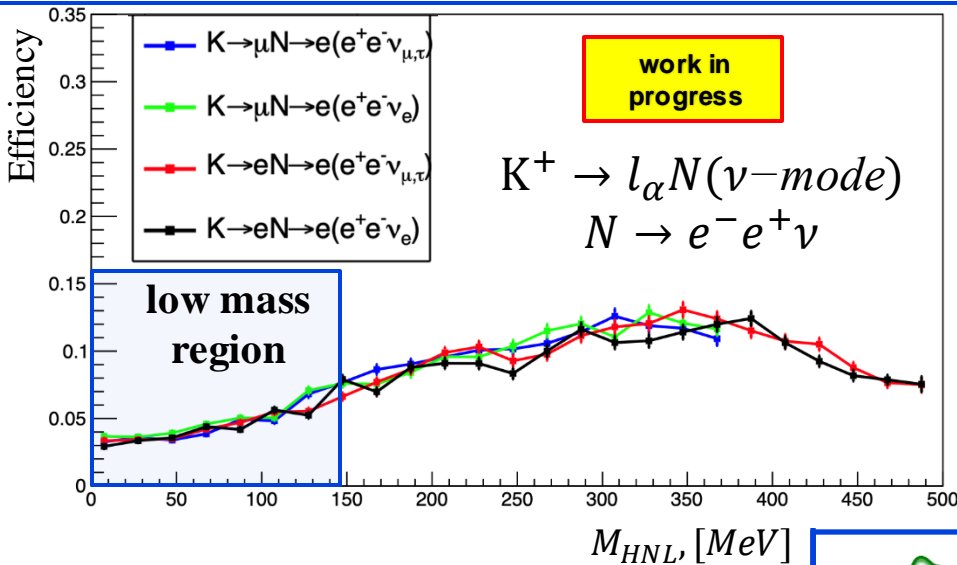
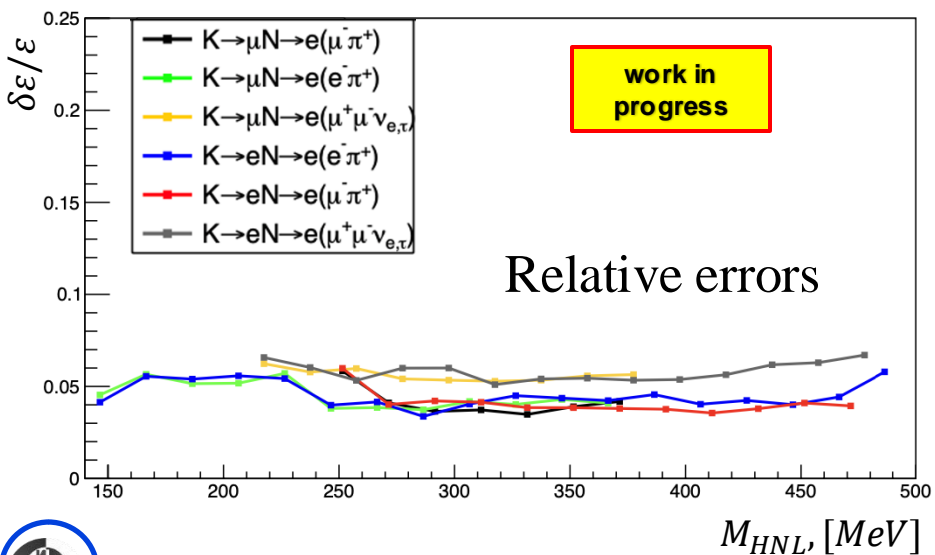
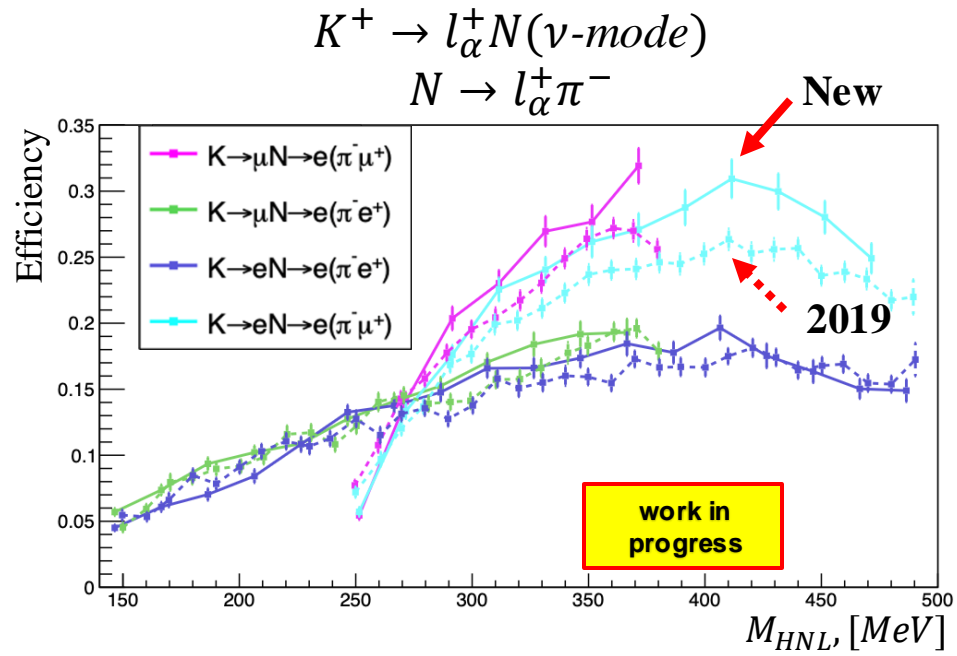
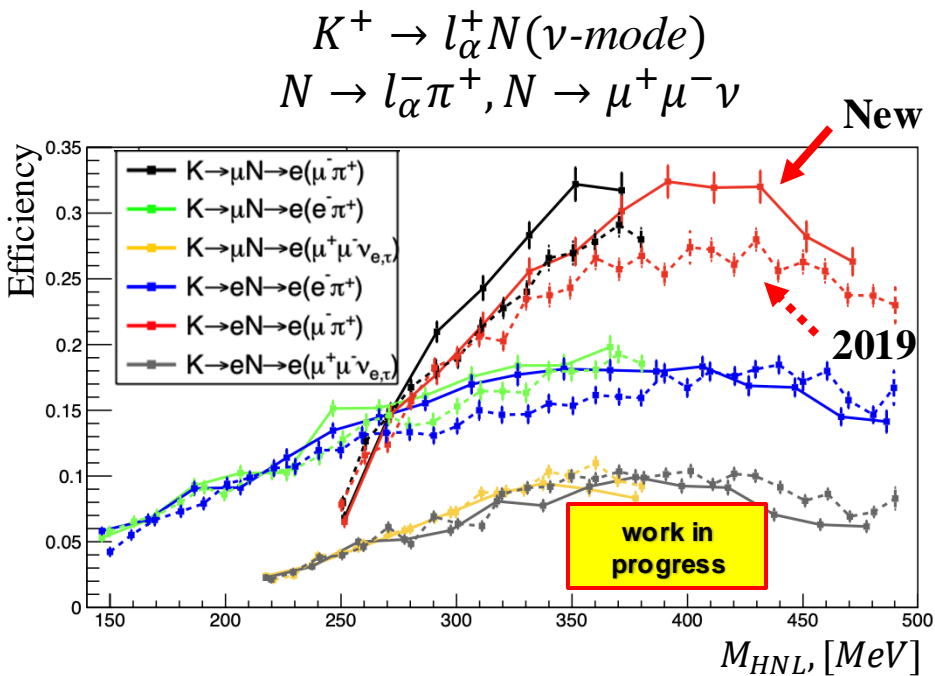
- Magnetic field distortions
- Momentum resolution and scale
- TPC PID
- Charge confusion
- Cluster efficiency
- Track efficiency
- TPC-FGD match efficiency
- Pion Secondary Interactions

