Inclusive Z(vv̄)γ full Run2 analysis report

Katerina Kazakova^{1, 2}

on behalf of the ZnunuGamma group

¹National Research Nuclear University MEPhI, Moscow ² Joint Institute for Nuclear Research, Dubna



MEPhI@Atlas meeting 21/06/2024



Motivation

• <u>Standard Model:</u>

- ⇒ A higher branching ratio of the neutral decay channel in comparison to the charged lepton decays of Z boson and better background control in comparison with the hadronic channel.
- ⇒ <u>Previous study</u> of this channel 36.1 fb⁻¹ data. Full Run2 statistics (140 fb⁻¹) → increase of measurement accuracy (expect the experimental sensitivity to increase by a factor of 2).

• <u>Goal:</u>

- To obtain integrated and differential cross-sections for 10 observables: E_T^{γ} , p_T^{miss} , N_{jets} , η_{γ} , $\Delta \phi(\gamma, p_T^{miss})$, $\Delta \phi(j_1, j_2)$, $\Delta R(Z, \gamma)$, p_T^{j1} , p_T^{j2} , $m_T^{Z\gamma}$ and compare the results with the theory predictions including NNLO QCD and NLO EWK corrections.
- **BSM**

Glance: ANA-STDM-2018-54

- Beyond SM:
- ➡ To obtain the strongest up-to-date limits on anomalous neutral triple gauge-boson couplings (aTGCs) using vertex functions and EFT formalisms.
- \implies Possible combination of the EFT limits between Zy and ZZ.

Selection optimisation

- Topology: high-energetic photon and MET.
- Multivariate (MV) method of the selection optimization takes into account the signal significance S as a function of the threshold values of the variables:

$$S = N_{\rm signal} / \sqrt{N_{\rm signal} + N_{\rm bkg}}$$

The result of the MV optimization process is a set of threshold values for the variables that yield the maximum S.

Selections	Cut Value	
$E_{ m T}^{ m miss}$	> 130 GeV	
$\hat{E}^{oldsymbol{\gamma}}_{\mathrm{T}}$	> 150 GeV	
Number of tight isolated photons	$N_{\gamma} = 1$	The
Lepton veto	$N_{\rm e}=0,N_{\mu}=0$	The significance
au veto	$N_{\tau} = 0$	is increased
$E_{\rm T}^{\rm miss}$ significance	> 11	by 3%
$ \Delta \phi(\gamma, \vec{p}_{\mathrm{T}}^{\mathrm{miss}}) $	> 0.6	
$ \Delta \phi(j_1, \vec{p}_{\mathrm{T}}^{\mathrm{miss}}) $	> 0.3	

Beam-induced background suppression: $|\Delta z| < 250$ mm

The optimisation procedure is done for three different photon isolation working points FixedCutTight, FixedCutTightCaloOnly and FixedCutLoose.

		all cuts	presel. on
		Signal	
	$Z(\nu\nu)\gamma QCD$	10711 ± 8	13438±9
	$Z(\nu\nu)\gamma EWK$	166.3 ± 0.3	300.5 ± 0.4
	Total signal	10878 ± 8	13738 ± 9
]	Background	
	Wy QCD	3310 ± 21	6393±28
	$W\gamma EWK$	109.4 ± 0.6	293.5 ± 1.1
	tt, top	177 ± 5	1991±18
	W(ev)	3591 ± 487	7934 ± 540
	ttγ	178 ± 3	746±6
	γ+j	8123 ± 82	63766±211
	Zj	415 ± 21	635 ± 25
	$Z(ll)\gamma$	211 ± 4	399 ± 5
	$W(\tau \nu)$	640 ± 69	2222 ± 127
_	Total bkg.	16779 ± 499	84380±595
	Stat. signif.	65.4 ± 0.6	43.86±0.14

Katerina Kazakova

Background composition

Percentage of the data

Background composition for $Z(v\bar{v})\gamma$:

35% • γ + jets – fit to data in additional CR based on MET significance (shape from MC);

15% • $W(\rightarrow lv)\gamma$ and $tt\gamma$ – fit to data in additional CR based on N leptons (shape from MC);

11% • $e \rightarrow \gamma$ – fake-rate estimation using Z-peak (tag-n-probe) method;

- 8% jet $\rightarrow \gamma$ ABCD method based on photon ID and isolation (shape from Slice Method);
- 0.9% Z(l⁺l⁻)γ via MC;

$e \rightarrow \gamma misID background: Z-peak method$

- Background estimation method:
 - 1. Estimating e $ightarrow \gamma$ fake-rate as $rate_{e
 ightarrow \gamma} = rac{(N_{e\gamma}-N_{bkg})}{(N_{ee}-N_{bkg})}$,

where $N_{e\gamma}$, N_{ee} – number of ee and e γ events in Z-peak mass window (M_Z-10 GeV, M_Z+10 GeV), N^{bkg} – background in Z-peak mass window extrapolated from sideband with exponential pol1 or pol2 fit.

Additional Wy background rejection: $E_T^{miss} < 40$ GeV.

eγ pair selection:

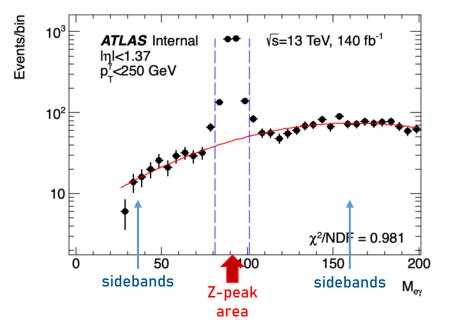
signal region photon with p_T >150 GeV (probe), selected Tight electron with p_T >25 GeV (tag)

ee pair selection:

selected electron with p_T>150 GeV (probe), selected opposite sign Tight electron with p_T>25 GeV (tag)

Since fake rate depends on p_T and η (see backup), three regions are considered: / η /<1.37, p_T <250 GeV and / η /<1.37, p_T >250 GeV and 1.52</ η /<2.37 (flat distribution on p_T)

- 2. Building e-probe control region (CR): signal region with selected Tight electron with p_T>150 GeV instead of photon.
- 3. Scaling data distributions from e-probe CR by fake rate value.



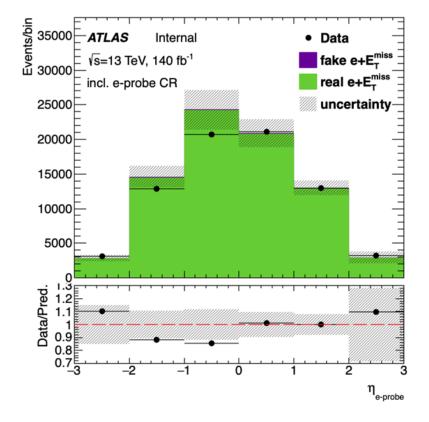
$e \rightarrow \gamma \ misID \ background:$ systematics

- Systematics on fake-rate estimation (ascending contribution):
- \Rightarrow Z peak mass window variation (varies from 0.3% to 0.7%).
- ⇒ Background under Z peak evaluation (varies from 3% to 14%).
- ⇒ Difference between "real fake rate" in Z(ee) MC and tag-andprobe method performed on Z(ee) MC (varies from from 3% to 15%).

	150< <i>Е</i> _т ^ү <250 GeV	<i>E</i> _τ ^γ >250 GeV
0< η <1.37	0.0234±0.0006±0.0010	0.0193±0.0013±0.0038
1.52< η <2.37	0.0714±0.0019±0.0074	

First uncertainty is statistical, second is systematical.

Total systematics on fake-rate does not exceed 20%



Background estimation result:

Signal region 2608 ± 11 ± 162

Total syst. on the background yield: 6%

jet $\rightarrow \gamma$ misID background: ABCD-method

• A pair of photons from the decay of neutral mesons (typically a π^0), contained in hadronic jets, can give a signature of EM shower similar to a single isolated photon signature of the electromagnetic (EM) shower.

MEPhl@Atlas meeting 21.06.2024

- Background is estimated from data using 2D-sideband method: <u>photon isolation and identification</u> <u>variables</u> are used to construct the sidebands.
- Correlation is measured in data and MC by $R = \frac{N_A N_D}{N_B N_C}$
- FixedCutLoose isolation working point is used with iso gap of 2 GeV
 In ABCD

R factor	loose'2	loose'3	loose'4	loose'5
MC	1.1 ± 0.2	1.1 ± 0.2	1.1 ± 0.2	1.4 ± 0.3

Cut, GeV	loose'2	loose'3	loose'4	loose'5
		MC		
4.5	1.18 ± 0.19	1.15 ± 0.16	1.08 ± 0.13	1.11 ± 0.13
7.5	1.12 ± 0.14	1.16 ± 0.13	1.10 ± 0.11	1.11 ± 0.11
10.5	1.15 ± 0.14	1.16 ± 0.13	1.11 ± 0.11	1.12 ± 0.11
		Data-driver	ı	
4.5	0.99 ± 0.11	1.05 ± 0.11	1.07 ± 0.09	1.09 ± 0.09
7.5	1.13 ± 0.11	1.09 ± 0.09	1.06 ± 0.08	1.05 ± 0.08
10.5	1.00 ± 0.10	0.99 ± 0.09	0.96 ± 0.07	0.96 ± 0.07

In B-E, E, D-F and F

Res	ulting R f	or MC and o	lata
	<i>R</i> factor	loose'2	le
	MC	0.99 ± 0.15	1.0°

R_{data}

Isolation should not

correlate with non-

tight ID!

 $\frac{N_{\rm C}}{N_{\rm D}}$

R

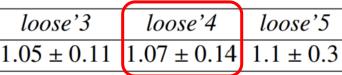
 $N^{\text{jet} \to \gamma}$

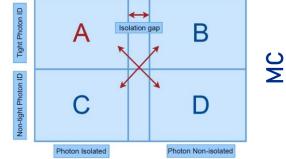
R'

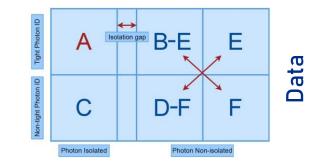
loose'2 0.99 ± 0.11 1.18 ± 0.19 1.1 ± 0.2

loose'3 1.05 ± 0.11 1.15 ± 0.16 1.1 ± 0.2 *loose'4* 1.07 ± 0.09 1.08 ± 0.13 1.1 ± 0.2

loose'5 1.09 ± 0.09 1.11 ± 0.13 1.4 ± 0.3







jet $\rightarrow \gamma$ misID background: uncertainties

- Statistical uncertainty:
- \Rightarrow The event yields of four regions in data and non jet $\rightarrow \gamma$ background are varied by ±1 σ independently (9%).
- ⇒ The statistical uncertainty on the signal leakage parameters is negligible. Total statistics: 9%.
- Systematic uncertainty :
 - \Rightarrow Anti-tight definition and isolation gap choice variations of ABCD regions determination by ±1 σ changes in data yield (14%).
- \Rightarrow The deviations from the nominal value from varying R factor by ± 0.10 (10%).
- \Rightarrow Uncertainty coming from the signal leakage parameters is obtained via using different generators and parton shower models (0.7%).

Signal leakage parameters	MadGraph+Pythia8, Sherpa 2.2	2 MadGraph+Pythia8, MadGraph+Pythia8	Relative deviation
c _B	$(278 \pm 4) \cdot 10^{-5}$	$(47 \pm 2) \cdot 10^{-4}$	7%
cc	$(3205 \pm 14) \cdot 10^{-5}$	$(330 \pm 6) \cdot 10^{-4}$	3%
c _D	$(178 \pm 11) \cdot 10^{-6}$	$(39 \pm 5) \cdot 10^{-5}$	120%
$jet \rightarrow \gamma$ estimation	1765	1752	0.7%

⇒ The iso/ID uncertainty on reconstruction photon efficiency $\delta_{eff}^{iso/ID}$ (1.3%). Total systematics: 20%.

Total number of jet $\rightarrow \gamma$ events: 1770 ± 160 ± 350. Z(vv)+jets, multi-jet and W(τv) h.c. MC predicts 2000 ± 1300 (stat.)

Central value	1765^{+164}_{-160}
Loose'2	+240
Loose'4	+85
Loose'5	-55
Isolation gap +0.3 GeV	-60
Isolation gap -0.3 GeV	+33

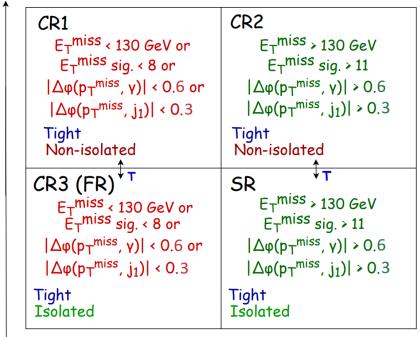
Central value	1765^{+164}_{-160}
$R + \Delta R$	+180
$R - \Delta R$	-178

jet $\rightarrow \gamma$ misID background: slice method

- The jet $\rightarrow \gamma$ background shape cannot be properly modeled with MC. For this reason, the shape of jet $\rightarrow \gamma$ background is estimated via slice method. Photon isolation
- The proposed slice method splits the phase space into four orthogonal regions based on kinematic cuts and the photon isolation.
- The non-isolated regions are split into a set of successive intervals (slices) based on the photon isolation.
- Four isolation slices are chosen: [0.065, 0.090, 0.115, 0.140, 0.165].

$$N_{\text{CR1(i)}}^{jet \to \gamma} = N_{\text{CR1(i)}}^{\text{data}} - N_{\text{CR1(i)}}^{Z(\nu\bar{\nu})\gamma} - N_{\text{CR1(i)}}^{\text{bkg}}$$

$$H_{jet \to \gamma}^{[0.A,0.B]} = H_{data}^{[0.A,0.B]}[X] - H_{sig}^{[0.A,0.B]}[X] - H_{bkg}^{[0.A,0.B]}[X]$$



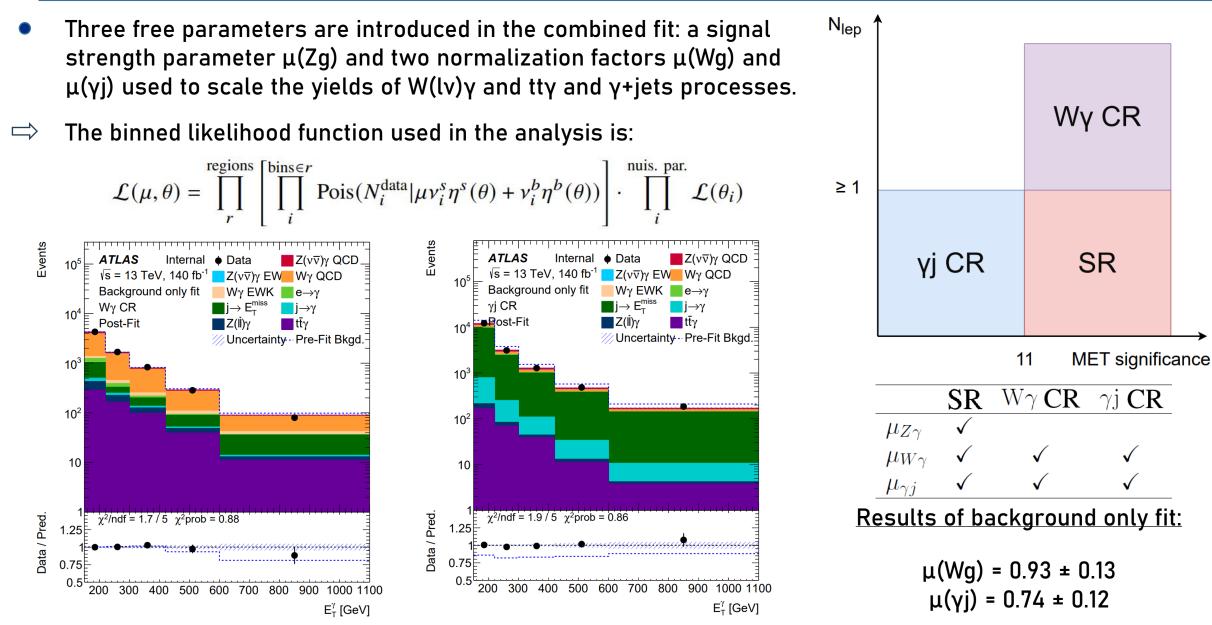
Kinematic selections

$$\Delta^{CR2}[X] = \left(\frac{H_{jet \to \gamma}^{[0.065, 0.09]}[X] - H_{jet \to \gamma}^{[0.115, 0.14]}[X]}{2} + \frac{H_{jet \to \gamma}^{[0.09, 0.115]}[X] - H_{jet \to \gamma}^{[0.14, 0.165]}[X]}{2}\right)$$