Specific for the analysis:

- Position resolution
- Parent decay



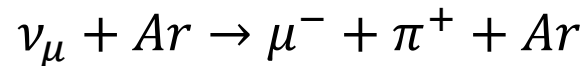
Efficiency: new analysis (solid lines) vs 2019 [5] (dashed)



Background

Dominant contribution (for $N \rightarrow \mu^\pm \pi^\mp$ and $N \rightarrow \mu^+ \mu^-$) is

neutrino-induced coherent pion production on argon nuclei in TPC gas:



- Light neutrino interactions estimation with NEUT Monte-Carlo generator [7]

- Constraints with real data via control samples

Expected background
in 2019 analysis [5]

- Control samples:

1. Inverted polar angle \rightarrow resonant π production,

quasi-elastic processes on Ar

2. Events in TPC dead material $\rightarrow \gamma$ conversions

Mode	Ch.	Expected background	Uncertainties
			total
neutrino	$\mu^\pm \pi^\mp$	1.543	0.516
	$e^- \pi^+$	0.376	0.259
	$e^+ \pi^-$	0.328	0.250
	$\mu^+ \mu^-$	0.216	0.133
	$e^+ e^-$	0.563	0.233
anti-neutrino	$\mu^\pm \pi^\mp$	0.384	0.202
	$e^- \pi^+$	0.018	0.020
	$e^+ \pi^-$	0.219	0.243
	$\mu^+ \mu^-$	0.038	0.040
	$e^+ e^-$	0.015	0.016

Total exposure (protons-on-target): 12.34×10^{20} in ν -mode, 6.29×10^{20} in $\bar{\nu}$ -mode

Conclusion

New search for heavy neutrinos in T2K ND280 *in progress*:

- In 2019 T2K set still competitive limits in mass range $140 < m_N < 493 \text{ MeV}$
- New analysis based on updated tracking and extended to low masses $m_N < 140 \text{ MeV}$

Current status:

For π^\pm, K^\pm decays to HNLs in ν - and $\bar{\nu}$ -beam modes:

- **Selection criteria** reviewed
- Signal efficiencies increased
- Preliminary estimation of **systematics**

In progress:

- Background studies and constraints
- Updates to statistical framework

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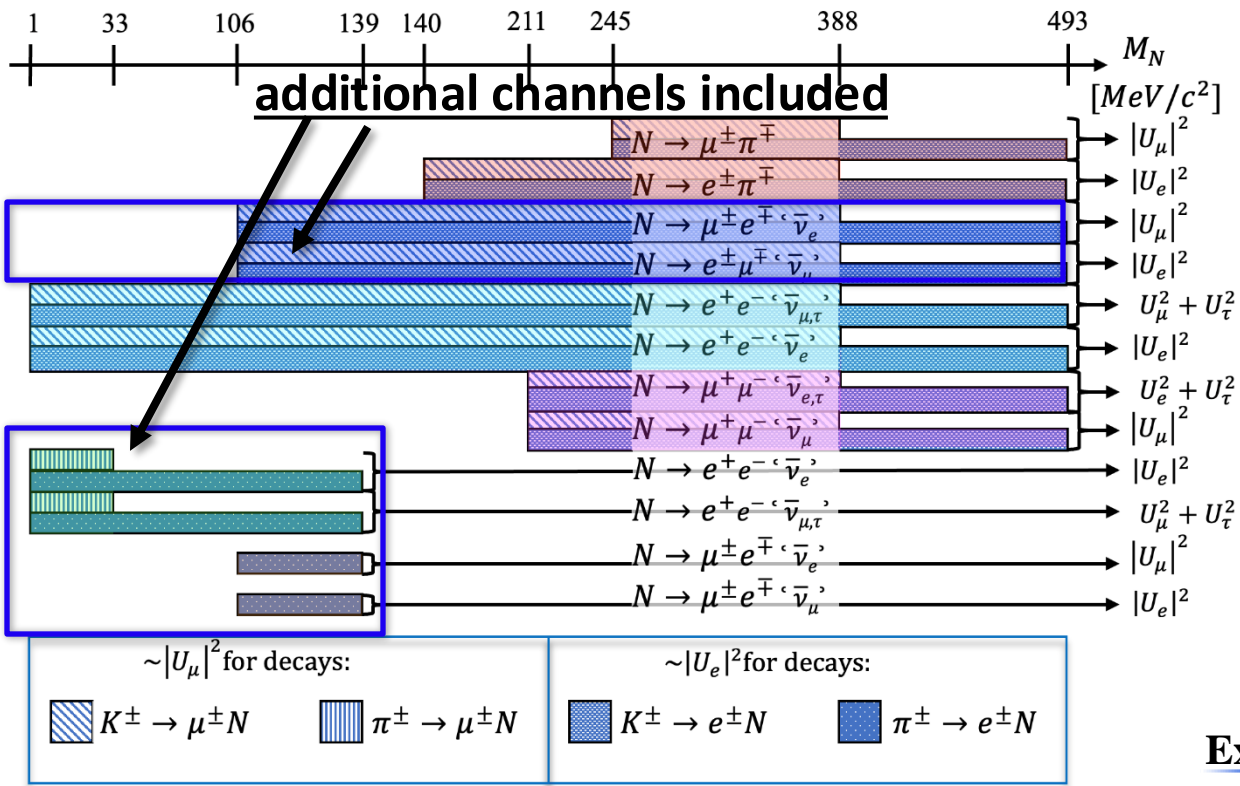
***THANK YOU
FOR ATTENTION!***

BACKUP

Heavy neutrino decays

HNLs decay through charged or neutral current.

Considered decay modes:



Schematic of production and decay modes included in analysis for HNL with $M_N < 493 \text{ MeV}/c^2$. Bars show allowed kinematic regions for each decay mode with the corresponding mixing element(s).

- Assuming $M_2 \sim M_3 \equiv M_N$, hence experiment sensitive to $|U_\alpha|^2 = \sum_{I=\{2,3\}} |\Theta_{\alpha I}|^2$
- Look for heavy neutrino decay after their production, study kinematics of daughter particles. Sensitive to $U_\alpha^2 U_\beta^2$

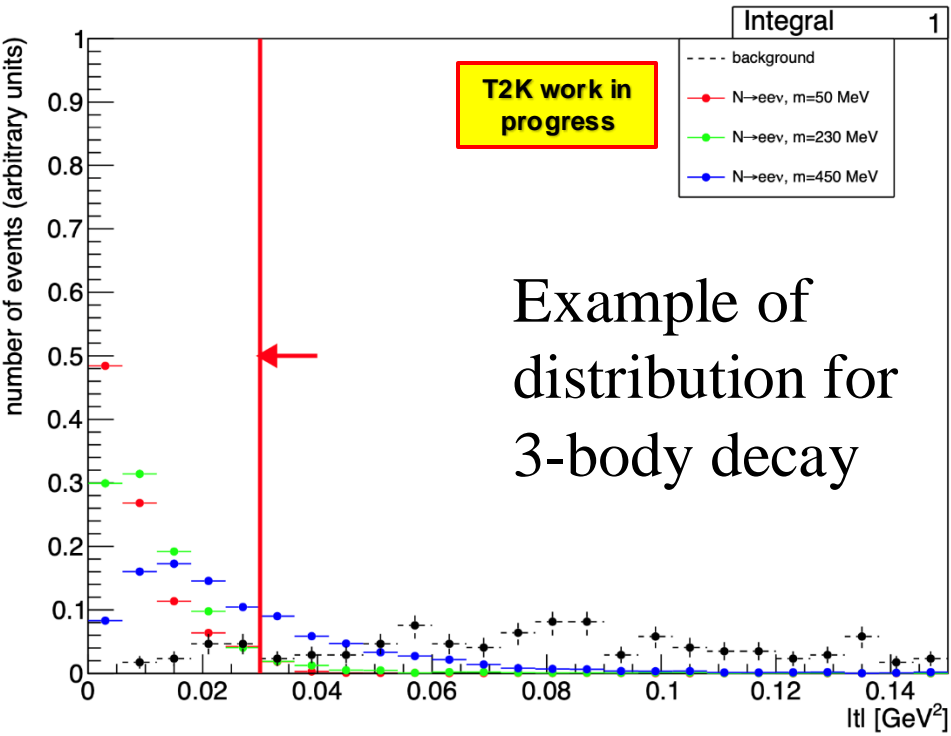
Example:

meson decays $H^\pm \rightarrow l_\alpha^\pm N_I$, $BR \sim |\Theta_{\alpha I}|^2$
 HNL decays: $N_I \rightarrow l_\beta^\pm \pi^\mp$, $BR \sim |\Theta_{\beta I}|^2$

Experiment is sensitive to $U_\alpha^2 U_\beta^2$, where $|U_\alpha|^2 = \sum_{I=\{2,3\}} |\Theta_{\alpha I}|^2$