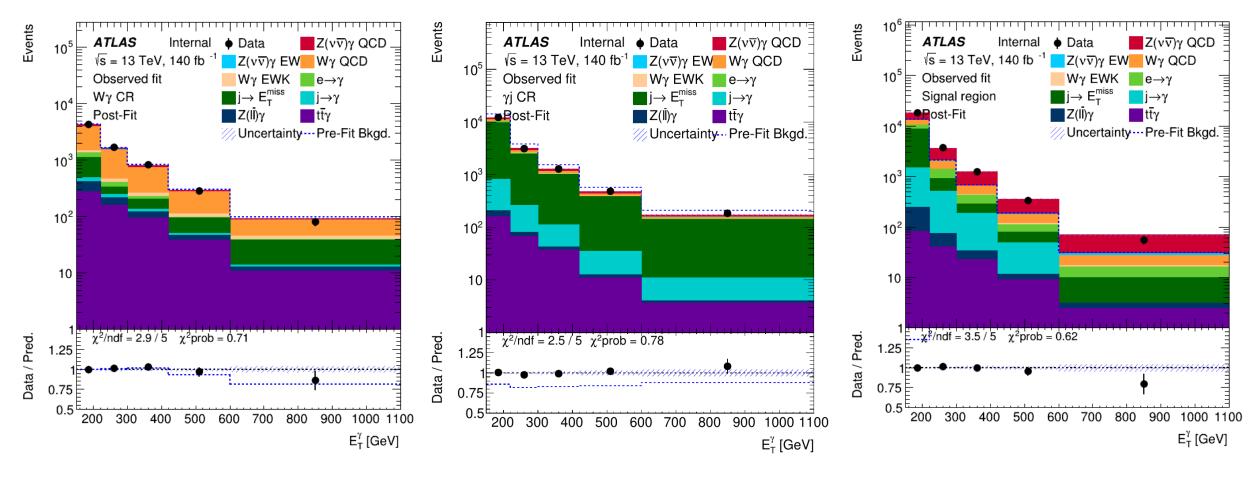
The jet $\rightarrow \gamma$ shape in the SR: $H_{iet \rightarrow \gamma}^{SR} = H_{iet \rightarrow \gamma}^{[0.A_1, 0.B_1]}[X] + 2 \cdot \Delta^{CR}[X]$

The correction term

Katerina Kazakova



- Using the Asimov data: μ_{Zv} = 1.00 ± 0.08 , μ_{Wv} = 0.93 ± 0.12 and μ_{vi} = 0.74 ± 0.10. Expected signal significance 69 σ .
- Fit in the SR and CRs:



 \Rightarrow $\mu_{Zv} = 0.70 \pm 0.06$, $\mu_{Wv} = 0.92 \pm 0.06$ and $\mu_{vi} = 0.88 \pm 0.08$. Observed signal significance 50 σ .

Unfolding and differential measurement

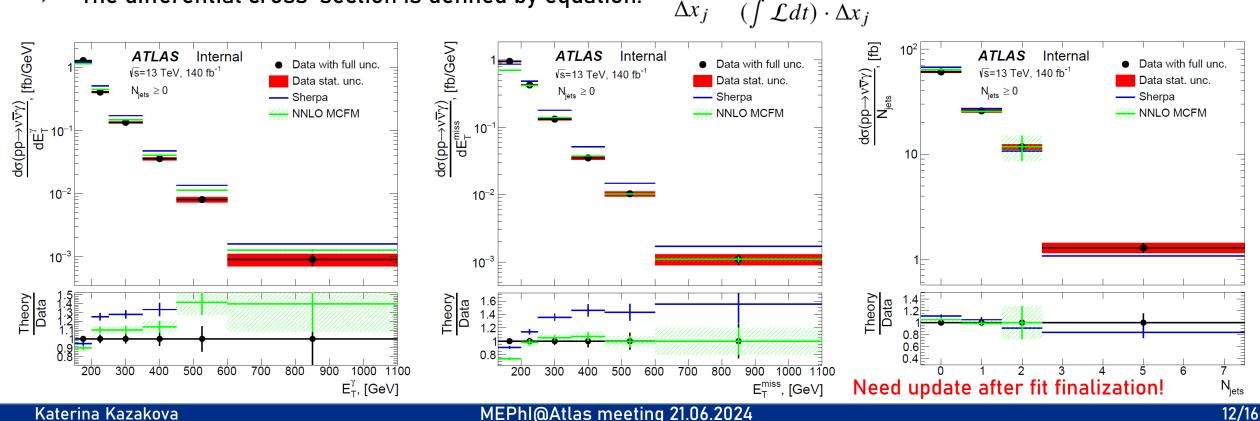
fiducial correction

R

 $\mathsf{R} \cap \mathsf{T}$

efficiency coorection

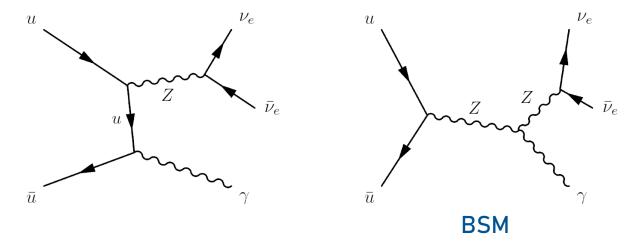
- The goal of unfolding is to take the measured observable and translate it into the true observable.
- The response matrix R relates true vector x and observed vector y: $R\mathbf{x} = \mathbf{y}$
- $N^{\text{det.}} \cap \text{fid.}$ Migration matrix: $M_{ij} = \frac{u_j}{N^{\text{det.}} \cap \text{fid.}}$ The response matrix is defined as: $R_{ij} = \frac{1}{\alpha_i} \varepsilon_j M_{ij}$
- The unfolding procedure is performed according to the maximum likelihood method via TRExFitter. N^{unfold}
- The differential cross-section is defined by equation:



 σ_i

aTGC: introduction

- Z(vv)γ production is very sensitive to the neutral triple gauge couplings (aTGCs). aTGCs are zero in the SM at the tree level.
- Two ways to describe aTGCs: effective field theory and vertex function approach.
 Both formalisms were improved by theorists and new terms in both formalisms appear.



State-of-the-art UFO models are needed to generate the events. For both formalisms models with new terms were created. EFT: model NTGC_all, <u>JIRA ticket</u>. VF: model NTGC_VF, <u>JIRA ticket</u>.

EFT: 6 Wilson coefficients (C_{G+}/Λ^4 , C_{G-}/Λ^4 , C_{BW}/Λ^4 , C_{BW}/Λ^4 , C_{BB}/Λ^4 , C_{WW}/Λ^4).

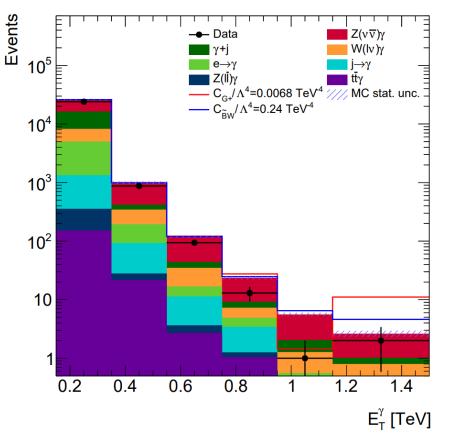
VF: 12 parameters (h_i^{V} ; i=1...6; V=Z, γ). Only i=3..5 are planned to be constrained.

aTGC: current results

- Plan is to search for CP-conserving effects only. Search for CP-violating effects requires identification of the decay products.
- EFT samples were prepared, VF samples request in progress.
- Strategy: reco-level fit of the E_T^{γ} distribution. Preliminary results:

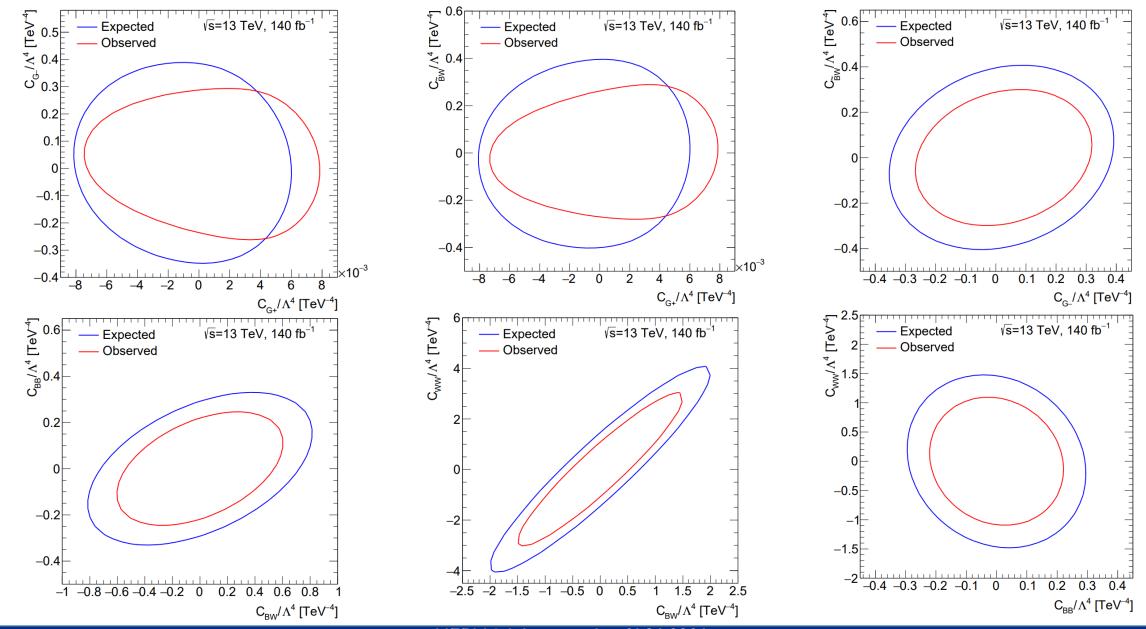
	Coef.	Exp. limits [TeV $^{-4}$]	Obs. limits $[TeV^{-4}]$	$\sqrt{s_{\max}}$ [TeV]
	C_{G+}/Λ^4	[-0.0065; 0.0047]	[-0.0045; 0.0068]	11.2
EFT	C_{G-}/Λ^4	[-0.30; 0.34]	[-0.21; 0.27]	22.3
EFI	$C_{\tilde{B}W}/\Lambda^4$	[-0.35; 0.34]	[-0.25; 0.24]	15.8
	C_{BW}/Λ^4	[-0.63; 0.63]	[-0.45; 0.45]	19.9
	C_{BB}/Λ^4	[-0.25; 0.25]	[-0.18; 0.18]	25.5
	C_{WW}/Λ^4	[-1.3; 1.3]	[-0.90; 0.90]	16.2

Coe	f. Exp. limits	Obs. limits	$\sqrt{s_{\max}}$ [TeV]
h_3^{γ}	[-2.2; 2.2]×10 ⁻⁴		
h_3^Z	[-2.0; 2.1]×10 ⁻⁴	[-1.4; 1.4]×10 ⁻⁴	17
h_4^{γ}	[-2.1; 2.0]×10 ⁻⁷		11
h_4^Z			10
h_{5}^{γ}	[-1.0; 1.0]×10 ⁻⁷		11
h_5^Z	[-0.9; 1.2]×10 ⁻⁷	[-0.7; 1.2]×10 ⁻⁷	10



Last column is the center-of-mass energy at which unitarity is violated. Values are large, therefore, the unitarity is preserved.

aTGC: 2D limits



MEPhl@Atlas meeting 21.06.2024

Katerina Kazakova

15/16

Summary

All steps of inclusive Z($v\bar{v}$) γ Run2 analysis are already done: selection optimisation, datadriven estimation of e $\rightarrow \gamma$ and jet $\rightarrow \gamma$, fit procedure, control plots, unfolding, differential cross-sections.

Plans:

- \Rightarrow To solve problems systematics.
- \Rightarrow To update and to obtain other observables differential cross-section plots.
- \Rightarrow To continue work on limits on aTGCs.
- \Rightarrow Almost all chapters of the internal note are ready, but need update.
- \Rightarrow EB request ASAP.

Thank you for your attention!



80

1) What is the signal significance for MC16a, d and e?

2017, 27 777, FP-1
2016: 36.64674 fb ⁻¹
44.6306 fb ⁻¹
58.7916 fb ⁻¹ $\mathscr{L} = \frac{\mu n_b f_r}{2}$
$z \equiv \frac{\sigma_{inel}}{\sigma_{inel}}$
Cinei
5 Online, 13 TeV JLdt=146.9 fb ⁻¹
24.1 $2015: <\mu > = 13.4$ $2016: <\mu > = 25.1$
2017: <µ> = 37.8
20 30 40 50 60 70 8
Mean Number of Interactions per Crossing

2) To show the estimates of fake rates from data ($e \rightarrow \gamma$ estimation) without third systematic

fake rate	$150 < E_T^{\gamma} < 250 \text{ GeV}$ $0 < \eta < 1.37$	$E_T^{\gamma} > 250 \text{ GeV}$ 0 < n < 1.37	$1.52 < \eta < 2.37$		$150 < E_{T}^{\gamma} < 250 \text{ GeV}$	<i>E</i> _T ^γ >250 GeV
Z(ee) MC tag-n-probe	0.0218 ± 0.0004	0.0197 ± 0.0005	0.0762 ± 0.0012	0< η <1.37	0.0234±0.0006±0.0009	0.0193±0.0013±0.0027
Z(ee) MC mass window variation $Z(ee)$ MC "real"	$\begin{array}{c} 0.0217 \pm 0.0004 \\ 0.022 \pm 0.002 \end{array}$	$\begin{array}{c} 0.0198 \pm 0.0005 \\ 0.023 \pm 0.002 \end{array}$	$\begin{array}{c} 0.0765 \pm 0.0012 \\ 0.084 \pm 0.004 \end{array}$	1.52< η <2.37	0.0714±0.0	019±0.0021

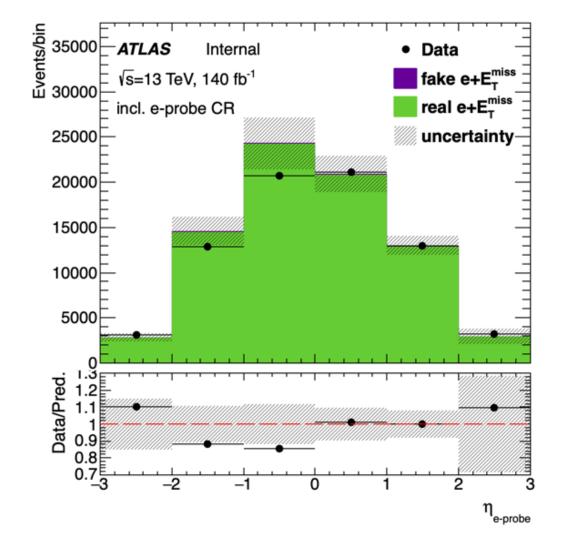
Katerina Kaz	21/01/2
	akuva
	an . e . a

3) <u>To check if there is really small background "fake</u> <u>e+MET" in the e-probe CR?</u>

<u>Answer:</u> e + MET mostly consists of Zj and multijet processes due to misID of jet as electron. This background was estimated in VBS analysis and results from MC coincide with data within uncertainty. The estimate from MC is 26 \pm 14, the estimate from data (using ABCD method) is 32 \pm 26 \pm 8 (VBS analysis).