Selection criteria examples



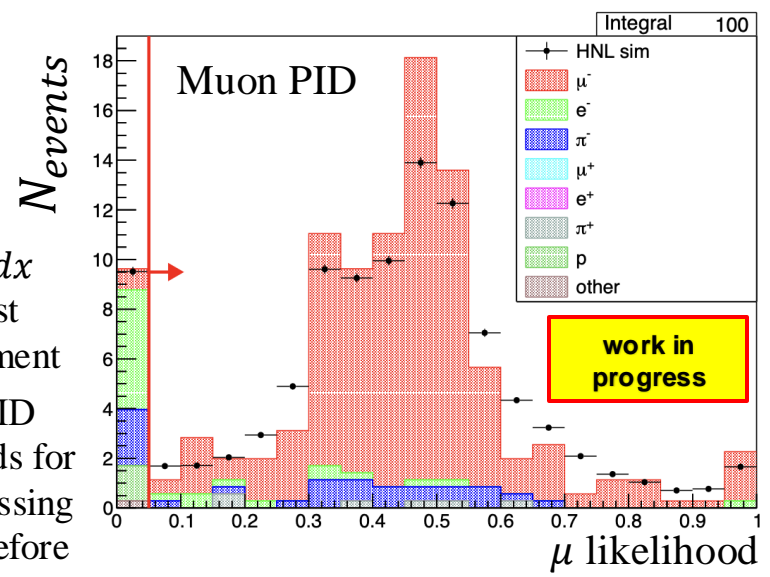
Example of distribution for 3-body decay

Example of kinematic cut:
4-momentum transfer

$$|t| = (|P_\nu - P_\mu - P_\pi|)^2$$

For HNL decay expect $|t| = 0$
as there no nucleus involved

Use dE/dx for longest TPC segment
Tracks' PID likelihoods for events passing all cuts before



Simulation strategy

- Start from standard ν flux, apply event-by-event weighting, kinematics modification:
 1. $m_\nu \neq m_N$, hence change kinematics of parent meson decay
 2. $\text{BR}(K \rightarrow l_\alpha \nu_\alpha)$ changed to $\text{BR}(K \rightarrow l_\alpha N)$ assuming $U_\alpha = 1$
- Events in TPC gas fiducial volume to reduce background from ν interactions
- HNL decays simulated randomly along trajectories in TPCs

Fiducial Volume in TPCs:

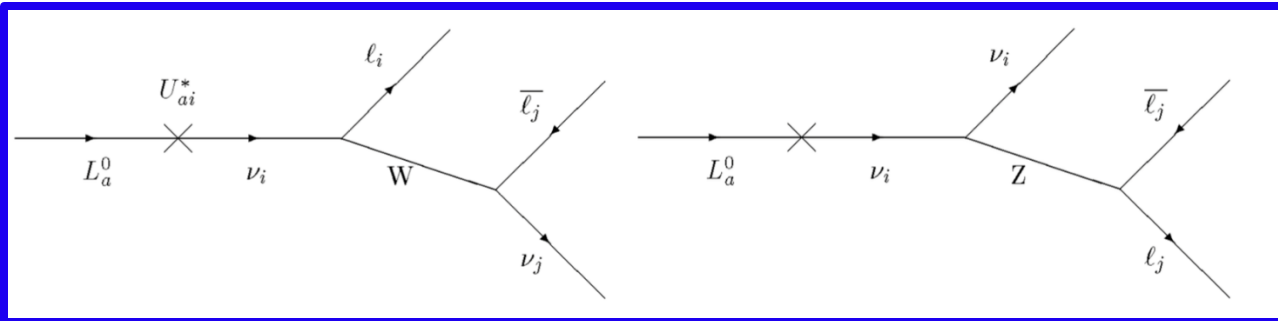
	TPC 1	TPC 2	TPC 3
X	[-870; -20] or [20; 870]		
Y	[-930; 1030]		
Z	[-725; -162]	[634; 1197]	[1993; 2556]

Unused Ar | [-870, -20], [20, 870] | [-930, 1030] | [-784, -725] | [575, 634] | [1934, 1993]



Constraints on $|U_\tau|$

$N \rightarrow \mu^+ \mu^- \nu_\mu$ (NC, CC) and $N \rightarrow \mu^+ \mu^- \nu_{e,\tau}$ (NC) modes:



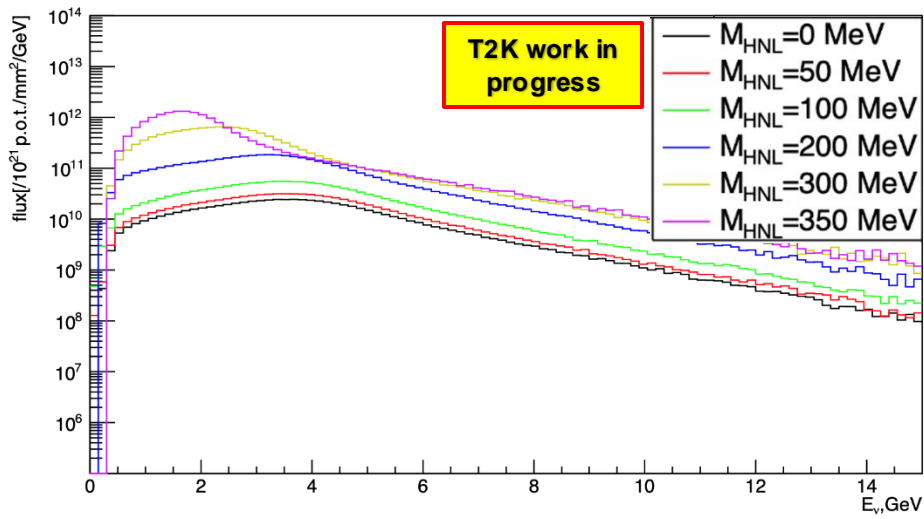
Feynman diagrams for HNL decay $N \rightarrow \mu\mu\nu$ via CC (left) and NC (right)

With NC any type of active neutrino can be produced (ν_e, ν_μ, ν_τ) \rightarrow sensitive to $|U_\tau|$,