3) <u>Are you sure that in Mee production there are</u> <u>backgrounds?</u> Check the possible background from jets.

<u>Answer:</u> Work on this issue is in progress. We sent samples to the grid to add the required branch to the tree. It took quite a long time



1) What is the signal significance for MC16a, d and e?

2) Should the third source of systematic (difference between "real fake rate" in Z(ee) MC and tag-and-probe method) be considered for the data-driven background estimation of $e \rightarrow \gamma$?

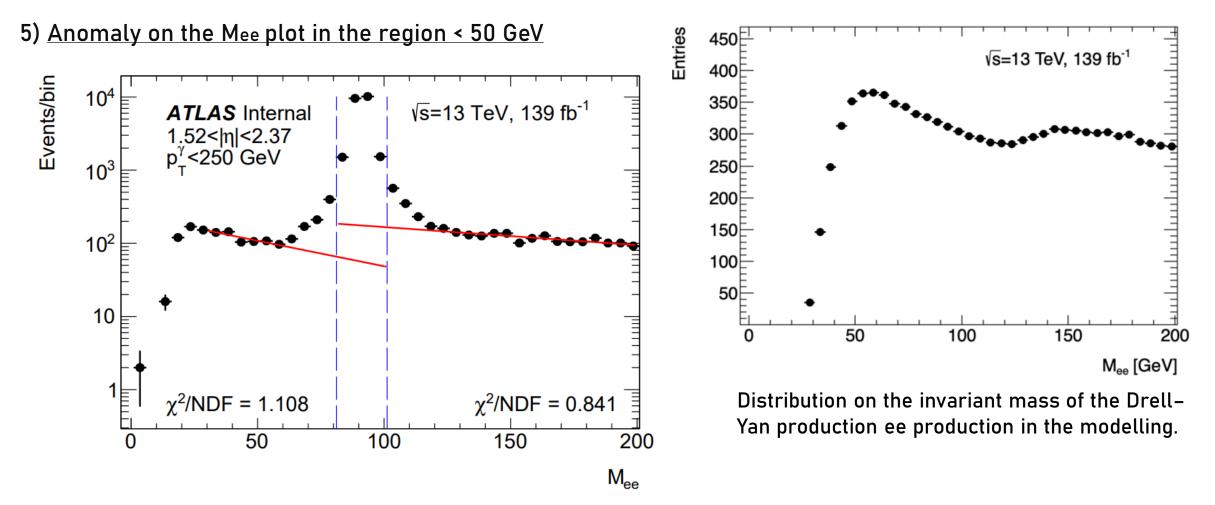
<u>Answer:</u> This systematic can be disregarded because it is a deviation in MC, meaning this systematic is not mandatory. However, taking it into account makes the estimation more conservative.

$\begin{tabular}{ c c c c c c c c c c c c c c c c c c c$								
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Process	MC16a	MC16d	MC16e	$\operatorname{Run2}$	Run2 (before opt.)		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Signal							
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$Z(\nu\nu)\gamma QCD$	2915 ± 4	3345 ± 5	4452 ± 5	10711 ± 8	13438 ± 9		
$\begin{tabular}{ c c c c c c c c c c c c c c c c c c c$	$Z(\nu\nu)\gamma EWK$	$45.57 {\pm} 16$	$51.80 {\pm} 0.19$	$68.9{\pm}0.2$	166.3 ± 0.3	$300.5 {\pm} 0.4$		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Total signal	2961 ± 4	$3396{\pm}5$	4521 ± 5	10878 ± 8	13738 ± 9		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Background							
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$W\gamma \ QCD$	$884{\pm}11$	1026 ± 13	1400 ± 13	3310 ± 21	6393 ± 28		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	${ m W}\gamma~{ m EWK}$	$29.5{\pm}0.3$	$34.1 {\pm} 0.4$	$45.8 {\pm} 0.4$	109.4 ± 0.6	293.5 ± 1.1		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	tt, top	58 ± 3	62 ± 4	81 ± 4	177 ± 5	1991 ± 18		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	${ m W}({ m e} u)$	$788{\pm}221$	$1322{\pm}303$	$1480{\pm}310$	3591 ± 487	7934 ± 540		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	${ m tt}\gamma$	48.3 ± 1.4	$55.3 {\pm} 1.7$	$74.6{\pm}1.8$	178 ± 3	$746{\pm}6$		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\gamma+\mathrm{j}$	1829 ± 35	$2746 {\pm} 53$	$3549{\pm}51$	8123 ± 82	$63766{\pm}211$		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	${ m Zj}$	$134{\pm}11$	115 ± 12	$165{\pm}13$	415 ± 21	$635{\pm}25$		
	${ m Z(ll)}\gamma$	56 ± 2	64 ± 2	92 ± 2	211 ± 4	$399{\pm}5$		
	${ m W}(au u)$	147 ± 20	$191{\pm}46$	$302{\pm}48$	640 ± 69	2222 ± 127		
Stat. signif. 35.6 ± 0.6 35.8 ± 0.6 41.8 ± 0.6 65.4 ± 0.6 43.86 ± 0.14	Total bkg.	$3973{\pm}225$	$5616{\pm}312$	$7190{\pm}318$	16779 ± 499	84380 ± 595		
	Stat. signif.	$35.6{\pm}0.6$	$35.8{\pm}0.6$	$41.8{\pm}0.6$	65.4 ± 0.6	$43.86 {\pm} 0.14$		

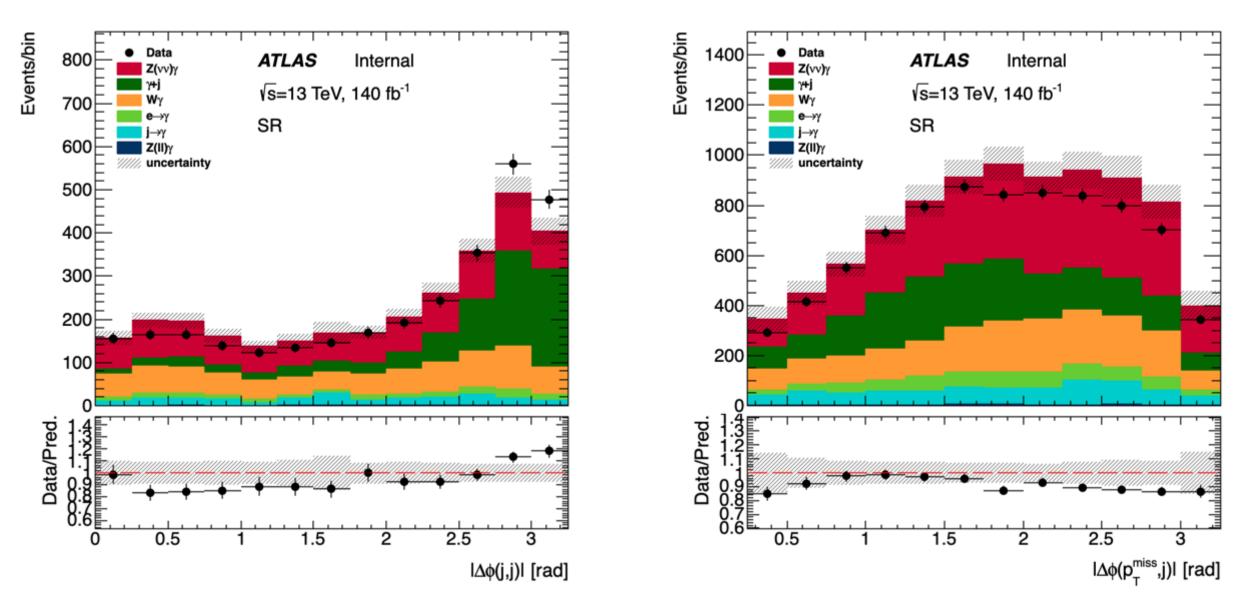
<u>3) To show the estimates of fake rates from MC and data ($e \rightarrow \gamma$ estimation)</u>

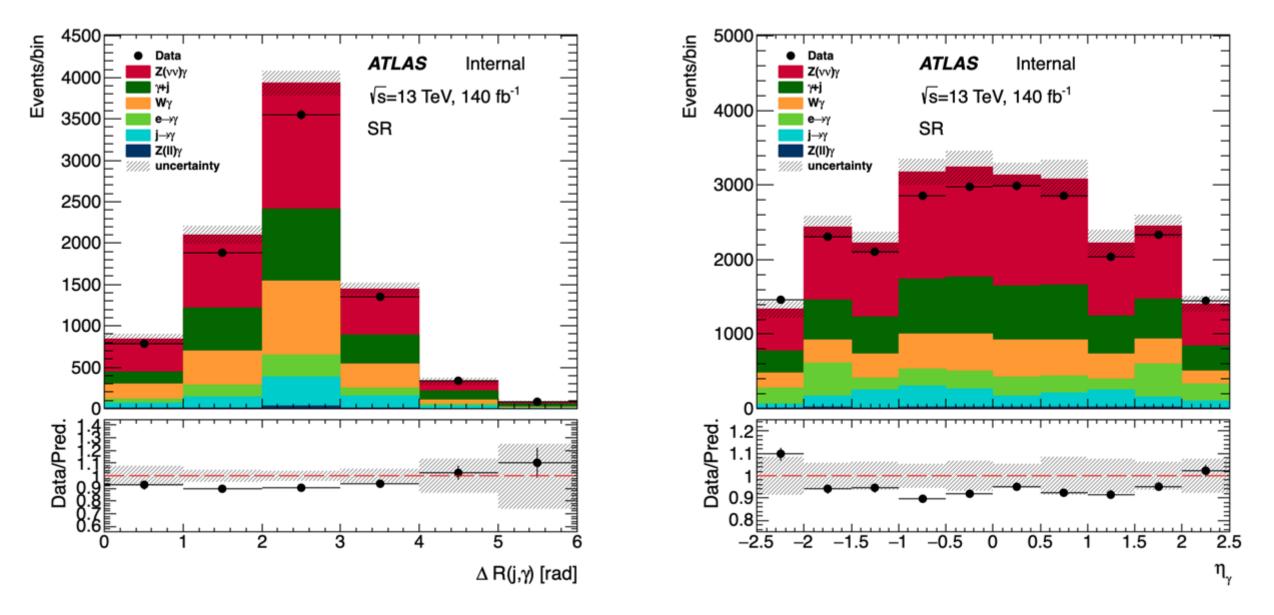
fake rate	$150 < E_T^{\gamma} < 250 \text{ GeV}$ $0 < \eta < 1.37$	$E_T^{\gamma} > 250 \text{ GeV}$ $0 \le n \le 1.37$	$1.52 < \eta < 2.37$		150< <i>E</i> _T ^v <250 GeV	<i>E</i> _T ^v >250 GeV
Z(ee) MC tag-n-probe	$\frac{0.0218 \pm 0.0004}{0.0218 \pm 0.0004}$		0.0762 ± 0.0012	0< η <1.37	0.0234±0.0006±0.0010	0.0193±0.0013±0.0038
Z(ee) MC mass window variation	0.0217 ± 0.0004	0.0198 ± 0.0005	0.0765 ± 0.0012	1.52< ŋ <2.37	0.0714±0.0019±0.0074	
Z(ee) MC "real"	0.022 ± 0.002	0.023 ± 0.002	0.084 ± 0.004	1.02 4111 42.07		

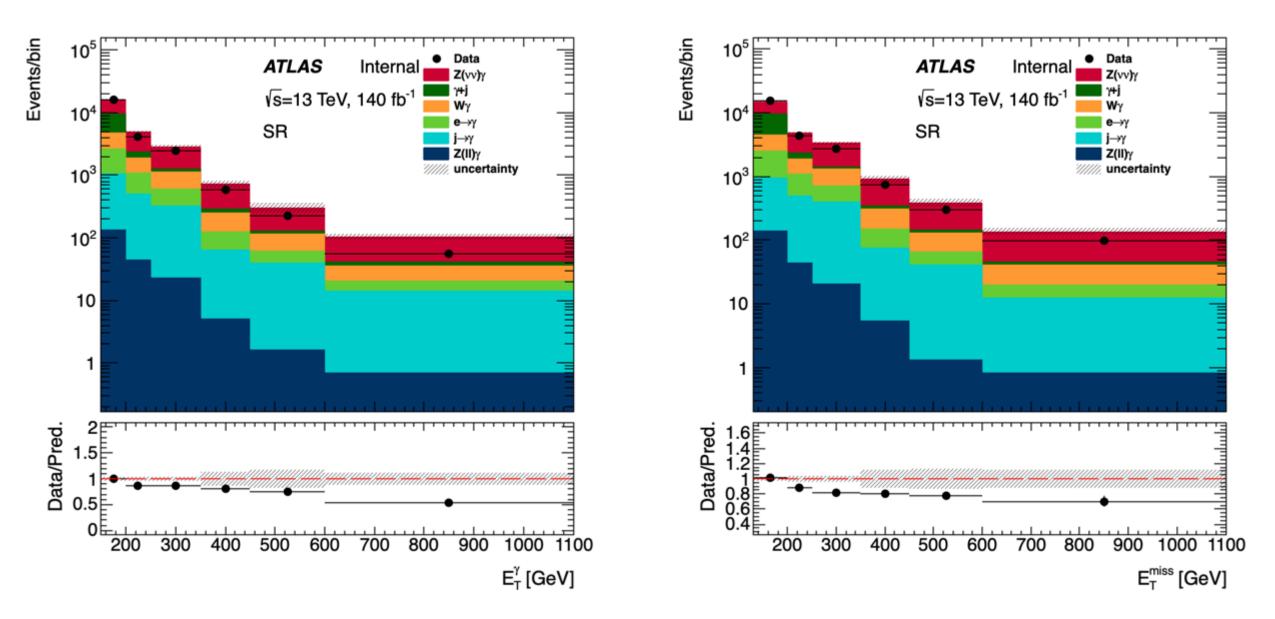
<u>4) To show the difference between "real fake rate" in Z(ee) MC and tag-and-probe method (3rd question)</u>

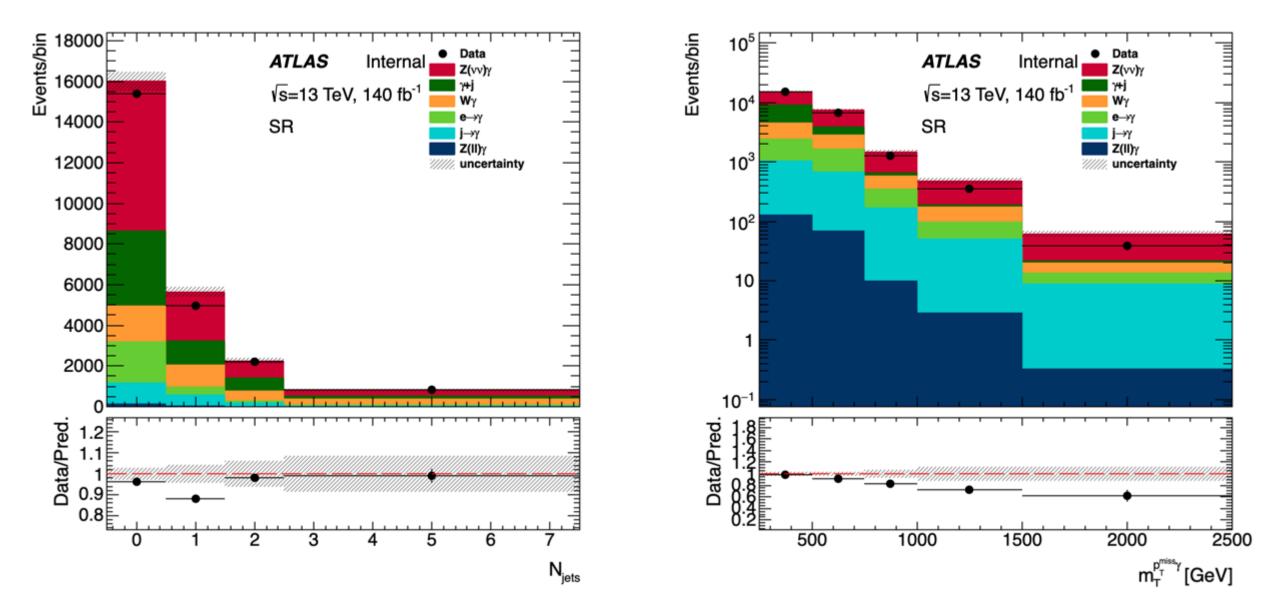


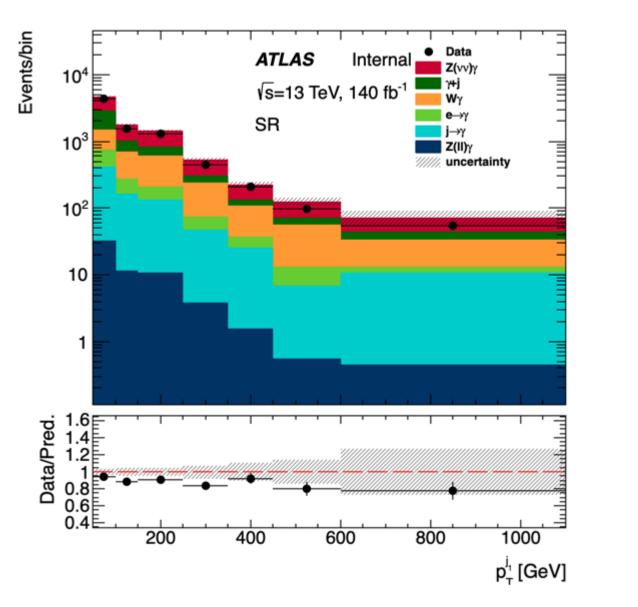
<u>Preliminary answer</u>: This may be related to the distribution on the invariant mass of the Drell-Yan ee production. This shape is caused by the combination of reconstruction and identification efficiencies overlapped with the kinematic distribution on electron pT.