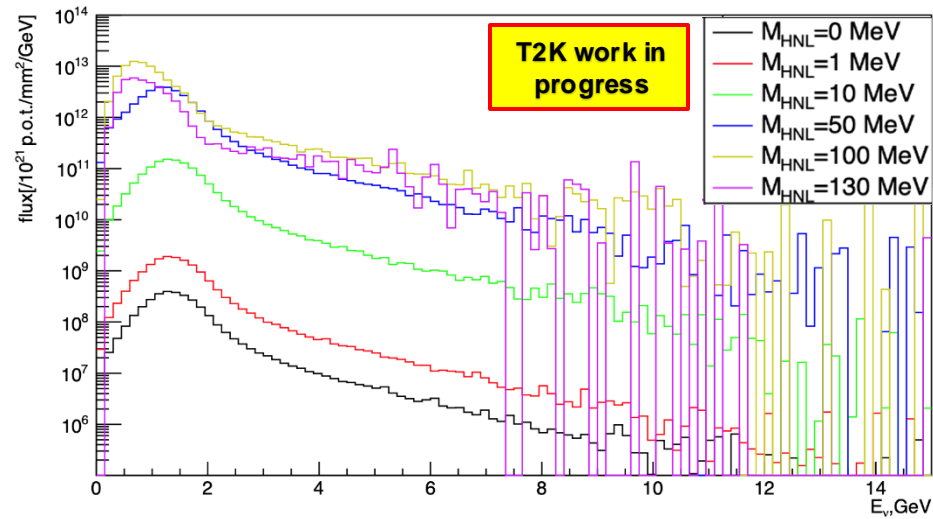
e.g. $K \rightarrow eN, N \rightarrow \mu^+ \mu^- \nu_{e,\tau}$ sensitive to $(U_e)^2 (U_e^2 + U_\tau^2)$

Heavy neutrino flux

Flux from reaction $K^+ \rightarrow \mu^+ N$, FHC



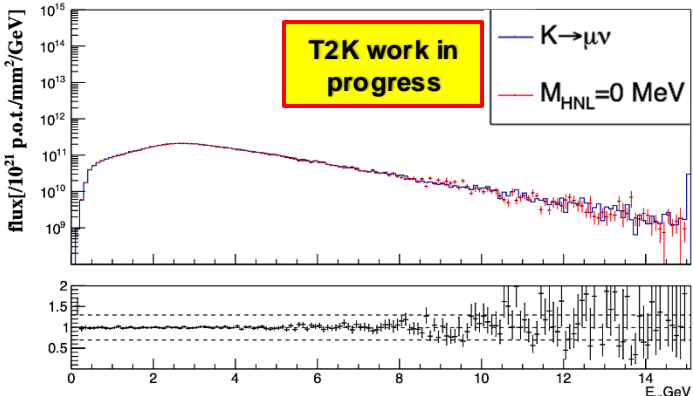
Flux from reaction $\pi^+ \rightarrow e^+ N$, FHC



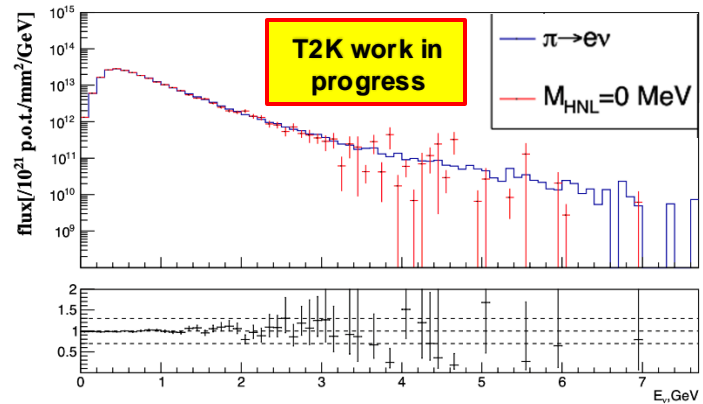
HNL flux at ND280 front plane for $K^+ \rightarrow \mu^+ N$ and $\pi^+ \rightarrow e^+ N$ modes for different HNL masses assuming $|U_e| = |U_\mu| = 1$

Cross check of weighting machinery

Flux from reaction $K^+ \rightarrow \mu^+ \nu$, FHC



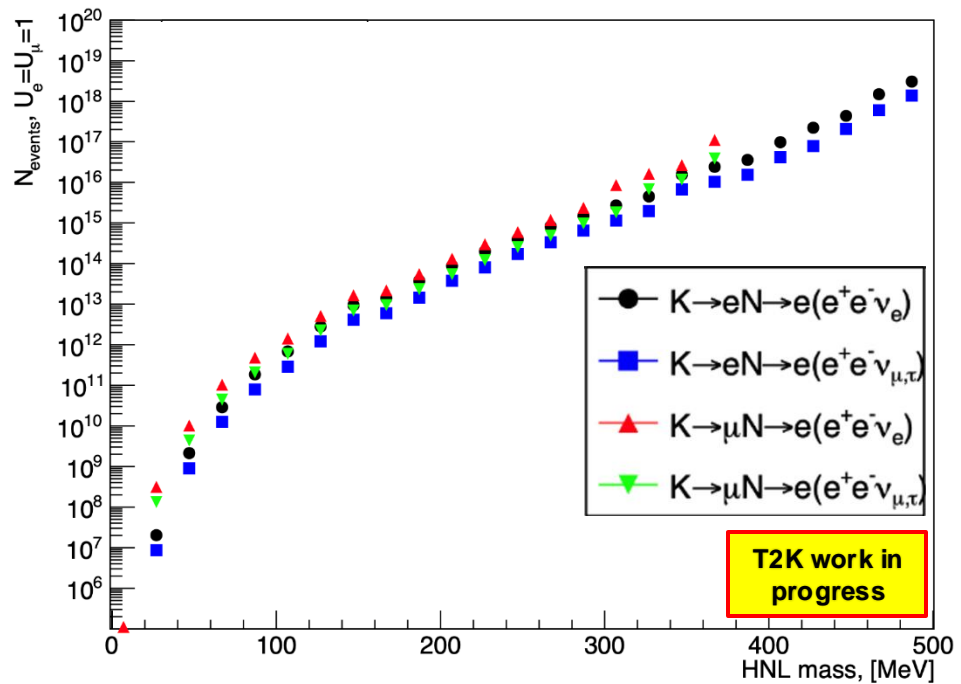
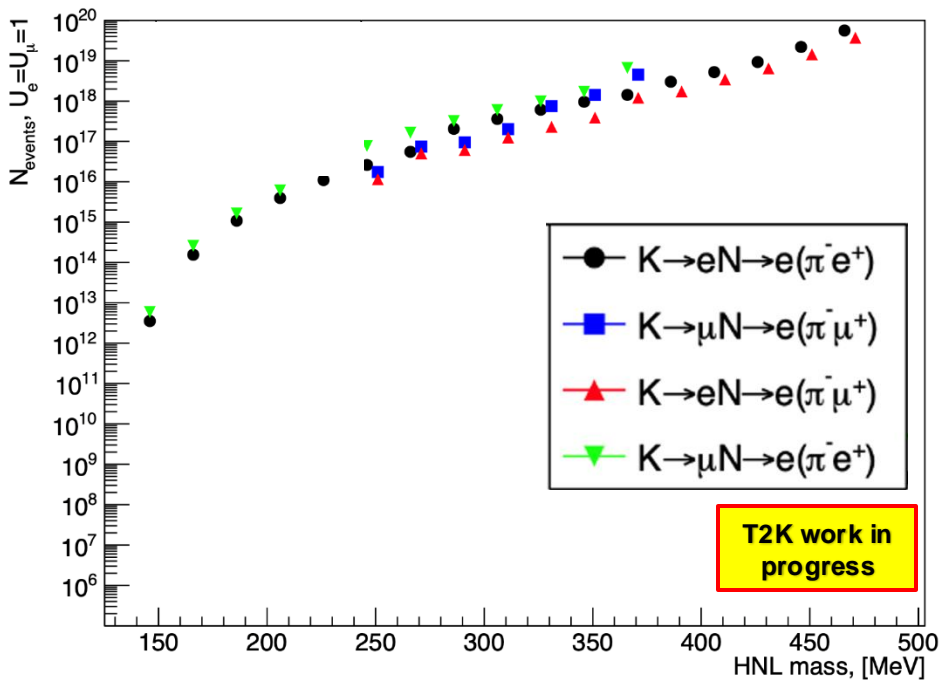
Flux from reaction $\pi^+ \rightarrow e^+ \nu$, FHC



Comparison of HNL spectra for $M_{HNL} = 0 \text{ MeV}$ with active neutrino spectrum from $K^+ \rightarrow \mu^+ \nu$ and $\pi^+ \rightarrow e^+ \nu$ decays (assuming $|U_e| = |U_\mu| = 1$)