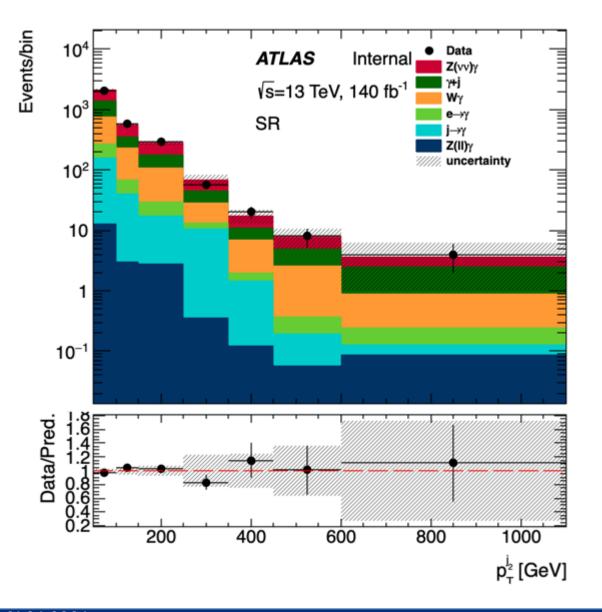


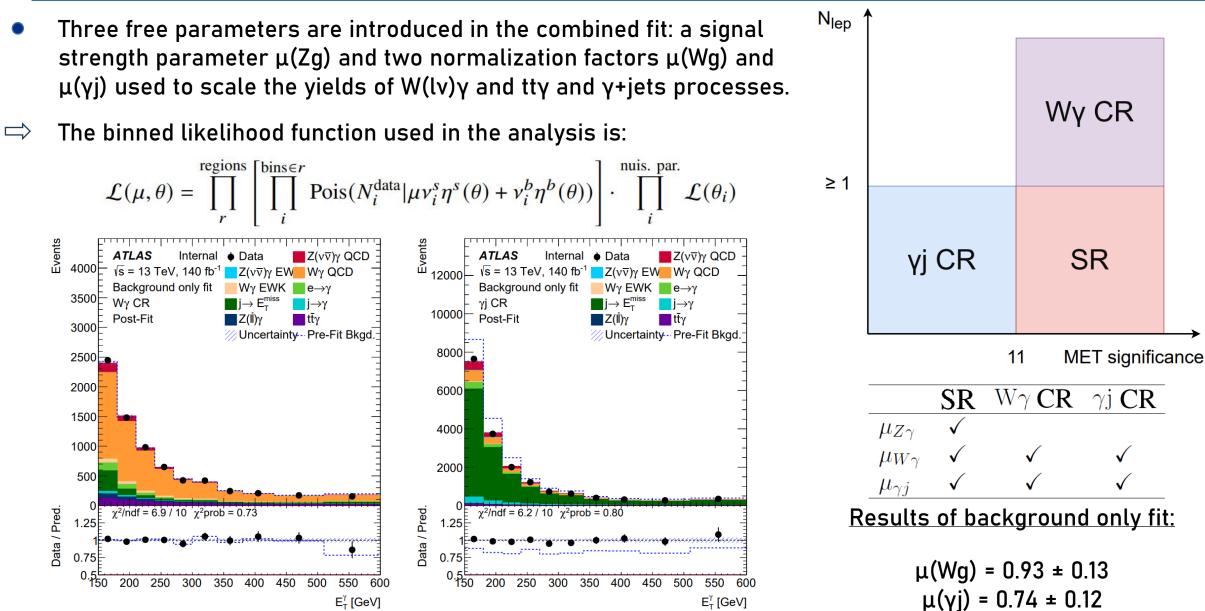






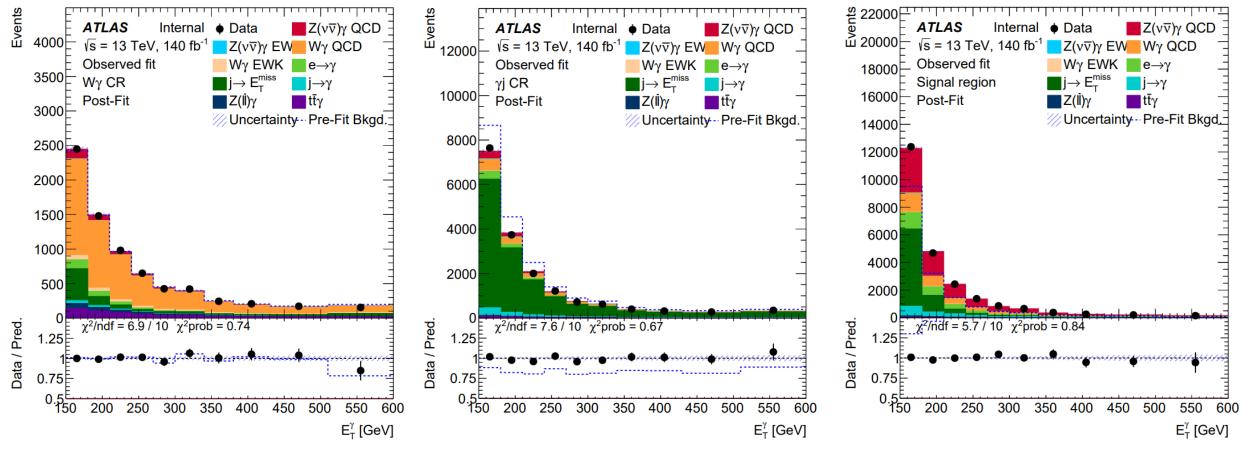






MEPhI@Atlas meeting 21.06.2024

- Using the Asimov data: μ_{Zv} = 1.00 ± 0.08 , μ_{Wv} = 0.93 ± 0.12 and μ_{vi} = 0.74 ± 0.10. Expected signal significance 69 σ .
- Fit in the SR and CRs:



 \Rightarrow μ_{Zy} = 0.70 ± 0.06, μ_{Wy} = 0.92 ± 0.06 and μ_{yi} = 0.88 ± 0.08. Observed signal significance 50 σ .

There are some problems with jet systematics!

MEPhI@Atlas meeting 21.06.2024

Background only + max. symm.

Asimov

Observed

ATLAS Internal

╷╻╷╷ <mark>╷╷╷╷╷<mark>╷╷╷╷</mark>╸╸╸</mark>	ttγ scale
	tty NNPDF unc. + α_{i}
	i, →γ syst
	$e \rightarrow \gamma$ syst
	Zlly scale
	$Z(II)\gamma$ NNPDF unc. + α
	Zγ QCD scale
	$Z\gamma$ QCD NNPDF unc. + α
	Zγ QCD alternative PDF
	Zγ EWK scale
	Z γ EWK NNPDF unc. + α_s
	Zγ EWK alternative PDF ^s
• • • • • • • • • • • • • • • • • • •	Wy QCD scale
	Wy QCD NNPDF unc. + α_{a}
• • • • • • • • • • • • • • • • • • •	Wγ QCD alternative PDF
	Wy EWK scale
	Wy EWK NNPDF unc. + α
	Wy EWK alternative PDF
	Trigger efficiency
	MUON SAGITTA RESBIAS
	MET SoftTrk Scale
	MET_SoftTrk_BesoPerp
	MET_SoftTrk_ResoPara
	JET_Pileup_RhoTopology
	JET_Pileup_PtTerm
	JET_Pileup_OffsetNPV
••••••••••••••••••••••••••••••••••••••	JET_Pileup_OffsetMu
	JET_JvtEfficiency
	JET_JER_EffectiveNP_7restTerm
	JET_JER_EffectiveNP_6
	JET_JER_EffectiveNP_5
	JET_JER_EffectiveNP_4
· · · · · · · · · · · · · · · · · · ·	JET_JER_EffectiveNP_3
	JET_JER_EffectiveNP_2
	JET JER EffectiveNP 1
	JET JER DataVsMC MC16
	JET_Flavor_Response
	JET_Flavor_Composition
	JET EtaIntercalibration Modelling
	EL_EFF_Reco_TOTAL_1NPCOR_PLUS_UNCOR
	EL EFF Iso TOTAL INPCOR PLUS UNCOR
	EL EFF ID TOTAL 1NPCOR PLUS UNCOR
	EG SCALE ALL
	EG_SCALE_ALL
-2 -1 0 1 2	
$(\hat{\boldsymbol{\theta}} - \boldsymbol{\Theta}_{\alpha}) / \Delta \boldsymbol{\Theta}$	
(- 0)/ - 0	

ATLAS Internal

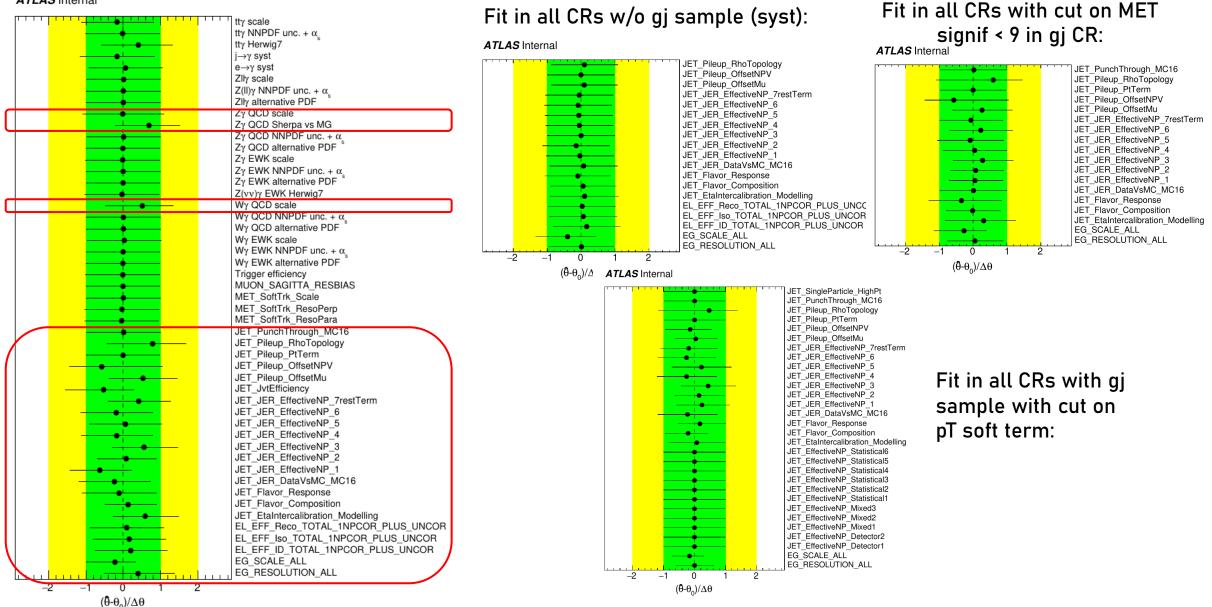
ATLAS Internal		ATLAS Internal	
	ttγ scale ttγ NNPDF unc. + α		tty scale
	i,→γ syst		tty NNPDF unc. + α_s
	e→γ syst		j→γ syst
	Zlly scale	• • • • • • • • • • • • • • • • • • •	e→γ syst
	$Z(II)\gamma$ NNPDF unc. + α		Zlly scale
	Zlhy alternative PDF	• • • • • • • • • • • • • • • • • • •	Z(II) γ NNPDF unc. + α_s
	Zγ QCD scale		Zlly alternative PDF
	$Z\gamma$ QCD NNPDF unc. + α	• • • • • • • • • • • • • • • • • • •	Zγ QCD scale
	Zy QCD alternative PDF	• • • • • • • • • • • • • • • • • • •	Z γ QCD NNPDF unc. + α_s
	Zγ EWK scale		Zγ QCD alternative PDF
	$Z\gamma$ EWK NNPDF unc. + α		Zγ EWK scale
	Zy EWK alternative PDF		Z γ EWK NNPDF unc. + α_s
	Wγ QCD scale	· · · · · · · · · · · · · · · · · · ·	Zγ EWK alternative PDF [°]
	W_{γ} QCD NNPDF unc. + α	_	Wy QCD NNPDF unc. + α_{e}
	$W\gamma$ QCD alternative PDF ^s		Wγ QCD alternative PDF
	Wy EWK scale		Wγ EWK scale
	$W\gamma$ EWK NNPDF unc. + α_{1}		Wy EWK NNPDF unc. + α_{e}
	Wy EWK alternative PDF		Wγ EWK alternative PDF
	Trigger efficiency		Trigger efficiency
	MUON SAGITTA RESBIAS		MUON_SAGITTA_RESBIAS
	MET SoftTrk Scale	•	MET_SoftTrk_Scale
	MET_SoftTrk_ResoPerp	_	MET_SoftTrk_ResoPerp
	MET_SoftTrk_ResoPara		MET_SoftTrk_ResoPara
	JET PunchThrough MC16	_	JET_PunchThrough_MC16
	JET Pileup RhoTopology		JET_Pileup_RhoTopology
	JET Pileup PtTerm	_	JET_Pileup_PtTerm
	JET_Pileup_OffsetNPV	_	JET_Pileup_OffsetNPV
	JET Pileup OffsetMu		JET_Pileup_OffsetMu
	JET JvtEfficiency		JET_JvtEfficiency
	JET JER EffectiveNP 7restTerm		JET_JER_EffectiveNP_7restTerm
	JET JER EffectiveNP 6		JET_JER_EffectiveNP_6
	JET JER EffectiveNP 5		JET_JER_EffectiveNP_5
	JET JER EffectiveNP 4		JET_JER_EffectiveNP_4
	JET JER EffectiveNP 3	• • • • • • • • • • • • • • • • • • •	JET_JER_EffectiveNP_3
	JET_JER_EffectiveNP_2		JET_JER_EffectiveNP_2
	JET JER EffectiveNP 1	I	JET_JER_EffectiveNP_1
	JET JER DataVsMC MC16	· · · · · · · · · · · · · · · · · · ·	JET_JER_DataVsMC_MC16
	JET Flavor Response	•	JET_Flavor_Response
	JET_Flavor_Composition		JET_Flavor_Composition
	JET_EtaIntercalibration_Modelling		JET_EtaIntercalibration_Modelling
	EL_EFF_Reco_TOTAL_1NPCOR_F	•	EL_EFF_Reco_TOTAL_1NPCOR_PLUS_UNCOR
	EL_EFF_Iso_TOTAL_1NPCOR_PLI	•	EL_EFF_Iso_TOTAL_1NPCOR_PLUS_UNCOR
••••••••••••••••••••••••••••••••••••••	EL_EFF_ID_TOTAL_1NPCOR_PLU		EL_EFF_ID_TOTAL_1NPCOR_PLUS_UNCOR
••••••	EG_SCALE_ALL		EG_SCALE_ALL
· · · · · · · · · · · · · · • • · · · · · · · · ·	EG_RESOLUTION_ALL	· · · · · <mark>· · · · · · · · · •· · · · · · · · · · · · · · · </mark>	EG_RESOLUTION_ALL
-2 -1 0 1 2	-	-2 -1 0 1 2	
(θ̂-θ ₀)/Δθ		$(\mathbf{\hat{\theta}} \mathbf{-} \mathbf{\Theta}_0) / \Delta \mathbf{\Theta}$	