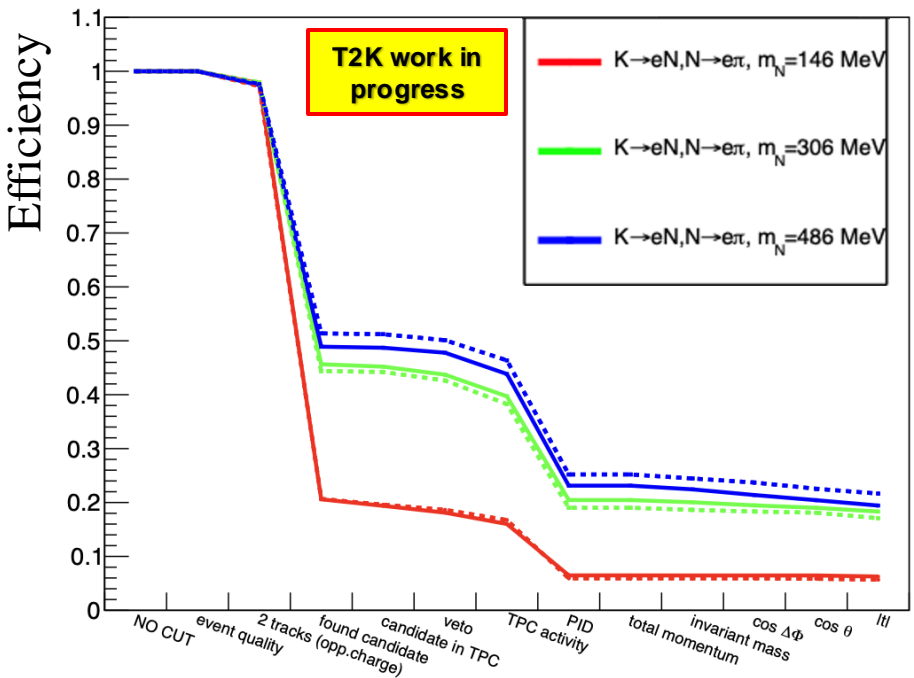
Number of decays in TPCs



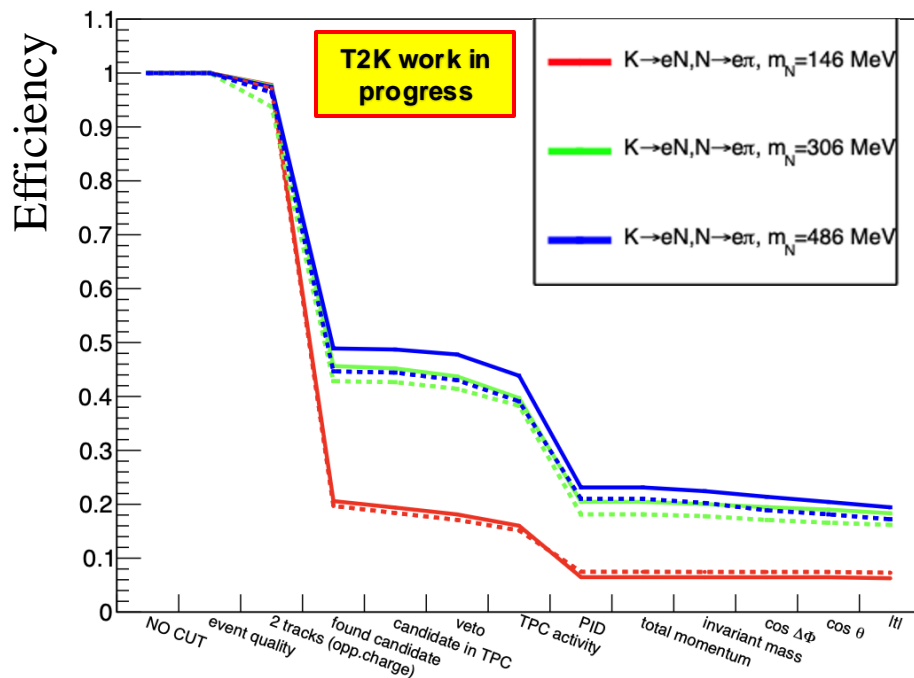
Number of decays in the TPCs for different production and decay modes as a function of heavy neutrino mass. It is given for FHC K^+ decay assuming $|U_e| = |U_\mu| = 1$ and scaled to 10^{21} POT



Efficiency vs selection criteria applied one-by-one



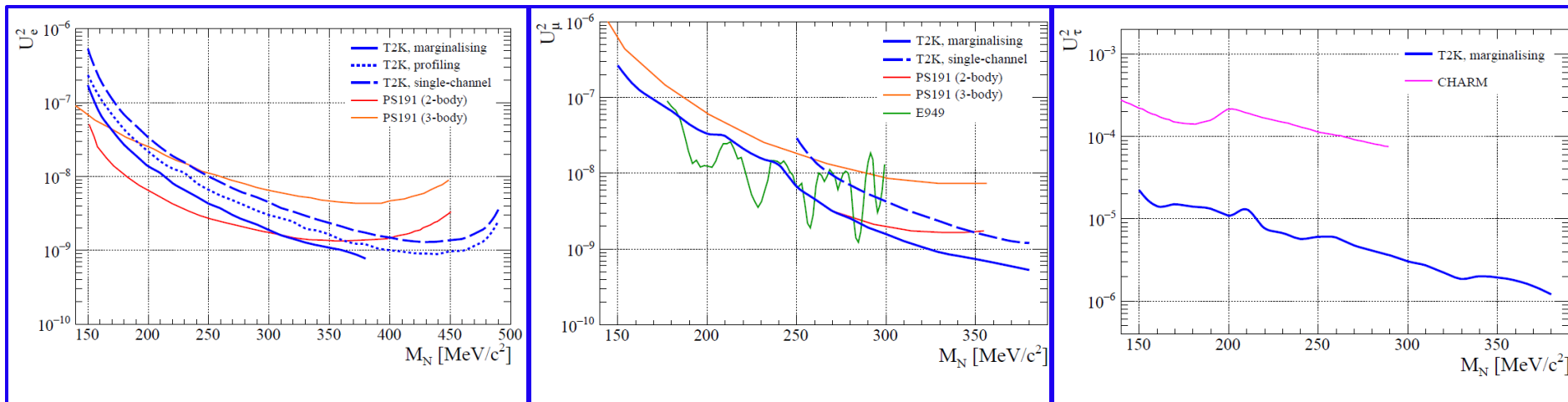
K^+ , FHC (solid)
 VS
 K^- , RHC (dashed)



FHC, K^+ (solid)
 VS
 FHC, K^- (dashed)



2019 results



90% upper limits on mixing elements as a function of HNL mass.
“Combined” and “single-channel” approaches.

Blue dashed lines – single-channel approach

(one single HNL production and decay mode considered at a time)

Blue solid lines – after marginalization over other mixing elements.

Top left plot: blue dotted line – profiling used ($U_{\mu}^2 = U_{\tau}^2 = 0$).

Limits compared to PS191, E949, CHARM. Figures taken from [*].



Expected sensitivity

U_α limits can be set with two approaches:

1. “Single-channel”: each HNL production & decay mode independently

For example, $\mu^\pm\pi^\mp$ channel can constrain:

- U_μ^2 considering only $K^\pm \rightarrow \mu^\pm N, N \rightarrow \mu^\pm\pi^\mp$
- or $U_e \times U_\mu$ considering only $K^\pm \rightarrow e^\pm N, N \rightarrow \mu^\pm\pi^\mp$

2. “Combined”: all HNL production & decay modes simultaneously
 - limits on U_α ($\alpha = e, \mu, \tau$) without assumptions about U_α hierarchy

Example:

- Using $N \rightarrow \mu\mu\nu$ mode, we can put a limit on $U_e\sqrt{U_e^2 + U_\tau^2}$ with assumption $U_\mu \ll U_e$, where contribution comes only from $K \rightarrow eN, N \rightarrow \mu^+\mu^-\nu_{e,\tau}$
- With “combined” approach we can put limits on each individual U_α ($\alpha = e, \mu, \tau$) without assumptions about U_α hierarchy



Expected sensitivity

“Combined” approach:

For channel A the contribution of mode i is characterized by:

- expected number of decays Φ_i assuming $U_e^2 = U_\mu^2 = U_\tau^2 = 1$
- selection efficiency of decays in current channel, $\varepsilon_{A,i}$
- actual values of $U_{e,\mu,\tau}^2$ via the factor $f_i = U_\alpha^2 \sum U_{\beta_j}^2$

$\alpha, \beta_j \in \{e, \mu, \tau\}$, α – flavor in HNL production, β_j – flavors in HNL decay

Expected number of events N_A in channel A (with background B_A):

$$N_A = B_A + \sum_i \varepsilon_{A,i} \times f_i(U_e^2, U_\mu^2, U_\tau^2) \times \Phi_i$$

Bayesian approach. Likelihood for observed number of events n_A^{obs}

$$L = \prod_A \text{Poisson}(n_A^{obs}, N_A)$$

PyMC Markov Chain method used for integration.