Katerina Kazakova

MEPhl@Atlas meeting 21.06.2024

Problems with template fit

ATLAS Internal

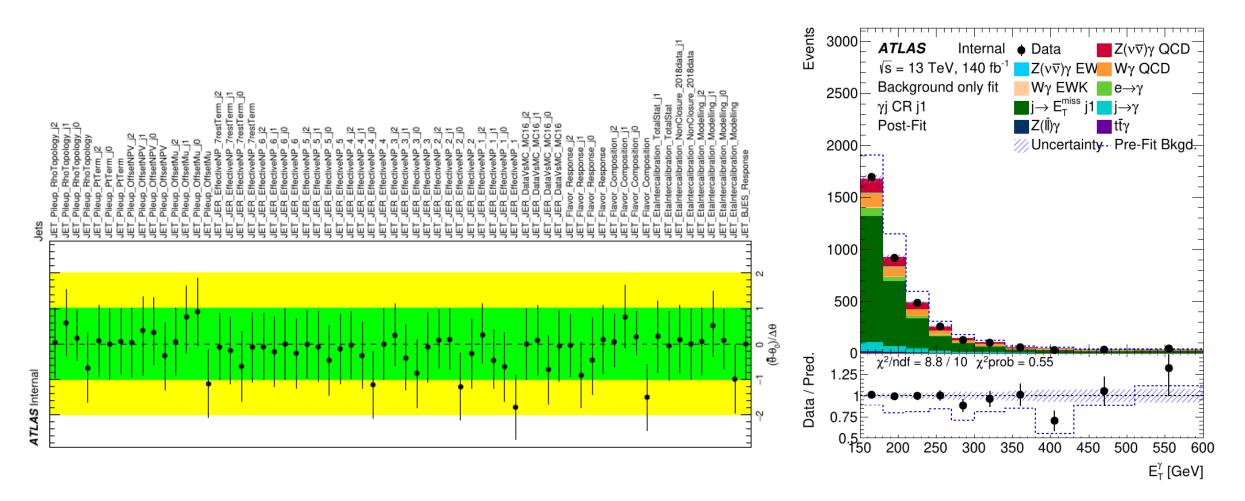


Katerina Kazakova

MEPhI@Atlas meeting 21.06.2024

Problems with template fit: categorisation

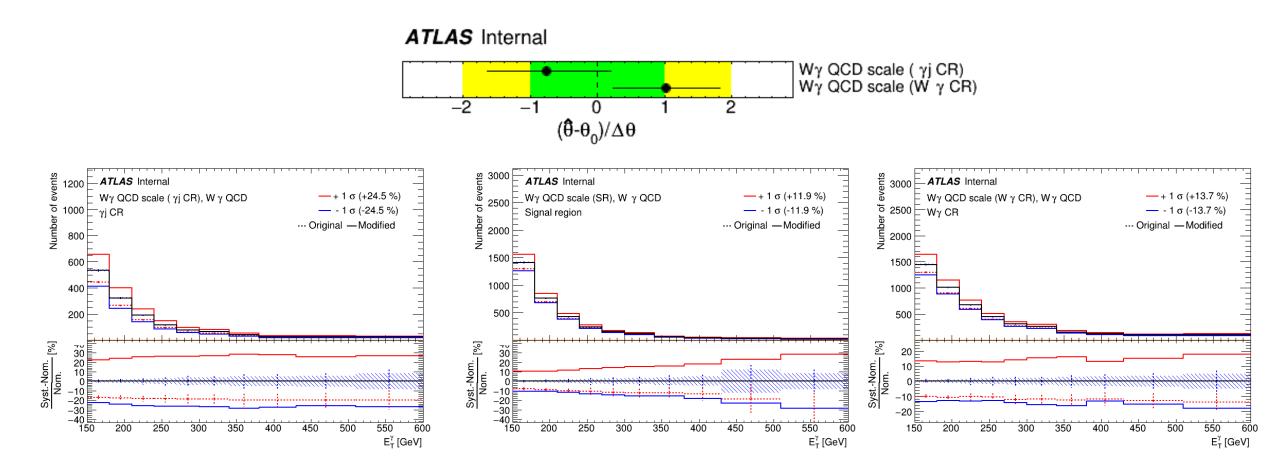
There was an attempt to categorise the events based on N_{iets} in the gj CR (background only fit)



 $\implies \mu_{W\gamma} = 1.06 \pm 0.04, \ \mu_{\gamma j(0)} = 0.78 \pm 0.09, \ \mu_{\gamma j(1)} = 0.72 \pm 0.09 \ \text{and} \ \mu_{\gamma j(2)} = 0.73 \pm 0.14.$

more information in back-up

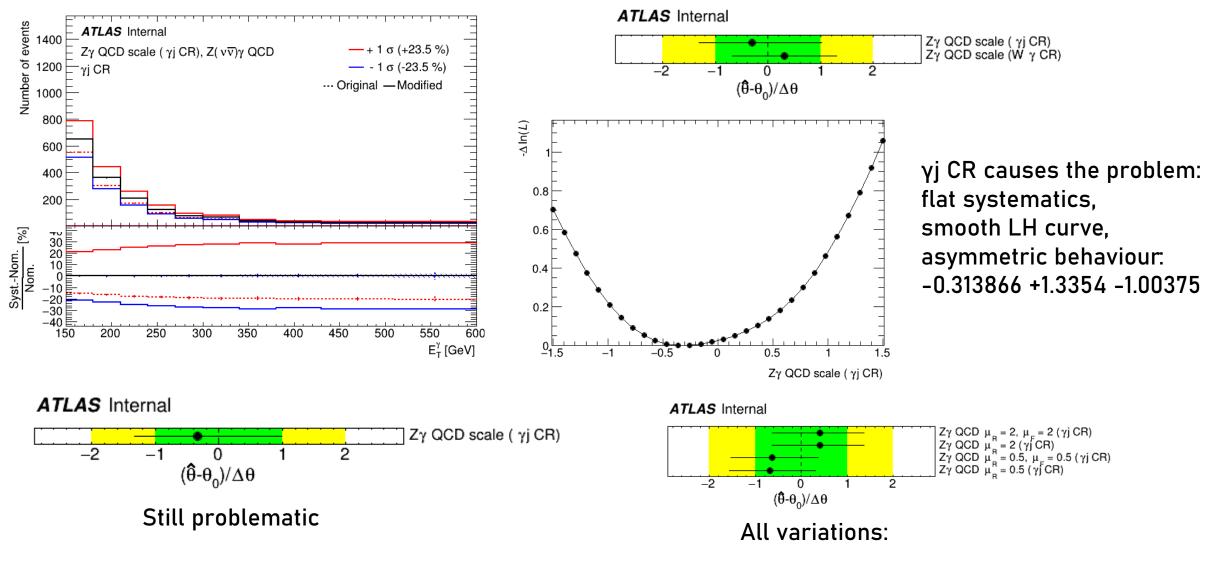
Wy QCD scale: decorrelation



Wy CR causes the shift The central value is ~0.5 with all systematics adding \rightarrow no problem?

MEPhI@Atlas meeting 21.06.2024

Zy QCD scale: decorrelation



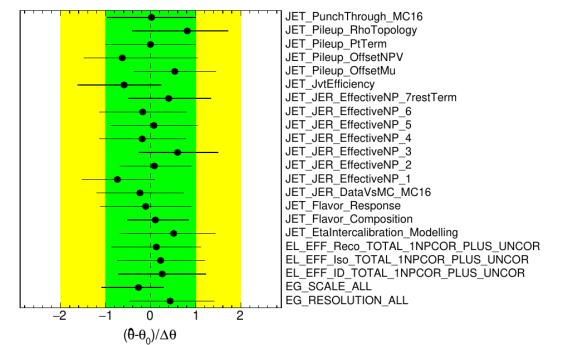
Not clear what's going wrong

MEPhI@Atlas meeting 21.06.2024

Fit procedure

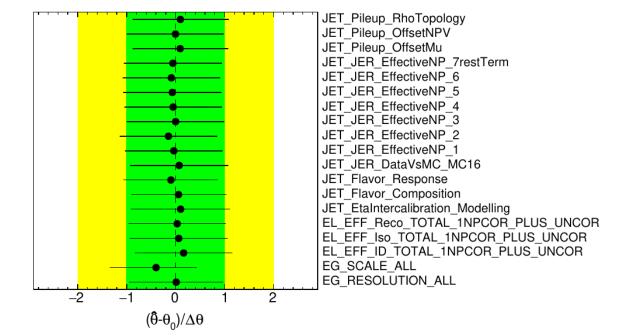
Fit in all CRs with gj sample

ATLAS Internal



Fit in all CRs w/o gj sample

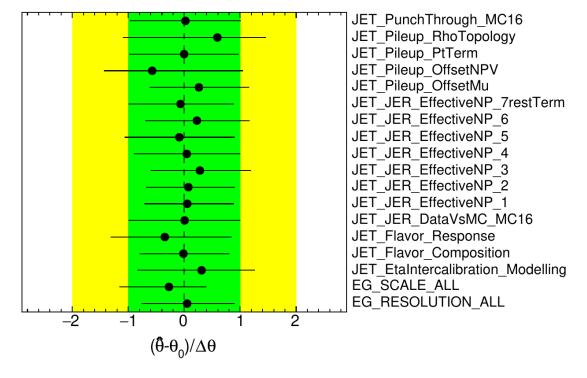
ATLAS Internal



Fit procedure

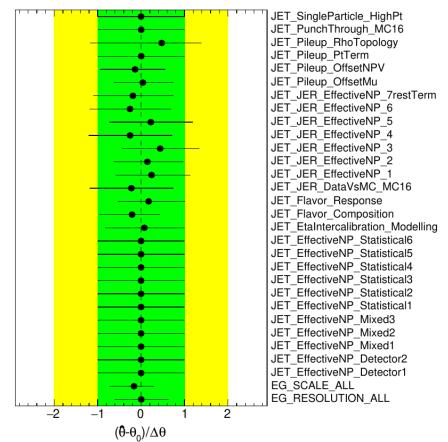
Fit in all CRs with gj sample with cut on MET signif < 9 in gj CR

ATLAS Internal



Fit in all CRs with gj sample with cut on pT soft term

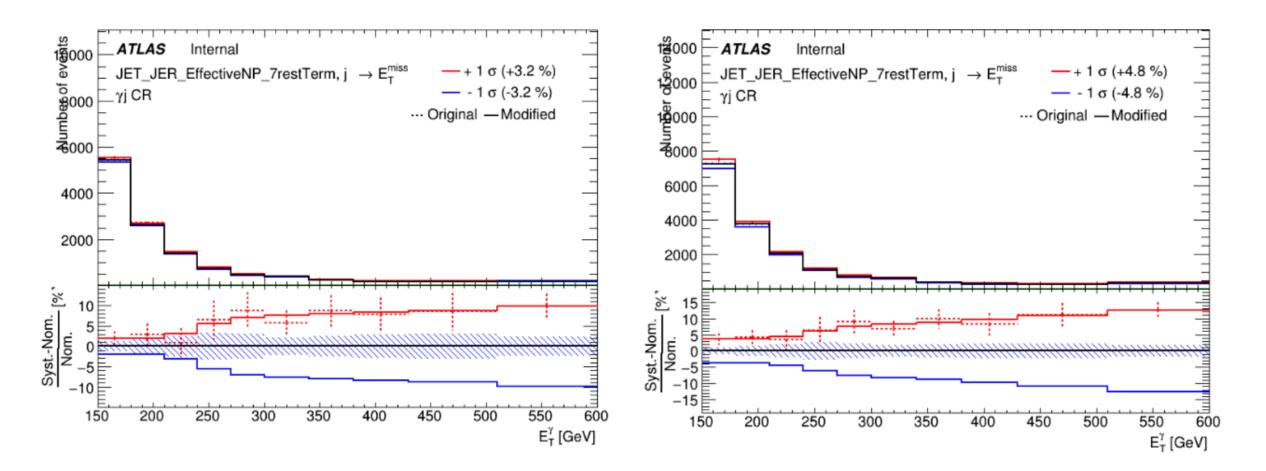
ATLAS Internal



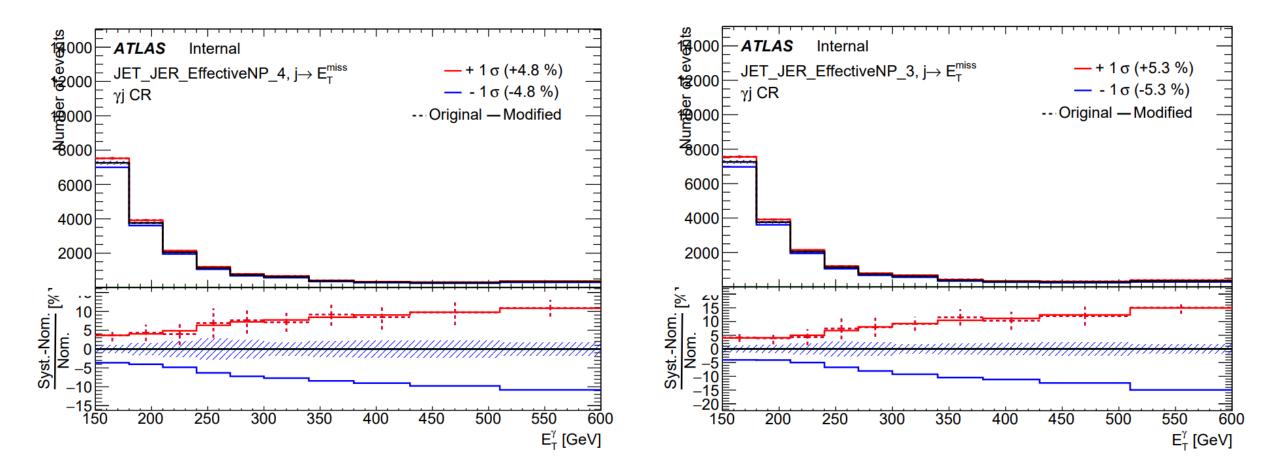
Fit procedure

Reproc 21-02-23 with softterm

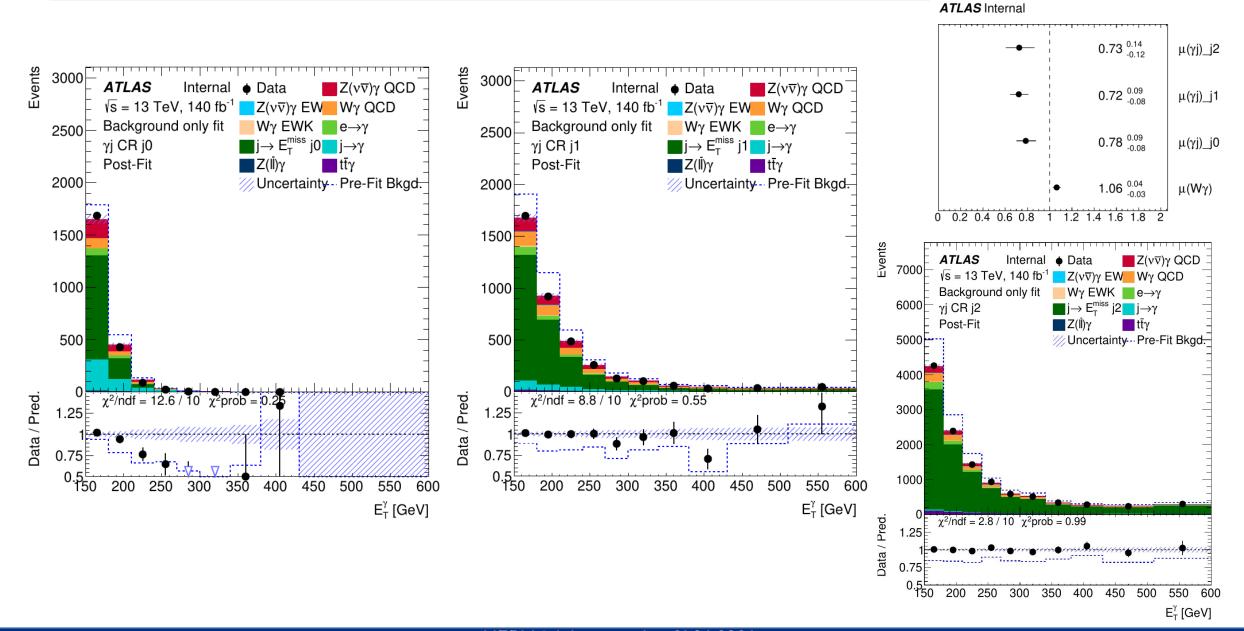
Reproc 03-11-23 w/o softterm



Fit procedure

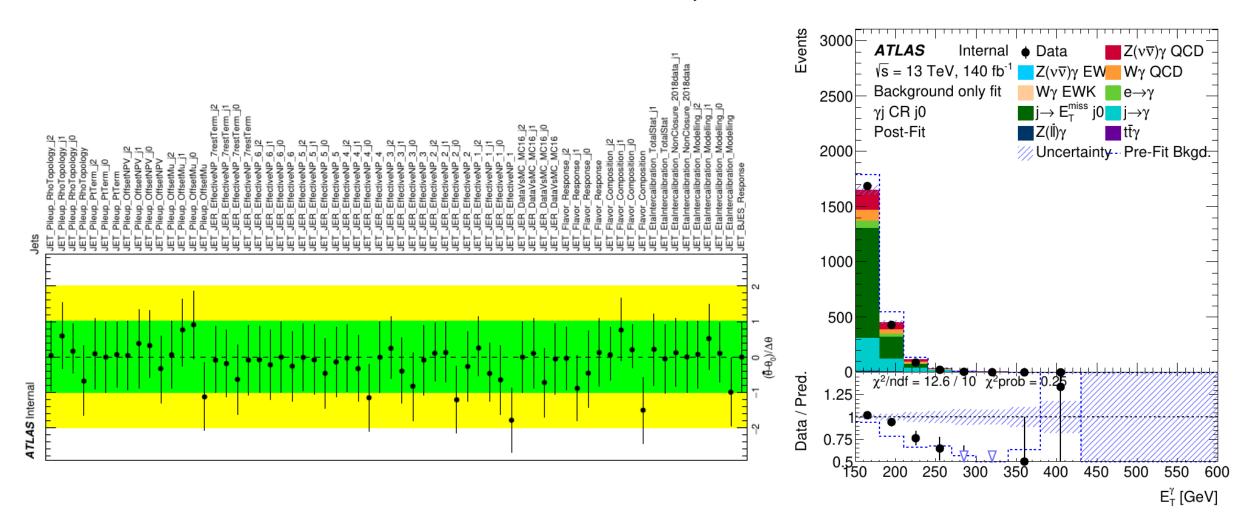


Fit procedure



Problems with template fit: categorisation

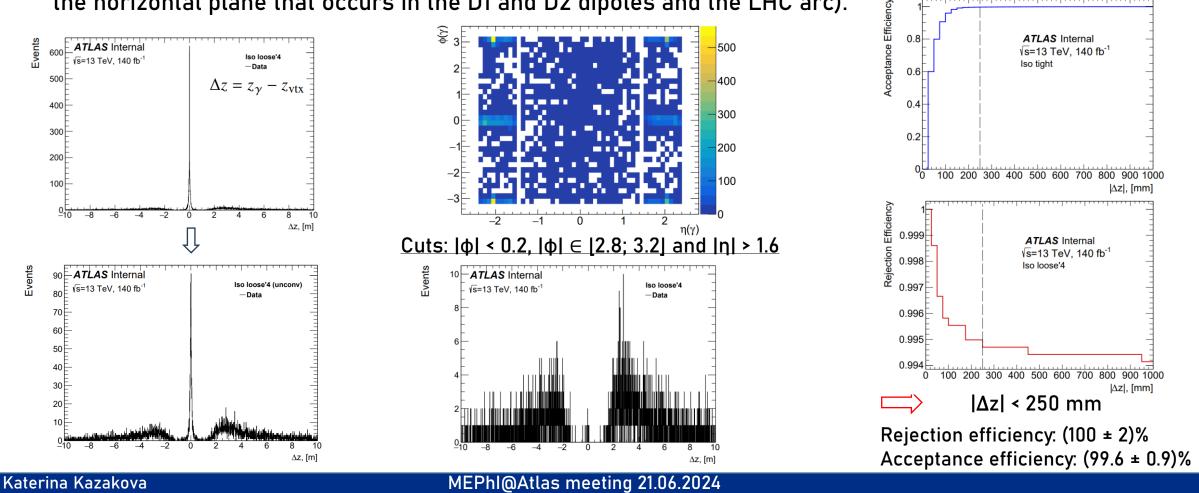
• There was an attempt to categorise the events based on N_{iets} in the gj CR (background only fit)



 $\implies \mu_{W_{Y}} = 1.06 \pm 0.04$, $\mu_{\gamma i(0)} = 0.78 \pm 0.09$, $\mu_{\gamma i(1)} = 0.72 \pm 0.09$ and $\mu_{\gamma i(2)} = 0.73 \pm 0.14$.

Beam-induced background (BIB)

- Muons from pion and kaon decays in hadronic showers, induced by beam losses in non-elastic collisions with gas and detector material, deposit large amount of energy in calorimeters through radiative processes (= fake jets).
- The characteristic peaks of the fake jets due to BIB concentrate at $\pm \pi$ and 0 (mainly due to the bending in the horizontal plane that occurs in the D1 and D2 dipoles and the LHC arc).



Selection optimisation

Variable	1	2	3	4
$E_T^{miss} signif.$	> 11			
$\Delta \phi(E_T^{miss}, \gamma)$		> 0.6		
$\Delta \phi(E_T^{miss}, j_1)$		> 0.3		
E_T^{miss} , GeV		>130		
		Signal		
$Z(\nu\nu)\gamma QCD$	9928 ± 8	10021 ± 8	10711 ± 8	13934 ± 9
$Z(\nu\nu)\gamma EWK$	151.6 ± 0.3	153.6 ± 0.3	166.3 ± 0.3	312.3 ± 0.4
Total signal	10080 ± 8	10175 ± 8	10878 ± 8	14247 ± 9
		Background		
Wy QCD	3022 ± 20	3061 ± 20	3310 ± 21	6795 ± 29
$W\gamma EWK$	99.9 ± 0.6	101.3 ± 0.6	109.4 ± 0.6	309.8 ± 1.1
tt, top	156 ± 5	176 ± 5	201 ± 6	2800 ± 22
$W(e\nu)$	3091 ± 453	3409 ± 521	3591 ± 487	8540 ± 663
ttγ	161 ± 3	163 ± 3	178 ± 3	787 ± 6
γ+j	7642 ± 79	7757 ± 80	8123 ± 82	67517 ± 217
Zj	221 ± 16	328 ± 20	415 ± 21	2583 ± 50
$Z(ll)\gamma$	197 ± 4	200 ± 4	211 ± 4	426 ± 5
$W(\tau \nu)$	412 ± 65	575 ± 72	640 ± 69	4615 ± 138
Total bkg.	15002 ± 465	15770 ± 533	16779 ± 499	94373 ± 714
Stat. signif.	63.6 ± 0.6	63.2 ± 0.6	65.4 ± 0.6	43.23 ± 0.14

Table 33: The results of selection optimisation at three different working points *FixedCutTight*, *FixedCutTightCaloOnly*, *FixedCutLoose*.

Selection optimisation

	$E_T^{miss} signif.$	$E_T^{miss} signif.$	$E_T^{miss} signif.$	$E_T^{miss} signif.$	$E_T^{miss} signif.$
	E_T^{miss} , GeV	E_T^{miss} , GeV	E_T^{miss} , GeV	E_T^{miss} , GeV	E_T^{miss} , GeV
	$\Delta \phi(E_T^{miss},\gamma)$	$\Delta \phi(E_T^{miss}, \gamma)$	$\Delta \phi(E_T^{miss}, \gamma)$	$\Delta \phi(E_T^{miss},\gamma)$	$\Delta \phi(E_T^{miss},\gamma)$
	$\Delta \phi(E_T^{miss}, j_1)$	$\Delta \phi(E_T^{miss}, j_1)$	$\Delta \phi(E_T^{miss}, j_1)$	$\Delta \phi(E_T^{miss}, j_1)$	$\Delta \phi(E_T^{miss}, j_1)$
		Sig	nal		
$Z(\nu\nu)\gamma QCD$	10711 ± 8	12307±9	10819±8	10728±8	10849±8
$Z(\nu\nu)\gamma EWK$	166.3 ± 0.3	251.5±0.4	167.6±0.3	168.3 ± 0.3	171.0±0.3
Total signal	10878 ± 8	12559 ± 9	10987 ± 8	10897 ± 8	11020±8
		Backg	ground		
Wy QCD	3310 ± 21	4741±24	3385±21	3389±21	3440±22
$W\gamma EWK$	109.4 ± 0.6	210.4±0.9	111.2±0.6	112.8 ± 0.7	115.3±0.7
tt, top	177 ± 5	631±10	204±6	267±7	209±6
$W(e\nu)$	3591 ± 487	4372±517	3827 ± 506	3883±487	3627±487
ttγ	178 ± 3	508±5	179±3	183±3	192±3
γ+j	8123 ± 82	24991±139	8552±84	8156±82	9668±86
Zj	415 ± 21	546±24	419±21	417±21	428±21
Z(ll)γ	211 ± 4	284±4	216±4	212±4	231±4
$W(\tau \nu)$	640 ± 69	945±100	651±69	821±70	655±69
Total bkg.	16779 ± 499	37229 ± 546	17544 ± 518	17440 ± 499	18566 ± 500
Stat. signif.	65.4 ± 0.6	56.3±0.3	65.0±0.6	64.7±0.6	64.1±0.5

Table 34: Comparison of statistical significance and event returns when each of the optimised variables is excluded. The excluded variable is highlighted in red.

Selections	Cut Value
$E_{ m T}^{ m miss} \ E_{ m T}^{e-probe}$	> 130 GeV
$E_{\mathrm{T}}^{e-probe}$	> 150 GeV
Number of loose non-isolated photons	$N_{\gamma} = 0$
Number of tight probe electrons	$N_{e-probe} = 1$
Lepton veto	$N_{\mu} + N_{\tau} = 0$
$E_{\rm T}^{\rm miss}$ significance	> 11
$ \Delta \phi(e - probe, \vec{p}_{T}^{miss}) $	> 0.6
$ \Delta \phi(j_1, \vec{p}_{\mathrm{T}}^{\mathrm{miss}}) $	> 0.3

Table 5: Event selection criteria for e-probe CR events.

Event yield	real $e + E_{\rm T}^{\rm miss}$ (MC)	fake $e + E_{\rm T}^{\rm miss}$ (MC)	data
e-probe CR	78079 ± 4078	465 ± 34	74076

Table 6: Event yields for real $e + E_T^{\text{miss}}$ and fake $e + E_T^{\text{miss}}$ prediction and observed data in probe-electron control regions. Indicated uncertainties are statistical.

fake rate	$150 < E_T^{\gamma} < 250 \text{ GeV}$ $0 < \eta < 1.37$	$E_T^{\gamma} > 250 \text{ GeV}$	$1.52 < \eta < 2.37$	Total
	$0 < \eta < 1.37$	$0 < \eta < 1.37$	$1.52 < \eta < 2.57$	
syst. on fake-rate estimation.	4%	20%	10%	
syst. from stat. unc. on fake-rate	3%	7%	3%	
syst. from impurity of CR	0.16%	0.16%	0.16%	
Total rel. syst.	5%	21%	10%	
Event yield in (incl.) e-probe CR	49673	11492	20855	
Fake-rate	0.0234	0.0193	0.0714	
$e \rightarrow \gamma$ event yield in SR	1062	200	1345	2608
Total abs. syst.	58	42	134	162

Table 35: Systematics breakdown for $e \rightarrow \gamma$ background for SR.