90% domains are defined by profiling/marginalizing over other mixing elements.



Flux systematics:

20% for K^\pm and 10% for π^\pm [*]

preliminary estimation!

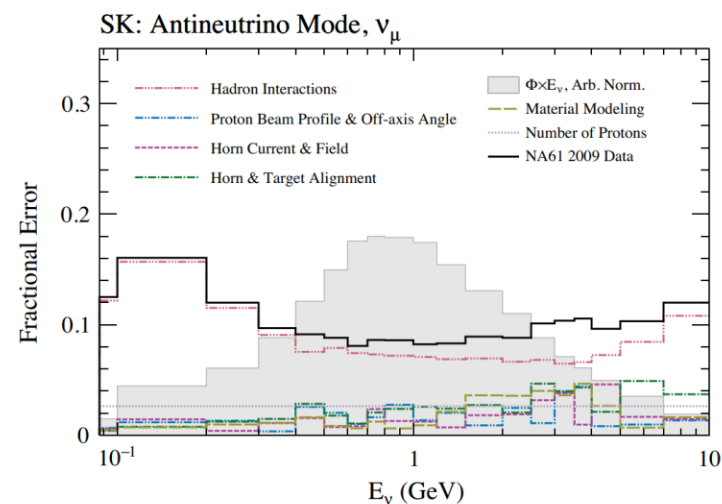
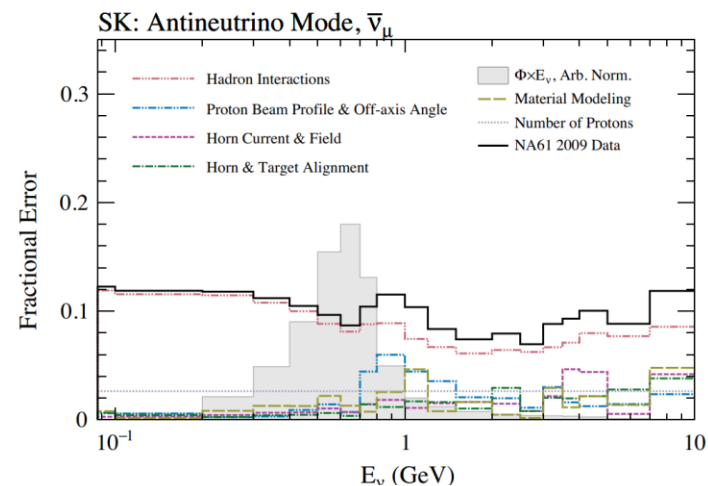
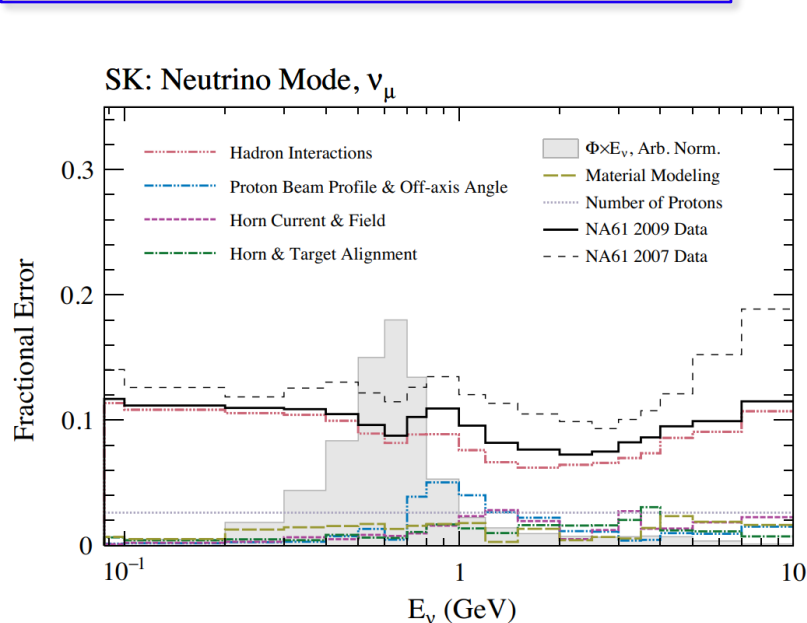


FIG. 2. The fractional systematic uncertainty on the ν_μ flux at SK in FHC mode (top), on the right-sign $\bar{\nu}_\mu$ flux at SK in RHC mode (middle), and on the wrong-sign ν_μ flux at SK in RHC mode (bottom). The solid black line shows the current total fractional uncertainty (NA61/SHINE 2009 data), while the dashed black line in the top panel shows the fractional uncertainty from an earlier flux prediction (NA61/SHINE 2007 data).

Selection criteria

- Required 2 close opposite charge tracks in TPC with extrapolated vertex in TPC Fiducial Volume
- Veto cuts: no activity in detector upstream to TPC where decay occurred (e.g. FGD1 for TPC2)
- No additional good quality tracks in the TPC
- Analysis branches: $\mu^\pm\pi^\mp$, $e^-\pi^+$, $e^+\pi^-$, $\mu^+\mu^-$, e^+e^-
- PID cuts: use TPC dE/dx to build corresponding PID likelihoods (e.g. \mathcal{L}_μ , \mathcal{L}_π , \mathcal{L}_e)
- For $N \rightarrow \mu\mu\nu$ use ECAL PID
- Kinematic cuts:
 - total HNL momentum
 - angle between HNL daughter tracks
 - invariant mass
 - polar angle (between HNL direction and Z-axis)
 - 4-momentum transfer $|t| \equiv (P_\nu - P_\mu - P_\pi)^2$