Missing transverse momentum is calculated as the sum of the following terms:

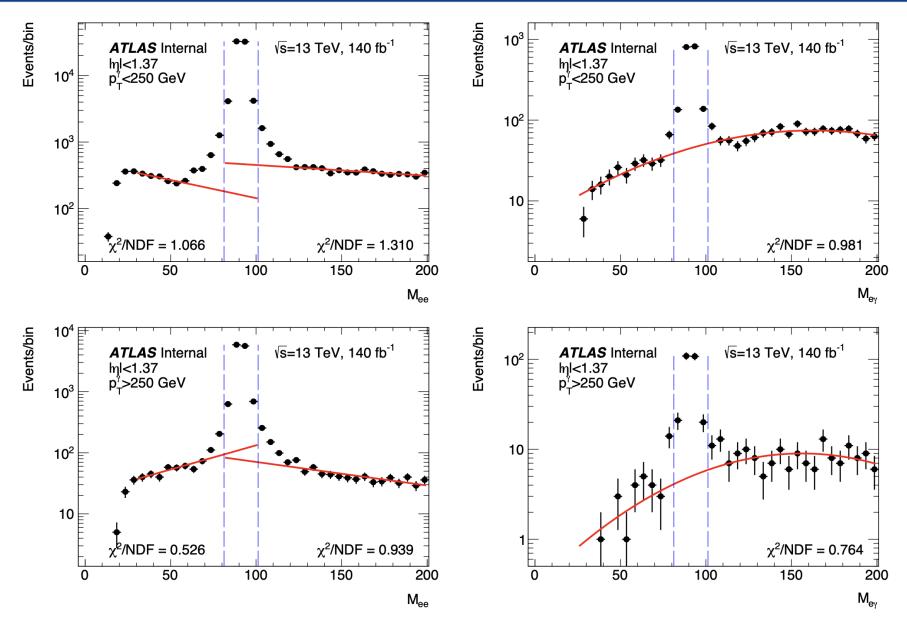
$$E_{\mathbf{x}(\mathbf{y})}^{\text{miss}} = E_{\mathbf{x}(\mathbf{y})}^{\text{miss},e} + E_{\mathbf{x}(\mathbf{y})}^{\text{miss},\mu} + E_{\mathbf{x}(\mathbf{y})}^{\text{miss},\tau_{\text{had}}} + E_{\mathbf{x}(\mathbf{y})}^{\text{miss},\gamma} + E_{\mathbf{x}(\mathbf{y})}^{\text{miss},\text{jets}} + E_{\mathbf{x}(\mathbf{y})}^{\text{miss},\text{SoftTerm}},$$

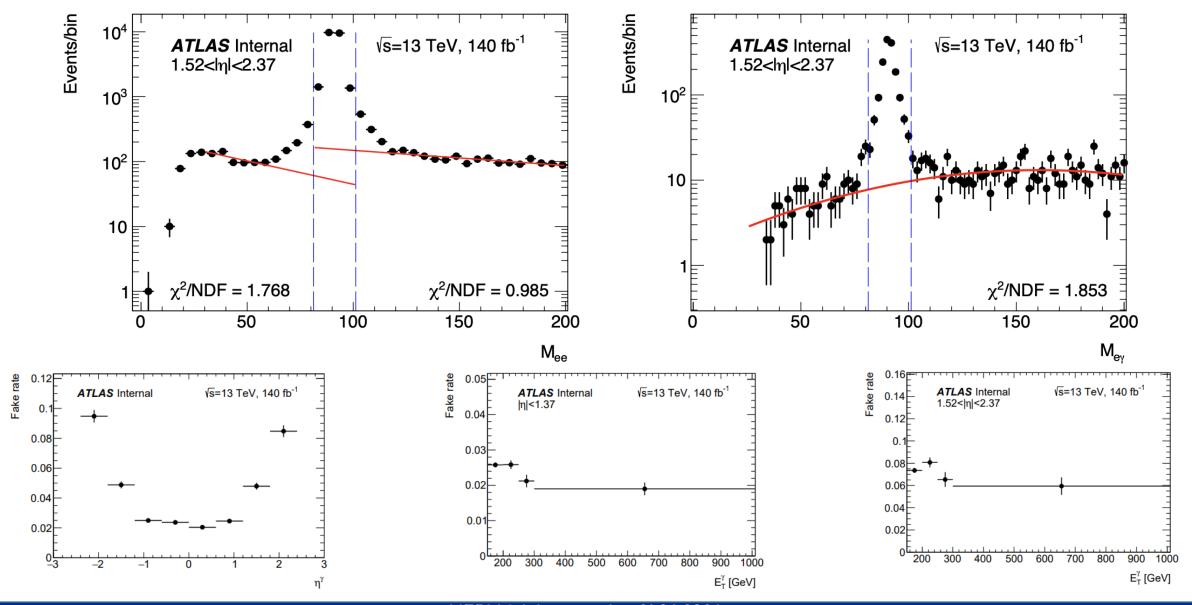
fake rate	$150 < E_T^{\gamma} < 250 \text{ GeV}$ 0 < n < 1.37	$E_T^{\gamma} > 250 \text{ GeV}$	1.52 < m < 2.27
	$0 < \eta < 1.37$	$0 < \eta < 1.37$	$1.52 < \eta < 2.57$
Z(ee) MC tag-n-probe	0.0218 ± 0.0004	0.0197 ± 0.0005	0.0762 ± 0.0012
Z(ee) MC mass window variation	0.0217 ± 0.0004	0.0198 ± 0.0005	0.0765 ± 0.0012
Z(ee) MC "real"	0.022 ± 0.002	0.023 ± 0.002	0.084 ± 0.004
T-11-22. F1	mon to photon falso notas		

Table 33: Electron-to-photon fake rates estimated in MC.

fake rate	$150 < E_T^{\gamma} < 250 \text{ GeV}$ $0 < \eta < 1.37$	$E_T^{\gamma} > 250 \text{ GeV}$	1.52 < n < 2.37
	$0 < \eta < 1.37$	$0 < \eta < 1.37$	$1.52 < \eta < 2.57$
syst. from mass window var.:	0.3%	0.7%	0.4%
syst. from tag-n-probe and real f.r.:	3%	15%	10%
Background fit variation	4%	14%	3%
Total syst.:	4%	20%	10%

Table 34: Electron-to-photon fake rate systematics components.





Katerina Kazakova

MEPhI@Atlas meeting 21.06.2024

jet $\rightarrow \gamma$ misID background: ABCD method

- Tight and isolated region (region A equivalent to $Z\gamma$ signal region described in Sec. 4.7): events have a leading photon candidate that is isolated ($E_T^{cone20} 0.065 p_T^{\gamma} < 0$ GeV) and passes the *tight* selection.
- Tight but not isolated region (control region B): events have a leading photon candidate that is not isolated $(E_T^{\text{cone20}} 0.065 p_T^{\gamma} > \text{iso gap})$ and passes the *tight* selection.
- Non-tight and isolated region (control region C): events have a leading photon candidate that is isolated ($E_{\rm T}^{\rm cone20} 0.065 p_{\rm T}^{\gamma} < 0$ GeV) and passes the *non-tight* selection.
- Non-tight and not isolated region (control region D): events have a leading photon candidate that is not isolated ($E_{\rm T}^{\rm cone20} - 0.065 p_{\rm T}^{\gamma} >$ iso gap) and passes the *non-tight* selection. $N_{\rm A}^{Z(\nu\bar{\nu})\gamma} = \tilde{N}_{\rm A} - R(\tilde{N}_{\rm B} - c_{\rm B}N_{\rm A}^{Z(\nu\bar{\nu})\gamma}) \frac{\tilde{N}_{\rm C} - c_{\rm C}N_{\rm A}^{Z(\nu\bar{\nu})\gamma}}{\tilde{n}_{\rm C} - c_{\rm C}N_{\rm A}^{Z(\nu\bar{\nu})\gamma}}.$

• loose'2:
$$w_{s3}$$
, F_{side}

- loose'3: w_{s3} , F_{side} , ΔE
- *loose'4*: w_{s3} , F_{side} , ΔE , E_{ratio}
- *loose'5*: w_{s3} , F_{side} , ΔE , E_{ratio} , w_{tot} ,

$$\begin{split} N_{\rm A} &= N_{\rm A}^{Z(\nu\bar{\nu})\gamma} + N_{\rm A}^{\rm bkg} + N_{\rm A}^{\rm jet \to \gamma}; \\ N_{\rm B} &= c_{\rm B} N_{\rm A}^{Z(\nu\bar{\nu})\gamma} + N_{\rm B}^{\rm bkg} + N_{\rm B}^{\rm jet \to \gamma}; \\ N_{\rm C} &= c_{\rm C} N_{\rm A}^{Z(\nu\bar{\nu})\gamma} + N_{\rm D}^{\rm bkg} + N_{\rm D}^{\rm jet \to \gamma}; \\ N_{\rm D} &= c_{\rm D} N_{\rm A}^{Z(\nu\bar{\nu})\gamma} + N_{\rm D}^{\rm bkg} + N_{\rm D}^{\rm jet \to \gamma}; \\ N_{\rm D} &= c_{\rm D} N_{\rm A}^{Z(\nu\bar{\nu})\gamma} + N_{\rm D}^{\rm bkg} + N_{\rm D}^{\rm jet \to \gamma}; \\ N_{\rm D} &= c_{\rm D} N_{\rm A}^{Z(\nu\bar{\nu})\gamma} + N_{\rm D}^{\rm bkg} + N_{\rm D}^{\rm jet \to \gamma}; \\ N_{\rm D} &= c_{\rm D} N_{\rm A}^{Z(\nu\bar{\nu})\gamma} + N_{\rm D}^{\rm bkg} + N_{\rm D}^{\rm jet \to \gamma}; \\ N_{\rm A}^{\rm Z(\nu\bar{\nu})\gamma} &= \frac{N_{\rm C}^{Z(\nu\bar{\nu})\gamma}}{N_{\rm A}^{Z(\nu\bar{\nu})\gamma}}. \end{split} \\ & \frac{Data}{P} \frac{W\gamma}{P} \frac{e \to \gamma}{P} \frac{t_{\gamma}}{t_{\gamma}} \frac{\gamma + j_{\rm et}}{t_{\gamma}} \frac{Z(ll)\gamma}{\gamma}}{2(ll)\gamma} \\ & \frac{A}{23375 \pm 153} \frac{3420 \pm 21}{2608 \pm 11} \frac{2608 \pm 11}{178 \pm 3} \frac{8123 \pm 82}{8123 \pm 82} \frac{211 \pm 4}{211 \pm 4} \\ & \frac{B}{270 \pm 16} \frac{17.7 \pm 1.3}{17.7 \pm 1.3} \frac{4.269 \pm 0.016}{4.269 \pm 0.016} \frac{0.46 \pm 0.14}{0.46 \pm 0.14} \frac{7 \pm 3}{1.4 \pm 0.6} \frac{0.6 \pm 0.2}{0} \\ & \frac{W}{10} \frac{497 \pm 22}{10} \frac{0.6 \pm 0.2}{0} \frac{0.6 \pm 0.2}{0} \frac{0.6 \pm 0.2}{0} \frac{0.07 \pm 0.05}{0.06 \pm 0.06} \frac{0.4 \pm 0.06}{0} \frac{0.06}{0} \frac{0.06}$$

jet $\rightarrow \gamma$ misID background: slice method

Photon isolation

To take into account the dependence of the estimate on the photon isolation, the non-isolated regions are split into a set of into successive intervals (slices) based on the photon isolation. In this way, the number of $jet \rightarrow \gamma$ background events in each non-isolated slice *i* of the CR1 $N_{CR1(i)}^{jet \rightarrow \gamma}$ is derived as follows:

 $N_{\text{CR1(i)}}^{jet \to \gamma} = N_{\text{CR1(i)}}^{\text{data}} - N_{\text{CR1(i)}}^{Z(\nu\bar{\nu})\gamma} - N_{\text{CR1(i)}}^{\text{bkg}},$

Four isolation slices are chosen: [0.065, 0.090, 0.115, 0.140, 0.165].

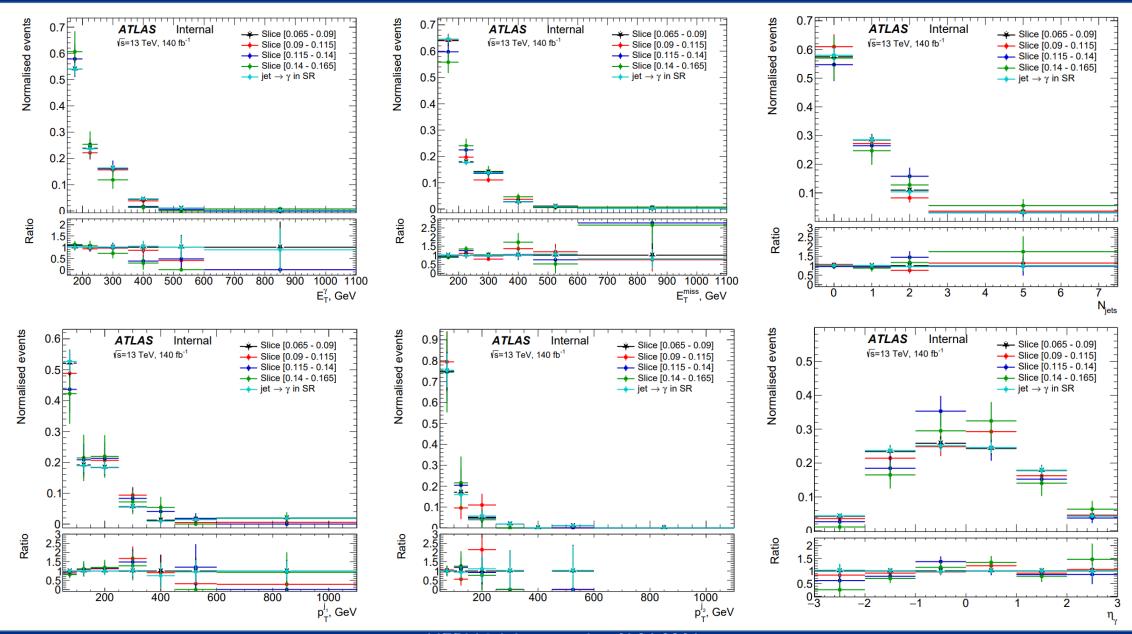
$$H_{jet \to \gamma}^{[0.A,0.B]} = H_{data}^{[0.A,0.B]}[X] - H_{sig}^{[0.A,0.B]}[X] - H_{bkg}^{[0.A,0.B]}[X],$$

$$\Delta^{CR2}[X] = \left(\frac{H_{jet \to \gamma}^{[0.065, 0.09]}[X] - H_{jet \to \gamma}^{[0.115, 0.14]}[X]}{2} + \frac{H_{jet \to \gamma}^{[0.09, 0.115]}[X] - H_{jet \to \gamma}^{[0.14, 0.165]}[X]}{2}\right)$$
$$H_{jet \to \gamma}^{SR} = H_{jet \to \gamma}^{[0.A_1, 0.B_1]}[X] + 2 \cdot \Delta^{CR}[X]$$

CR1	CR2
E _T ^{miss} < 130 GeV or	E _T ^{miss} > 130 GeV
E _T ^{miss} sig. < 8 or	E _T ^{miss} sig. > 11
Δφ(p _T ^{miss} , γ) < 0.6 or	Δφ(p _T ^{miss} , γ) > 0.6
Δφ(p _T ^{miss} , j ₁) < 0.3	Δφ(p _T ^{miss} , j ₁) > 0.3
Tight	Tight
Non-isolated	Non-isolated
CR3 (FR)	SR ⁺ T
	E _T ^{miss} > 130 GeV
E _T ^{miss} < 130 GeV or E _T ^{miss} sig. < 8 or	E _T ^{miss} sig. > 11
Δφ(p _T ^{miss} , γ) < 0.6 or	Δφ(p _T ^{miss} , γ) > 0.6
Δφ(p _T ^{miss} , j ₁) < 0.3	Δφ(p _T ^{miss} , j ₁) > 0.3
Tight	Tight
Isolated	Isolated

Kinematic selections

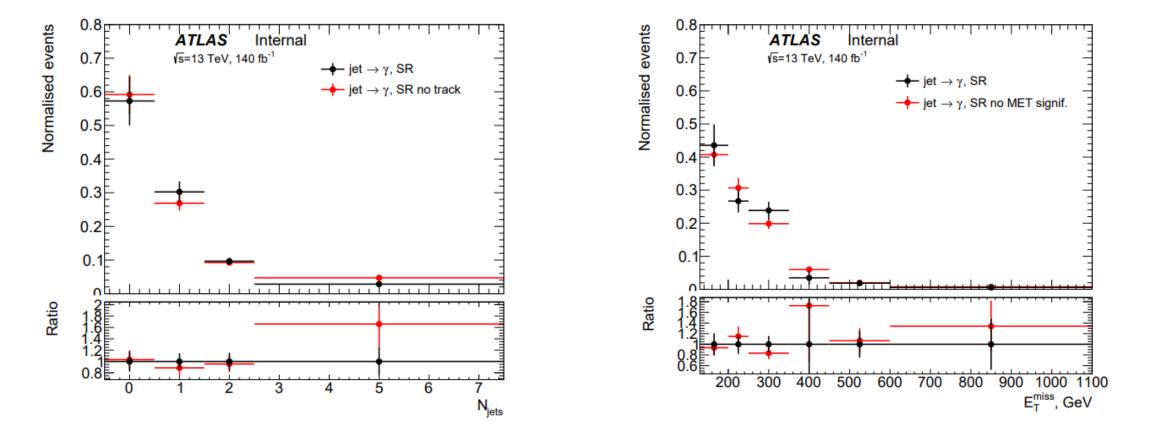
jet $\rightarrow \gamma$ misID background: slice method

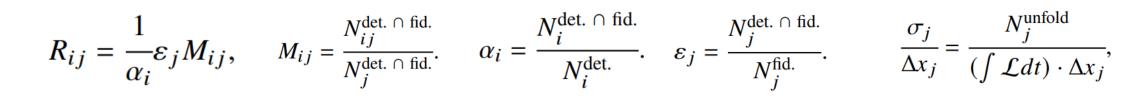


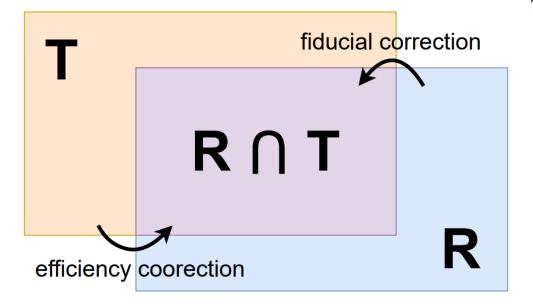
Katerina Kazakova

jet $\rightarrow \gamma$ misID background: slice method

The detailed procedure of $jet \rightarrow \gamma$ background shape estimation is presented in Section 5.2.2. To increase the statistics in the anti-isolated slices, the cut on track isolation is relaxed. Figure 51 shows that the shape of the $jet \rightarrow \gamma$ distribution in the SR does not change when relaxing track isolated in the CR2. Figure 52 shows that the shape of the $jet \rightarrow \gamma$ distribution for $E_{\rm T}^{\rm miss}$ in the SR does not change when relaxing cut on $E_{\rm T}^{\rm miss}$ significance in the CR2.







Correction factor	Value
$A_{Z\gamma}$	0.9049 ± 0.0008
$C_{Z\gamma}$	0.7487 ± 0.0007

The unfolding procedure by folding can be performed with following steps: • Myltiplying the response matrix \hat{R} and the particle-level distribution:

$$F_{ij} = R_{ij} \cdot T_j = \begin{pmatrix} \vec{r}_1 \\ \vec{r}_1 \\ \vdots \\ \vec{r}_n \end{pmatrix} \cdot \begin{pmatrix} t_1 \\ t_1 \\ \vdots \\ t_n \end{pmatrix} = \begin{pmatrix} \vec{f}_1 \\ \vec{f}_1 \\ \vdots \\ \vec{f}_n \end{pmatrix},$$

• Myltiplying each of the *n* histograms by the NFs $\mu_j = (\mu_1, \mu_2, ..., \mu_n)$:

$$G_{ij} = F_{ij} \cdot \mu_j = \begin{pmatrix} \vec{f_1} \\ \vec{f_1} \\ \vdots \\ \vec{f_n} \end{pmatrix} \cdot \begin{pmatrix} \mu_1 \\ \mu_1 \\ \vdots \\ \mu_n \end{pmatrix} = \begin{pmatrix} \vec{g_1} \\ \vec{g_1} \\ \vdots \\ \vec{g_n} \end{pmatrix}$$

The next step is to add all vecors \vec{g}_j . As a result we get one histogram with *m* bins.

- Fit the folded distribution by tuning NFs μ_j . As a result one gets the fitted parameters $\mu'_j = (\mu'_1, \mu'_2, \dots, \mu'_n)$.
- Dot multiply normalised NFs and truth histogram.

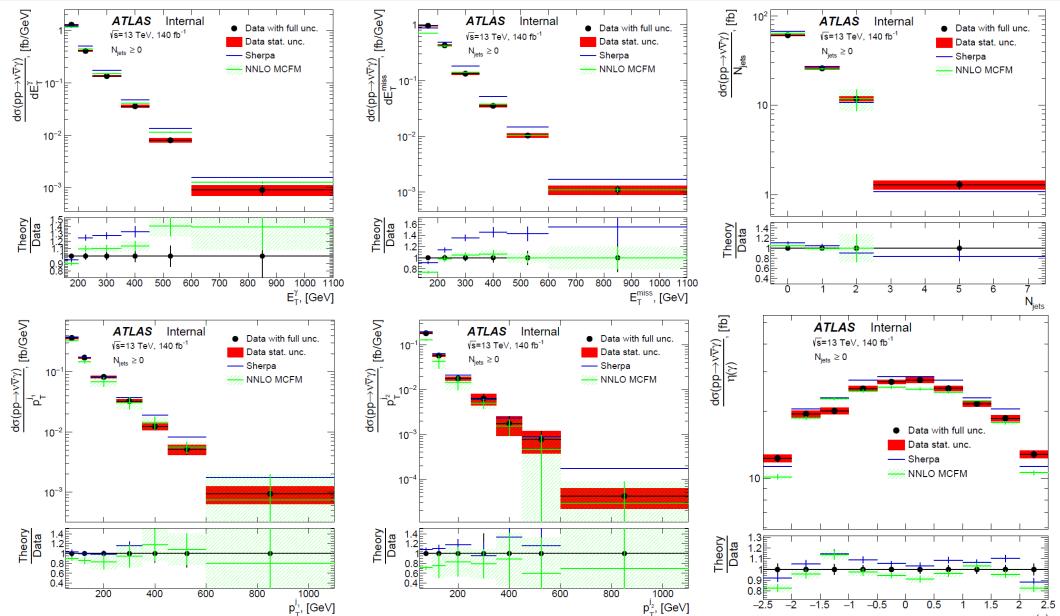
	Fiducial region:	
Category	Cut	$\mathcal{L}(\sigma,\theta,\lambda) = \prod_{i} P\left(N_{i} \mathcal{L}_{\text{int}} \sum_{i} \mathcal{R}_{ij}(\vec{\theta}) \sigma_{j}(\vec{\theta}) + \mathcal{B}_{i}(\vec{\theta},\lambda)\right) \times \prod_{i} G(\theta_{k})$
Photons	Isolated, $E_{\rm T}^{\gamma} > 150 {\rm GeV}$	$\simeq (0,0,0) \prod_{i} \prod_{i} (1,1) \simeq \min_{i} \sum_{i} (1,1) (0,0) \prod_{i} (0,0) \prod_{i} \prod_{k} (0,0) \prod_{i} (0,0) \prod_{i} \prod_{k} (0,0) \prod_{i} (0,0) \prod_{i} \prod_{k} (0,0) \prod_{i} \prod_{k} (0,0) \prod_{i} \prod_{k} (0,0) \prod_{i} \prod_{k} (0,0) \prod_{i} (0,0) \prod_{i} \prod_{k} (0,0) \prod_{i} (0,0) \prod_{k} (0,0) \prod_{i} (0,0) \prod_{k} (0,0) \prod_{k} (0,0) \prod_{k} (0$
	$ \eta < 2.37$ excluding $1.37 < \eta < 1.52$	$N = C$ σ with $\sigma = u \sigma^{MC}$
Jets	$ \eta < 4.5$	$N_j = \mathcal{L}_{int}\sigma_j$ with $\sigma_j = \mu_j \sigma_j^{MC}$
	$p_{\rm T} > 50 { m ~GeV}$	$\int \frac{1}{\tau^2} i + 2 < N_{\text{bins}}$
	$\Delta R(jet, \gamma) > 0.3$	$\mathcal{L}(\sigma,\theta,\lambda) = \mathcal{L}(\sigma,\theta,\lambda)_{\text{noreg.}} \times \left(-\frac{\tau^2}{2} \sum_{i=2}^{i+2 < N_{\text{bins}}} ((\mu_i - \mu_{i-1}) - (\mu_{i+1} - \mu_i))^2\right)$
Lepton	$N_l = 0$	$\left(\begin{array}{c}2\\i=2\end{array}\right)$
Neutrino	$p_{\rm T}^{\nu\bar{\nu}} > 130 {\rm GeV}$	$\sigma_i = N_i^{\text{unfold}}$
Events	$ \Delta \phi(\vec{p}_{\mathrm{T}}^{\mathrm{miss}}, \gamma) > 0.7$	$\frac{\sigma_j}{\sigma_j} = \frac{N_j}{\sigma_j}$
	$ \Delta \phi(\vec{p}_{\mathrm{T}}^{\mathrm{miss}}, j_1) > 0.4$	$\Delta x_j = (\int \mathcal{L} dt) \cdot \Delta x_j$
	$p_{\rm T}^{\nu\bar{\nu}}$ significance > 11	5 (J - / J

Observable	Binning
p_{T}^{γ}	[150, 200], [200, 250], [250, 350], [350, 450], [450, 600], [600, 1100]
$E_{\mathrm{T}}^{\mathrm{miss}}$	[130, 200], [200, 250], [250, 350], [350, 450], [450, 600], [600, 1100]
N _{jets}	[-0.5, 0.5], [0.5, 1.5], [1.5, 2.5], [2.5, 7.5]
η_{γ}	[-3, -2, -1, 0, 1, 2, 3]
$\frac{\frac{\eta_{\gamma}}{p_T^{j_1}}}{\frac{p_T^{j_2}}{p_T^{j_2}}}$	[50, 100, 150, 250, 350, 450, 600, 1100]
$p_T^{j_2}$	[50, 100, 150, 250, 350, 450, 600, 1100]
$ \Delta \phi(j,j) $	[0.0 - 3.2], 16 bins
$ \Delta \phi(p_{\mathrm{T}}^{\mathrm{miss}}, j) $	[0.4 - 3.2], 14 bins

Table 29: Summary of the differential measurements in the analysis

Extended fiducial region:

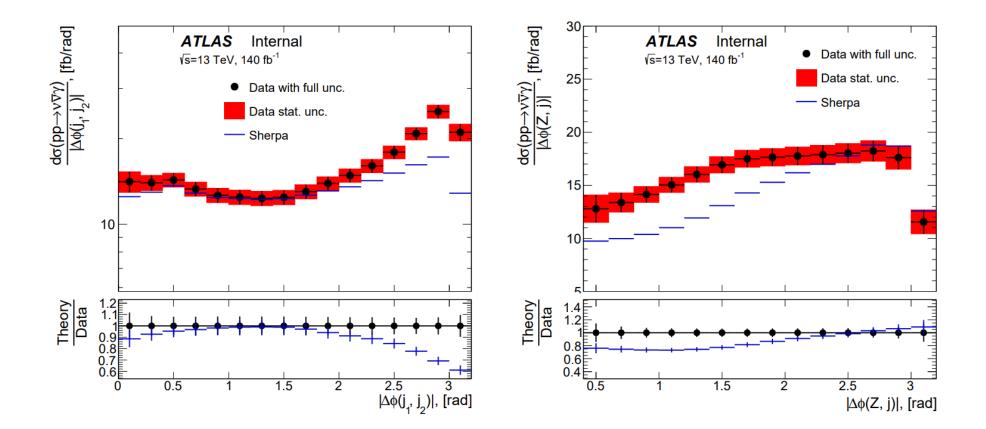
Category	Cut
Photons	Isolated, $E_{\rm T}^{\gamma} > 150 {\rm GeV}$
	$ \eta < 2.37$
Jets	$ \eta < 4.5$
	$p_{\rm T} > 50 { m ~GeV}$
	$\Delta R(jet, \gamma) > 0.3$
Neutrino	$p_{\rm T}^{\nu\bar{\nu}} > 130 {\rm GeV}$



Katerina Kazakova

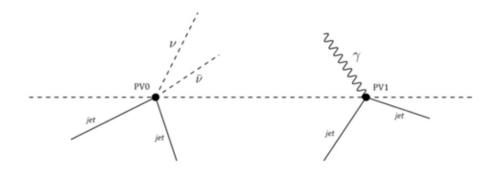
MEPhI@Atlas meeting 21.06.2024

η(γ)



OMC method

Overlay Monte-Carlo (OMC) Method



Strategy:

1. To estimate the number of pile-up events (referred to as A+B) in the diboson production (referred to as AB) the overlay Monte-Carlo (OMC) method uses separate A and B samples at the particle-level.

2. The overlay of B over A is performed by adding objects (photons, jets, etc.) from B into A;

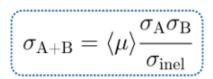
3. The variables that define the AB final state are calculated in order to form a valid combined A+B event (referred to as OMC event). These variables are used to be checked against analysis selections;

4. The weight of the combined A+B event is determined as:

5. The number of A+B events at the particle-level is defined as the sum of OMC sample weights:

$$N_{\rm A+B}^{\rm gen} = \sum w_{\rm A+B}$$

$$w_{\rm A+B} = \frac{w_{\rm A}w_{\rm B}}{\langle w_{\rm A} \rangle \langle w_{\rm B} \rangle} \frac{L\sigma_{\rm A+B}}{N_{\rm OMC}}$$



6. The predicted number of pile-up events at the detector-level in the SR is estimated as follows:

$$N_{\rm A+B}^{\rm rec} = N_{\rm A+B}^{\rm gen} C$$

*Correction factor (C) is defined as the reconstructed MC signal AB events passing all selections divided by the number of MC signal AB events at the particle-level within the fiducial region.

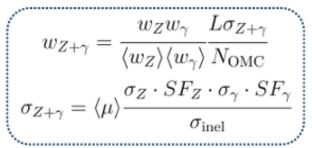
OMC method

- The Z boson (taken as A) and the photon (taken as B) components of Z+γ OMC events are taken from Zj and γ+j MC samples, respectively;
- The particle-level photon from γ+j process is being overlayed over random particle-level Z boson from Zj process until it becomes a part of Z+γ OMC event, that passes the fiducial region requirements;
- The procedure for such a combination of events is performed for every γ+j sample with a certain Zj sample in each of the MC simulation campaigns (MC16a, MC16d, MC16e);
- Iterating through all γ+j events requires significant computing resources, therefore only 100k events of every statistically large γ+j sample are used to form OMC sample;
- The total number of pile-up events at the particle-level is obtained by combining each γ+j sample sequentially with each Zj sample.

Definition of the fiducial region:

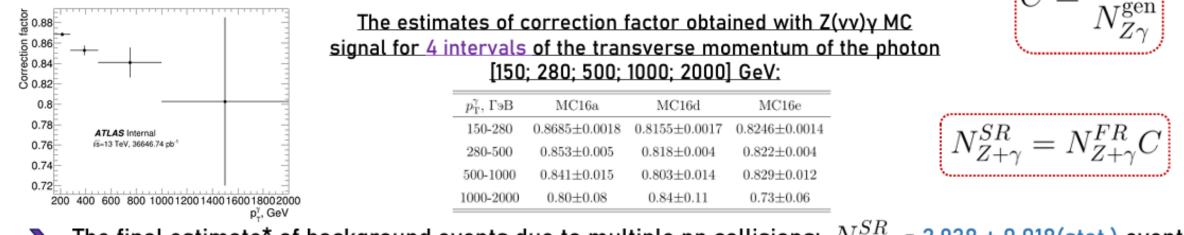
Category	Cut
Photons	Isolated, $E_{\mathrm{T}}^{\gamma} > 150 \ \mathrm{GeV}$
	$ \eta < 2.37$ excl. $1.37 < \eta < 1.52$
Jets	$ \eta < 4.5$
	$p_T > 50 { m GeV}$
	$\Delta R(jet,\gamma) > 0.3$
Lepton	$N_l=0$
Neutrino	$p_{\mathrm{T}}^{ uar{ u}} > 130~\mathrm{GeV}$
Events	Significance $E_{\rm T}^{\rm miss} > 11$
	$ \Delta \phi(ec{p}_{\mathrm{T}}^{\mathrm{miss}},\gamma) > 0.6$
	$ \Delta \phi(ec{p}_{ ext{T}}^{ ext{ miss}}, j_1) > 0.3$

The weight and the cross section of <u>the combined Z+γ event</u>:



OMC method

 The C-factor is parameterized by the transverse momentum of the photon, since the total number of pile-up events at the particle-level is summed from the number of pile-up events calculated for each γ+j sample.



The final estimate* of background events due to multiple pp collisions: N^{SR}_{Z+γ} = 2.938 ± 0.018(stat.) events; *(more in back-up)

The statistical uncertainties come from:

- The uncertainty of the weights w_{γ} and w_{γ} of events used in the combination of γ +j samples with Zj samples;
- The uncertainty of C-factor;
- The uncertainty of SF-factors;

The fraction of pile-up events in relation to the data obtained using the OMC method is (0.01257 ± 0.00011) %.